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TEK: the	TEK:	TEK:	TEK:	TEK: the student understands the importance of the	TEK:	TEK: the student understands that different forms
	ILK.	TEK.	I LIX.	•	TEK.	
student				skills required to manipulate symbols in order to		of numbers are appropriate for different situations
analyzes real-				solve problems and uses the necessary algebraic		
world				skills required to simplify algebraic expressions and		
numerical data				solve equations and inequalities in problem		
using a variety				situations		
of quantitative				TEK: the student formulates equations and		
measures and				inequalities based on quadratic functions, uses a		
numerical				variety of methods to solve them, and analyzes the		
processes				solutions in terms of the situation		

AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I	ra I 8 th Grade			
SE: AQR.2B – solve problems involving large quantities that are not easily measured	SE:	SE:	SE:	SE: ALGII.2B – (S) use complex numbers to describe the solutions of quadratic equations graphically, tabular, and in real world application ALGII.8B – (S) analyze and interpret the solutions of quadratic equations using discriminants and solve quadratic equations using the quadratic formula	SE:	various for positive ar 8.1D – (S) including r problem s	negative expo ituations npare and ord	integers, pe actions and ers in scien nents, in ap	ercents, and decimals itific notation, propriate
Specifics	Specifics	Specifics	Specifics	Specifics (description of lesson, include any "tricks")	Specifics	Specifics (description of	lesson, incl	ude any "tricks")
Rationale	Rationale	Rationale	Rationale	Rationale (clarification of TEKS/SE) Vocabulary	Rationale	-decimals- and positiv -fractions (negative) -Percents - -Squares (-use numb -arrange ir -use a com	ve proper fractio like and unlike - such as 1509 up to 20) and pers appropria n order or place abination of the	greater that ins, improper denomination (%), 33 1/3%, square root te for real like on number various for the control of the co	73.1% ts (up to 400) ife application
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	VOCabulai	у		
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012	STAAR 201 SE 1A 1D	# of Questions 3 1	Percent 61% 35%	Dual Coded 15A

STAAR 2013	STAAR 2013	STAAR 2013				
				SE # of Percent Dual		SE # of Percent Dual
				Questions Coded		Questions Coded
				2B 1 45%		1A 3 66%
				8B 1 32%		1D 1 66% 14C
				The roots of a quadratic equation are given by the expression below.		Which numbers from this list are less than -0.94?
				$\frac{-25 \pm \sqrt{-100}}{25}$		$-\frac{15}{16}$, 0.24, -2.23, 97%, $-2\frac{2}{5}$, -0.95
				Which of the following is an equivalent expression?		F $-\frac{15}{16}$, -2.23 , and -0.95
				A $-1 \pm \frac{2i}{5}$ B $-1 \pm 2i$		G $-2.23, -2\frac{2}{5}$, and -0.95
				$c -25 \pm \frac{2i}{5}$		H 0.24, $-\frac{15}{16}$, and -0.95
				D -25 ± 2 <i>i</i>		J - \frac{15}{16}, 0.24, and -2.23
				What is the solution set for $x^2 + 4 = 6x$?		There are four students working on an assignment in a class. Mike has completed $\frac{1}{9}$ of the
						assignment, Gwen has completed 11% of the assignment, Jorge has completed 0.12 of the
				A $\{-3 \pm i\sqrt{14}\}$		assignment, and Tai has completed $\frac{1}{8}$ of the assignment. Which of the following lists the students in order from least to greatest by the amount of the assignment they completed?
				,		F Gwen, Mike, Jorge, Tai
				B $\{-3 \pm \sqrt{5}\}$		G Tal, Jorge, Mike, Gwen
				p 1-2 = 43}		H Gwen, Jorge, Mike, Tai
				(, , , , , , ,)		J Tai, Mike, Gwen, Jorge The water levels of five Texas lakes were measured on the same day in 2010. The table below
				c $\left\{3 \pm i\sqrt{14}\right\}$		shows the number of feet above or below normal level for each lake.
						Water Levels of Texas Lakes Number of Feet Above or Below Normal Level
				D $\{3 \pm \sqrt{5}\}$		Lake Number of Feet Above or Below Normal Level Conroe 0.10
				,		Amistad -2.65 Richland Chambers 0.16
						Possum Kingdom -1.43
						Travis 0.07
						Which list shows the numbers in the table from greatest to least? F -2.65, -1.43, 0.16, 0.10, 0.07
						G 0.16, 0.10, 0.07, -1.43, -2.65
						H 0.16, 0.10, 0.07, -2.65, -1.43
						3 -2.65, -1.43, 0.07, 0.10, 0.16 The average distance from Earth to the sun is about 9.3 × 10 ⁷ miles. The average distance
						from Mars to the sun is about 1.4×10^6 miles. When both planets are at their average distance from the sun, how much farther is Mars from the sun than Earth?
						F 79,000,000 mi
						G 47,000,000 mi
						H 107,000,000 mi J 233,000,000 mi
						a 233,000,000 mi

TEK: the student understands the	TEK:	TEK: the student understands that	TEK: the student represents and uses	TEK: the student represents and uses
importance of the skills required to		different forms of numbers are	numbers in a variety of equivalent forms	rational numbers in a variety of equivalent
manipulate symbols in order to solve		appropriate for different situations		forms
problems and uses the necessary algebraic				
skills required to simplify algebraic				
expressions and solve equations and				
inequalities in problem situations				
TEK: the student formulates equations and				
inequalities based on quadratic functions,				
uses a variety of methods to solve them,				
and analyzes the solutions in terms of the				
situation				

Algebra II	Algebra I	8 th Grade	7 th Grade	6 th Grade
SE: ALGII.2B – (S) use complex numbers to describe the solutions of quadratic equations graphically, tabular, and in real world application ALGII.8B – (S) analyze and interpret the solutions of quadratic equations using discriminants and solve quadratic equations using the quadratic formula	SE:	SE: 8.1A-(R)compare and order rational numbers in various forms including integers, percents, and positive and negative fractions and decimals 8.1D – (S) express numbers in scientific notation, including negative exponents, in appropriate problem situations 8.1E – compare and order real numbers with a calculator	7.1A-(S)compare and order integers and positive rational numbers 7.1B-(R)convert between fractions, decimals, whole numbers, and percents mentally, on paper or with a calculator	SE 6.1A-(S)compare and order non-negative rational numbers 6.1B-(R) generate equivalent forms of rational numbers including whole numbers, fractions, and decimals 6.1C-(S)use integers to represent real-life situations
Specifics (description of lesson, include any "tricks")	Specifics	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS)	Rationale	Rationale (clarification of TEKS/SE) -decimals-less than and greater than one, negative and positive -fractions-proper fractions, improper, mixed fractions (like and unlike denominators, positive and negative) -Percents – such as 150%, 33 1/3%, 73.1% -Squares (up to 20) and square roots (up to 400) -use numbers appropriate for real life application -arrange in order or place on number line -use a combination of the various forms of rational numbers including square roots	Rationale (clarification of TEKS/SE) -do not teach students to compare fractions using cross multi -integers, decimals percents — < or > 1 -fractions — proper fractions, improper fractions, mixed numbers (with like and unlike denominators) -only positive decimals and fractions -include numerical and written expressions to compare numbers -identify equivalent fractions, decimals, percents and integers -arrange in order on a number line (horizontal and vertical) -use numbers appropriate for real life application	Rationale (clarification of TEKS/SE) -Include decimals less than / greater than one -Include fractions such as unit fractions, proper fractions, improper and mixed numbers -Relate concrete models of decimal to fraction conversions / connect to algorithms -Change whole numbers to equivalent improper fractions -Students need to understand / explain that 9/5 is > 1 / < 2; specifically 1 4/5 or 1.8 -Use numbers appropriate for real life application -Include changing decimals to fractions / fractions to decimals

Vocabulary	Vocabulary	Vocabu	lary			in 7 th g -perce hundr -include 100 to -conne (mode	ent in decimal for ed de proportions a work with %s ect fraction models other than 10 erting percents de	orms < or > o and denomi dels to perc 00)	one nators of ents	/gain, a elevati -write probleintege (this do -intege -opera)	camples such as above/below se ons, deposit/w number senten m situation er: any whole no oes not include ers are introductions with integrade ulary	ea-level, up ithdrawal ces that co umber and fractions/ ed in 6 th gr	/down nnects to its opposite decimals) ade
			Il numbers, int e, scientific no mbers				ial numbers, int nt, out of 100, e ve	-			al numbers, ger r, conversions	nerate, equ	ivalent,
STAAR 2012		STAAR 2 SE 1A 1D	# of Questions	Percent 61%	Dual Coded 15A	STAAR SE 1B		Percent 44%	Dual Coded 15A	STAAR SE 1A	# of Questions 1 3	Percent	Dual Coded
CTAAD 2012			1	35%		CTAAR	2012			1B	_	38%	11A,13A
STAAR 2013 SE # of Percent Dual Questions Coded		STAAR 2	# of Questions	Percent	Dual Coded	STAAR SE	# of Questions	Percent	Dual Coded	STAAR SE	# of Questions	Percen	Coded
2B 1 45% 8B 1 32%		1A 1D	3	66% 66%	14C	1A 1B	3	64% 47%		1A 1B 1C	3	50% 43% 80%	13A 13B 12A
The roots of a quadratic equation are given by the expression below.		Which nu	mbers from this list a	re less than -0.9	4?	Which	list of numbers is in	order from gre	eatest to least?		s in each set shown below have		
$\frac{-25\pm\sqrt{-100}}{25}$ Which of the following is an equivalent expression?		F - 15	$-\frac{15}{16}$, -2.23 , and -0.95	, 0.24, —2.23, 97 ^c	$\frac{2}{5}$, -0.95	F −5	$0, \frac{1}{4}, 2, \frac{7}{3}, 6$ $-5, \frac{7}{3}, 2, \frac{1}{4}, 0$				0.8	0.4	20 100
A $-1 \pm \frac{2i}{5}$ B $-1 \pm 2i$		G −2.23	$3, -2\frac{2}{5}$, and -0.95			G 6,	-5 , $\frac{7}{3}$, 2, $\frac{1}{4}$, 0			Which states	S 0.57	d 9	0.04 mbers in Set S or Set T?
c $-25 \pm \frac{2i}{5}$ p $-25 \pm 2i$			$-\frac{15}{16}$, and -0.95			J 6,	$6, 2, \frac{1}{4}, 0, -5$ $\frac{7}{3}, 2, \frac{1}{4}, 0, -5$			G Each num	onber in Set T is less than $\frac{1}{4}$. The set T is less than 0.65.		
What is the solution set for $x^2 + 4 = 6x$?		There are four	students working on an assign wen has completed 11% of the		9		ink contains 8% fruit juice. How			3 Each nun	nber in Set T is greater than $\frac{1}{2}$, nber in Set S is greater than 0.1 three students wrote a		_
A $\{-3 \pm i\sqrt{14}\}$		assignment, as students in ord	and Tai has completed $\frac{1}{8}$ of the a	assignment. Which of the	following lists the	correct pla		on your answer docum	ent. be sure to use the		ole wrote $5\frac{2}{8} = \frac{21}{4}$.		
B $\{-3 \pm \sqrt{5}\}$		F Gwen, Mike G Tai, Jorge, I H Gwen, Jorg J Tai, Mike, G	Mike, Gwen e, Mike, Tai								c wrote $5.14 = \frac{21}{4}$. sha wrote $4\frac{1}{5} = \frac{21}{4}$.		
c $\left\{3 \pm i\sqrt{14}\right\}$										Which of	f these students wrote	e an equation th	at is true?
D $\{3 \pm \sqrt{5}\}$										G Nikol	le and Erik only		
		1								J Nikol	le, Erik, and Keisha		

The water levels of five Texas lakes were measured on the same day in 2010. The table below shows the number of feet above or below normal level for each lake.	The box below contains equivalent values.	Which number is equivalent to $\frac{13}{2}$?
Water Levels of Texas Lakes Namber of Feet Above or Below Normal Level	3 14 40 335%	A 6.1, because $13 \div 2 = 6$ with a remainder of 1 B $\frac{26}{2}$, because $13 \times 2 = 26$, and $2 \times 1 = 2$
Which list shows the numbers in the table from greatest to least?		2
F -2.65, -1.43, 0.16, 0.10, 0.07 G 0.16, 0.10, 0.07, -1.43, -2.65 H 0.16, 0.10, 0.07, -2.65, -1.43 J -2.65, -1.43, 0.07, 0.10, 0.16	3.35 3 70 200	C $6\frac{1}{2}$, because $13 \div 2 = 6$ with a remainder of 1
a management of the state of th	Which number is equivalent to the values in the box?	D 6.05, because $13 \div 2 = 6\frac{1}{2}$, and $\frac{1}{2} = 0.05$
	A 67/20	
	B 3.35%	
	c 6 ⁷ / ₂₀	
	D 335	
The average distance from Earth to the sun is about 9.3×10^7 miles. The average distance from Mars to the sun is about 1.4×10^8 miles. When both planets are at their average distance from the sun, how much farther is Mars from the sun than Earth?	Which two values are both equivalent to 240%?	A king snake is $\frac{31}{50}$ m long. What is an equivalent length of this king snake in meters?
₹ 79,000,000 mi		F 0.31 m
G 47,000,000 mi H 107,000,000 mi	F 2.4 and 2 2/25	G 3 1 m
3 233,000,000 mi		н 0.062 m
	G 2.4 and $2\frac{2}{5}$	J Not here At 8:00 a.w., 26 children were at a day care. By $3:00 \text{ s.w.}$, 12 of these children were no longer at 8:00 a.w., 26 which intoger best represents the change in the number of children at the day care. Thum $8:00 \text{ a.m.}$ to $3:00 \text{ r.w.}$?
	H 0.24 and $2\frac{2}{5}$	F +26 G +12 H -26
		J -12
	J 0.24 and $2\frac{2}{25}$	

TEK: the student represents and uses rational numbers in a variety of equivalent forms	TEK: the student uses place value to represent whole number and decimals	TEK: the student uses place value to represent whole numbers and decimals	TEK: the student uses place value to communicate about increasingly large numbers in verbal and written form, including money
6 th Grade	5 th Grade	4 th Grade	3 rd Grade
SE 6.1A-(S)compare and order non-negative rational numbers 6.1B-(R) generate equivalent forms of rational numbers including whole numbers, fractions, and decimals 6.1C-(S)use integers to represent real-life situations	SE 5.1A-(S) use place value to read, write, compare, and order whole numbers through the 999,999,999,999 5.1B-(S) use place value to read, write, compare, and order decimals through the thousandths place	SE 4.1A-(S)use place value to read, write, compare, and order whole numbers through 999,999,999 4.1B – (R)use place value to read, write, compare and order decimals involving tenths and hundredths, including money, using concrete objects and pictorial models	SE 3.1A-(S)use place value to read, write (in symbols and words), and describe the value of whole numbers through 999,999 3.1B-(S)use place value to compare and order whole numbers through 9,999
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Practice place value with oral choral reading of the numbers	Practice place value with oral choral reading of the numbers	Practice place value with oral choral reading of the numbers Emphasis on number sense and understanding values of numbers instead of using tricks to understand symbols. Read <,>,= symbols as we would read book, from left to right Only use 'alligator eats the bigger number' as a last intervention Promote number sense No 'naked' numbersnumbers should always have a label (unit)	Practice place value with oral choral reading of the numbers Emphasis on number sense and understanding values of numbers instead of using tricks to understand symbols. Read <,>,= symbols as we would read book, from left to right Only use 'alligator eats the bigger number' as a last intervention Promote number sense The decimal is the only place where 'and' is spoken (ex: 6,128 is read 'six thousand, one hundred twenty-eight' not 'six thousand, one hundred AND twenty-eight'this means \$6,100.28) No 'naked' numbersnumbers should always have a label (unit) Use number lines for comparing numbers
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-Include decimals less than / greater than 1 -Include fractions such as unit fractions, proper fractions, improper and mixed #s -Relate concrete models of decimal to fraction conversions / connect to algorithms -Change whole numbers to equivalent improper fractions -Students need to understand / explain that 9/5 is > 1 / < 2; specifically 1 4/5 or 1.8	-Convert from standard to written -Convert from written to standard -Include expanded notation -Convert from expanded to standard / standard to expanded -Describe place and value -Use symbols and words for greater than >, equal to =, and less than < -Sequence numbers/ words from least to greatest	-Convert from standard to written -Convert from written to standard -Record numbers in expanded notation -Describe place and value (such as 31,465; the four is in the hundred place and the value is 400) -Use symbols and words for greater than >, equal to =, and less than < -Compare and order groups of numbers -Sequence numbers/words such as populations and	-Convert from standard to written -Convert from written to standard – word to digits (This is introduced in 3 rd grade) -Write numbers in expanded notation – Ex: 357 = 300 + 50 + 7 (This is introduced in 3 rd grade) -Read and describe place and value (such as 31,465; the four is in the hundreds place and the value is 400)

-Use numbers appropriate for real life application -Include changing decimals to fractions / fractions to decimals -use examples such as temperature, loss /gain, above/below sea-level, up/down elevations, deposit/withdrawal -write number sentences that connects to problem situation -integer: any whole number and its opposite (this does not include fractions/ decimals) -integers are introduced in 6 grade -operations with integers are not introduced until 7 grade	-Sequence within a given range -Included non-examples -Compare and order groups of decimal numbers using numbers in a table and number lines -Write in standard form from pictorial models -Thousandths is introduced in 5	names of cities from least to greatest Include non-examples – "which of these does NOT make the sentence true? – What could you do to make this true? –Why is this not true?" -Number lines do not always begin with "0" -Concepts of point on a line -Use pictorial representations -tables that include data in various orders (descending, ascending, and no order) -include equivalent decimals 0.1=0.10 concrete objects and pictorially -decimals are introduced in 4 th grade	-Use symbols and words for "greater than" >, "less than" <, and "equal" = -Compare and order groups of numbers, include numbers with units Ex: 4 ft and 6 ft -Sequence numbers/ words such as populations and names of cities, from least to greatest -Use Tables (vertical and horizontal) that include data in various orders (descending, ascending, and no order) -Use number lines, money, concrete models, pictorial models, words, numbers and groups of numbers -Include non-examples		
Vocabulary	Vocabulary	Vocabulary	Vocabulary		
Rational numbers, generate, equivalent, integer, conversions	Hundred billion, Ten billion, Billions, Hundred million, Ten million, Millions, Hundred thousands, Ten thousands, Thousands, hundreds, tens, ones, greater than, less than, equal to, standard form, written form, expanded form, number lines, comma, decimal point, tenths, hundredths, thousandths, digit, numeral, value	Hundred million, Ten million, Millions, Hundred thousands, Ten thousands, Thousands, hundreds, tens, ones, greater than, less than, equal to, standard form, written form, expanded form, number lines, comma, decimal point, tenths, hundredths, digit, numeral, value	Hundred thousands, Ten thousands, Thousands, hundreds, tens, ones, greater than, less than, equal to, standard form, written form, expanded form, number lines, comma, place value, digit, numeral, value		
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012		
SE # of Percent Dual Coded 1A 1 37%	SE # of Percent Dual Coded 1A 1 71%	SE # of Questions Percent Coded 1A 1 56% 14B	SE # of Questions Percent Per		
1B 3 38% 11A,13A		1B 3 77% 14A			
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013		
SE # of Percent Dual Coded 1A 1 50% 13A	SE # of Percent Dual Coded 1B 1 60% 14A	SE # of Questions Percent Percent Dual Coded 1A 1 76%	SE # of Percent Dual Coded 1A 1 69%		
1B 3 43% 13B	1B 1 00% 14A	1B 3 68% 14A,14D	IA 1 0970		
1C 1 80% 12A					
The numbers in each set shown below have a common characteristic. Set S	Alberto ran a race in 17.6 seconds. Jake ran the race in 18.307 seconds. Which race time is greater than 17.6 seconds but less than 18.307 seconds? A 17.054 s B 18.4 s C 17.39 s D 18.21 s	A total of 7,093,502 people watched a soccer game on television. Which of the following has the same value as 7,093,502? F 7,000,000 + 900,000 + 30,000 + 5,000 + 200 G 7,000,000 + 90,000 + 3,000 + 50 + 2 H 7,000,000 + 900,000 + 3,000 + 500 + 2 J 7,000,000 + 90,000 + 3,000 + 500 + 2	The number of people living in a city has a 3 in the hundreds place and a 1 in the ten-thousands place. Which number has a 3 in the hundreds place and a 1 in the ten-thousands place? F 318,297 G 791,326 H 219,305 J 536,812		
Which statement best describes a common characteristic of the numbers in Set S or Set T?					
F Each number in Set T is less than $\frac{1}{a}$.					
G Each number in Set S is less than 0.65.					
H Each number in Set T is greater than $\frac{1}{2}$.					
2 3 Each number in Set S is greater than 0.5.					
			 -		

9 Each of three students wrote an equation. Each picture below represents a different amount of money. In which amount of money is the digit 9 in the hundredths place? • Nikole wrote $5\frac{2}{8} = \frac{21}{4}$. • Erik wrote $5.14 = \frac{21}{4}$. • Keisha wrote $4\frac{1}{5} = \frac{21}{4}$. Which of these students wrote an equation that is true? F Nikole only G Nikole and Erik only H Keisha only J Nikole, Erik, and Keisha Which number is equivalent to $\frac{13}{2}$? A 6.1, because $13 \div 2 = 6$ with a remainder of 1 **B** $\frac{26}{2}$, because 13 × 2 = 26, and 2 × 1 = 2 C $6\frac{1}{2}$, because $13 \div 2 = 6$ with a remainder of 1 **D** 6.05, because $13 \div 2 = 6\frac{1}{2}$, and $\frac{1}{2} = 0.05$ A king snake is $\frac{31}{50}$ m long. What is an equivalent length of this king snake in meters? The model below is shaded to represent a decimal. F 0.31 m **G** 3 1 m H 0.062 m J Not here How is this decimal written in words? A Six and thirty hundredths B Six hundred three C Six and thirty tenths D Six and three hundredths At 8:00 AM, 26 children were at a day care. By 3:00 PM, 12 of these children were no longer at the day care. Which integer best represents the change in the number of children at the day care from 8:00 A.M. 03:00 PM. 2 The shaded models below represent four different decimal numbers. G +12 H -26 J -12 Which list shows these decimal numbers in order from least to greatest? A 0.53 0.41 0.48 0.56 B 0.41 0.48 0.53 0.56

C 0.56 0.53 0.48 0.41 **D** 0.41 0.53 0.56 0.48

TEK: the student uses place value to communicate	TEK: the student understands how place	TEK: the student uses whole numbers to describe	TEK: the student uses numbers to name quantities
about increasingly large numbers in verbal and	value is used to represent whole numbers	and compare quantities	
written form, including money			

3 rd Grade	2 nd Grade	1 st Grade	Kindergarten
SE	SE	SE	SE
3.1A-(S)use place value to read, write (in symbols and words), and describe the value of whole numbers through 999,999 3.1B-(S)use place value to compare and order whole numbers through 9,999	2.1A-(S)use concrete models of hundreds, tens, and ones to represent a given whole number (up to 999) in various ways 2.1B-(R)use place value to read, write, and describe the value of whole numbers to 999 2.1C-(R)use place value to compare and order whole numbers to 999 and record the comparisons using numbers and symbols	1.1A-(S)compare and order whole numbers up to 99 (less than, greater than, or equal to) using sets of concrete objects and pictorial models 1.1B-(S)create sets of tens and ones using concrete objects to describe, compare, and order whole numbers 1.1D-(R)read and write numbers to 99 to describe sets of concrete objects	K.1A-(R)use one-to-one correspondence and language such as more than, same number as, or two less than to describe relative sizes of sets of concrete objects K.1B-(R)use sets of concrete objects to represent quantities given in verbal or written form (through 20) K.1C-(R)use numbers to describe how many
Specifics (description of lesson, include any "tricks")	(<,=,>) Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	objects are in a set (through 20) using verbal and symbolic descriptions K.6B-(R)count by ones to 100 Specifics (description of lesson, include any "tricks")
Practice place value with oral choral reading of the	Practice place value with oral choral reading	Practice place value with oral choral reading of	Practice place value with oral choral reading of the
numbers	of the numbers	the numbers	numbers
Emphasis on number sense and understanding	The decimal is the only place where 'and' is	The decimal is the only place where 'and' is	The decimal is the only place where 'and' is
values of numbers instead of using tricks to	spoken (ex: 6,128 is read 'six thousand, one	spoken (ex: 6,128 is read 'six thousand, one	spoken (ex: 6,128 is read 'six thousand, one
understand symbols.	hundred twenty-eight' not 'six thousand,	hundred twenty-eight' not 'six thousand, one	hundred twenty-eight' not 'six thousand, one
Read <,>,= symbols as we would read book, from	one hundred AND twenty-eight'this means	hundred AND twenty-eight'this means	hundred AND twenty-eight'this means
left to right	\$6,100.28)	\$6,100.28)	\$6,100.28)
Only use 'alligator eats the bigger number' as a	No 'naked' numbersnumbers should	No 'naked' numbersnumbers should always	No 'naked' numbersnumbers should always have
last intervention	always have a label (unit)	have a label (unit)	a label (unit)
Promote number sense	Read <,>,= symbols as we would read book,	Read <,>,= symbols as we would read book, from	
The decimal is the only place where 'and' is	from left to right	left to right	
spoken (ex: 6,128 is read 'six thousand, one hundred twenty-eight' not 'six thousand, one	Only use 'alligator eats the bigger number' as a last intervention.	Only use 'alligator eats the bigger number' as a last intervention	
hundred AND twenty-eight'this means	Using 2 dots for the bigger number and one	Using 2 dots for the bigger number and one dot	
\$6,100.28)	dot for the smaller number is another	for the smaller number is another strategy for	
No 'naked' numbersnumbers should always have	strategy for comparison symbols	comparison symbols	
a label (unit)	Hold students accountable for	Hold students accountable for letter/number	
Use number lines for comparing numbers	letter/number reversals (such as: 16 for 61)	reversals (such as: 16 for 61)	
	Use number lines for comparing numbers	Use number lines for comparing numbers	
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-Convert from standard to written	-Students should be able to make sets of	-Always used concrete objects or pictorial models	-One-to-one correspondence
-Convert from written to standard – word to digits	hundreds and tens when provided any	-Show two sets of concrete items – students	-Using the terminology "greater than, less than,
(This is introduced in 3 grade)	manipulative.	determine which set is greater	and equal to" is introduced in 1 st grade
-Write numbers in expanded notation – Ex: 357 =	-Represent the number 28 using 2 ten rods	-Students "build" the given numbers using base	-The TEKS specifies concrete objects.

300 + 50 + 7 (This is introduced in 3 rd grade) -Read and describe place and value (such as 31,465; the four is in the hundreds place and the value is 400) -Use symbols and words for "greater than" >, "less than" <, and "equal" = -Compare and order groups of numbers, include numbers with units Ex: 4 ft and 6 ft -Sequence numbers/ words such as populations and names of cities, from least to greatest -Use Tables (vertical and horizontal) that include data in various orders (descending, ascending, and no order) -Use number lines, money, concrete models, pictorial models, words, numbers and groups of numbers -Include non-examples	and 8 units; 1 ten rod and 18 units; and 28 units -Use manipulatives to build the numbers such as 624 and then describe the value of each of the numbers. Ex: 6 hundreds + 2 tens + 4 ones and write as (600+20+4) -Writing using numerals, not words. Number words are introduced in the 3 rd grade TEKS	ten blocks and then order them from least to greatest (or greatest to least) -The comparative symbols <> = are not introduced until 2 grade -Emphasize a larger quantity does not always reflect a greater value — value dependent on unit name (6 unit pieces are not greater than 1 ten unit) -Given the number 46, the student can count out that many objects, given 46 objects the student can count and write the numerical symbol that represents the quantity. -Compare and order whole numbers up to 75 using various tools including a 100s chart -Students compare numbers when keeping the ten value the same and change the ones ex. 87 and 83 -When given numbers such as 34, 35, and 36, in random order students are able to order the numbers.	-While students should orally count to 100, they only write, find, and show to 20Teacher shows an objects or a set of objects and students writes the number (not the word), verbally responds or find the matching number		
Vocabulary	Vocabulary	ocabulary Vocabulary			
Hundred thousands, Ten thousands, Thousands, hundreds, tens, ones, greater than, less than, equal to, standard form, written form, expanded form, number lines, comma, place value, digit, numeral, value	Hundreds, tens, ones, greater than, less than, equal to, HTO chart, hundreds chart, base ten pieces, standard form, expanded form, number lines	Whole number, digit, hundreds chart, objects, manipulatives, tens, ones, pictorial models, base ten pieces, value, relationship	Zero, number, set, ten rod, hundreds chart, objects, number line, manipulatives		
STAAR 2012					
SE # of Percent Dual Questions Coded					
1B 1 58% 14B					
STAAR 2013					
SE # of Percent Dual Questions Coded 1A 1 69%					
The number of people living in a city has a 3 in the hundreds place and a 1 in the ten-thousands place. Which number has a 3 in the hundreds place and a 1 in the ten-thousands place?					
F 318,297					
G 791,326					
H 219,305					
J 536,812	<u> </u>				

TEK:	TEK:	TEK:	TEK:	TEK: the student understands the importance of the skills required to manipulate symbols in order to solve problems and uses the necessary algebraic skills required to simplify algebraic expressions and solve equations and inequalities in problem situations -the student formulates equations and inequalities based on quadratic functions, uses a variety of methods to solve them, and analyzes the solutions in terms of the situation	TEK:	TEK: the student understands that different forms of numbers are appropriate for different situations
AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I	8 th Grade
SE:	SE:	SE:	SE:	SE: ALGII.2B – (S) use complex numbers to describe the solutions of quadratic equations graphically, tabular, and in real world application ALGII.8B – (S) analyze and interpret the solutions of quadratic equations using discriminants and solve quadratic equations using the quadratic formula	SE:	SE: 8.1A-(R) compare and order rational numbers in various forms including integers, percents, and positive and negative fractions and decimals 8.1B – select and use appropriate forms of rational numbers to solve real-life problems including those involving proportional relationships
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")			
Rationale	Rationale	Rationale	Rationale	Rationale (clarification of TEKS/SE)	Rationale	Rationale (clarification of TEKS/SE) -decimals-less than and greater than one, negative and positive -fractions-proper fractions, improper, mixed fractions (like and unlike denominators, positive and negative) -Percents – such as 150%, 33 1/3%, 73.1% -Squares (up to 20) and square roots (up to 400) -use numbers appropriate for real life application -arrange in order or place on number line -use a combination of the various forms of rational numbers including square roots
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary
STAAR 2012	STAAR 2012	STAAR 2012 SE # of Percent Dual Coded 1A 3 61% 15A				

STAAR 2013				STAAR 2013	STAAR 2013								
				SE	# of	Percent	Dual			SE	# of	Percent	Dual
					Questions		Coded				Questions		Coded
				2B	1	45%				1A	3	66%	
				8B	1	32%					1 3	0070	
				+	a quadratic equati		the expression	n below.		Which num	nbers from this list a	re less than -0.	94?
						<u>-25 :</u>	± √-100 25				$-\frac{15}{16}$, 0.24, -2.23, 9	$7\%, -2\frac{2}{5}, -0.95$
				Which of the	following is an eq	uivalent expres	sion?			$F -\frac{15}{16}, -$	-2.23, and -0.95		
				A $-1 \pm \frac{2i}{5}$						G −2.23,	$-2\frac{2}{5}$, and -0.95		
				B $-1 \pm 2i$ C $-25 \pm \frac{2}{5}$	<u>i</u>					H 0.24, –	$-\frac{15}{16}$, and -0.95		
				D $-25 \pm 2i$ J $-\frac{15}{16}$, 0.24, and -2.23									
				What is t	he solution s	et for $x^2 +$	4 - 6x2				students working on an assi		
				Wildelis	ne solution s	ec ioi x 4	4 - UX:				ven has completed 11% of t		
											d Tai has completed $\frac{1}{8}$ of the		
				A {-3:	$\pm i\sqrt{14}$					students in orde	er from least to greatest by	the amount of the assi	gnment they completed?
				l l	J					F Gwen, Mike,	Jorge, Tai		
				- (-	· /=)					G Tai, Jorge, M			
				B {-3:	± √5}					H Gwen, Jorge			
				•	•					J Tai, Mike, Gv The water levels	wen, Jorge s of five Texas lakes were me	sasured on the same da	y in 2010. The table below
				c {3 ±	$i\sqrt{14}$					shows the numb	ber of feet above or below no		
				- (3 ±								of Texas Lakes	
				D {3 ±	√5}						Conroe Amistad Richland Chambers Possum Kingdom Travis	Number of Feet or Below Normal 0.10 -2.65 0.16 -1.43 0.07	Apove Level
										Which list shows	s the numbers in the table fr	om greatest to least?	
										F -2.65, -1.4	3, 0.16, 0.10, 0.07		
										G 0.16, 0.10,	0.07, -1.43, -2.65		
											0.07, -2.65, -1.43		
											3, 0.07, 0.10, 0.16 istance from Earth to the	sun is about 9.3 v 10	⁷ miles. The average distance
										from Mars to ti		miles. When both pla	nets are at their average
										F 79,000,000) mi		
										G 47,000,000			
										H 107,000,00			
										3 233,000,00	00 mi		

TEK: the student understands the	TEK:	TEK: the student understands that different	TEK: the student represents and uses	TEK: the student represents and uses
importance of the skills required to		forms of numbers are appropriate for	numbers in a variety of equivalent forms	rational numbers in a variety of equivalent
manipulate symbols in order to solve		different situations		forms
problems and uses the necessary				
algebraic skills required to simplify				
algebraic expressions and solve				
equations and inequalities in problem				
situations				
-the student formulates equations and				
inequalities based on quadratic				
functions, uses a variety of methods to				
solve them, and analyzes the solutions				
in terms of the situation				

Algebra II	Algebra I	8 th Grade	7 th Grade	6 th Grade
SE: ALGII.2B – (S) use complex numbers to describe the solutions of quadratic equations graphically, tabular, and in real world application ALGII.8B – (S) analyze and interpret the solutions of quadratic equations using discriminants and solve quadratic equations using the quadratic formula	SE:	SE: 8.1A-(R) compare and order rational numbers in various forms including integers, percents, and positive and negative fractions and decimals 8.1B – select and use appropriate forms of rational numbers to solve real-life problems including those involving proportional relationships	SE 7.1B-(R)convert between fractions, decimals, whole numbers, and percents mentally, on paper or with a calculator 7.2A – (S)represent multiplication and division situations involving fractions and decimals with models, including concrete objects, pictures, words and numbers 7.2B – (R)use addition, subtraction, multiplication, and division to solve problems involving fractions and decimals	SE 6.1B-(R) generate equivalent forms of rational numbers including whole numbers, fractions, and decimals 6.2A – (S)model addition and subtraction situations involving fractions with objects, pictures, words and numbers 6.2B – (R)use addition and subtraction to solve problems involving fractions and decimals
Specifics	Specifics	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
		Solving proportions using equivalent fractions		Spiral fractions from 5 th grade into the beginning of the year
Rationale	Rationale	Rationale (clarification of TEKS/SE) -decimals-less than and greater than one, negative and positive -fractions-proper fractions, improper, mixed fractions (like and unlike denominators, positive and negative) -Percents – such as 150%, 33 1/3%, 73.1% -Squares (up to 20) and square roots (up to 400) -use numbers appropriate for real life application -arrange in order or place on number line -use a combination of the various forms of	Rationale (clarification of TEKS/SE) -fractions – unit fractions, proper fractions, improper, mixed numbers (with like and unlike denominators no larger than 12 without a calculator –include proportions and denominators of 100 to work with %s -connect fraction models to percents (models other than 100) -converting percents is a new concept for 7 grade -introducing using concrete models and tie the algorithm to the model	Rationale (clarification of TEKS/SE) -Include decimals < and > one -Include fractions such as unit fractions, proper fractions, improper and mixed numbers -Relate concrete models of decimal to fraction conversions / connect to algorithms -Change whole numbers to equivalent improper fractions -Students need to understand / explain that 9/5 is > 1 / < 2; specifically 1 4/5 or 1.8 -Use numbers appropriate for reallife application

		rational numbers including square roots			-model, record, draw and verbal/written description of the situation -multiplying and dividing fractions is a new concept in 7 th grade				-Include changing decimals to fractions / fractions to decimals -using like and unlike denominators 12 or less (w/o technology) -model, record, draw, mathematically describe (verbally/written) and evaluate the situations including proportions used/taken and portions remaining -require students to estimate before computing -add/subtract fractions and mixed numbers with like and unlike denominators 12 or less -connect algorithm to pictorial models -use strategies when adding and subtracting fractions including regrouping mixed numbers and converting to improper fractions -6 grade does not multiply/divide fractions				
Vocabulary	Vocabulary	Vocabu	ulary			Vocabu	ılary			Vocab		iaitipiy/ aivia	e mactions
,	,	Rational numbers, integers, percents, positive, negative, proportional relationships			Convert, percent, proportions, reciprocal				Equivalent, generate, common denominators				
STAAR 2012	STAAR 2012	STAAR		•		STAAR 2012				STAAR			
		SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual
			Questions		Coded		Questions		Coded		Questions		Coded
		1A	3	61%	15A	1B	3	44%	15A	1B	3	38%	13A
						2A	1	66%	13A	2A	1	43%	11D
						2B	3	53%	13A	2B	3	50%	11A,11B
STAAR 2013	STAAR 2013	STAAR	1			STAAR				STAAR	1	T	
SE # of Percent		SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual
Questions 2B 1 45%		1 1 1	Questions 3	660/	Coded	1 D	Questions	47%	Coded	1B	Questions 3	43%	Coded
2B 1 45% 8B 1 32%		1A	3	66%		1B 2B	3	50%	13A	2A	1	53%	13B 11D
OB 1 3270								3070	13A	2B	3	61%	11C,13B
The roots of a quadratic equation are given by the expression below.		Which n	umbers from this list	are less than -0.9	94?	A sports dri	nk contains 8% fruit juice. He	ow is this percent writte	n as a decimal?		f three students wr		
$\frac{-25 \pm \sqrt{-100}}{25}$			1	5	2	Record your correct place	answer and fill in the bubble value.	s on your answer docu	ment. Be sure to use the				
			_ <u>-</u> _1	5 , 0.24, -2.23, 97	%, -2=, -0.95 5	455 (0 0 55 \$155)				• Ni	ikole wrote $5\frac{2}{8} = \frac{2}{4}$	<u>'1</u> .	
Which of the following is an equivalent expression?		_ 15	2.22 and 0.05								ikole wrote $5\frac{2}{8} = \frac{2}{8}$ rik wrote $5.14 = \frac{21}{4}$	1	
A $-1 \pm \frac{2i}{5}$		16	, -2.23, and -0.93							• Er	1k wrote 5.14 =	•	
B $-1 \pm 2i$ C $-25 \pm \frac{2i}{5}$		G −2.2	-2.23, and $-0.95-2.23$, and -0.95							• Ke	eisha wrote $4\frac{1}{5} = \frac{2}{5}$	21 .	
D -25 ± 2 <i>i</i>		H 0.24	$-\frac{15}{16}$, and -0.95							Which	of these students v	vrote an equatio	n that is true?
		1 _15	0.24 and -2.23							F Nik	cole only		
		16	, v.24, and -2.23							G Nik	cole and Erik only		
										H Kei	sha only		
		<u>l</u>								J Nik	cole, Erik, and Keish	na	

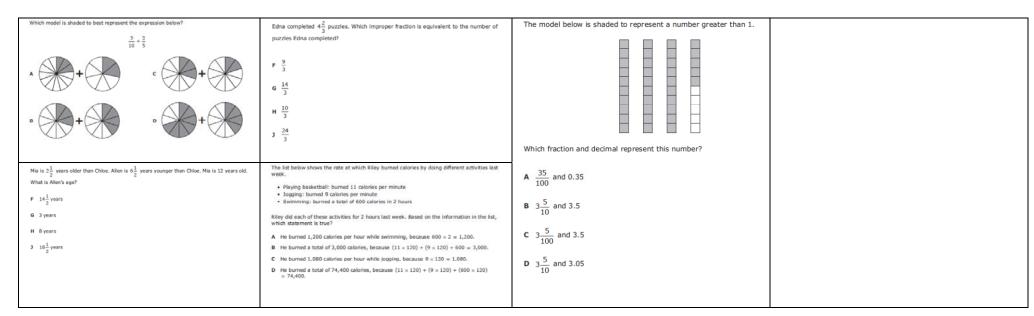
			16
What is the solution set for $x^2 + 4 = 6x$?	There are four students working on an assignment in a class. Mike has completed $\frac{1}{q}$ of the	The box below contains equivalent values.	Which number is equivalent to $\frac{13}{2}$?
	assignment, Gwen has completed 11% of the assignment, Jorge has completed 0.12 of the assignment, and Tai has completed $\frac{1}{8}$ of the assignment. Which of the following lists the	$3\frac{14}{40}$	2
$A \left\{-3 \pm i\sqrt{14}\right\}$	students in order from least to greatest by the amount of the assignment they completed? F Gwen, Mike, Jorge, Tal	335%	A 6.1, because $13 \div 2 = 6$ with a remainder of 1
B $\{-3 \pm \sqrt{5}\}$	G Tai, Jorge, Mike, Gwen H owen, Jorge, Mike, Tai J Tai, Mike, Gwen, Jorge	335 100	B $\frac{26}{2}$, because $13 \times 2 = 26$, and $2 \times 1 = 2$
c $\left\{3 \pm i\sqrt{14}\right\}$	The princip controls surger	3.35 3.70 200	C $6\frac{1}{2}$, because $13 \div 2 = 6$ with a remainder of 1
D $\{3 \pm \sqrt{5}\}$		Which number is equivalent to the values in the box?	_
		A 67/20	D 6.05, because $13 \div 2 = 6\frac{1}{2}$, and $\frac{1}{2} = 0.05$
		B 3.35%	A king snake is $\frac{31}{50}$ m long. What is an equivalent length of this king snake in meters? F 0.31 m
		c 6 ⁷ / ₂₀	G 3 1/50 m
		D 335	H 0.062 m 3 Not here
	The water levels of five Texas lakes were measured on the same day in 2010. The table below shows the number of feet above or below normal level for each lake.	Which two values are both equivalent to 240%?	Which model is shaded to best represent the expression below?
	Water Levels of Texas Lakes Lake Number of Feet Above	F 2.4 and $2\frac{2}{25}$	$\frac{3}{10} + \frac{2}{5}$
	Control Or Bellow Normal Level	G 2.4 and $2\frac{2}{5}$	^ → +
	Which list shows the numbers in the table from greatest to least? F -2.65, -1.43, 0.16, 0.10, 0.07 G 0.16, 0.10, 0.07, -1.43, -2.65	H 0.24 and $2\frac{2}{5}$	+++++++++++++++++++++++++++++++++++++++
	H 0.16, 0.10, 0.07, -2.65, -1.43 3 -2.65, -1.43, 0.07, 0.10, 0.16	J 0.24 and $2\frac{2}{25}$	
		Mc Stein is purchasing 2.25 pounds of meat that costs \$2.80 per pound. How much change should Mr. Stein receive if he gives the cashier \$20.007 F \$6.30	Mia is $2\frac{1}{2}$ years older than Chioe. Allen is $6\frac{1}{2}$ years younger than Chioe. Mia is 12 years old. What is Allen's age?
		G \$13.70	F $14\frac{1}{2}$ years
		H \$14.95 3 \$2.52	G 3 years
			M 8 years ${\bf J} = 10 \frac{1}{2} \text{ years}$
		Mr. Atkinson has $5\frac{1}{3}$ lb of dry fish food. He will put an equal amount of food into	$\frac{1}{2}$ 10 $\frac{1}{2}$ years Maria bought 8 cups of strawberries. She used $1\frac{1}{2}$ cups of the strawberries to make a salad
		4 3 containers. How much fish food will be in each container?	and $3\frac{3}{R}$ cups of the strawberries to make a pie. She needs 4 cups of strawberries to make milk shakes. Does Maria have enough strawberries left to make the milk shakes?
		A $1\frac{2}{3}$ lb	A. No, because $\theta = \left(3\frac{3}{8} + 1\frac{4}{8}\right) = 3\frac{1}{8}$, and $3\frac{1}{8} < 4$
		B 1 ³ / ₄ lb	B Yes, because $8 - 3\frac{3}{8} = 4\frac{5}{8}$, and $4\frac{5}{8} > 4$
		c 2 ¹ / ₄ lb	C No, because $\left[8-3\frac{3}{8}\right]-4=\frac{5}{8}$, and $\frac{5}{8}<4$
		D 83/4 lb	D Yes, because $8 + 3\frac{3}{8} + 1\frac{1}{2} = 12\frac{7}{8}$, and $12\frac{7}{8} > 4$
		Scott was $63\frac{1}{2}$ inches tall when he started seventh grade and $65\frac{1}{4}$ inches tall when he started eighth grade. How many inches did he grow during this time?	Mr. Lee mailed 3 packages. The greatest amount he paid to mail one of these packages was \$3.60. The least amount he paid to mail one of these packages was \$1.70. What could be the total amount Mr. Lee paid to mail the 3 packages?
		A $2\frac{5}{8}$ in.	A \$8.30 B \$11.50 C \$5.10
		B 1 ³ / ₄ in.	D \$10.80
		C 2 ½ in.	
		$\mathbf{D} = 1\frac{7}{8}$ in.	

TEK: the student represents and uses rational numbers in a variety of equivalent forms	TEK: the student uses fractions in problem- solving situations	TEK: the student describes and compares fractional parts of whole objects or sets of objects	TEK: the student uses fraction names and symbols (with denominators of 12 or less) to describe fractional parts of whole objects or sets of objects
6 th Grade	5 th Grade	4 th Grade	3 rd Grade

6 th Grade	5 th Grade	4 th Grade	3 rd Grade	
6.1B-(R) generate equivalent forms of rational numbers including whole numbers, fractions, and decimals 6.2A – (S)model addition and subtraction situations involving fractions with objects, pictures, words and numbers 6.2B – (R)use addition and subtraction to solve problems involving fractions and decimals	5E 5.2A – (R)generate a fraction equivalent to a given fraction such as ½ and 3/6 or 4/12 and 1/3 5.2B – (S)generate a mixed number equivalent to a given improper fraction or generate an improper fraction equivalent to a given mixed number 5.2C – (R)compare two fractional quantities in problem-solving situations using a variety of methods, including common denominators 5.2D – (S)use models to relate decimals to fractions that name tenths, hundredths, and thousandths 5.3E – (S)model situations using addition & subtraction involving fractions with like denominators using concrete objects, pictures, word, and numbers	SE 4.2A – (S)use concrete objects and pictorial models to generate equivalent fractions 4.2B – (S)model fraction quantities greater than one using concrete objects and pictorial models 4.2C – (S)compare and order fractions using concrete objects and pictorial models 4.2D – (R)relate decimals to fractions that name tenths and hundredths using concrete objects and pictorial models	SE 3.2A – construct concrete models of fractions 3.2B – compare fractional parts of whole objects or set of objects in a problem situation using concrete models 3.2C – (R)use fraction names and symbols to describe fractional parts of whole objects or sets of objects 3.2D – construct concrete models of equivalent fractions for fractional parts of whole objects	
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	
Spiral fractions from 5 th grade into the beginning of the year	Spiral fractions from 4 th grade into the beginning of the year	Always relate fractions back to is it closer to ¼, ½, ¾, etc. when comparing fractions Compare fractional parts Relate fractions to decimals	Always relate fractions back to is it closer to ¼, ½ ¾, etc. when comparing fractions Label number lines with 0/4, 1/4, 2/4 (1/2), 3/4, 4/4 ½ - the line is called the division bar	
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	
-Include decimals < and > one -Include fractions such as unit fractions, proper fractions, improper and mixed numbers -Relate concrete models of decimal to fraction conversions / connect to algorithms -Change whole numbers to equivalent improper fractions -Students need to understand / explain that 9/5 is > 1 / < 2; specifically 1 4/5 or 1.8 -Use numbers appropriate for real life	-generate a pattern of concrete fractions -students should explain the relationship between the concrete patterns -students should record the abstract fractions after the relationship is understand -solve problems/compare pairs of fractions and recognize simplified fractions -recognize fractions equal to, less than, and greater than one whole -Include parts of a whole and sets of objects -journals will assist in making the connection	-students generate a pattern of concrete fractions -explain the relationship between the concrete patterns -record the abstract fractions after the relationship is understood -solve problems/compare pairs of fractions and recognize equivalent fractions in simplest form -use non-examples -students need to relate the pictorial model to the abstract number	-include halves, thirds, fourths, fifths, sixths, eighths, tenths, twelfthsstudents must draw pictures of the models they construct and write the fraction symbol of the drawing -"constructing" fractions is a new conceptin previous grades, fractions have been preconstructed -the fraction symbol is new to 3 rd grade -compare fractions using the terminology and	

applica	ition			betwee	en the manipula	atives, pictu	res, and	-in the	representation	of one whol	e (one whole	symb	symbols; equal to, less than, and greater than			
-Includ	e changing dec	imals to frac	tions /	numbers			circle) the shaded fractional divisions do not have				/e -stud	-students need to work with circles, rectangles,				
fractio	ns to decimals			-stude	nts develop the	ir own proce	ess to convert	to be adjacent			sets,	sets, and multiple examples in solving problems				
-using	like and unlike	denominato	rs 12 or less	betwee	en forms of frac	ctions by wo	rking with	-recogn	ize objects gre	ater than on	e concretely	using	using models.			
(w/o te	echnology)			models	5			and pic	torially			-num	-numerator and denominator			
-model	l, record, draw,	mathematic	ally	-use pi	ctorial represer	ntations and	list equivalent	-impro	per fractions/m	nixed numbe	rs	-frac	tions written as t	wo-thirds, 2/	3, and 2 out of	
	e (verbally/wri			fractio				-studer	nts must build o	concrete mod	dels and draw					
situatio	ons including pr	oportions u	sed/taken		e problem-solv			the pict	torial represent	tations.		-sets	of objects as we	ll as a picture	of a bar in	
and po	rtions remainir	ıg		-do no	t teach 'cross p	roducts' for	checking	-teach '	'simplify' fracti	ons'reduce	' fractions	whic	h 1/3 is shaded			
-requir	e students to e	stimate befo	ore	equiva	lent fractions			indicate	es the value is o	changed		-stud	ents must conne	ct the concre	ete	
compu	ting			-stude	nts understand	the value of	f 1/1000 is the	-fractio	ns =, < and > o	ne whole		(mar	ipulatives) to the	e pictorial to	the abstract	
	ubtract fraction				s 0.001				re 2 fractions v			(num	ibers)			
like & ເ	unlike denomin	ators 12 or I	ess		problems such	•	•	_	nize simplest fo		ions	-Equ	valent fractions	are introduce	ed in 3 ^{ra} grade	
	ct algorithm to	•			d and the answe	er may be 0.	5 in the		g fractions to c			-Stud	lents build mode	Is and compa	are	
	rategies when a	-	_	decima	-	*1			models and pi			arrar	gements			
	ns including reg			-pictor	ial representati	ions of a 10°	of a circle and	-students should demonstrate 1/10 is the same			-emp	-emphasis on equivalent fractions is essential for				
	nverting to imp			a 10 th (of a 100ths grid	show equiv	alence	value as 0.1 and 1/100, 0.01			succ	success in working with fractions				
-6 ^{'''} gra	de does not m	ultiply or div	ide fractions					-decima	als are introduc	ced in 4 ^{'''}						
Vocabu				Vocabi	ulary			Vocabu	llary			Voca	Vocabulary			
Equiva	lent, generate,	common de	nominators	Equiva	lent, fraction, n	iumerator, d	lenominator,	Fraction	n, numerator, o	denominator	, whole, part	Fract	Fraction, numerator, denominator, halves, thirds,			
				part, w	hole, mixed nu	ımber, prope	er fraction,	equival	ent, mixed nur	nber, improp	er fraction,	fourt	fourths, fifths, sixths, eighths, tenths, twelfths,			
				improp	er fraction, rela	ationship, te	enths,	proper	fraction, halve	s, thirds, fou	rths, fifths,	fract	fraction bar, division bar, equivalent, sets			
				hundre	edths, thousand	iths, commo	on	sixths,	eighths, tenths	, twelfths, fr	action bar,					
				denom	inators, simple	st form, red	uce	division	ı bar							
STAAR	2012			STAAR	2012			STAAR	2012			STAA	R 2012			
SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual	
	Questions		Coded		Questions		Coded		Questions		Coded		Questions		Coded	
1B	3	38%	13A	2A	3	59%	14A	2A	1	76%	14D	20	3	78%		
2A	1	43%	11D	2C	2	55%	14B	2B	1	59%						
2B	3	50%	11A,11B	3E	1	77%	14D	2D	2	72%	14D					
STAAR	2013			STAAR	2013			STAAR	2013			STAA	R 2013			
SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual	
	Questions		Coded		Questions		Coded		Questions		Coded		Questions		Coded	
1B	3	43%	13B	2A	3	62%	14A,14B	2B	1	75%	16B	20	2	82%		
2A	1	53%	11D	2B	1	71%		2C	1	77%	15B					
2B	3	61%	11C,13B	2C	3	53%	14B,15B	2D	2	78%	14D					

Each of three students wrote an equation.	Kwan has a garden. If $\frac{7}{10}$ of the plants in his garden are daisies, which statement	The model below is shaded to represent a fraction greater than 1.	
• Nikole wrote $5\frac{2}{8} = \frac{21}{4}$. • Erik wrote 5.14 = $\frac{21}{4}$.	could be true? A Out of a total of 7 plants, 1 plant is a daisy. B Out of a total of 50 plants, 7 plants are daisies. C Out of a total of 35 plants, 15 plants are daisies. D Out of a total of 50 plants, 35 plants are daisies.		Indira shaded part of a figure, as shown below.
• Keisha wrote $4\frac{1}{5}=\frac{21}{4}$. Which of these students wrote an equation that is true? F Nikole only G Nikole and Erik only		Which fraction is represented by the model? F $\frac{9}{4}$, because 9 sections are shaded and each figure is divided into 4 equal sections G $\frac{9}{3}$, because there are 3 figures and 9 sections are shaded	What fraction of the figure is shaded?
H Keisha only		H $\frac{9}{12}$, because 9 sections are shaded and there are a total of 12 sections	н <u>6</u>
J Nikole, Erik, and Keisha	Antonia colored 36 of the 60 pictures in her coloring book. Which fraction is	$\frac{9}{2}$, because 9 sections are shaded and 2 figures are completely shaded	J = 1/6
Which number is equivalent to $\frac{13}{2}$?	NOT equivalent to the fraction of pictures Antonia colored?	The models below are shaded to represent two different fractions.	
A 6.1, because $13 \div 2 = 6$ with a remainder of 1	A $\frac{6}{10}$ B $\frac{3}{5}$		XXXXX
B $\frac{26}{2}$, because $13 \times 2 = 26$, and $2 \times 1 = 2$	c <u>*</u>	Which statement is true?	\$ \$ \$ \$ \$ \$
C $6\frac{1}{2}$, because $13 \div 2 = 6$ with a remainder of 1	D 18/30	$F = \frac{3}{7} > \frac{7}{12}$	What part of this group of alouare has quartly three leaves?
D 6.05, because $13 \div 2 = 6\frac{1}{2}$, and $\frac{1}{2} = 0.05$		G $\frac{3}{4} < \frac{7}{12}$ H $\frac{3}{7} < \frac{7}{12}$	What part of this group of clovers has exactly three leaves? A 2 out of 10 B 1 out of 8 C 2 out of 8
		7 12	D 8 out of 10
21		$\frac{3}{7} > \frac{4}{7} > \frac{5}{7}$	
A king snake is $\frac{31}{50}$ m long. What is an equivalent length of this king snake in meters?	Scott completed $\frac{4}{6}$ of a project on Saturday. Which fraction is equivalent to $\frac{4}{6}$?	The model below is shaded to represent $1\frac{4}{100}$.	
F 0.31 m G 3 1 m H 0.062 m	A $\frac{16}{24}$ B $\frac{8}{18}$		
3 Nothere	C 16/18 D 20/24		
Mr. Lee mailed 3 packages. The greatest amount he paid to mail one of these packages was \$3.60. The least amount he paid to mail one of these packages was \$1.70. What could be the	Every day a zookeeper feeds 4 adult gorillas a total of 160 lb of food. At this rate, how many	Which decimal does the model represent?	
total amount Mr. Lee paid to mail the 3 packages?	pounds of food would the zookeeper need every day to feed 6 adult gorillas? A 40 lb	F 1.04	
A \$8.30 B \$11.50	B 320 lb	G 1.4	
C \$5.10	C 240 lb D 80 lb	H 14.0	
D \$10.80	₩ 00 ID	J 1.004	



TEK: the student uses fraction names and symbols (with	TEK: the student describes how fractions are used to name parts	TEK: the student uses pairs of	TEK: the student
denominators of 12 or less) to describe fractional parts of whole	of whole objects or sets of objects	whole numbers to describe	recognizes that there are
objects or sets of objects		fractional parts of whole objects or	quantities less than a
		sets of objects	whole

3 rd Grade	2 nd Grade	1 st Grade	Kindergarten
SE 3.2A – construct concrete models of fractions 3.2B – compare fractional parts of whole objects or set of objects in a problem situation using concrete models 3.2C – (R)use fraction names and symbols to describe fractional parts of whole objects or sets of objects 3.2D – construct concrete models of equivalent fractions for fractional parts of whole objects Specifics (description of lesson, include any "tricks")	2.2A – (S)use concrete models to represent and name fractional parts of a whole object (with denominators of twelve or less) 2.2B – (S)use concrete models to represent and name fractional parts of a set of objects (with denominators of 12 or less) 2.2C – (S)use concrete models to determine if a fractional part of a whole is closer to 0, ½, or 1 Specifics (description of lesson, include any "tricks")	SE 1.2A – (S)separate a whole into two, three, or four equal parts and use appropriate language to describe the parts such as three out of four equal 1.2B – (R)use appropriate language to describe part of a set such as three out of eight crayons are red Specifics (description of lesson,	SE K.3A-(S)share a whole by separating it into two equal parts K.3B – (R)explain why a given part is half of the whole Specifics
Always relate fractions back to is it closer to ¼, ½, ¾, etc. when comparing fractions ½ - the line is called the division bar Rationale (clarification of TEKS/SE) Label number lines with 0/4, 1/4, 2/4 (1/2), 3/4, 4/4	Closer to 0, ½, or 1 on Number Line Part/Whole Fraction Man Continue the vocabulary of 'fair shares' from Kinder ½ - the line is called the division bar Fractional parts of whole objects and sets Rationale (clarification of TEKS/SE)	include any "tricks") Continue the vocabulary of 'fair shares' from Kinder ½ - the line is called the division bar Fractional parts of whole objects and sets Rationale (clarification of TEKS/SE)	½ - the line is called the division bar Always begin with a 'whole' Fractional parts of whole objects and sets Rationale (clarification of TEKS/SE)
-include halves, thirds, fourths, fifths, sixths, eighths, tenths, twelfthsstudents must draw pictures of the models they construct and write the fraction symbol of the drawing -"constructing" fractions is a new conceptin previous grades, fractions have been pre-constructed -the fraction symbol is new to 3 rd grade -compare fractions using the terminology and symbols; equal to, less than, and greater than -students need to work with circles, rectangles, sets, and multiple examples in solving problems using modelsnumerator and denominator -fractions written as two-thirds, 2/3, and 2 out of 3 -sets of objects as well as a picture of a bar in which 1/3 is shaded -students must connect the concrete (manipulatives) to the pictorial to the abstract (numbers)	-Example-using color tiles have students build a rectangle that is one half red and one half blue, build one that is one fourth red and three fourths blue. -Use language such as one out of three or one third when referring to various representationsIn 2 nd grade students use "manufactured" concrete objects ex. Fraction tiles, graham crackers scored into equal parts, color tiles to create fractional partsin 3 rd grade fraction symbols are introduced -recognize fractions as a part of a set, ex. Given 12 tiles with 5 red and 7 blue, students should be able to describe the tile colors by their fractional parts — a set where 5 out of 12 parts are red -only verbal descriptions ex. 1 out of 4 or one fourth are appropriate -use the word one half not the symbol ½ -closer to 1, ½, or 0 is to be done by concrete models	-Example- take a whole graham cracker – break into halves and then fourths -The symbol ½ is not used in first grade, language such as one out of two or one half are appropriate. Fraction symbols are first used in 3 rd gradeExample-give students concrete objects, such as color tiles, include three red and one blue. Ask, "what part of the tiles are red? What part of the color tiles are blue?" -refer to situations as three out of four are red and one out of four is	-At this level always start with a whole object -the symbol ½ is not used in Kindergarten -fraction symbols are first used in 3 grade -terminology used in Kindergarten is one half or one out of two

-Equivalent fractions are introduced in 3 rd grade -Students build models and compare arrangements -emphasis on equivalent fractions is essential for success in working with fractions	-example – using circular fractional pieces – give 4 one fifth pieces to students and have them compare to the representation of 0 circle, one half circle and one whole circle –avoid representations that are too close to ¼ or ¾	blue	
Vocabulary	Vocabulary	Vocabulary	Vocabulary
Fraction, numerator, denominator, halves, thirds, fourths, fifths, sixths, eighths, tenths, twelfths, fraction bar, division bar, equivalent, sets	Fraction, part, whole, sets, closer to, equal parts, out of, halves, fourths, thirds, eighths	Part, whole, fair shares, out of, halves, thirds, fourths, fraction	Part, whole, fair shares
STAAR 2012 SE # of Percent Dual Questions Coded 2C 3 78%	STAAR 2012	STAAR 2012	STAAR 2012
STAAR 2013 SE # of Percent Dual Questions Coded 2C 2 82%	STAAR 2013	STAAR 2013	STAAR 2013
Indira shaded part of a figure, as shown below. What fraction of the figure is shaded?			
F $\frac{2}{6}$ G $\frac{2}{8}$ H $\frac{6}{8}$			
33333			
XXXXX			
What part of this group of clovers has exactly three leaves?			
A 2 out of 10			
B 1 out of 8			
C 2 out of 8			
D 8 out of 10			

TEK:	TEK:	TEK:	TEK:	TEK: the student understands the importance of the skills required to manipulate symbols in order to solve problems and uses the necessary algebraic skills required to simplify algebraic expressions and solve equations and inequalities in problem situations -the student formulates equations and inequalities based on quadratic functions, uses a variety of methods to solve them, and analyzes the solutions in terms of the situation	TEK:	TEK: the student understands that different forms of numbers are appropriate for different situations
AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I	8 th Grade
SE:	SE:	SE:	SE:	SE: ALGII.2B – (S) use complex numbers to describe the solutions of quadratic equations graphically, tabular, and in real world application ALGII.8B – (S) analyze and interpret the solutions of quadratic equations using discriminants and solve quadratic equations using the quadratic formula	SE:	SE: 8.1A – (R) compare and order rational numbers in various forms including integers, percents, and positive and negative fractions and decimals 8.1B – (S) select and use appropriate forms of rational numbers to solve real-life problems including those involving proportional relationships
Specifics	Specifics	Specifics	Specifics	Specifics (description of lesson, include any "tricks")	Specifics	Specifics (description of lesson, include any "tricks")
Rationale	Rationale	Rationale	Rationale	Rationale (clarification of TEKS/SE)	Rationale	Rationale (clarification of TEKS/SE) -decimals-less than and greater than one, negative and positive -fractions-proper fractions, improper, mixed fractions (like and unlike denominators, positive and negative) -Percents – such as 150%, 33 1/3%, 73.1% -Squares (up to 20) and square roots (up to 400) -use numbers appropriate for real life application -arrange in order or place on number line -use a combination of the various forms of rational numbers including square roots -work should be shown in an organized format that reflects student's thinking and understanding -connect verbal, numeric, graphic, and symbolic representations of relationships -given a problem situation students explain which operation to use and support the choice with information from the problem situation -use problem situations and include fractions, decimals, percents, and integers

STAAR 2012 STAAR 2013 STA		Vocabulary						Vocabulary			Vocabulary	Vocabulary	Vocabulary	Vocabulary	
SE															
Questions Coded 1A 3 61% 15A 1B 1 68% 15A		STAAR 2012				STAAR 2012				2	STAAR 2	STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012
TA 3 61% 15A 18 1 68% 15A 18 18 18 18 18 18 18 1		Dual	Percent	# of	SE										
STAAR 2013 SE # of Percent Dual Questions Coded Questions Questions Coded Questions Questions Coded Questions Coded Questions Coded Questions Questions Coded Questions Ques		Coded		Questions											
STAAR 2013 SE # of Questions Percent Dual Questions Coded Dual Coded		15A	61%	3	1A										
SE # of Percent Dual Coded 2B 1 45% SE # of Percent Dual Questions Coded 1A 3 66%		15A	68%	1	1B										
SE # of Percent Dual Coded 2B 1 45% SE # of Percent Dual Questions Coded 1A 3 66%				2013	STAAR	STAAR 2013				3	STAAR 2	STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013
Questions Coded 2B 1 45% 1A 3 66%	\neg	Dual	Percent				ıl.	Dı	Percent	# of	SE				
2B 1 45% 1A 3 66%															
			66%		1A				45%		2B				
		15A			1B				32%		 				
The roots of a quadratic equation are given by the expression below. Which numbers from this list are less than -0.94?							ion below.	the expre							
$\frac{-25 \pm \sqrt{-100}}{25}$ $\frac{-15}{16}, 0.24, -2.23, 97\%, -2\frac{2}{5}, -0.95$		$-2\frac{2}{5}$, -0.95	0.24, -2.23, 97%,	$-\frac{15}{16}$,											
Which of the following is an equivalent expression? $ F = \frac{15}{16}, -2.23, \text{ and } -0.95 $				−2.23, and −0.95	$F - \frac{15}{16}$			sion?	quivalent express	following is an ed					
A $-1 \pm \frac{2i}{5}$ B $-1 \pm 2i$				$1, -2\frac{2}{5}$, and -0.95	G −2.23										
C $-25 \pm \frac{2i}{5}$ H 0.24 , $-\frac{15}{16}$ and -0.95				$-\frac{15}{16}$, and -0.95	H 0.24,										
D $-25 \pm 2i$ J $-\frac{15}{16}$, 0.24, and -2.23										D −25 ±					
What is the solution set for $x^2 + 4 = 6x$?						6x?	+ 4 =	set for x2	he solutior	What is					
		assignment, Gwen has completed 11% of the assignment, Jorge has completed 0.12 of the assignment, and Tai has completed $\frac{1}{n}$ of the assignment. Which of the following lists the													
students in order from least to greatest by the amount of the assignment they complete		assignment, and Tai has completed $\frac{1}{8}$ of the assignment. Which of the following lists the students in order from least to greatest by the amount of the assignment they completed							(. / <u></u>)	. (
$A = \{-3 \pm i \sqrt{14}\}$	7.	7.			506050200019k0000					± <i>i</i> √14}	A {-				
F Gwen, Pilike, Jorge, Tai															
B $\left\{-3\pm\sqrt{5}\right\}$										<u></u> √5}	в {-				
J ia, Mike, Gwen, Jorge										,					
The water levels of five Texas lakes were measured on the same day in 2010. The table below shows the number of feet above or below normal level for each lake.	*	1010. The table below	sured on the same day in 2 mail level for each lake.	els of five Texas lakes were mea nber of feet above or below nor	The water levi					$i\sqrt{14}$	c \2				
Water Levels of Texas Lakes		_		Water Levels of	_					, 114	د ره				
Lake Number of Feet Above or Below Normal Level		e H	or Below Normal Leve	100000						<i>_</i>					
The water levels of five Exast slakes were measured on the same day in 2010. The table below shows the number of rest above or below moral level for each lake. Water Levels of Texas Lakes Lake Number of Feet Above or Below Normal Level Conroe 0.10 Anistad -2.65 Richland Chambers 0.16 Posum Ningdom -1.43 Travis 0.02 Travis 0.02			-2.65 0.16 -1.43	Amistad Richland Chambers Possum Kingdom						√5}	D {3				
Which list shows the numbers in the table from gnatest to least?					Which list sho										
F = 2.65, =1.43, 0.16, 0.10, 0.07			- James to Heat												
G 0.15, 0.10, 0.07, -1.43, -2.55				0.07, -1.43, -2.65	G 0.16, 0.10										
H 0.16, 0.10, 0.07, -2.65, -1.43 3 -2.65, -1.43, 0.07, 0.10, 0.16															
				Account to the											
To make 6 glasses of lemonade, Karla uses $\frac{1}{2}$ cup of sugar, $\frac{1}{2}$ cup of lemon juice, and	d	of lemon juice, and	es $\frac{1}{2}$ cup of sugar, $\frac{1}{2}$ cup	lasses of lemonade, Karla use	To make 6 g										
$5\frac{1}{2}$ cups of water: If Karla wants to make 10 glasses of lemonade, which proportion can sh			10 glasses of lemonade,	rater. If Karla wants to make	$5\frac{1}{2}$ cups of v										
use to determine how many cups of water, w, she will need?			r, w, she will need?												
$F = \frac{6.5}{w}$															
$G = \frac{10}{6.5} = \frac{10}{w}$ $H = \frac{10}{5.5} = \frac{6}{w}$															
$\frac{n}{5.5} = \frac{10}{w}$															

TEK: the student understands the	TEK:	TEK: the student understands that different	TEK: the student represents and uses	TEK: the student represents and uses
importance of the skills required to		forms of numbers are appropriate for	numbers in a variety of equivalent forms	rational numbers in a variety of equivalent
manipulate symbols in order to solve		different situations		forms
problems and uses the necessary				
algebraic skills required to simplify				
algebraic expressions and solve				
equations and inequalities in problem				
situations				
-the student formulates equations and				
inequalities based on quadratic				
functions, uses a variety of methods to				
solve them, and analyzes the solutions in				
terms of the situation				

Algebra II	Algebra I	8 th Grade	7 ^{tn} Grade	6 th Grade
SE: ALGII.2B – (S) use complex numbers to describe the solutions of quadratic equations graphically, tabular, and in real world application ALGII.8B – (S) analyze and interpret the solutions of quadratic equations using discriminants and solve quadratic equations using the quadratic formula	SE:	SE: 8.1A – (R) compare and order rational numbers in various forms including integers, percents, and positive and negative fractions and decimals 8.1B – (S) select and use appropriate forms of rational numbers to solve real-life problems including those involving proportional relationships	SE 7.1A – (S) compare and order integers and positive rational numbers 7.1B – (R) convert between fractions, decimals, whole numbers, and percents mentally, on paper, or with a calculator 7.2A – (S) represent multiplication and division situations involving fractions and decimals with models, including concrete objects, pictured, words, and numbers 7.2B – (R) use addition, subtraction, multiplication, and division to solve problems involving fractions and decimals 7.2C – (S) use models, such as concrete objects, pictorial models, and number lines, to add, subtract, multiply, and divide integers	SE 6.1A – (S) compare and order non-negative rational numbers 6.1B – (R) generate equivalent forms of rational numbers including whole numbers, fractions, and decimals 6.1C – (S) use integers to represent real-life situations 6.2B – (R) use addition and subtraction to solve problems involving fractions and decimals 6.3B – (S) represent ratios and percents with concrete models, fractions, and decimals
Specifics (description of lesson, include any "tricks")	Specifics	Specifics (description of lesson, include any "tricks")	and connect the actions to algorithms Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
		-decimals-less than and greater than one, negative and positive -fractions-proper fractions, improper, mixed fractions (like and unlike denominators, positive and negative) -Percents – such as 150%, 33 1/3%, 73.1% -Squares (up to 20) and square roots (up to	-integers, decimals percents — < or > 1 -only positive decimals and fractions -include numerical and written expressions to compare numbers -identify equivalent fractions, decimals, percents and integers -arrange in order on a number line (horizontal	Include decimals one -Include fractions such as unit fractions, proper fractions, improper and mixed numbers -Relate concrete models of decimal to fraction conversions / connect to algorithms -Students need to understand / explain that

		applica -arrang -use a c rationa -work s format unders -conne symbol -given a which c choice situatic -use pr	-use numbers appropriate for real life application -arrange in order or place on number line -use a combination of the various forms of rational numbers including square roots -work should be shown in an organized format that reflects student's thinking and understanding -connect verbal, numeric, graphic, and symbolic representations of relationships -given a problem situation students explain which operation to use and support the choice with information from the problem situation -use problem situations and include fractions, decimals, percents, and integers -use numbers approapplication -comparing negative 7th grade -percent in decimal -include proportions to work with %s -connect fraction monother than 100) -converting percents grade -multiplying and divifractions are introdu-model operations of including; number life color tiles, include proportions to work with %s -connect fraction monother than 100) -converting percents grade -multiplying and divifractions, are introdu-model operations of including; number life application						ne hundred nators of 100 nts (models cept for 7 th and de bjects counters,	-Use numbers appropriate for real life application -Include changing decimals to fractions / fractions to decimals -use examples such as temperature, loss /gain, above/below sea-level, up/down elevations, deposit/withdrawal -write number sentences that connects to problem situation -integer: any whole number and its opposit (this does not include fractions/ decimals) -require students to estimate before computing -focus on the equivalent and proportional relationships -use decimals less than and greater than one						
Vocabulary	Vocabulary			bulary				abulary				abulary				
			Rational numbers, integers, percents, positive, negative, proportional relationships Integers, rational numbers, percents, algorithms, positive, negative, proportions							Rational number, equivalent form, integers, ratios, percents, repeating decimal, repeat bar, terminating decimal						
STAAR 2012	STAAR 2012	STAAR		1	, ,		STAAR 2012				2012	, ,	-			
		SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded			
		1A	3	61%	15A	1B	3	44%	15A	1A	1	37%	coueu			
		1B	1	68%	15A	2A	1	66%	13A	1B	3	38%	11A,13A			
					_	2B	3	53%	13A	2B	3	50%	11A,11B			
STAAR 2013	STAAR 2013	STAAR	2013			2C STAAR	2013	43%	14A	3B						
SE # of Percent Dual	31AAN 2013	SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual			
Questions Coded			Questions		Coded		Questions		Coded		Questions		Coded			
2B 1 45% 8B 1 32%		1A	3	66%	45:	1A	1	64%		1A	1	50%	13A			
		1B	1	64%	15A	1B 2B	3	47% 50%	13A	1B 1C	3	43% 80%	13B 12A			
							<u> </u>	J070	137	2B	3	61%	11C,13B			
										3B	1	76%				
The roots of a quadratic equation are given by the expression below.		Which n	umbers from this list	are less than -0.9	4?	Which li	st of numbers is i	n order from gr	eatest to least?	The number	rs in each set shown below ha Set S	ve a common characterist Set T	-			
$\frac{-25\pm\sqrt{-100}}{25}$ Which of the following is an equivalent expression?				, 0.24, -2.23, 97	$\frac{2}{5}$, -0.95	F −5,	$0, \frac{1}{4}, 2, \frac{7}{3}, 6$				0.8 60 100	0.4	20 100			
A $-1 \pm \frac{2i}{5}$ B $-1 \pm 2i$		10	-2.23, and -0.95			G 6, -5, $\frac{7}{3}$, 2, $\frac{1}{4}$, 0					<u>5</u> 0.57	4/9	0.04			
$\begin{array}{c} C & -25 \pm \frac{2i}{5} \\ D & -25 \pm 2i \end{array}$		$3, -2\frac{2}{5}$, and -0.95 $-\frac{15}{16}$, and -0.95			H $\frac{7}{3}$, 6, 2, $\frac{1}{4}$, 0, -5				Which statement best describes a common characteristic of the numbers in Set S or Set T? F Each number in Set T is less than $\frac{1}{4}$.							
			16, 0.24, and –2.23			J 6, $\frac{7}{3}$, 2, $\frac{1}{4}$, 0, -5				G Each number in Set S is less than 0.65. H Cach number in Set T is greater than $\frac{1}{2}$.						
	16, 11, 11							3 7				2 3 Each number in Set S is greater than 0.5.				

What is the solution set for $x^2 + 4 = 6x$?	There are four students working on an assignment in a class. Mike has completed $\frac{1}{9}$ of the	A sports drink contains 8% fruit juice. How is this percent written as a decimal?	Each of three students wrote an equation.
	assignment, Gwen has completed 11% of the assignment, Jorge has completed 0.12 of the	Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.	0.04
A [2 + : []	assignment, and Tai has completed $\frac{1}{8}$ of the assignment. Which of the following lists the students in order from least to greatest by the amount of the assignment they completed?		• Nikole wrote $5\frac{2}{8} = \frac{21}{4}$.
A $\{-3 \pm i\sqrt{14}\}$			
(, , , , , ,)	F Gwen, Mike, Jorge, Tai		• Erik wrote $5.14 = \frac{21}{4}$.
B $\{-3 \pm \sqrt{5}\}$	G Tai, Jorge, Mike, Gwen H Gwen, Jorge, Mike, Tai		7
	3 Tai, Mike, Gwen, Jorge		• Keisha wrote $4\frac{1}{5} = \frac{21}{4}$.
c $\left\{3 \pm i\sqrt{14}\right\}$			5 4
			Which of these students wrote an equation that is true?
D $\{3 \pm \sqrt{5}\}$			Which of these statemes mote an equation that is true.
(' - ' ')			F Nikole only
			G Nikole and Erik only
			H Keisha only
		The hard helius and sine and indeed on the	J Nikole, Erik, and Keisha
	The water levels of five Texas lakes were measured on the same day in 2010. The table below shows the number of feet above or below normal level for each lake.	The box below contains equivalent values.	Which number is equivalent to $\frac{13}{2}$?
	Water Levels of Texas Lakes		2
	Lake Number of Feet Above or Below Normal Level	3 14 40	A 6.1, because $13 \div 2 = 6$ with a remainder of 1
	Conroe 0.10 Amistad -2.65	335%	
	Richland Chambers 0.16 Possum Kingdom -1.43	225	26 .
	Travis 0.07	335 100	B $\frac{26}{2}$, because $13 \times 2 = 26$, and $2 \times 1 = 2$
	Which list shows the numbers in the table from greatest to least?		
	F -2.65, -1.43, 0.16, 0.10, 0.07 G 0.16, 0.10, 0.07, -1.43, -2.65	3 35 3 <u>70</u>	C $6\frac{1}{2}$, because $13 \div 2 = 6$ with a remainder of 1
	H 0.16, 0.10, 0.07, -2.65, -1.43	3.35	2 / Secarate 15 ; 2 = 5 mail a remainder of 1
	3 -2.65, -1.43, 0.07, 0.10, 0.16		
		Which number is equivalent to the values in the box?	D 6.05, because $13 \div 2 = 6\frac{1}{2}$, and $\frac{1}{2} = 0.05$
		67	A king snake is $\frac{31}{50}$ m long. What is an equivalent length of this king snake in meters?
		A 67/20	F 0.31 m
		B 3.35%	G 3 1 m
		7	H 0.062 m
		$c = 6\frac{7}{20}$	J Not here
		D 335	
	To make 6 glasses of lemonade, Karla uses $\frac{1}{2}$ cup of sugar, $\frac{1}{2}$ cup of lemon juice, and	Which two values are both equivalent to 240%?	At 8:00 A.M., 26 children were at a day care. By 3:00 P.M., 12 of these children were no longer at the day care. Which integer best regreserts the change in the number of children at the day care from 8:00 A.M. to 3:00 P.M.?
	5 ½ cups of water. If Karla wants to make 10 glasses of lemonade, which proportion can she		F +26
	use to determine how many cups of water, w, she will need?	E 24 and 22	G +12
	$F = \frac{6.5}{6} = \frac{10}{W}$	F 2.4 and $2\frac{2}{25}$	H -26 J -12
	$G \frac{6}{6.5} = \frac{10}{w}$		
		G 2.4 and $2\frac{2}{5}$	Mia is $2\frac{1}{2}$ years older than Chloe. Allen is $6\frac{1}{2}$ years younger than Chloe. Mia is 12 years old. What is Allen's age?
	$H \frac{10}{5.5} = \frac{6}{w}$	5	
	$J = \frac{6}{5.5} = \frac{10}{w}$		F $14\frac{1}{2}$ years
	3.3 W	H 0.24 and $2\frac{2}{5}$	G 3 years
		5	H 8 years
			3 $18\frac{1}{2}$ years
		J 0.24 and $2\frac{2}{35}$	
		25 Mr. Stein is purchasing 2.25 pounds of meat that costs \$2.80 per pound. How much change	Mr. Lee mailed 3 packages. The greatest amount he paid to mail one of these packages was
		should Mr. Stein receive if he gives the cashier \$20.00?	\$3.60. The least amount he paid to mail one of these packages was \$1.70. What could be the total amount Mr. Lee paid to mail the 3 packages?
		F \$6.30 G \$13.70	A \$8.30
		G \$13.70 H \$14.95	8 \$11.50 6 \$5.10
		J \$2.52	D \$10.80
·			

		Mr. Atkinson has $5\frac{1}{4}$ lb of dry fish food. He will put an equal amount of food into 3 containers. How much fish food will be in each container? A $1\frac{2}{5}$ lb	Maria bought 8 cups of stramberries. She used $1\frac{1}{2}$ cups of the stramberries to make a safed and $3\frac{2}{\pi}$ cups of the stramberries to make a pie. She needs 4 cups of stramberries to make milk shakes. Does Maria have enough stramberries left to make the milk shakes?
		A 13/4 lb	A No, because $8 - \left(3\frac{2}{8} + 1\frac{4}{8}\right) = 3\frac{1}{8}$ and $3\frac{1}{8} < 4$ B Yes, because $8 - 3\frac{3}{8} = 4\frac{5}{8}$, and $4\frac{5}{8} > 4$
		C 2 ¹ / ₄ lb D 8 ³ / ₂ lb	C No, because $\left(8-3\frac{3}{\theta}\right)-4=\frac{5}{\theta}$, and $\frac{5}{\theta}<4$ D Yes, because $6+3\frac{3}{8}+1\frac{1}{2}=12\frac{7}{8}$, and $12\frac{7}{8}>4$
		Scott was $63\frac{3}{6}$ inches tall when he started seventh grade and $65\frac{1}{4}$ inches tall when he started eighth grade. How many inches did he grow during this time?	The students in a science class spent 85% of their class period performing an experiment. What decimal is equivalent to 85%? Record your answer and fill in the bubbles on your answer document. Be sure to use the correct piace value.
		A $2\frac{5}{8}$ in. B $1\frac{3}{4}$ in.	Contract product states.
		c 2½ in.	
		D $1\frac{7}{8}$ in.	

Strand: Solving Problems with Real Numbers Using Equations and Their Properties (Decimals)

relationships

-use decimals less than and greater than one

TEK: the student represents and uses rational numbers in a variety of equivalent forms	TEK: the student uses place value to represent whole numbers and decimals	TEK: the student uses place value to represent whole number and decimals	TEK: the student uses place value to communicate about increasingly large numbers in verbal and written form, including money
6 th Grade	5 th Grade	4 th Grade	3 rd Grade
SE 6.1A – (S) compare and order non-negative rational numbers 6.1B – (R) generate equivalent forms of rational numbers including whole numbers, fractions, and decimals 6.1C – (S) use integers to represent real-life situations 6.2B – (R) use addition and subtraction to solve problems involving fractions and decimals 6.3B – (S) represent ratios and percents with concrete models, fractions, and decimals	SE 5.1B – (S) use place value to read, write, compare, and order decimals through the thousandths place 5.2D – (S) use models to relate decimals to fractions that name tenths, hundredths, and thousandths 5.3A – (R) use addition and subtraction to solve problems involving whole numbers and decimals	SE 4.1B – (R) use place value to read, write, compare, and order decimals involving tenths and hundredths, including money, using concrete objects and pictorial models 4.2D – (R) relate decimals to fractions that name tenths and hundredths using concrete objects and pictorial models 4.3B – (S) add and subtract decimals to the hundredths place using concrete objects and pictorial models	SE (COINS) 3.1C – (S) determine the value of a collection of coins and bills
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
		Decimal means "and"	Decimal means "and"
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
Include decimals one -Include fractions such as unit fractions, proper fractions, improper and mixed numbers -Relate concrete models of decimal to fraction conversions / connect to algorithms -Students need to understand / explain that 9/5 is > 1 / < 2; specifically 1 4/5 or 1.8 -Use numbers appropriate for real life application -Include changing decimals to fractions / fractions to decimals -use examples such as temperature, loss /gain, above/below sea-level, up/down elevations, deposit/withdrawal -write number sentences that connects to problem situation -integer: any whole number and its opposite (this does not include fractions/ decimals) -require students to estimate before computing -focus on the equivalent and proportional	-Included non-examples -Compare and order groups of decimal numbers using numbers in a table and number lines -thousandths place is introduced in 5 th grade -use place and value -symbols such as 1/1000, 0.001 -students understand the value of 1/1000 is the same as 0.001 -solve problems such as a picture may show ½ shaded and the answer may be 0.5 -pictorial representations of 10 th of a circle and a 10 th of a 100ths grid show equivalency -students should write the process of solving problems -apply addition and subtraction concepts to decimals	-tables that include data in various orders -use number lines/money/concrete and pictorial models -include equivalent decimals 0.1=0.10 -compare a variety of whole numbers from 999,999,999 to numbers as small as hundredths -decimals are introduced in 4 th grade -relating fractions to decimals -record models and pictures -students should demonstrate 1/10 is the same value as 0.1 and 1/100, 0.01 -students must build concrete objects, draw pictorial models, and connect the abstract numbers -apply addition/subtraction concepts -adding and subtracting decimals are introduced in 4 th grade	-pennies, nickels, dimes, quarters, half-dollars (seldom used) -dollar bills \$1, \$5, \$10, and \$20 -students recognize currency such as two one dollar bills equals \$2.00 and 3 quarters with 4 pennies equals 79 cents -children should recognize both the front and back of coins and bills

Vocab	ulary				Vocab	ulary				Vocab	ulary			Voc	abulary		
Ration	al number, equ	uivalent forn	n, integers,		Decim	al point, tenth	s, hundredt	hs, thousandth	ıs	Decim	al point, tenth	s, hundredt	hs	Moi	ney, coin, penny	nickel, dime	, quarter,
ratios,	percents, repe	eating decim	al, repeat bar	·,											half dollar, dollar, value, collection, decimal		
termin	ating decimal													poir	nt		
STAAR	2012				STAAR	2012				STAAR	2012		_	STA	AR 2012		
SE	# of	Percent	Dual		SE	# of	Percent	Dual		SE	# of	Percent	Dual	SE	# of	Percent	Dual
	Questions		Coded			Questions		Coded			Questions		Coded		Questions		Coded
1A	1	37%			3A	3	64%	14A,16A,		2D	2	72%	14D	10	1	72%	14A
1B	3	38%	11A,13A					14C		3B	1	80%	14D				
2B	3	50%	11A,11B														
3B	1	33%	11B														
STAAR	2013				STAAR	2013				STAAR	2013			STA	AR 2013		
SE	# of	Percent	Dual		SE	# of	Percent	Dual		SE	# of	Percent	Dual				
	Questions		Coded			Questions		Coded			Questions		Coded				
1A	1	50%	13A		1B	1	60%	14A		2D	2	78%	14D				
1B	3	43%	13B		3A	3	65%	14A,14B									
1C	1	80%	12A														
2B	3	61%	11C,13B														
3B	1	76%															
The number	ers in each set shown below	v have a common char	acteristic.		Alberto ra	n a race in 17.6 second reater than 17.6 seconds	s. Jake ran the race but less than 18.30	in 18.307 seconds. Whice of seconds?	h race	The mo	del below is shade	ed to represent	14/00.				
	Set S		Set T		A 17.054					100							
	0.8 60	$0.8 \qquad \frac{60}{100} \qquad 0.4 \qquad \frac{20}{100}$			B 18.4 s												
	100				0.4 20 100			C 17.39 s									
	D 18.21 5																
	9 0.57	49	0.04														
										Which o	decimal does the n	nodel renresent	?				
Which stat	ement best describes a con	mmon characteristic of	the numbers in Set S or	r Set T?		s 145.25 kilometers fro ston. What is the differe		Sharon lives 209.5 kilom two distances?	neters	Which decimal does the model represent?							
F Each no	umber in Set T is less than	$\frac{1}{4}$.			F 64.25					F 1.04							
G Each no	umber in Set S is less than	0.65.			G 54.35	km				G 1.4							
H Each o	umber in Set T is greater th	nan 1			H 124.30					H 14.0							
		-			J 144.3	5 km				J 1.00	4						
	umber in Set S is greater the of three students		ation							The most	el below is shaded to	represent a num	her greater than 1				
Eacil	or timee students	wrote an equ	auon.					tic to make a design.		THE HIOC	el below is shaded to		ber greater than 1.				
		21				ised 84 green pieces ised 20 more green i		than blue pieces of pla	astic.								
• Nikole wrote $5\frac{2}{8} = \frac{21}{4}$. • He used 20 more green pieces of plastic than blue pieces of plastic. • He used 15 more red pieces of plastic than blue pieces of plastic.																	
		21			What is	the number of red pi	ieces of plastic Al	ex used?									
• Erik wrote $5.14 = \frac{21}{4}$. What is the number of red pieces A 79												\exists					
	1	21			B 89	NAME OF THE PARTY											
• K	eisha wrote $4\frac{1}{5}$	$={4}$.			C 49												
					D 119					Which fr	action and decimal re	present this numl	per?				
Miletele	of the constitutions																

	Lisa cut a rope that was 19.75 meters long into 3 pieces. The first piece of rope was 6.4 meters long, and the second piece of rope was 4.36 meters long. How long was	
	the third piece of rope?	
	A 10.76 m	
	B 8.99 m	
	C 30.51 m	
	D 9.35 m	
Which number is equivalent to $\frac{13}{2}$?		
A 6.1, because $13 \div 2 = 6$ with a remainder of 1		
B $\frac{26}{2}$, because $13 \times 2 = 26$, and $2 \times 1 = 2$		
C $6\frac{1}{2}$, because $13 \div 2 = 6$ with a remainder of 1		
_		
D 6.05, because $13 \div 2 = 6\frac{1}{2}$, and $\frac{1}{2} = 0.05$		
A king snake is $\frac{31}{50}$ m long. What is an equivalent length of this king snake in meters?		
F 0.31 m		
G 3 1 m		
H 0.062 m		
J Not here At 8:00 a.w., 26 children were at a day care. By 3:00 a.w., 12 of these children were no longer at the day care. Which integer best represents the change in the number of children at the		
day care from 8:00 A.H. to 3:00 AH.?		
F +26 G +12		
H -26		
J -12		
Mia is $2\frac{1}{2}$ years older than Chloe. Allen is $6\frac{1}{2}$ years younger than Chloe. Mia is 12 years old.		
What is Allen's age?		
F $14\frac{1}{2}$ years		
G 3 years		
H 8 years		
J 18 1/2 years		
Maria bought 8 cups of strawberries. She used $1\frac{1}{2}$ cups of the strawberries to make a salad		
and $3\frac{3}{8}$ cups of the strawberries to make a pie. She needs 4 cups of strawberries to make		
8 milk shakes. Does Maria have enough strawberries left to make the milk shakes?		
A No, because 8 $=$ $\left(3\frac{3}{8}+1\frac{4}{8}\right)=3\frac{1}{8}$, and $3\frac{1}{8}<4$		
B Yes, because $8-3\frac{3}{8}=4\frac{5}{8}$, and $4\frac{5}{8}>4$		
C No, because $\left\{8-3\frac{3}{8}\right\}-4=\frac{5}{8}$, and $\frac{5}{8}<4$		
D Yes, because 8 + 3 $\frac{3}{8}$ + 1 $\frac{1}{2}$ = 12 $\frac{7}{8}$, and 12 $\frac{7}{8}$ > 4		

Mr. Lee mailed 3 packages. The greatest amount he paid to mail one of these packages was \$3.60. The least amount he paid to mail one of these packages was \$1.70. What could be the total amount Mr. Lee paid to mail the 3 packages?		
A \$8.30		
B \$11.50		
C \$5.10		
D \$10.80		
The students in a science class spent 85% of their class period performing an experiment. What decimal is equivalent to 85%?		
Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.		

TEK: the student uses place value to	TEK: the student understands how place value is used	TEK: the student uses whole numbers to describe and compare	TEK:
communicate about increasingly large numbers in	to represent whole numbers	quantities	
verbal and written form, including money			

3 rd Grade	2 nd Grade	1 st Grade	Kindergarten
SE (COINS) 3.1C – (S) determine the value of a collection of coins and bills	SE (COINS) 2.3D – (R) determine the value of a collection of coins up to one dollar 2.3E – (S) describe how the cent symbol, dollar symbol, and the decimal point are used to name the value of a collection of coins	SE (COINS) 1.1C – (S) identify individual coins by name and value and describe relationships among them	SE:
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics
	Use hundreds chart as intervention – students skip count using dimes by 10s, using nickels by 5s Students must memorize 1 quarter = 25¢, 2 quarters = 50¢, 3 quarters = 75¢ and 4 quarters = \$1	Teach students how to read numbers correctly – ex: choral reading Identify individual coins by name/value Describe relationships between coins Match coins – name/value Use hundreds chart as intervention – students skip count using dimes by 10s, using nickels by 5s Use the cent symbol (¢)	Coins are moving down to Kinder Identify coins by name
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale
-pennies, nickels, dimes, quarters, half-dollars (seldom used) -dollar bills \$1, \$5, \$10, and \$20 -students recognize currency such as two one dollar bills equals \$2.00 and 3 quarters with 4 pennies equals 79 cents -children should recognize both the front and back of coins and bills	-use real life and age appropriate examples and situations that are meaningful to studentsuse concrete models with applications -use dimes, pennies, nickels and quarters – half dollar pieces are seldom used2 grade is the first time students add coins	-match pictures of coins to the name and value, such as the picture of a nickel would be matched to 'nickel' or 5¢ -pennies, nickels, dimes and quarters will be used -physical characteristics such as identifying coins by color and size -relationships between values such as five pennies are the same as one nickel. -the size of the coin does not necessarily correspond to value -no adding of mixed money -1 grade is the first time coins/money is introduced	
Vocabulary	Vocabulary	Vocabulary	Vocabulary
Money, coin, penny, nickel, dime, quarter, half dollar, dollar, value, collection, decimal point STAAR 2012 SE # of Percent Dual	Money, coins, penny, nickel, dime, quarter, half dollar, collection, value, cent symbol, decimal point STAAR 2012	Money, coins, penny, nickel, dime, quarter, relationship STAAR 2012	Penny, nickel, dime, quarter, money, coin STAAR 2012
Questions Coded 1C 1 72% 14A STAAR 2013 3 3 4 4	STAAR 2013	STAAR 2013	STAAR 2013

TEK:	TEK: the	TEK: the	TEK:	TEK:	TEK: the student understands the importance of the	TEK: the student selects and uses appropriate operations to
	student	student uses			skills required to manipulate symbols in order to solve	solve problems and justify solutions
	interprets the	functional			problems and uses the necessary algebraic skills	
	meaning of the	relationships			required to simplify algebraic expressions and solve	
	symbolic	to solve			equations and inequalities in problem situations	
	representations	problems				
	of functions	related to				
	and operations	personal				
	on functions to	income.				
	solve					
	meaningful					
	problems					

AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I	8 th Grade
SE:	SE PC.2B – perform operations including composition on functions, find inverses, and describe these procedures and results verbally, numerically, symbolically, and graphically	SE MMA.5B – solve problems, given in real life contexts, which involves personal taxes	SE:	SE:	SE: ALG.4A – (R) find specific function values; add, subtract, multiply or divide to simplify polynomial expressions, transform and solve equations, including factoring as necessary in problem situations which are expressed in verbal, algebraic, or pictorial (algebra tiles) representations ALG.4B – (S) demonstrate pictorially and algebraically the commutative, associative, and distributive properties to simplify algebraic expressions	SE: 8.2A – (S)select appropriate operations to solve problems involving rational numbers and justify the selections 8.2B – (R)use appropriate operations to solve problems involving rational numbers in problem situations
Specifics	Specifics	Specifics	Specifics	Specifics	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale	Rationale	Rationale	Rationale	Rationale	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE) -work should be shown in an organized format that reflects student's thinking and understanding -connect verbal, numeric, graphic, and symbolic representations of relationships -given a problem situation students explain which operation to use and support the choice with information from the problem situation -use in problem situations and include fractions, decimals, percents, and integers -connect concrete/pictorial, verbal (written or oral), tabular (horizontal and vertical), and symbolic/numerical representations to problem situations

Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary			Vocabulary						
STAAR 2012			STAAR	2012										
					SE	# of	Percent	Dual		SE	# of	Percent	Dual	
						Questions		Coded			Questions		Coded	
					4A	3	58%			2A	1	59%	16B	
					4B	1	65%			2B	3	52%	14B,14C	
STAAR 2013	STAAF	_	T		7	STAAR	_	ı	ı .	7				
					SE	# of	Percent	Dual		SE	# of	Percent	Dual	
					10	Questions	470/	Coded	1		Questions	610/	Coded 16B	-
					4A 4B	3	47%		1	2A 2B	3	61% 54%		+
						L imeter of a rectangle is	60% 42 centimeters. Th	e length of the recta	ngle can be		ode her bicycle 18.2 mile		14A,14B determines that her	mean speed was less
					represe	nted by $(x + 4)$, and its ons of this rectangle in	width can be repre				miles per hour for this to			
						th = 10 and width = 1					ecause 1.4 added to 18			
						gth = 8 and width = 13				19000 10000 10000	ecause 18.2 multiplied to because 1.4 subtracted to			
					H Leng	gth = 6 and width = 15				250	pecause 18.2 divided by			
					J Leng	th = 12 and width = 9								
					Whic	h inequality is e	equivalent to	7x - 2y > 8	1?		Ralph paid \$12.95 for st, in dollars and cents,			tamps. What was the
											your answer and fill in			Be sure to use the
					F y	$>\frac{7}{2}x+8$				correct	place value.			
						2 9								
					G $y > -\frac{2}{7}x + \frac{8}{7}$									
					, ,									
					н	H $y < \frac{7}{2}x - 4$								
					11 / 2									
					2 4									
					J $y < -\frac{2}{7}x - \frac{4}{7}$									
					Which expression is equivalent to $-6x^2 - 11x - 4$?		Wendy h	ad 35 tickets for game	es at a carnival. Sh	e used 1 of the ticke	ts to play the hall-toss			
					Whic	n expression is	equivalent to	$-6x^{2} - 11x -$	- 4?	Wendy had 35 tickets for games at a carnival. She used $\frac{1}{5}$ of the tickets to play the ball-tos game. She then used $\frac{1}{2}$ of the remaining tickets to play the ring-toss game, in which she we				
					Δ (3x + 7)(3x - 3)				5 more tickets. How many tickets did Wendy have after playing these games?				
					, (, , , (on = 5)				A 7				
					В (-3x + 4)(2x - 1)	.)			B 19				
					c (C (3x-7)(3x+3)		C 14						
										D 28				
					D (D $(-3x-4)(2x+1)$								
					In which step below does a mistake first appear in simplifying the expression			s 12 feet of string. She						
					0.5(-12c+6) - 3(c+4) + 10(c-5)?		A 0.8 in			g., 60 p000	The second secon			
					Step 1: $-6c + 3 - 3(c + 4) + 10(c - 5)$		B 2 in.							
					Step 2: $-6c + 3 - 3c - 12 + 10(c - 5)$ Step 3: $-6c + 3 - 3c - 12 + 10c - 50$		C 4 in.							
							Step 4: 7c - 41			D 1.25	in.			
					A Ste	p 1								
					B Ste	p 2								
					C Ste	р 3								
					D Ste	p 4								

TEK: the student understands the importance of	TEK: the student selects and uses appropriate	TEK: the student adds, subtracts, multiplies, or	TEK: the student adds, subtracts, multiplies, and
the skills required to manipulate symbols in	operations to solve problems and justify	divides to solve problems and justify solutions	divides to solve problems and justify solutions
order to solve problems and uses the necessary	solutions		
algebraic skills required to simplify algebraic			
expressions and solve equations and inequalities			
in problem situations			

Algebra I	8 th Grade	7 th Grade	6 th Grade
SE: ALG.4A – (R) find specific function values; add, subtract, multiply or divide to simplify polynomial expressions, transform and solve equations, including factoring as necessary in problem situations which are expressed in verbal, algebraic, or pictorial (algebra tiles) representations ALG.4B – (S) demonstrate pictorially and algebraically the commutative, associative, and distributive properties to simplify algebraic expressions	SE: 8.2A – (S)select appropriate operations to solve problems involving rational numbers and justify the selections 8.2B – (R)use appropriate operations to solve problems involving rational numbers in problem situations	SE 7.2B – (R)use addition, subtraction, multiplication, and division to solve problems involving fractions and decimals 7.2F – (R)select and use appropriate operations to solve problems and justify the selections	SE 6.2A – (S)model addition and subtraction situations involving fractions with objects, pictures, words, and numbers 6.2B – (R)use addition and subtraction to solve problems involving fractions and decimals
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE) -work should be shown in an organized format that reflects student's thinking and understanding -connect verbal, numeric, graphic, and symbolic representations of relationships -given a problem situation students explain which operation to use and support the choice with information from the problem situation -use in problem situations and include fractions, decimals, percents, and integers -connect concrete/pictorial, verbal (written or oral), tabular (horizontal and vertical), and symbolic/numerical representations to problem situations	Rationale (clarification of TEKS/SE) -include mixed fractions and unlike denominators 12 or less -use in problem situation/word problems -work should be shown in an organized format that reflects student's thinking and understanding including connecting written, verbal, numeric, graphic and symbolic representations of relationships -in word problem, recognize which operation comes first and choose appropriate expression/equation to correspond to the situation	Rationale (clarification of TEKS/SE) -using like or unlike denominators 12 or less (w/o technology) -include numbers greater than one and less than one -model, record, draw, mathematically describe (verbally/written) and evaluate the situations including portions used/taken and portions remaining -require students to estimate before computing -add and subtract fractions and mixed numbers with like and unlike denominators 12 or less -connect algorithm to pictorial models -use strategies when adding and subtracting fractions including regrouping mixed numbers and converting to improper fractions
Vocabulary	Vocabulary	Vocabulary	Vocabulary

					algorit	hm			Algor	ithm, reciproc	al				non denominat	tor, algorith	n, least
STAAI	R 2012				STAAR	2012			STAA	R 2012				STAAF			
SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded
4A	3	58%	Coucu		2A	1	59%	16B	2B	3	53%	13A		2A	1	43%	Coucu
4B	1	65%			2B	3	52%	14B,14C	2F	3	55%	13B,13A,		2B	3	50%	11A,11B,
STAAI	R 2013				STAAR	2012			STAA	R 2013		14A		STAAL	R 2013		11D
SE	# of	Percent	Dual		SE	# of	Percent	Dual	2B	3	50%	13A	1	SE	# of	Percent	Dual
JL JL	Questions	reiteiit	Coded		JL JL	Questions	reiteiit	Coded	2F	3	58%	15A 15B		JL JL	Questions	reiteiit	Coded
4A	3	47%			2A	1	61%	16B					_	2A	1	53%	11D
4B	1	60%			2B	3	54%	14A,14B						2B	3	61%	11C, 13B
represe dimensi	meter of a rectangle is 4. nted by $(x + 4)$, and its wons of this rectangle in co	idth can be represer			A No, bec	e her bicycle 18.2 miles in 1.4 les per hour for this trip. Is sl ause 1.4 added to 18.2 is 19. ause 18.2 multiplied by 1.4 is	he correct?	that her mean speed was les		in is purchasing 2.25 pour Mr. Stein receive if he give 30	ds of meat that costs \$ s the cashier \$20.00?	2.80 per pound. How m	uch change	Which mo	del is shaded to best represe	ent the expression below $\frac{3}{10} + \frac{2}{5}$	is.
G Leng	th = 10 and width = 11 th = 8 and width = 13 th = 6 and width = 15 th = 12 and width = 9				C Yes, bed	cause 1.4 subtracted from 18 cause 18.2 divided by 1.4 is 1	.2 is 16.8		G \$13 H \$14 J \$2.	.95				•	+		+
															+		+
Whic	h inequality is e	equivalent to	7x-2y>8	?		alph paid \$12.95 for a box o in dollars and cents, of the		for 16 stamps. What was the tamps?	Mr. Atl	kinson has $5\frac{1}{4}$ lb of dr	fish food. He will pu	ut an equal amount of	f food into	Mia is $2\frac{1}{2}$ What is Al	years older than Chloe. Allen	is $6\frac{1}{2}$ years younger th	an Chloe. Mia is 12 years old.
	_				Record you correct pla		bles on your answer do	ocument. Be sure to use the	3 cont	ainers. How much fish f	ood will be in each o	ontainer?		F 14 1/2 y			
F y	$>\frac{7}{2}x+8$								A $1\frac{2}{3}$	Ib				G 3 year			
									B 1-3	- lh				H 8 year	s		
G y	$x > -\frac{2}{7}x + \frac{8}{7}$								c 2 \frac{1}{4}					3 18 ½ ye	ears		
Ну	$x<\frac{7}{2}x-4$								D 8-4	lb							
J y	$<-\frac{2}{7}x-\frac{4}{7}$																
Whi	ch expression is	equivalent to	$-6x^2 - 11x$	4?	game. She	then used $\frac{1}{2}$ of the remaining	tickets to play the ring	e tickets to play the ball-toss		as $63\frac{3}{8}$ inches tall when eighth grade. How many		4	all when he	and $3\frac{3}{8}$ c	ght 8 cups of strawberries. Si	ike a pie. She needs 4 co	ups of strawberries to make
Α	(3x + 7)(3x - 3)				A 7 B 19	ets. How many tickets did W	endy have after playing	tnese games?	A $2\frac{5}{8}$	in.					es. Does Maria have enough excause $8 - \left(3\frac{3}{8} + 1\frac{4}{8}\right) = 3\frac{1}{8}$		the milk shakes?
В	(-3x + 4)(2x - 3)	1)			C 14 D 28				B $1\frac{3}{4}$	in.					ecause $8 - 3\frac{3}{8} = 4\frac{5}{8}$, and 4	0	
С	(3x - 7)(3x + 3)								c $2\frac{1}{2}$	in.					cause $\left(8-3\frac{3}{8}\right)-4=\frac{5}{8}$, an		
D	(-3x-4)(2x+3)	1)							D $1\frac{7}{8}$	in.				D Yes, bo	ecause $8 + 3\frac{3}{8} + 1\frac{1}{2} = 12\frac{7}{8}$	and $12\frac{7}{8} > 4$	

In which step below does a mistake first appear in simplifying the expression $0.5(-12c+6)-3(c+4)+10(c-5)$?	Angie has 12 feet of string. She will cut the string into equal lengths of 5 inches each. How much string will be left after she cuts as many of these lengths as possible?	Jackie has a puzzle book that contains a total of 65 puzzles. She has completed $\frac{2}{5}$ of the puzzles in the book. If Jackie completes 13 more puzzles, what is the total number of puzzles	Mr. Lee mailed 3 packages. The greatest amount he paid to mail one of these packages was \$3.60. The least amount he paid to mail one of these packages was \$1.70. What could be trotal amount Mr. Lee paid to mail the 3 packages?
	A 0.8 in.	47 CHO 40 FEB 1903 10 CO	A \$8.30
Step 1: $-6c + 3 - 3(c + 4) + 10(c - 5)$	B 2 in.	that she will have completed in the book?	B \$11.50
Step 2: $-6c + 3 - 3c - 12 + 10(c - 5)$	C 4 in.	A 26, because $\frac{2}{6}$ (65) = 26	c \$5.10
Step 3: $-6c + 3 - 3c - 12 + 10c - 50$ Step 4: $7c - 41$	D 1.25 in.	5	D \$10.80
A Step 1		B 52, because $\frac{2}{5} + \frac{2}{5} = \frac{4}{5}$ and $\frac{4}{5}(65) = 52$	
·		2	
B Step 2		C 39, because $\frac{2}{5}(65) = 26$ and $26 + 13 = 39$	
C Step 3			
D Step 4		D Not here Mr. Grant spent \$8.40 to place an ad in the newspaper. This price included a one-time fee	
		of \$6.00 plus \$0.00 be per word. Which method can be used to determine the total number of words in the ad Mr. Grant placed?	
		A $(8.4 \times 6) \div 0.08$	
		B (8.4 - 6) + 0.08	
		C (8.4 + 6) ÷ 0.08	
		D (8.4 ÷ 0.08) + 6	
		Mr. Jenkins spent \$73 on two colors of paint. The price of each color of paint is shown below.	
		Prices for Paint	
		Color Price per Quart Foothills Grey \$7 Oceanside Blue \$13	
		Mr. Jenkins bought 3 quarts of Foothills Gray. How many quarts of Oceanside Blue did he buy?	
		A 11, because $73 \div (13 + 7) \times 3$ is about 11	
		B 13, because 73 ÷ (13 × 3) × 7 is about 13	
		C 16, because (73 + 3 × 13) + 7 = 16	
		D 4, because $(73 - 3 \times 7) \div 13 = 4$	

Strand: Solving Problems with Real Numbers Using Equations and Their Properties (Addition/Subtraction)

TEK: the student adds, subtracts, multiplies, and	TEK: the student adds, subtracts, multiplies,	TEK: the student adds and subtracts to solve	TEK: the student adds and subtracts to solve
divides to solve problems and justify solutions	and divides to solve meaningful problems	meaningful problems involving whole numbers	meaningful problems involving whole numbers
		and decimals	

6 th Grade	5 th Grade	4 th Grade	3 rd Grade
SE 6.2A – (S)model addition and subtraction situations involving fractions with objects, pictures, words, and numbers 6.2B – (R)use addition and subtraction to solve problems involving fractions and decimals	SE 5.3A – (R)use addition and subtraction to solve problems involving whole numbers and decimals 5.3E – (S)model situations using addition and/or subtraction involving fractions with like denominators using concrete objects, pictures, word, and numbers	SE 4.3A – (S)use addition and subtraction to solve problems involving whole numbers 4.3B – (S)add and subtract decimals to the hundredths place using concrete objects and pictorial models	SE 3.3A – (S)model addition and subtraction using pictures, words, and numbers 3.3B – (R)select addition or subtraction and use the operation to solve problems involving whole numbers through 999
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-using like or unlike denominators 12 or less (w/o technology) -include numbers greater than one and less than 1 -model, record, draw, mathematically describe (verbally/written) and evaluate the situations including portions used/taken and portions remaining -require students to estimate before computing -add and subtract fractions and mixed numbers with like and unlike denominators 12 or less -connect algorithm to pictorial models -use strategies when adding and subtracting fractions including regrouping mixed numbers and converting to improper fractions	-students should write the process of solving problems -students should create word problems to match the number sentences such as (386+552) +(979+438) -problem situations should include multiple operations -apply addition and subtraction concepts FRACTIONS: -students work with concrete models -make connection with the concrete representations to the fraction (concrete/pictorial/abstract) -construct and draw the models -communicate with words (journals) -students add and subtract "like denominators' in 5 th grade	-addition and subtraction need to be taught together in problem solving situations -use pictures, words, and numbers together in problem solving situations -Work with fact families -include number sentences such as 85 + = 92 -three types of subtraction problems: take away, comparison, partition (levels of difficulty from easiest to hardest) -students must build concrete objects, draw pictorial models and connect the abstract #s -adding and subtracting decimals are introduced in 4 th grade -apply addition/subtraction concepts	-three types of subtraction problems: take away, comparison, partition (levels of difficulty from easiest to hardest) -addition and subtraction need to be taught together as both fact families and inverse operations -students should use pictures, words, and numbers together in order to build concepts -include multi-step problems for both addition and subtraction
Vocabulary	Vocabulary	Vocabulary	Vocabulary
Common denominator, algorithm, least common multiple	Like denominator, numerator, denominator	Addition, subtraction, sum, combine, together, altogether, join, difference, take away, separate, how many more, remaining, equal, compatible numbers	Addition, subtraction, both, in all, altogether, sum, total, joined, difference, take away, how many more, how many left, remaining, equal, combine

STAAR 2012

SE	# of	Percent	Dual
	Questions		Coded
2A	1	43%	
2B	3	50%	11A,11B,
			11D

STAAR 2012

SE	# of	Percent	Dual		
	Questions		Coded		
3A	3	64%	14A,14C,		
			16A		
3E	1	77%	14D		
_					

STAAR 2012

SE	# of	Percent	Dual
	Questions		Coded
3B	1	80%	14D

STAAR 2012

SE	# of	Percent	Dual
	Questions		Coded
3A	1	50%	15A
3B	3	50%	14A,14B

STAAR 2013

_			
SE	# of	Percent	Dual
	Questions		Coded
2A	1	53%	11D
2B	3	61%	11C, 13B

STAAR 2013

SE	# of	Percent	Dual
	Questions		Coded
3A	3	65%	14A,14B

STAAR 2013

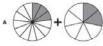
SE	# of	Percent	Dual
	Questions		Coded
3A	1	65%	14C

STAAR 2013

SE	# of	Percent	Dual		
	Questions		Coded		
3A	1	71%	14D		
3B	3	69%	14A,14B		
Rob had 345 concert tickets to sell. He sold 127 of these tickets on Monday.					

Which model is shaded to best represent the expression below?

$$\frac{3}{10} + \frac{2}{5}$$





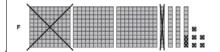


Owen lives 145.25 kilometers from Houston, Texas. Sharon lives 209.5 kilometers from Houston. What is the difference between these two distances?

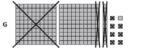
- F 64.25 km
- **G** 54.35 km
- H 124.30 km
- J 144.35 km

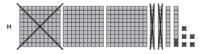
Inez is 12 years younger than Raúl. Raúl is 6 years older than Kaylee. Kaylee is twice as old as Henry. Henry is 5 years old. What is the combined age of these four people?

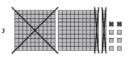
- F 35 years
- G 59 years
- H 45 years
- J 26 years



Which model represents the number of tickets Rob had left to sell?







Mia is $2\frac{1}{2}$ years older than Chloe. Allen is $6\frac{1}{2}$ years younger than Chloe. Mia is 12 years old. What is Allen's age?

María bought 8 cups of strawberries. She used $1\frac{1}{2}$ cups of the strawberries to make a salad

and $3\frac{3}{6}$ cups of the strawberries to make a pie. She needs 4 cups of strawberries to make

milk shakes. Does María have enough strawberries left to make the milk shakes?

A No, because $8 - \left(3\frac{3}{6} + 1\frac{4}{6}\right) = 3\frac{1}{6}$, and $3\frac{1}{6} < 4$

C No, because $\left[8 - 3\frac{3}{9}\right] - 4 = \frac{5}{9}$, and $\frac{5}{9} < 4$

D Yes, because $8 + 3\frac{3}{8} + 1\frac{1}{2} = 12\frac{7}{8}$, and $12\frac{7}{8} > 4$

- F 14 1 years
- G 3 years
- H 8 years
- 3 $18\frac{1}{2}$ years

Alex used blue, red, and green pieces of plastic to make a design.

- · He used 84 green pieces of plastic.
- He used 20 more green pieces of plastic than blue pieces of plastic.
- He used 15 more red pieces of plastic than blue pieces of plastic.

What is the number of red pieces of plastic Alex used?

- A 79
- B 89
- C 49
- **D** 119

Lisa cut a rope that was 19.75 meters long into 3 pieces. The first piece of rope was 6.4 meters long, and the second piece of rope was 4.36 meters long. How long was the third piece of rope?

- A 10.76 m
- **B** 8.99 m
- C 30.51 m
- D 9.35 m

Gilbert had a total of 85 CDs to put in stacks. He put 27 CDs in one stack and 39 CDs in a second stack. How many CDs dld Gilbert have left to put in stacks?

Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.

A company received 492 phone calls from customers in June and 267 phone calls from customers in July. What is the difference between the numbers of phone calls received in these two months?

- F 225
- **G** 759
- H 235
- J 135

Vandra sold the following number of lightbulbs during three months at a store.

- She sold 573 lightbulbs in January.
- She sold 822 lightbulbs in February.
- . She sold 738 lightbulbs in March.

How many lightbulbs did Vandra sell during these three months?

- F 2,023
- G 2,133
- H 2,223
- J 2,033

Mr. Lee mailed 3 packages. The greatest amount he paid to mail one of these packages was \$3.60. The least amount he paid to mail one of these packages was \$1.70. What could be the total amount Mr. Lee paid to mail the 3 packages?

- A \$8.30
- B \$11.50
- C \$5.10
- D \$10.80

Strand: Solving Problems with Real Numbers Using Equations and Their Properties (Addition/Subtraction)

TEK: the student adds and subtracts to solve	TEK: the student adds and subtracts to solve meaningful problems involving	TEK: the student recognizes and	TEK: the student models
meaningful problems involving whole numbers	whole numbers	solves problems in addition and	addition (joining) and
		subtraction situations	subtraction (separating)

3 rd Grade	2 nd Grade	1 st Grade	Kindergarten
SE 3.3A – (S)model addition and subtraction using pictures, words, and numbers 3.3B – (R)select addition or subtraction and use the operation to solve problems involving whole numbers through 999	SE 2.3A – (R)recall and apply basic addition and subtraction facts (to 18) 2.3B – (S)model addition and subtraction of two digit numbers with objects, pictures, words, and numbers 2.3C – (R)select addition or subtraction to solve problems using two-digit numbers, whether or not regrouping is necessary	SE 1.3A – (S)model and create addition and subtraction problem situations with concrete objects and write corresponding number sentences 1.3B – (R)use concrete and pictorial models to apply basic addition and subtraction facts (up to 9 + 9 = 18 and 18 – 9 = 9)	SE K.4 – (R)model and create addition and subtraction problems in real situations with concrete objects
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-three types of subtraction problems: take away, comparison, partition (levels of difficulty from easiest to hardest) -addition and subtraction need to be taught together as both fact families and inverse operations -students should use pictures, words, and numbers together in order to build concepts -include multi-step problems for both addition and subtraction	-students develop strategies to work with the more difficult addition/subtraction facts to improve fluency rather than rely only on rote memory -"to 18" means to the sum of 18 -students work with doubles, near doubles and near tens -recall fact families up to 9 + 9 = 18 -2 nd grade is held accountable for 'recalling' factsThis focus is on teaching strategies for recall and not just memorization of factsUnderstanding strategies will improve math 'fluency' speed -students may use a variety of methods such as; solving two digit addition and subtraction incorporating place value as well as the traditional method -during this grade the student is introduced to 2 digit +/- in the concrete, then connects it to the pictorial, and finally to the abstract. It is important to use base ten pieces then pictures of base ten pieces and finally bridge to the abstract numbers. It is also important to use a variety of manipulatives such as straws or buttons on a string, or hundreds chart. Drawing pictures and recording numerically what the pictures represent allows students to 'bridge'/connect the concrete to the numerical/abstract	-three types of subtraction problems: take away, comparison, partition (levels of difficulty from easiest to hardest) -focus on transitioning from informal vocabulary (joining and separation) to formal vocabulary (adding and subtracting) -this is when the addition symbol, subtraction symbol and equal sign are introduced (=,+,-) -everything is in the concrete; timed test and flash cards are not appropriate in 1 st grade	-only with concrete objects -join two sets together; separate one set into two or more sets -students do not write number sentences or symbols -only use story situations
Vocabulary	Vocabulary	Vocabulary	Vocabulary
Addition, subtraction, both, in all, altogether, sum,	Addition, subtraction, both, in all, altogether, sum, total, joined, difference,	Addition, subtraction, sum, total,	Joining, separating, total,

			T
total, joined, difference, take away, how many more, how many left, remaining, equal, combine	take away, how many more, how many left, remaining, regrouping, equal	altogether, take away, equal sign, symbol, difference	altogether, grouping
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012
	31AAR 2012	31AAR 2012	31AAR 2012
Questions Coded			
3A 1 50% 15A			
3B 3 50% 14A,14B			
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013
SE # of Percent Dual			
Questions Coded			
3A 1 71% 14D			
3B 3 69% 14A,14B			
Rob had 345 concert tickets to sell. He sold 127 of these tickets on Monday.			
Which model represents the number of tickets Rob had left to sell?			
\ \ \ \ \ \ \ \			
F 88 88 88 88 88 88 88 88 88 88 88 88 88			
F 8 8 8 8 8 8 8 8			
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G W W			
, , , , , , , , , , , , , , , , , , , ,			
H			
H			
3 2 2			
Gilbert had a total of 85 CDs to put in stacks. He put 27 CDs in one stack and			
39 CDs in a second stack. How many CDs did Gilbert have left to put in stacks? Record your answer and fill in the bubbles on your answer document. Be sure to			
use the correct place value.			
A company received 492 phone calls from customers in June and 267 phone calls from customers in July. What is the difference between the numbers of phone			
calls received in these two months?			
F 225			
G 759			
H 235			
1 135 Vandra sold the following number of lightbulbs during three months at a store.			
She sold 573 lightbulbs in January.			
She sold 822 lightbulbs in February.			
She sold 738 lightbulbs in March.			
How many lightbulbs did Vandra sell during these three months?			
F 2,023			
G 2,133			
H 2,223			
J 2,033			

Strand: Solving Problems with Real Numbers Using Equations and Their Properties (Multiplication/Division)

TEK:	TEK: the	TEK: the	TEK: the student uses tools to	TEK:	TEK: the student understands the importance	TEK: the student selects and uses appropriate
	student	student uses	determine measurements of		of the skills required to manipulate symbols in	operations to solve problems and justify
	interprets the	functional	geometric figures and extends		order to solve problems and uses the	solutions
	meaning of the	relationships	measurement concepts to find		necessary algebraic skills required to simplify	
	symbolic	to solve	perimeter, area, and volume in		algebraic expressions and solve equations and	
	representations	problems	problem situations		inequalities in problem situations	
	of functions	related to				
	and operations	personal				
	on functions to	income.				
	solve					
	meaningful					
	problems					

AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I	8 th Grade
SE:	SE PC.2B – perform operations including composition on functions, find inverses, and describe these procedures and results verbally, numerically, symbolically, and graphically	SE MMA.5B – solve problems, given in real life contexts, which involves personal taxes	SE GEOM.8F – (S) use conversions between measurement systems to solve problems in real-world situations	SE:	SE: ALG.4A – (R) find specific function values; add, subtract, multiply or divide to simplify polynomial expressions, transform and solve equations, including factoring as necessary in problem situations which are expressed in verbal, algebraic, or pictorial (algebra tiles) representations ALG.4B – (S) demonstrate pictorially and algebraically the commutative, associative, and distributive properties to simplify algebraic expressions	SE: 8.2A – (S)select appropriate operations to solve problems involving rational numbers and justify the selections 8.2B – (R)use appropriate operations to solve problems involving rational numbers in problem situations 8.2D – (S)use multiplication by a constant factor (unit rate) to represent proportional relationships
Specifics	Specifics	Specifics	Specifics (description of lesson, include any "tricks")	Specifics	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale	Rationale	Rationale	Rationale (clarification of TEKS/SE)	Rationale	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE) -work should be shown in an organized format that reflects student's thinking and understanding -connect verbal, numeric, graphic, and symbolic representations of relationships -given a problem situation students explain which operation to use and support the choice with information from the problem situation -use in problem situations and include fractions, decimals, percents, and integers

										-connect concrete/pictorial, verbal (written or oral), tabular (horizontal and vertical), and symbolic/numerical representations to problem situations					
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary				Vocabulary						
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012 SE	STAAR 2012	STAAR 2012 SE # of Percent Dual Questions Coded 4A 3 58%		STAAF SE 2A	# of Questions	Percent 59%	Dual Coded 16B					
					4B	1	65%			2B	3	52%	14B,14C		
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013	STAAF SE 4A 4B	# of Questions 3 1	Percent 47% 60%	Dual Coded		STAAF SE 2A 2B 2D	# of Questions 1 3 1	Percent 61% 54% 59%	Dual Coded 16B 14A,14B		
					represend dimensions for Length H. Length J. Length H. Length J. Length H. L	Ste Ste Ste 1 2	width can be represe entimeters?	n simplifying the $c + 4 + 10(c - 5) = 12 + 10(c - 5)$	that are the	than 17 m A No, be B No, be C Yes, b In 2011 i total cost Record y correct pi Wendy ha game. Sh S more 8i A 7 B 19 C 14 D 28 Angle has much stri A 0.8 in. B 2 in. C 4 in. D 1.25 in	iles per hour for this trip. I. cause 1.4 added to 18.2 is cause 18.2 multiplied by 1 cause 18.2 multiplied by 1 cause 18.2 subtracted from cause 18.2 divided by 1.4 talph paid \$12.95 for a to j, in dollars and cents, of ti pur answer and fill in the ti ace value. d 35 tickets for games at a then used \$\frac{1}{2}\$ of the remai kets. How many tickets di 12 feet of string. She will 13 will be left after she cu 1. arges guests \$19.75 a day of determine the charge for 9) 9)	Is the correct? 19.6 4 is 25.48 18.2 is 16.8 Is 13 Is of cards and \$0.44 the box of cards and the box of car	r document. Be sure to use the of the tickets to play the ball-toss ring-toss game, in which she won ying these games? sal lengths of 5 inches each. How ggths as possible?		

Strand: Solving Problems with Real Numbers Using Equations and Their Properties (Multiplication/Division)

TEK: the student understands the	TEK: the student selects and uses appropriate	TEK: the student adds, subtracts, multiplies, and	TEK: the student adds, subtracts, multiplies, and
importance of the skills required to	operations to solve problems and justify solutions	divides to solve problems and justify solutions	divides to solve problems and justify solutions
manipulate symbols in order to solve			
problems and uses the necessary algebraic			
skills required to simplify algebraic			
expressions and solve equations and			
inequalities in problem situations			

Algebra I	8 th Grade	7 th Grade	6 th Grade		
Algebra I SE: ALG.4A – (R) find specific function values; add, subtract, multiply or divide to simplify polynomial expressions, transform and solve equations, including factoring as necessary in problem situations which are expressed in verbal, algebraic, or pictorial (algebra tiles) representations ALG.4B – (S) demonstrate pictorially and algebraically the commutative, associative, and distributive properties to simplify algebraic expressions	SE: 8.2A – (S)select appropriate operations to solve problems involving rational numbers and justify the selections 8.2B – (R)use appropriate operations to solve problems involving rational numbers in problem situations 8.2D – (S)use multiplication by a constant factor (unit rate) to represent proportional relationships	SE: 7.2A – (S)represent multiplication and division situations involving fractions and decimals with models, including concrete objects, pictures, words and numbers 7.2B – (R)use addition, subtraction, multiplication, and division to solve problems involving fractions and decimals 7.2D – (S)use division to find unit rates and ratios in proportional relationships such as speed, density, price, recipes, and student-teacher ratio 7.2F – (R)select and use appropriate operations	SE: 6.2C – (R) use multiplication and division of whole numbers to solve problems including situations involving equivalent ratios and rates 6.1D – (S) write prime factorizations using exponents 6.1E – (S) identify factors of a positive integer, common factors, and the greatest common factor of a set of positive integers 6.1F – (S) identify multiples of a positive integer and common multiples and the least common multiple of a set of positive integers		
Specifics (description of lesson, include any "tricks") Rationale (clarification of TEKS/SE)	Specifics (description of lesson, include any "tricks") Multiply and divide with fractions and decimals Rationale (clarification of TEKS/SE)	to solve problems and justify the selections Specifics (description of lesson, include any "tricks") Multiply and divide with fractions and decimals Rationale (clarification of TEKS/SE)	Specifics (description of lesson, include any "tricks") Rationale (clarification of TEKS/SE)		
radionale (danneadon of TERS) SE	-work should be shown in an organized format that reflects student's thinking and understanding -connect verbal, numeric, graphic, and symbolic representations of relationships -given a problem situation students explain which operation to use and support the choice with information from the problem situation -use in problem situations and include fractions, decimals, percents, and integers -connect concrete/pictorial, verbal (written or oral), tabular (horizontal and vertical), and symbolic/numerical representations to problem situations	Fractions/Decimals: -introduce using concrete models and tie the algorithm to the model -use like and unlike denominators -include numbers >and < one -model, record, draw, and verbal/written description of the situation -multiply and dividing fractions and decimals is a new concept in 7 th grade -use in problem situation -TEKS emphasize division with 2 digit divisors and 3 digit dividends and multiplication o 2 digits times 3 digits without calculators -do not use cross products	-require students to estimate before computing -do not use cross products to teach this concept -in 6 grade ratios are a comparison of whole numbers; example – there are 3 dogs for every 5 cats. If there are 6 dogs, how many cats are there? -focus on generating equivalent relationships (proportions) -use numbers appropriate for real life application; always include units such as cost per item when working with ratios -only use whole numbers -interpret and understand remainders and write the remainder as a fraction -without the use of calculators use only two digits by		

									relatic -use n -alway -densi -use s -unit r -work that re under verbal repres -in a w comes	on the equivonships umbers appr vs include unity is the ratio cale factor ate is introdushould be shellects studer standing inclut, numeric, greentations of vord problems is first and cho ion to corresp	opriate for ts of grams t aced in 7 th g own in an o at's thinking uding conn aphic, and relationshi , recognize oose appro	real life appropriate appropri	ormat en,		three digits for multiplication and 3 digit by 2 digit for division			
Vocab	ulary			Vocab	ulary				Vocab					Vocak	ulary			
					rtional relation te, scale fact	• •	stant facto	or,	Proportions, relationships, unit rate, rates, ratios, scale, situation, operations, select, justify				Proportions, relationships, rates, ratios, prime factorization, exponents, factors, common factors, greatest common factors, multiples, common multiples, least common multiple, divisible					
STAAR	2012			STAAR	2012				STAAF	R 2012				STAAR 2012				
4A 4B	# of Questions 3 1	58% 65%	Dual Coded	SE 2A 2B	# of Questions 1 3	59% 52%	Dual Coded 16B 14B,14 C		2A 2B 2D 2F	# of Questions 1 3 1 3	Percent 66% 53% 41% 55%	Dual Coded 13A 13A 13B 13A,13		2C 1E 1F	# of Questions 3 1 1	Percent 46% 52% 42%	Dual Coded 11A,13 B 11B	
												B,14A						
STAAR				STAAR				1	STAAF			Ι	1	I	R 2013	1 _	1	1
SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded	
4A	3	47%		2A	1	61%	16B		2B	3	50%	13A		2C	3	55%	11A,13B	
4B	1	60%		2B	3	54%	14A,14 B		2F	3	58%	15B]	1D	1	49%		
represente dimensions F Length G Length H Length	ater of a rectangle is 42 cd d by (x + 4), and its width d by (x + 4) and its width = 10 and width = 11 = 8 and width = 13 = 6 and width = 15 = 12 and width = 9	can be represented t		A No, beca B No, beca C Yes, beca	ther blovde 18.2 miles in 1. ses per hour for this trip. 1s a use 1.4 added to 18.2 is 19 use 18.2 multiplied by 1.4 is 19.00 to 18.2 is 19 use 18.2 multiplied by 1.4 is 19.00 to 18.2 divided by 19.00 to 18.2 di	he correct? 6 s 25.48 s2 is 16.8	15A that her mean speed s	vas less		5		.80 per pound. How m	uch change	week. Play Jogg Swit Riley did which sta He bi He bi	velow shows the rate at ing basketball: burned 1 ing: burned 9 calories pr mming: burned a total o each of these activities terment is true? urned 1,200 calories per urned a total of 3,000 ca urned 1,080 calories per urned a total of 74,400 c 4,400.	11 calories per minute 6 600 calories in 2 h for 2 hours last were hour while swimmin lories, because (11 hour while jogging,	the sours sk. Based on the informing, because $600 \times 2 \times 120) + (9 \times 120) + 120 \times 1$	mation in the list, = 1,200. 600 = 3,000.

Which inequality is equivalent to $7x - 2y > 8$? $F y > \frac{7}{2}x + 8$ $G y > -\frac{2}{7}x + \frac{8}{7}$ $H y < \frac{7}{2}x - 4$ $J y < -\frac{2}{7}x - \frac{4}{7}$	In 2011 Raiph paid \$12.95 for a box of cards and \$0.44 each for 16 stamps. What was the total cost, in dollars and cents, of the box of cards and the stamps? Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.	Mr. Atkinson has $5\frac{1}{4}$ lb of dry fish food. He will put an equal amount of food into 3 containers. How much fish food will be in each container? A $1\frac{2}{3}$ lb B $1\frac{3}{4}$ lb C $2\frac{1}{4}$ lb D $8\frac{3}{4}$ lb	A worker at a clothing company uses 200 buttons to make 50 shirts. At this rate, how many buttons would the worker use to make 350 shirts? Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.
Which expression is equivalent to $-6x^2 - 11x - 4$? A $(3x + 7)(3x - 3)$ B $(-3x + 4)(2x - 1)$ C $(3x - 7)(3x + 3)$ D $(-3x - 4)(2x + 1)$	Wendy had 35 tickets for games at a carnival. She used $\frac{1}{5}$ of the tickets to play the ball-toss game. She then used $\frac{1}{2}$ of the remaining tickets to play the ring-toss game, in which she won 5 more tickets. How many tickets did Wendy have after playing these games? A 7 B 19 C 14 D 28	Scott was $63\frac{3}{8}$ inches tall when he started seventh grade and $65\frac{1}{4}$ inches tall when he started eighth grade. How many inches did he grow during this time? $ A 2\frac{5}{8} \text{ in.} $ $ B 1\frac{3}{4} \text{ in.} $ $ C 2\frac{1}{2} \text{ in.} $ $ D 1\frac{7}{6} \text{ in.} $	Every day a zookeeper feeds 4 adult gorillas a total of 160 lb of food. At this rate, how many pounds of food would the zookeeper need every day to feed 6 adult gorillas? A 40 lb B 320 lb C 240 lb D 80 lb
In which step below does a mistake first appear in simplifying the expression $0.5(-12c+6)-3(c+4)+10(c-5)$? Step 1: $-6c+3-3(c+4)+10(c-5)$ Step 2: $-6c+3-3(c-12+10(c-5))$ Step 3: $-6c+3-3c-12+10c-50$ Step 4: $-7c-41$ A Step 1 B Step 2 C Step 3 D Step 4	Angle has 12 feet of string. She will cut the string into equal lengths of 5 inches each. How much string will be left after she cuts as many of these lengths as possible? A 0.8 in. B 2 in. C 4 in. D 1.25 in. A hotel charges guests \$19.75 a day to rent 5 video games. At this rate, which expression can be used to determine the charge for renting 9 video games for 1 day at this hotel? F 19.75 (9) G 5 (9) H 23.70 (9) J 5 (9)	Jackle has a puzzle book that contains a total of 65 puzzles. She has completed $\frac{2}{5}$ of the puzzles in the book. If Jackle completes 13 more puzzles, what is the total number of puzzles that she will have completed in the book? A 26, because $\frac{2}{5}$ (65) = 26 B 52, because $\frac{2}{5}$ (65) = 26 B 52, because $\frac{2}{5}$ (65) = 26 and 26 + 13 = 39 D Not here Mr. Grant spert \$8.40 to place an ad in the newspaper. This price included a one-time fee of \$6.00 plus \$0.08 per word. Which method can be used to determine the total number of words in the ad Mr. Grant placed? A $(8.4 \times 6) + 0.06$ B $(8.4 + 6) + 0.08$ C $(8.4 + 6) + 0.08$ D $(8.4 + 0.08) + 6$ Mr. Jerikins spent \$73 on two colors of paint. The price of each color of paint is shown below. Prices for Paint Color Price per Quart Foothills Gray 57 Coeanskie Blue \$13 Mr. Jenkins bought 3 quarts of Foothills Gray, How many quarts of Oceanskie Blue did he buy? A 11, because $73 + (13 + 7) \times 3$ is about 11 B 13, because $73 + (13 + 3) \times 7$ is about 13 C 16, because $(73 + 3 \times 12) + 7 = 16$	What is the prime factorization of 196? F $2^2 \cdot 7^2$ G $2 \cdot 7^2$ H $2 \cdot 7 \cdot 14$ J $2^2 \cdot 49$

Strand: Solving Problems with Real Numbers Using Equations and Their Properties (Multiplication/Division)

TEK: the student adds, subtracts,	TEK: the student adds, subtracts,	TEK: the student multiplies and divides	TEK: the student recognizes and solves	TEK: the student
multiplies, and divides to solve problems	multiplies, and divides to solve meaningful	to solve meaningful problems involving	problems in multiplication and division	models multiplication
and justify solutions	problems	whole numbers	situations	and division

6 th Grade	5 th Grade	4 th Grade	3 rd Grade	2 nd Grade
SE: 6.2C – (R) use multiplication and division of whole numbers to solve problems including situations involving equivalent ratios and rates 6.1D – (S) write prime factorizations using exponents 6.1E – (S) identify factors of a positive integer, common factors, and the greatest common factor of a set of positive integers 6.1F – (S) identify multiples of a positive integer and common multiples and the least common multiple of a set of positive integers	5.3B – (R) use multiplication to solve problems involving whole numbers (no more than three digits times two digits without technology) 5.3C – (R) use division to solve problems involving whole numbers (no more than two-digit divisors and three-digit dividends without technology) including interpreting the remainder within a given context 5.3D – (S) identify common factors of a set of whole numbers	SE 4.4A – (S) model factors and products using arrays and area models 4.4B – (S) represent multiplication and division situation in picture, word, and number form 4.4C – (S) recall and apply multiplication facts through 12 x 12 4.4D – (R) use multiplication to solve problems (no more than two-digits times two-digit without technology) 4.4E – (R) use division to solve problems (no more than one-digit divisors and three-digit dividends without technology)	SE 3.4A – (S)lean and apply multiplication facts through 12 by 12 using concrete models and objects 3.4B – (R)solve and record multiplication problems (up to 2 digits times 1 digit) 3.4C – (R)use models to solve division problems and use number sentences to record the solutions	SE 2.4A – (S)model, create, and describe multiplication situations in which equivalent sets of concrete objects are joined 2.4B – (S)model, create, and describe division situations in which a set of concrete objects is separated into equivalent sets
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics
Introduction of exponents - foundation for future use Emphasize what it is and what it is NOT with exponents		When using the multiplication chart emphasize the vocabulary factors, products, divisor, dividend, quotient Emphasize the difference between factors and multiples	When using the multiplication chart emphasize the vocabulary factors, products, divisor, dividend, quotient Emphasize the difference between factors and multiples	
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE) Expose students to 'prime and composite' numbers when building arrays13 only has 2 arrays that can be built (13x1 or 1x13) because it only has 2 factorsit's a prime number Introduces multiples of 10s when mutliplying	Rationale (clarification of TEKS/SE)	Rationale
-require students to estimate before computing -do not use cross products to teach this concept -in 6 th grade ratios are a comparison of whole numbers; example – there are 3 dogs for every 5 cats. If there are 6 dogs,	-apply multiplication concepts -include all representations -connection between multiplication/division concepts -remainders should be written as fractions (do not list remainders as a decimal)	-connect the pictorial to abstract number with area models or arrays -create number sentences and relate to the fact families -apply multiplication/division concepts -journaling should explain the process -build from the concrete to the pictorial	-area arrays with linear dimensions -use pictorial models -3 grade is held accountable for 'learning and applying'' not memorizing facts -Timed tests (multiplication facts) are not appropriate in third grade -concrete models should be built and	-the most 2 nd grade students should model is 10x10. -students can model by looking at multiple sets of an object -use a variety of

-focus relation -use no applico cost po -only or -interport and work -without two dimultip	how many cats are there? -focus on generating equivalent relationships (proportions) -use numbers appropriate for real life application; always include units such as cost per item when working with ratios -only use whole numbers -interpret and understand remainders and write the remainder as a fraction -without the use of calculators use only two digits by three digits for multiplication and 3 digit by 2 digit for division								abstract nur and apply m es), and exter e related face d tests should ints to increase ade is held ar- ing' the multi- ents build cor- on w/ and w/ ete manipular standing con- 0 piece ade may hav 3 = 41 remai	ultiplication and fact fam tors do be design se their time countable iplication facrete mode out remain atives for cept of divies remainded	ed to allow effor acts els of ders	drawn before moving to the abstract numbers -students should use models (such as the area array) to demonstrate the relationship between multiplication and division -use concrete objects to model, bridge to the abstract (number) by drawing pictorial representations -This TEKS is sometimes tested with gridable answers -apply multiplication/division concepts with the concrete models and pictorial drawings -student create numbers sentences/express the answers of their concrete models				concrete manipulatives -ALWAYS use manipulatives at this grade level -always use 'multiplication situations' (story problems) never just 3x6=2 nd grade students will use manipulatives to model situations requiring separation and should only model situations up to 18÷9 -use a variety of concrete manipulatives
Vocab	oulary			Vocab	ulary			Vocab	ulary			Vocab	ulary			Vocabulary
prime comm factor	Proportions, relationships, rates, ratios, prime factorization, exponents, factors, common factors, greatest common factors, multiples, common multiples, least common multiple, divisible			Multiplication, division, product, factor, dividend, divisor, quotient, interpret remainder, multiples, greatest common factor, factor pairs, common factors, least common multiple					olication, divi nd, divisor, q equal groups share equally	uotient, rei s, each, mu	mainder,	Multiplication, equal groups, loops and groups, repeated addition, t-chart, multiplication chart, factors, multiple, product, arrays, division, divisor, dividend, quotient				Model, equal groups, loops and groups, multiplication, repeated addition, t- chart
STAAF		•		STAAR 2012					2012			STAAR 2012				STAAR 2012
SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded	
2C	3	46%	11A,13B	3B	3	50%	14A,14B	4A	1	79%	Coded	4B	3	49%	14A	
1E	1	52%	11B	3C	3	46%	14A,14B,	4B	1	76%	14A	4C	2	58%	14A,15B	
1F	1	42%		25	_	100/	16A	4D	3	70%	14A,14B					
CTAAE	R 2013			3D STAAR	2012	40%	14C	4E STAAF	2	61%	14A,14B	STAAF	2012			STAAR 2013
SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual	STARK 2013
	Questions	,	Coded		Questions		Coded		Questions		Coded		Questions		Coded	
2C	3	55%	11A,13B	3B	3	56%	14B,14C	4B	1	65%	14D	4A	1	75%	14D	
1D	1	49%		3C	3	57%	14A,14B,	4C	1	80%	14A	4B	3	63%	14A	
							16A	4D	2	59%	14A,14B	4C	3	71%	14D,16B	
								4E	3	69%	14A,16B					
The list belo week.	ow shows the rate at which Rile	y burned calories by doin	different activities last	Brenno	n has a total of 18	37 postage star	mps.	Which mo	del represents the expre	ession 24 ÷ 37		Emery dre figures. Or	w 3 rows of stick figures. ne of the rows is shown t	Each row has the sar elow.	me number of stick	
Jogging Swimm Riley did eac which states	Playing basketball: burned 11 calories per minute logging: burned 9 calories per minute Swimming: burned a total of 600 calories in 2 hours Rievy did each of these activities for 2 hours last week. Based on the information in the list, which stalement is true?			• He	has 48 stamps the has 139 stamps to the total width of	hat are each 1	2 millimeters wide.	A 0 0	000000	c 00		How many	stick figures are in 3 row		₹ ₹	
B He burne	A He burned 1,300 calories per hour while swimming, because 600 \times 2 = 1,200. B He burned a total of 3,000 calories, because (11 \times 120) $+$ (90 \times 120) $+$ 600 $=$ 3,000. C He burned 1,080 calories per hour while jogging, because 9 \times 120 $=$ 1,000. D He burned 3 total of 74,400 calories, because (11 \times 120) $+$ (9 \times 120) $+$ (600 \times 120) $=$ 74,400.			A 2,618 mm B 2,230 mm C 2,340 mm D 657 mm				B 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0			A 12 B 24 C 9 D Not her	е				

A worker at a clothing company uses 200 buttons to make 50 shirts. At this rate, how many buttons would the worker use to make 350 shirts?	There are four times as many cows as horses on a farm. There are twice as many horses as pigs on the farm. Which list shows the number of each type of animal on this farm.	Ms. López bought 5 packages of crackers at a store. Each package had 8 crackers. What was the total number of crackers in these 5 packages?	Andy has trumpet practice 4 times every month. Each practice lasts 2 hours. What is the total number of hours that Andy will practice in 9 months?	
Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.	F 9 cows, 36 horses, and 18 pigs	A 25	A 72	
	G 48 cows, 12 horses, and 24 pigs	B 13	B 156	
	H 32 cows, 16 horses, and 8 pigs	C 35	C 36	
	J 72 cows, 18 horses, and 9 pigs	D Not here	D 104	
Every day a zookeeper feeds 4 adult gorillas a total of 160 to of food. At this rate, how many pounds of food would the zookeeper need every day to feed 6 adult gorillas?	On Monday 149 people each bought 1 CD at a music store. On Tuesday 263 people each bought 1 CD. All the CDs cost \$9. What was the total amount paid for the CDs	The list below shows the number of picture frames Shelly sold on each day of an art sale,	Willis has 5 bags of marbles that have 18 marbles each. He also has 3 bags of marbles that have 13 marbles each. What is the total number of marbles in these 8 bass?	
A 40 lb	on these two days?	She sold 16 picture frames on Thursday.	F 194	
B 320 b	A \$3,608	 She sold 22 picture frames on Friday. She sold 25 picture frames on Saturday. 	G 47	
C 240 lb	B \$1,341	The cost of each picture frame was \$14. What was the total cost of these picture	H 129	
D 80 lb	C \$2,367	frames in dollars?	3 90	
	D \$3,708	Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.		
What is the prime factorization of 196?	A gardener has 785 bricks to build a path in a garden. There will be 24 bricks in each row of the path. How many complete rows can the gardener make using 785 bricks?	There are 39 containers of water for the students at a race. Each container holds 24 quarts of water. How many quarts of water are in the 39 containers?	Carl arranged 9 rows of bricks to make a walkway. Each row had 56 bricks. How many bricks did Carl arrange in this walkway?	
	A 32	A 234 qt	A 504	
F 2 ² • 7 ²	B 17	B 936 qt	B 495	
F 2-17	C 33	C 1,026 qt	C 904	
	D 65	D 836 qt	D 454	
G 2 · 7 ²		Terrell spent \$306 on a television and 3 video games. He spent \$243 on the	The picture below shows the number of fish Mrs. Gonzales wants to put into fish tanks.	
		television. Each video game was the same price. How much did Terrell spend on each video game?	***	
H 2 • 7 • 14		A \$21, because $306 - 243 = 63$ and $63 \div 3 = 21$	eto	
		B \$1,647, because $306 + 243 = 549$ and $549 \times 3 = 1,647$	\$\text{\tin}\text{\tetx}\text{\teti}\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\tin}\text{\text{\text{\text{\text{\text{\text{\text{\text{\texi}\tint{\text{\text{\text{\texi}\tint{\text{\texi}\tint{\text{\texi}\text{\text{\text{\texi}\text{\texi}\text{\texi}\text{\texit{\tin}\tint{\text{\texi}\tint{\text{\texi}\texitilex{\tiinte\	
1 22 . 49		C \$183, because $306 + 243 = 549$ and $549 \div 3 = 183$	\$\text{\tin}\text{\tetx}\text{\tetx}\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\tin}\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\texi}\tint{\text{\texi}\tint{\text{\texi}\text{\text{\text{\text{\text{\texi}\text{\texi}\text{\texit{\ticr{\texi}\tinz{\text{\ti}\tintter{\text{\texi}\tinz{\texi}\tin}	
J 2 · 49		D \$189, because $306 - 243 = 63$ and $63 \times 3 = 189$	****	

			**	
			She will put 7 fish into each tank. Which number sentence shows the number of fish tanks Mrs. Gonzales needs for her fish?	
			F 56 + 7 = 9	
			G 56 + 7 = 8	
			H 56 ÷ 7 = 6	
			3 56 + 7 = 7	
	The numbers below all have something in common.	The picture below shows the number of prizes that were in 5 treasure chests.	The barrels shown below will be placed in 3 rows at a park. There will be an equal number of barrels in each row.	
	64	FIR FIR FIR FIR FIR		
	112	54 31 47 64 56		
	96 240	54 31 47 64 56 prizes prizes prizes prizes prizes	8 8 8 8 8	
	344	Mr. Washington opened the chests and put all the prizes into 7 equal groups. How	88888	
	Which statement describes something these numbers have in common?	many prizes did Mr. Washington put into each group?		
	PICE AND TWO HIS ARE SECTIONED A LOW-LEGGEN	F 34	8 8 8 8 8	
	F They are all divisible by 12.	G 1,764		
	G They are all divisible by 16.	н 36		
	H They are all divisible by 8.	3 252	Which number sentence shows the number of barrels that will be in each row?	
	J They are all divisible by 6.		A 30	
	a maj are an arrianda oj or		B 36 ÷ 3 = 12	
			C $30 \div 3 = 10$ D $36 \div 6 = 6$	
	Cathy is organizing the bottles of nail polish at a store. There are a total of	Oscar used a total of 315 blocks to make 5 towers. He used an equal number of	D 36 ÷ 6 = 6 Nelli will arrange 22 mirrors on 2 shelves in a store. There will be an equal	
	296 bottles. If Cathy puts the same number of bottles on each of 4 shelves, how	blocks to make each tower. How many blocks did Oscar use to make each tower?	number of mirrors on each of the shelves.	
	many bottles will be on each shelf?	A 65	0000000	
	Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.	B 63	7777777	
	and an one proper removes	C 61	00000000	
		D 79	777777	
			999999	
			8 8 8 8 8 8	
			How many mirrors will be on each of the shelves?	
			A 11, because 22 ÷ 2 = 11	
			B 24, because 22 + 2 = 24	
			C 44, because 22 × 2 = 44	
			D 20, because 22 – 2 = 20	

Strand: Estimation

TEK: the student analyzes real-world numerical data using a variety of quantitative measures and numerical processes	TEK:	TEK:	TEK:	TEK:	TEK: the student formulates equations and inequalities based on linear functions, uses a variety of methods to solve them, and analyzes the solutions in terms of the situation -the student formulates systems of linear equations from problem situations, uses a variety of methods to solve them, and analyzes the solutions in terms of the situation	TEK: the student selects and uses appropriate operations to solve problems and justify solutions		
AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I	8 th Grade		
SE: AQR.2A – apply, compare, and contrast ratios, rates, ratings, averages, weighted averages, or indices to make informed decisions	SE:	SE:	SE:	SE:	SE: ALG.7C – (S) interpret and determine the reasonableness of solutions to linear equations and inequalities ALG.8C – (S) interpret and determine reasonableness of solutions to linear equations and inequalities	SE: 8.2C – (S) evaluate a solution for reasonableness 8.3B – (R) estimate and find solutions to application problems involving percents and other proportional relationships such as similarity and rates 8.1C – (S) approximate (mentally and with calculators) the value of irrational numbers (such as pi and /2) as they arise from algebraic or geometric problem situations		
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")		
					Use estimation to check for reasonableness	Use estimation to check for reasonableness		
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)		
	_					communicate mathematically why solution is reasonable as well as why not -support solution to the problem with information from the situation -all rates and ratios should include units		
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary Evaluate, reasonableness, estimate, proportional relationships, scale factor, similarity, irrational numbers, pi, square roots, radical symbol		
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012 SE # of Questions Percent Coded 7C 1 38% 8C 1 25%	STAAR 2012 SE # of Questions Percent Coded Dual Coded 1C 1 69% 14D 2C 1 54%		

									3B	4	49%	14A,14B			
										•	49%	14A,14B			
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013												
				SE	# of	Percent	Dual		SE	# of	Percent	Dual			
					Questions		Coded			Questions		Coded			
				7C	1	45%			2C	1	58%	14B			
				8C	1	58%			3B	3	60%	14A,14B			
				The average year, the c 2.1 inches weeks nee 2.1 inches weeks nee 8 13 wes 5 13 wes 5 14 west 14 west 15 15 west 15 16 we	ge annual rainfall for a part ifly received a total of 9,7 if ifly to reach if it	outer city is 33.2 inche inches of rain. If it is a for the year, what is a o for the year, what is a s average annual rainfa and the second of the second T-shirts is not 3 times T-shirts is 216	n and large T-shirts for umber of a lift of the state of	field day, needed. 72 large	Pis spending the amount of the	from \$40 to \$50 at the gn it on vegetables and fruit. I money Pla will spend on w set has 3 ke chests. He is b, a bag of chips, and a d Which of the following is g to the Texas Parks and i re mile in each of 35 Texa greater and the money place of the company of the place of the company of t	ocery store each week Which of the following Mylich of the following Mylich and fruit at placing 14 lunches is in placing 14 lunches in infink. About 55% of to dosest to the number Wildlife Department, so counties. A rectan- 5.7 miles. Which of ti in this rectangular ar in this rectangular ar 19. At this rate, how	be spends about 20% is a reasonable estimate the grocery store during an each ice chest. Each interest unches contain a profunction of function that contains a profunction of function and a rando in the following is closest in the following in the following is closest in the following is closest in the following is closest in the following in the following is closest in the following is closest in the following is clos	Junch contains ham an a ham hite-tailed deer in one of these to the number of		
	STAAR 2013	STAAR 2013 STAAR 2013	STAAR 2013 STAAR 2013 STAAR 2013	STAAR 2013 STAAR 2013 STAAR 2013 STAAR 2013	SE 7C 8C The average types, the control of the supplemental of	SE # of Questions 7C 1 8C 1 The average annual rainfall for a part year, the othy received a total of 9.7 ± 2.1 inches per week trougs the early received a total of 9.7 ± 2.1 inches per week trougs the early weeks seeded for this city to reach it in a 2 weeks in a 3 weeks in a 2 week in a 2 weeks in a 2 week in a 2 weeks in a	SE # of Questions 7C 1 45% 8C 1 58% The average annual rainfall for a particular roly is 32.2 inche year, the city recovered actual of 5.7 inches of rain, 1f 8 is on weeks needed for this city to reach its average annual rainfal A 23 weeks B 13 weeks C 9 weeks D 16 weeks D 16 weeks A 25 weeks A 26 weeks D 16 weeks D	SE # of Percent Dual Coded 7C 1 45% 8C 1 58% The everage annual randfall for a particular dry # 31.2 inches. In the first 20 weeks value to city records a focal # 67.2 mides for ain. If it is expected for rain between 2.1 inches per week through the end of the year, what is a reasonable number of a A 20 weeks 8 13 weeks 8 13 weeks 5 10 weeks D 16 weeks D 17 weeks D 18 weeks D 1	SE # of Questions 7C 1 45% 8C 1 58% 1 58%	SE # of Questions SE 2C 2C 38 S8 S8 S8 S8 S8 S8 S8	SE # of Questions 7C 1 45% 8C 1 58% 8C 1 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	SE # of Percent Questions TC 1 45% 8C 1 58% 3B 3 3 60% The average animal randed for a service or to 3.2 3 crotile. In the first 30 weeks of this was been a construction of 3.2 in ordine. In the first 30 weeks of this was been a construction of 3.3 in ordine or to 3.3 in ordine or	SE # of Percent Dual		

Strand: Estimation

TEK: the student formulates equations and	TEK: the student selects and uses appropriate	TEK: the student adds, subtracts, multiplies, or	TEK: the student adds, subtracts, multiplies, and
inequalities based on linear functions, uses a	operations to solve problems and justify	divides to solve problems and justify solutions	divides to solve problems and justify solutions
variety of methods to solve them, and analyzes	solutions		
the solutions in terms of the situation			
-the student formulates systems of linear			
equations from problem situations, uses a			
variety of methods to solve them, and analyzes			
the solutions in terms of the situation			

Algebra I	8 th Grade	7 th Grade	6 th Grade
SE: ALG.7C – (S) interpret and determine the reasonableness of solutions to linear equations and inequalities ALG.8C – (S) interpret and determine reasonableness of solutions to linear equations and inequalities	SE: 8.2C – (S) evaluate a solution for reasonableness 8.3B – (R) estimate and find solutions to application problems involving percents and other proportional relationships such as similarity and rates 8.1C – (S) approximate (mentally and with calculators) the value of irrational numbers (such as pi and /2) as they arise from algebraic or geometric problem situations	7.2G – (S) determine the reasonableness of a solution to a problem 7.3A – (R) estimate and find solutions to application problems involving percent 7.3B – (R) estimate and find solutions to application problems involving proportional relationships such as similarity, scaling, units costs, and related measurement units 7.1C – (S) represent squares and square roots using geometric models 7.2E – (S) simplify numerical expressions involving order or operations and exponents	SE 6.2D – (S) estimate and round to approximate reasonable results and to solve problems where exact answers are not required 6.2E – (R) use order of operations to simplify whole number expressions (without exponents) in problem solving situations
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Use estimation to check for reasonableness	Use estimation to check for reasonableness	Use estimation to check for reasonableness	Incorporate estimation in other concepts (multiplying, dividing, decimals, addition, subtraction, etc.) Use estimation to check for reasonableness Always estimate BEFORE solving
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
	communicate mathematically why solution is reasonable as well as why not -support solution to the problem with information from the situation -all rates and ratios should include units	-communicate mathematically why a solution is reasonable or not and support solution to the problem with information from the situation -include problems involving 'best estimate of total number' when given information in a problem situation -all rates and ratios should include units	-students should round before computing -when estimating use compatible numbers, rounded numbers or a combination of both -round up to the thousandth place in decimals and fractions -students should be able to choose and use appropriate rounding strategies according to the problem situation -to evaluate solution, check for reasonableness in relation to the problem -compatible numbers are 'numbers that are easy

														to cor	npute menta	llv'		
														-compatible numbers do not always end in '0'				
Vocab	ulary				Vocab	ulary			Vocak	oulary				Vocabulary				
	,				propo similar	• ·	onships, sca		costs,	Reasonableness, estimate, similarity, scaling, unit costs, unit rates, square numbers, square root, expression, simplify, order of operations, exponents, evaluate, parenthesis, brackets					Estimate, reasonableness, compatible numbers, simplify, order of operations, expression, evaluate, grouping symbols, parenthesis,			
STAAR	2012				·					R 2012	te, parentni	esis, bracker	.5	brack	R 2012			
SE	# of	Dorsont	Dual		SE # of Percent Dual			SE	# of	Dorsont	Dual	1	SE	# of	Dorsont	Dual	7	
3E	# 01 Questions	Percent	Dual Coded		SE	Questions	Percent	Coded	3E	Questions	Percent	Dual Coded		3E	Questions	Percent	Dual Coded	
7C	1	38%			1C	1	69% 14D 3A 3 52% 13A,13B					2E	3	62%	11A,13A			
8C	1	25%			2C	1	54%		3B	3	56%	13A				•		=
		,			3B	4	49%	14A,14B 2E 1 51%										
STAAR	2013				STAAR	R 2013	ı	'	STAAI	R 2013	I.			STAAF	R 2013			
SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded	
7C	1	45%			2C	1	58%	14B	2G	1	48%	13B		2D	1	49%	11B	
8C	1	58%			3B	3	60%	14A,14B	3A	3	61%	13B		2E	2	65%	11A,12	
									3B	3	64%	13A			_	0370	А	
									1C	1	33%	14A						
									2E	1	59%							
year, the c	ty received a total of 9.7	inches of rain. If it is ex i of the year, what is a r	es. In the first 30 weeks of pected to rain between 1. reasonable number of add	5 and	Pia spends from \$40 to \$50 at the grocery store each week. She spends about 20% of the amount on vegetables and fruit. Which of the following is a reasonable estimate of the amount of money. Pia will spend on vegetables and fruit at the grocery store during the next 3 weeks?					The 5 members of the math team at Iseisen Middle School are raising money to go to the state competition. They need between 955 and 450 per person for each day of the ting. Which of the following is a reasonable estimate of the total amount of money they will need for the 2-day triple.					ming pool, Hector swam bet am at this pool 10 days. Wi f meters Hector swam?	tween 9 and 21 laps ear sich of the following is a	ch day. Each lap is 26.8 reasonable estimate of	m long. the total
A 23 wee					F \$130				A \$275					A 1,000 m B 9,000 m				
B 13 week					G \$26				B \$400 C \$700					C 4,500 m				
D 16 week					H \$54				D \$900						D 1,800 m			
The numb	er of medium T-shirts nee	ded is three times the n	m and large T-shirts for fin number of large T-shirts no pohomore class to order 7	eeded.	a sandwid	h, a bag of chips, and a d	frink. About 55% of the	each ice chest. Each lunch cont nese lunches contain a ham or of lunches that contain a ham	Of the 25 the flock	s Of the 250 sheep in a flock, 34% are white. What is the total number of white sheep in the flock?					All the minutes used by Mrs. Larsen and her 3 children for cell phone calls last month were reported on the same bill.			
	d 144 medium T-shirts?	T			sandwich?	,			A 85						bill showed that a total o Larsen used 462 minute		been used last month.	
T-shirt	cause the number of med	ium 1-shirts is not 3 tim	ies the number of large		F 23				B 216 C 165						son used twice as many of her daughters used to		inutes.	
B No, be T-shirt	ause the number of large	T-shirts is not 3 times	the number of medium		H 17				D Not h	ere					ession below can be used	to find the number of	f minutes each of Mrs	. Larsen's
C Yes, be	cause the total number o	f T-shirts is 216			J 9									daughten		i0 - 462 - 462 × 2)	. 2	
D Yes, be	cause the number of larg	e T-shirts is $\frac{1}{3}$ of the to	tal number of T-shirts	-	per square counties n	e mile in each of 35 Texas	counties. A rectangul 7 miles. Which of the	ere are about 40 white-tailed dec are area on a ranch in one of thes following is closest to the numbe ?	found that of bake sale	40 people made cakes for a t 15% of these cakes were ?	a bake sale. Each perso chocolate. How many o	n made 3 cakes. Mrs. Si chocolate cakes were ma	inchez de for the		s the number of minutes			
					F 480				F 120 G 6					F 926 m				
									H 18					H 1,156				
	H 720 3 600							3 Not he	ere				3 232 m	nin				
					A package of S erasers costs \$0.39. At this rate, how much would 60 erasers cost, in dollars and cents?					the following is the best estimate of the number of problems Carrie missed?				Angle had a bag that contained 14 oranges. She put 3 of the oranges in her brother's lunch box. She put 2 times as many oranges in the refrigerator as she put in her brother's lunch box. She used the rest of the oranges to make orange juice. Based on the expression below,				
					Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.				F 123 G 13				how many oranges did Angle use to make orange juice? $14-(3+2\cdot 3)$					
									H 2	н 2				F 8				
									J 113					G 5				

A recipe for a dessert requires 3 cups of strawberries for every $1\frac{1}{2}$ cups of yogurt used. At	
this rate, how much yogurt should be used if 2 cups of strawberries are used?	
A 1c	
A 10	
B 9 c	
c 3/4 c	
1	
D 1/2 c	
At a concession stand 6 hot dogs cost \$6.72. At this rate, how much would 8 hot dogs cost, in dollars and cents?	
Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.	
One-half gallon is equivalent to 4 pints. How many gallons are the equivalent of 72 pints?	
A 64 gal	
B 9 gal	
C 80 gal	
D 576 gal	
The model below has an area of 16 square units.	
The model below has all area of 10 square units.	
Which expression represents the side length of the model in units?	
F √64	
G √4	
H √16	
J √8	
What is the value of the expression shown below?	
$12 + 96 \div 3 \cdot 2^3$	
A 288	
P. 204	
B 204	
C 268	
D 216	
D 216	

Strand: Estimation

TEK: the student adds, subtracts, multiplies,	TEK: the student estimates to determine reasonable	TEK: the student estimates to determine	TEK: the student estimates to determine
and divides to solve problems and justify	results	reasonable results	reasonable results
solutions			

6 th Grade	5 th Grade	4 th Grade	3 rd Grade
SE 6.2D – (S) estimate and round to approximate reasonable results and to solve problems where exact answers are not required 6.2E – (R) use order of operations to simplify whole number expressions (without exponents) in problem solving situations	SE 5.4 – (S)use strategies including rounding and compatible numbers to estimate solutions to addition, subtraction, multiplication, and division problems	SE 4.5A – (S)round whole numbers to the nearest ten, hundred, or thousand to approximate reasonable results in problem situations 4.5B – (S)use strategies including rounding and compatible numbers to estimate solutions to multiplication and division problems	SE 3.5A – (S)round whole numbers to the nearest ten or hundred to approximate reasonable results in problem situations 3.5B – (S)use strategies including rounding and compatible numbers to estimate solutions to addition and subtraction problems
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Incorporate estimation in other concepts (multiplying, dividing, decimals, addition, subtraction, etc.) Use estimation to check for reasonableness Always estimate BEFORE solving	Incorporate estimation in other concepts (multiplying, dividing, decimals, addition, subtraction, etc.) Use estimation to check for reasonableness Always estimate BEFORE solving	Incorporate estimation in other concepts (multiplying, dividing, , addition, subtraction) Use estimation to check for reasonableness Always estimate BEFORE solving Numbers ending in zeros are 'friendly numbers' – they are easy numbers to work with	Numbers ending in zeros are 'friendly numbers' – they are easy numbers to work with Use estimation to check for reasonableness Always estimate BEFORE solving Use compatible numbers for reasonableness Kindergarten, 1 st grade, and 2 nd grade can help with estimation by asking students to determine which number the given number is 'closest to'
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-students should round before computing -when estimating use compatible numbers, rounded numbers or a combination of both -round up to the thousandth place in decimals and fractions -students should be able to choose and use appropriate rounding strategies according to the problem situation -to evaluate solution, check for reasonableness in relation to the problem -compatible numbers are 'numbers that are easy to compute mentally' -compatible numbers do not always end in '0'	-estimate numbers before computation -use compatible numbers -work with examples of real-life estimation -wounding and estimation in word problems -justify reasonableness -single digits are not rounded -for addition and subtraction round to the highest place value of the smallest number used in computation -multiplication and division round to the highest place value of each number -front-end estimation -compatible numbers are 'numbers that are easy to compute mentally' -compatible numbers do not always end in '0' -estimation and rounding are two different concepts	-teach within word problems -round before solving -single digit numbers are not rounded -front-end estimation -for addition and subtraction round to the highest place value of the smallest number used in computation -multiplication and division round to the highest place value of each number -problems may include information expressed as a range of numbers -Include rounding and reasonableness in solving problems -students should justify their answers -there are no definite rules for rounding an all situations -students should practice rounding using	-use word problems with real life application -round before solving -single digit numbers are not rounded -front-end estimation -for addition and subtraction round to the highest place value of the smallest number used in computation -Rounding/Estimation is introduced in 3 rd grade -there are no definite rules for rounding an all situations -students should practice rounding using different strategies and be able to determine which place value to round based on the real life situation -Include rounding and reasonableness in solving problems

	abulary Vocabulary							different strategies and be able to determine which place value to round based on the real life situation -estimation and rounding are two different concepts -use compatible numbers -compatible numbers are new to 3rd grade -compatible numbers are 'numbers that are easy to compute mentally' -compatible numbers do not always end in '0'						-the purpose of rounding is to estimate reasonable answers in problem situations; therefore students should encounter many different types of problems and determine what to round numbers to according to the situation and not a specific rule -use compatible numbers -compatible numbers are new to 3rd grade -compatible numbers are 'numbers that are easy to compute mentally' -compatible numbers do not always end in '0'				
Vocab	Vocabulary Vocabulary						Vocab	ulary				Vocab	ulary					
numbe	ite, reasonabers, simplify, sision, evaluat	order of op	•		nableness, co ximately, fror	•		timate,		, compatible nable, approx	,	ound, estim	nate,		d, closest, app nable, compa	•		
STAAR	2012		·	STAAI	R 2012				STAAF	R 2012				STAAF	R 2012			
SE	# of	Percent	Dual	SE	# of	Percent	Dual		SE	# of	Percent	Dual]	SE	# of	Percent	Dual]
	Questions		Coded		Questions		Coded			Questions		Coded			Questions		Coded	
2E	3	62%	11A,13A	4A	1	78%	14B		5A	1	54%	14B		5B	1	59%	14B	
STAAR	2013			STAAI	R 2013				STAAF	2013				STAAR 2013				
SE	# of	Percent	Dual	SE	# of	Percent	Dual		SE	# of	Percent	Dual		SE	# of	Percent	Dual	
	Questions		Coded		Questions		Coded			Questions		Coded			Questions		Coded	
2D	1	49%	11B	4A	1	50%	14B		5B	1	72%	14B		5A	1	33%	14B	
2E	2	65%	11A,12A		ļ.	<u> </u>		1								,,,		_
A 1,000 m B 9,000 m C 4,500 m D 1,800 m All the minimal reported or	n at this pool 10 days. Whi meters Hector swam?	ch of the following is a and her 3 children for o	h day. Each lap is 26.8 m long, reasonable estimate of the total period of the total p	A \$100 B \$150 C \$125	Anna pays \$618 for six months of music lessons. She pays the same amount for lessons each month. Which of the following is the best estimate of the amount Anna pays each month? A \$100 B \$150 C \$125 D \$200					Nathan washes 26 cars each day he works at a car wash. He worked 34 days during the summer. About how many cars did Nathan wash during these 34 days? A 900 B 600 C 1,800 D 1,200					Mr. Neufeld grew a vegetable garden last year. The list below shows the numb of three vegetables he grew. • 718 onions • 374 potatoes • 187 cucumbers Which expression shows the best way to estimate the difference between the number of potatoes and the number of cucumbers Mr. Neufeld grew in his garden? F 370 + 190			
Mrs. L Her so Each o	arsen used 462 minutes. n used twice as many min f her daughters used the	utes as she used. same number of minut	es.											G 400 -	+ 100 - 100			
daughters	used.		nutes each of Mrs. Larsen's											j 370 -	- 190			
		- 462 - 462 × 2) + 2																
	he number of minutes eac	h of Mrs. Larsen's dau	ghters used?															
F 926 min	1																	
	G 1 min H 1,156 min																	
box. She pu	232 min gip had a bag that contained 14 oranges. She put 3 of the oranges in her brother's lunch xx . She put 2 times as many oranges in the refrigerator as she put in her brother's lunch xx . She used the rest of the oranges to make orange juice. Based on the expression below, w many oranges did Angie use to make orange juice? 14 $-$ (3 + 2 + 3)																	
F 8	27 - (3 + 2 - 3)																	
G 5																		
H 1																		

Strand: Proportional Reasoning

TEK: the student analyzes real-world	TEK: the student uses sequences	TEK:	TEK: the student applies logical reasoning to justify and	TEK: the student knows the
numerical data using a variety of	and series as well as tools and		prove mathematical statements	relationship between the geometric
quantitative measures and numerical	technology to represent, analyze,		-the student uses a variety of representations to	and algebraic descriptions of conic
processes	and solve real-life problems		describe geometric relationships and solve problems	sections

AQR	Pre-Cal	MMA	Geometry	Algebra II
SE AQR.2A – apply, compare, and contrast ratios, rates, ratings, averages, weighted averages, or indices to make informed decisions	SE PC.4A – represent patterns using arithmetic and geometric sequences and series	SE	SE GEOM.3D – (S) use inductive reasoning to formulate a conjecture GEOM.5A – (R) use numeric and geometric patterns to develop algebraic expressions representing geometric properties GEOM.5B – (S) use numeric and geometric patterns to make generalizations about geometric properties, including properties of polygons, ratios in similar figures and solids, and angle relationships in polygons and circles	SE ALGII.5D – (S) identify the conic section from a given equation
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012 SE # of Questions Percent Coded 5A 2 72% 5B 1 56%	STAAR 2012
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013 SE # of Questions Percent Coded 3D 1 47% 5A 2 60% 5B 1 47%	STAAR 2013

A town wants to fence in a rectangular section of a park. The table shows five possible plans
for the dimensions of this fenced section. The changes in the width and the length of these
plans follow a pattern.
Plan Width Length Area
(feet) (feet) (square feet)
1 16 34 544
2 18 32 576
3 20 30 600
4 22 28 616
5 24 26 624
5 24 20 024
With a state of the control of the c
If six additional plans are added to the table and follow the same pattern, which conclusion is not correct?
not correct?
A The area of one of the additional plans exceeds 624 square feet.
B The area of one of the additional plans is less than 544 square feet.
C The area in Plan 6 is the same as the area in Plan 5.
D The area in Plan 7 is less than the area in Plan 6.
A pattern of dots is shown in the four figures below.
•••
• • ••••
• ••••
Figure 1 Figure 2 Figure 3 Figure 4
g 1 iguic 2 i iguic 3
If the pattern continues, which expression can be used to find the total number of dots in
If the patient continues, which expression can be used to find the total number of dots in Figure n?
ngure n:
A 3n-5
A 311-3
B 2n+2
D 2012
C 2n+3
C 211+3
D 3n-1
The first four stages of a pattern of arcs from congruent circles are shown below.
/ 180° \ / 120° / 80° / 53.3°
Stage 1 Stage 2 Stage 3 Stage 4
If this pattern continues, which expression can be used to find the degree measure of the arc
in Stage n?
A $20(10 - n^2)$
9. 8
B $180\left(\frac{1}{3}\right)^{(n-1)}$
B 100/3
17 990 1 2
C 60(4-n)
D $270\left(\frac{2}{3}\right)^{0}$
(3)
The table below contains a pattern formed by the number of sides and the measure in
degrees of each exterior angle of several regular convex polygons.
Exterior Angle Measures of Regular Polygons
Exterior Angle Measures of Regular Polygons
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle 130 00 73 60 36 34 18 8 4
Number of Sides 3 4 5 6 10 15 20 45 90
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle 130 00 73 60 36 34 18 8 4
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle 120 00 73 60 26 24 18 8 4
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4 If the pattern in the table continues, which statement is true?
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4 If the pattern in the table continues, which statement is true? A As the number of sides in the polygon increases by 1, the measure of each exterior
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4 If the pattern in the table continues, which statement is true? A As the number of sides in the polygon increases by 1, the measure of each exterior angle decreases by 25%.
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4 If the pattern in the table continues, which statement is true? A as the number of sides in the polygon increases by 1, the measure of each exterior angle decreases by 25%. B The product of the number of sides in the polygon and the measure of each exterior
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4 If the pattern in the table continues, which statement is true? A As the number of sides in the polygon increases by 1, the measure of each exterior angle decreases by 25%.
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4 If the pattern in the table continues, which statement is true? A As the number of sides in the polygon increases by 1, the measure of each exterior angle decreases by 25%. B The product of the number of sides in the polygon and the measure of each exterior angle is a constant.
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4 If the pattern in the table continues, which statement is true? A as the number of sides in the polygon increases by 1, the measure of each exterior angle decreases by 25%. B The product of the number of sides in the polygon and the measure of each exterior
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4 If the pattern in the table continues, which statement is true? A As the number of sides in the polygon increases by 1, the measure of each exterior angle decreases by 25%. B The product of the number of sides in the polygon and the measure of each exterior angle is a constant. C The measure of each exterior angle is a multiple of 6 degrees.
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4 If the pattern in the table continues, which statement is true? A As the number of sides in the polygon increases by 1, the measure of each exterior angle decreases by 25%. B The product of the number of sides in the polygon and the measure of each exterior angle is a constant. C The measure of each exterior angle is a multiple of 6 degrees. D If the number of sides in the polygon is even, the measure of each exterior angle is a
Number of Sides 3 4 5 6 10 15 20 45 90 Exterior Angle Measure (degrees) 120 90 72 60 36 24 18 8 4 If the pattern in the table continues, which statement is true? A As the number of sides in the polygon increases by 1, the measure of each exterior angle decreases by 25%. B The product of the number of sides in the polygon and the measure of each exterior angle is a constant. C The measure of each exterior angle is a multiple of 6 degrees.

Strand: Proportional Reasoning

TEK: the	TEK: the student understands how	TEK: the student identifies proportional or	TEK: the student solves problems involving	TEK: the student solves problems involving
student	algebra can be used to express	non-proportional linear relationships in	direct proportional relationships	direct proportional relationships
knows the	generalizations and recognizes and uses	problem situations and solves problems		
relationship	the power of symbols to represent			
between	situations			
the	TEK: the student understands that linear			
geometric	functions can be represented in			
and	different ways and translates among			
algebraic	their various representations			
descriptions				
of conic				
sections				

Algebra II	Algebra I	8 th Grade	7 th Grade	6 th Grade
SE:	SE:	SE	SE	SE
ALGII.5D – (S) identify the conic section from a given equation	ALG.3B – (S) look for patterns and represent generalizations algebraically ALG.5B – (S) determine the domain and range for linear functions in given situations	8.3A – (S)compare and contrast proportional and non-proportional linear relationships 8.3B – (R)estimate and find solutions to application problems involving percents and other proportional relationships such as similarity and rates 8.6A – (R)generate similar figures using dilations including enlargements and reductions	 7.3A – (R) estimate and find solutions to application problems involving percent 7.3B – (R) estimate and find solutions to application problems involving proportional relationships such as similarity, scaling, units costs, and related measurement units 7.6D – (R) use critical attributes to define similarity 	 6.3A – (S)use ratios to describe proportional situations 6.3B – (S)represent ratios and percents with concrete models, fractions, and decimals 6.3C – (R)use ratios to make predictions in proportional situations
Specifics	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
		Same operation on both sides of the equation Add and Subtract to isolate the Variable '4x' is the same as 4 times x Linear functions	Same operation on both sides of the equation Add and Subtract to isolate the Variable '4x' is the same as 4 times x Equivalency charts/bars	
Rationale (clarificatio n of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
		-focus on what makes a situation	-students should estimate before computing	-use all three forms to write rations (3 is to 2,
		proportional (proportional relationships	-do not use cross products to teach this	3:2, 3/2) and convert from one form to
		have equivalent ratios)	concept	another
		-recognize in a table (horizontal and	-include concept of percent making a	-emphasize the order the ratio is stated
		vertical), chart and or graph proportional	comparison of per hundred	-match a description to a given ratio that may
		(linear) and non-proportional relationships	-compare actual to estimation and support	or may not be in lowest terms
		-recognize linear situations – linear	solution with information from the problem	-focus on the equivalent and proportional
		situations have constant multiplies	situation/word problem	relationships

					-estimate before computing -do not use cross products to teach this concept -focus on the equivalent and proportional relationships -use numbers appropriate for real life application -justify solution with information from the problem situation -proportional relationships such as scale factor, student to teacher ratio, percent of change -understand that similar figures must have the same corresponding angle measurement and the dimensions of the corresponding sides must be proportional -use scale factors such ½, ¼, 2, 0.4, 2.5 -have students draw the figures -find the scale factor from a graph, drawing or a table -label dilations with 'prime' notation -make congruent parts of similar figures -the term dilation is introduced in 8 grade -the concept of dilations is introduced in 7		introddo n conce -focus relatic -use n applic -unit c th 7 gra -attrib -defin- corres dimen should not ju:	-application problems involving percent is introduced at 7 gradedo not use cross products to teach this concept -focus on the equivalent and proportional relationships -use numbers appropriate for real life application -unit cost and scale factor are introduced in 7 grade -attributes and properties are synonyms -define similar polygons as figures with corresponding equal angles and all dimensions are proportional (side lengths should be represented with rational numbers not just whole numbers) -connect to proportional reasoning			-decimals less than and greater than one -fractions should include unit fractions, proper fractions, improper, mixed numbers -make connect between the models and fractions, decimals, and percents -understand and explain that % means per '100' -do not use cross products to teach this concept -use real life application/problem situations Always use appropriate labels units in ratios/rates/proportions							
Vocabulary	Vocab	ulary			Vocab	ulary			Vocab	ulary				Vocab	oulary			
					percer	•	unit rate,	al, linear, scaling, similar nts, reductions	, similar costs, unit rates, ratios, attributes,			Ratios, percents, predict, proportions, convert			nvert			
STAAR 2012	STAAR	2012			STAAR	2012			STAAF						R 2012	_		
	SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual Coded		SE	# of	Percent	Dual Coded	
	3B	Questions 1	41%	Coded	3A	Questions 2	55%	Coded 14A,14C	3A	Questions 3	52%	13A,13B		3A	Questions 1	50%	12A	
					3B	4	49%	14A,14B	3B	3	56%	13A		3B	1	33%	11B	
					6A	3	51%	14B,14D	6D	2	57%	15B		3C	3	60%	11A	
STAAR 2013	STAAR	2013			STAAR	2013		<u> </u>	STAAF	2013	<u> </u>	1	J	STAAF	R 2013	<u> </u>	1	
277 0 111 2013	SE	# of	Percent	Dual	SE	# of	Percent	Dual	SE	# of	Percent	Dual		SE	# of	Percent	Dual Code	ed
		Questions		Coded		Questions		Coded		Questions		Coded			Questions			
	3B	1	51%		3A	2	69%	14A,14B	3A	3	61%	13B		3A	1	54%	12A	
	5B	1	34%		3B	3	60%	111	3B	3	64%	13A		3B	1	76%	44. 42.	
					6A	3	63%	14A	6D	2	53%	15B		3C	3	56%	11A,12A, 13B	'
	l								1									

The first six numbers in a pattern are shown below. $\frac{1}{3}, \frac{4}{3}, 3, \frac{16}{3}, \frac{25}{3}, \frac{12}{3}, 12, \dots$	A store sells a 5-pound bag of apples for \$4.60. Which of the following is NOT an equivalent price per pound of apples?	Of the 250 sheep in a flock, 34% are white. What is the total number of white sheep in the flock?	Fred went to an arcade to play video games. He paid \$2 for every 11 tokens he bought. He spent a total of \$16 on tokens. Which equation can be used to determine t, the number of tokens Fred bought?
3, 3, 3, 3, 3,	A A 20-pound bag for \$18.40	A 85	tokers ried boughtr
If the pattern continues, which expression can be used to find the nth number in the pattern?	B A 12-pound bag for \$11.04	B 216	A $\frac{2}{16} = \frac{t}{11}$
A 2n	C A 7-pound bag for \$6.44	C 165	10 11
3	D A 15-pound bag for \$9.20	D Not here	$B = \frac{2}{100} = \frac{t}{100}$
в <u>п²</u>			11 16
c $\frac{\sigma^2}{6}$			$c \frac{16}{t} = \frac{11}{2}$
D 2n 6			D $\frac{11}{2} = \frac{t}{16}$
The number of ferryboat trips, $f(c)$, needed to transport c cars in 1 day can be found using	A painter earns \$119.00 for 7 hours of work. Which of the following is an equivalent rate?	A total of 40 people made cakes for a bake sale. Each person made 3 cakes. Mrs. Sánchez	The students in a science class spent 85% of their class period performing an experiment.
the function $f(c) = \frac{c}{20}$. If there are no more than 5.000 cars transported by ferryboat daily.		found that 15% of these cakes were chocolate. How many chocolate cakes were made for the bake sale?	What decimal is equivalent to 85%?
what is the range of the function for this situation?	A \$120.50 for 8½ hours of work	F 120	Record your answer and fill in the bubbles on your answer document. Be sure to use the
	B \$110.50 for $6\frac{1}{2}$ hours of work	G 6	correct place value.
AND THE PERSON NAMED IN COLUMN TWO IS NOT THE PERSON NAMED IN COLUMN TWO IS NAMED I		н 18	
A DAMESTON OF THE PARTY OF THE	C \$178.50 for 7½ hours of work	3 Not here	
	D \$153.50 for 9 1/2 hours of work		
	Mr. Martínez has 3 ice chests. He is placing 14 lunches in each ice chest. Each lunch contains a sandwich, a bag of chips, and a drink. About 55% of these lunches contain a ham	Carrie missed 9.6% of the problems on a test. The test had a total of 125 problems. Which of the following is the best estimate of the number of problems Carrie missed?	At a school on Friday, 3 out of every 4 students were wearing jeans. There were 600 students at school on Friday. How many of the students were wearing jeans?
A The set of all integers greater than or equal to 5,000 B The set of all integers from 0 to 5,000	sandwich. Which of the following is closest to the number of lunches that contain a ham sandwich?	F 123	A 599, because 600 − (4 − 3) ≡ 599
The set of all integers from 0 to 5,000 The set of all integers greater than or equal to 250		G 13	
D The set of all integers from 0 to 250	F 23 G 8	H 2	B 450, because $\frac{3}{4} = \frac{450}{600}$
90 - 100 - 1	H 17) 113	C 50, because $600 \div (4 \times 3) = 50$
	J 9		
			D 800, because $\frac{3}{4} = \frac{600}{800}$
	According to the Texas Parks and Wildlife Department, there are about 40 white-tailed deer	A recipe for a dessert requires 3 cups of strawberries for every $1\frac{1}{2}$ cups of yogurt used. At	In a first-aid kit the ratio of large bandages to small bandages is 3 to 2. Based on this ratio,
	per square mile in each of 35 Texas counties. A rectangular area on a ranch in one of these counties measures 2.25 miles by 6.7 miles. Which of the following is closest to the number of	this rate, how much yogurt should be used if 2 cups of strawberries are used?	how many large bandages are in the kit if there are a total of 80 bandages?
	white-tailed deer expected to live in this rectangular area?		F 32
	F 480 G 840	A 1c	G 48
	В 840 Н 720		H 16
	3 600	В 9 с	3 40
		c 3/c	
		,	
		D ½ c	
	A package of 5 erasers costs \$0.39. At this rate, how much would 60 erasers cost, in dollars and cents?	At a concession stand 6 hot dogs cost \$6.72. At this rate, how much would 8 hot dogs cost, in dollars and cents?	Vanessa is making a sauce for a chicken dish. The list below shows the amount of each ingredient she needs in order to make 4 servings of the sauce.
	Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.	Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.	2 tablespoons of black pepper
	A square has a side length of $5\frac{1}{2}$ inches. This square is dilated by a scale factor of $\frac{4}{\pi}$ to	One-half gallon is equivalent to 4 pints. How many gallons are the equivalent of 72 pints?	1 cup of peanut butter 3 tablespoons of vinegar
	create a new square. What is the side length of the new square?	A 64 gal	 2 tablespoons of soy sauce
	gar or and rest again or	B 9 gal	1 cup of water
	A $4\frac{4}{5}$ in.	C 80 gal	Based on this information, which statement is true?
		D 576 gal	A For 16 servings, she would need to use 12 tablespoons of vinegar.
	B $4\frac{1}{4}$ in.		B For 20 servings, she would need to use 7 tablespoons of soy sauce.
			C For 2 servings, she would need to use 4 tablespoons of black pepper.
	C 4 ² / ₈ in.		D For 12 servings, she would need to use 9 cups of peanut butter.
	D Not here		
	Mrs. Hussen has two similar recycling bins in her office. The dimensions of the smaller bin can be found by dilating the dimensions of the larger bin by a scale factor of 0.75.	The triangles shown below are similar.	
	10 in. x	£	
	Recycle 7 in.	Which line segment corresponds to AC?	
	What are the measurements of x and y on the smaller recycling bin?	A BC	
	F $x = 13.25$ in, and $y = 9.25$ in.	B EF	
	x = 13.25 in. and y = 9.25 in. x = 10.5 in. and y = 6.5 in.		
	X = 10.5 in. and $y = 0.5$ in. H $X = 11.5$ in. and $y = 7.5$ in.	C DE	
	x = 11.5 in. and $y = 7.5$ in.	D DF	
	<u> </u>		

	A rectangle has a length of 7.5 inches and a width of 3 inches. This rectangle is dilated by a scale factor of 2.2 to create a new rectangle. Which figure represents the new rectangle?	41 Triangle QRS and triangle WXY are similar.	
	16.5 in. A 6.6 in. B 0.0 in. 5.3 in.	W 6 in. 8 in. 8 y	
	C 3 in. 9.7 in.	Which statement must be true? A \overline{YX} is 6 inches long. B $m \angle S + m \angle R + m \angle Y = 180$ C $m \angle S + m \angle R = m \angle Y + m \angle X$ D \overline{SR} is twice as long as \overline{YX} .	

Strand: Proportional Reasoning

TEK: the student solves problems involving direct	TEK: the student uses fractions in	TEK: the student describes and compares fractional	TEK:
proportional relationships	problem-solving situations	parts of whole objects or sets of objects	

6 th Grade	5 th Grade	4 th Grade	3 rd Grade
SE 6.3A – (S)use ratios to describe proportional situations 6.3B – (S)represent ratios and percents with concrete models, fractions, and decimals 6.3C – (R)use ratios to make predictions in proportional situations	fractions that name tenths, hundredths, and hundredths using concrete objects and pictorial models tios to make predictions in proportional fractions that name tenths, hundredths, and hundredths using concrete objects and pictorial models		SE:
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-use all three forms to write rations (3 is to 2, 3:2, 3/2) and convert from one form to another -emphasize the order the ratio is stated -match a description to a given ratio that may or may not be in lowest terms -focus on the equivalent and proportional relationships -decimals less than and greater than one -fractions should include unit fractions, proper fractions, improper, mixed numbers -make connect between the models and fractions, decimals, and percents -understand and explain that % means per '100' -do not use cross products to teach this concept -use real life application/problem situations Always use appropriate labels units in ratios/rates/proportions	-students understand the value of 1/1000 is the same as 0.001 -solve problems such as a picture may show ½ shaded and the answer may be 0.5 in the decimal form -pictorial representations of a 10 th of a circle and a 10 th of a 100ths grid show equivalence	-relating fractions to decimals -record models and pictures -students should demonstrate 1/10 is the same value as 0.1 and 1/100, 0.01 -decimals are introduced in 4 th	
Vocabulary	Vocabulary	Vocabulary	Vocabulary
Ratios, percents, predict, proportions, convert	Tenths, hundredths, thousandths, relationships	Fraction, decimal, tenths, hundredths, relate, relationship, number line, model	
STAAR 2012 SE # of Questions Percent Coded 3A 1 50% 12A 3B 1 33% 11B 3C 3 60% 11A	STAAR 2012	STAAR 2012 SE # of Percent Dual Coded 2D 2 72% 14D	STAAR 2012

STAAR 2013 SE # of Questions Percent Dual Coded 3A 1 54% 12A 3B 1 76% 3C 3 56% 11A,12A,13B	STAAR 2013	STAAR 2013 SE # of Percent Dual Coded 2D 2 78% 14D	STAAR 2013
Fred went to an arcade to play video games. He paid \$2 for every 11 tokens he bought. He spent a total of \$16 on tokens. Which equation can be used to determine t , the number of tokens Fred bought?		The model below is shaded to represent $1\frac{4}{100}$.	
A $\frac{2}{16} = \frac{t}{11}$ B $\frac{2}{11} = \frac{t}{16}$ C $\frac{18}{t} = \frac{11}{2}$ D $\frac{11}{2} = \frac{t}{16}$		Which decimal does the model represent? F 1.04 G 1.4 H 14.0 J 1.004	
The students in a science class spent 85% of their class period performing an experimer	ıt.	The model below is shaded to represent a number greater than 1.	
What decimal is equivalent to 85%? Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value. At a school on Friday, 3 out of every 4 students were wearing jeans. There were 600 student at school on Friday, How many of the students were wearing jeans? A 599, because 600 – (4 – 3) = 599			
B 450, because $\frac{3}{4} = \frac{450}{600}$		Which fraction and decimal represent this number?	
C 50, because $600 \div (4 \times 3) = 50$			
D 800, because $\frac{3}{4} = \frac{600}{800}$		A $\frac{35}{100}$ and 0.35	
In a first-aid kit the ratio of large bandages to small bandages is 3 to 2. Based on this rat how many large bandages are in the kit if there are a total of 80 bandages? F 32	io,	B $3\frac{5}{10}$ and 3.5	
G 48 H 16		c $3\frac{5}{100}$ and 3.5	
J 40		D $3\frac{5}{10}$ and 3.05	
Vanessa is making a sauce for a chicken dish. The list below shows the amount of each ingredient she needs in order to make 4 servings of the sauce.			
 2 tablespoons of black pepper 1 cup of peanut butter 3 tablespoons of vinegar 2 tablespoons of soy sauce 1 cup of water 			
Based on this information, which statement is true?			
 A For 16 servings, she would need to use 12 tablespoons of vinegar. B For 20 servings, she would need to use 7 tablespoons of soy sauce. C For 2 servings, she would need to use 4 tablespoons of black pepper. 			
D For 12 servings, she would need to use 9 cups of peanut butter.			

Strand: Patterns, Relationships, and Making Predictions

TEK: the student uses	TEK: the student	TEK: the student uses	TEK: the student uses a variety of representations to	TEK: the student understands the importance of the skills
mathematical models	interprets the meaning	functional relationships	describe geometric relationships and solve problems.	required to manipulate symbols in order to solve problems
to represent, analyze,	of the symbolic	to solve problems	TEK: the student understands that coordinate systems	and uses the necessary algebraic skills required to simplify
and solve real-world	representations of	related to personal	provide convenient and efficient ways of representing	algebraic expressions and solve equations and inequalities in
problems involving	functions and	income	geometric figures and uses them accordingly	problem situations
change	operations on functions	TEK: the student uses		TEK: the student connects algebraic and geometric
TEK: the student	to solve meaningful	algebraic and geometric		representations of functions
creates and analyzes	problems	models to describe		TEK: the student understands that quadratic functions can be
mathematical models	TEK: the student uses	situations and solve		represented in different ways and translates among their
to make decisions	functions and their	problems		various representations
related to earning,	properties, tools and			TEK: the student formulates equations and inequalities based
investing, spending	technology, to model			on square root functions, uses a variety of methods to solve
and borrowing money	and solve meaningful			them, and analyzes the solutions in terms of the situation
to evaluate real-world	problems			-the student formulates equations and inequalities based on
situations	TEK: the student uses			rational functions, uses a variety of methods to solve them,
	sequences and series as			and analyzes the solutions in terms of the situation
	well as tools and			-the student formulates equations and inequalities based on
	technology to			exponential and logarithmic functions, uses a variety of
	represent, analyze, and			methods to solve them, and analyzes the solutions in terms of
	solve real-life problems			the situation

AQR	Pre-Cal	MMA	Geometry	Algebra II
SE	SE	SE	SE	SE
AQR.9A – analyze and	PC.2B – perform	MMA.5A – use rates,	GEOM.4A – (S) select an appropriate representation	ALGII.2A – (S) use complex numbers to describe the solutions
determine appropriate	operations including	linear functions, and	(concrete, pictorial, graphical, verbal, or symbolic) in order	of quadratic equations
growth or decay	composition on	direct variation to solve	to solve problems	ALGII.4C – (S) describe and analyze the relationship between
models, including	functions, find inverses,	problems involving	GEOM.7B – (R) use slopes and equations of lines to	a function and its inverse
linear, exponential,	and describe these	personal finance and	investigate geometric relationships, including parallel	ALGII.6B – (R) relate representations of quadratic functions,
and logistic functions	procedures and results	budgeting, including	lines, perpendicular lines, and special segments of	such as algebraic, tabular, graphical, and verbal descriptions
AQR.10A - determine,	verbally, numerically,	compensations and	triangles and other polygons	ALGII.9B – (S) relate representations of square root functions,
represent, and analyze	symbolically, and	deductions		such as algebraic, tabular, graphical, and verbal descriptions
mathematical models	graphically	MMA.8C – use direct		ALGII.9G – (S) connect inverses of square root functions with
for various types of	PC.3A – investigate	and inverse variation to		quadratic functions
income calculations	properties of	describe physical laws		ALGII.10B – (S) analyze various representations of rational
AQR.10B – determine,	trigonometric and	such as Hook's,		functions with respect to problem situations
represent, and analyze	polynomial functions	Newton's, and Boyle's		ALGII.10G – (S) use functions to model and make predictions
mathematical models	PC.4C – describe limits	laws.		in problem situations involving direct and inverse variation
for expenditures,	of sequences and apply			ALGII.11A – (R) develop the definition of logarithms by
including those	their properties to			exploring and describing the relationship between
involving credit	investigate convergent			exponential functions and their inverse
	and divergent series			
Specifics (description	Specifics (description of	Specifics (description of	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
of lesson, include any	lesson, include any	lesson, include any		
"tricks")	"tricks")	"tricks")		

Rationale (clarification of TEKS/SE)		Ration	Rationale (clarification of TEKS/SE)									
Vocabulary	Vocabulary	Vocabulary	Vocabulary		Vocabi	Vocabulary						
STAAR 2012	STAAR 2012	STAAR 2012	STAAF SE 4A 7B	# of Questions 1 3	90% 32%	Dual Coded		STAAR	2012			
STAAR 2013	STAAR 2013	STAAR 2013	STAAF SE 4A 7B	# of Questions 1 3	73% 53%	Dual Coded		STAAR SE 2A 4C 6B 11A	2013 # of Questions 1 1 3	Percent 62% 15% 48% 65%	Dual Coded	
			Lines r , t , n , and v intersect as shown to form isosceles trapezoid $ABCD$. $ \begin{array}{c} $			What i	s the solution se	et for the folio	wing equation $3 \left 1 - \frac{1}{4} \right $			
			Which expression represents the measure of $\angle 1$ in degrees? F 180 \div (7 y – 4) H (7 y – 4)		(- j						

J 180 - (7y - 4)

G 180 - 2(7y - 4)

The equation of a line containing one leg of a right triangle is y=-4x. Which of the following equations could represent the line containing the other leg of this triangle?

$$\mathbf{F} \quad \mathbf{y} = -\frac{1}{4}\mathbf{x}$$

$$\mathbf{H} \quad \mathbf{y} = 4\mathbf{x}$$

$$G \quad y = \frac{1}{4}x + 2$$

$$y = -4x + 3$$

Which function is equivalent to its inverse?

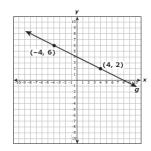
$$\mathbf{A} \quad f(x) = \frac{2x-1}{2}$$

$$\mathbf{B} \quad g(x) = \frac{3-x}{3}$$

$$c h(x) = 7 - x$$

D
$$j(x) = x - 4$$

The graph of line g is shown below.



Which equation describes a line parallel to line g that has a y-intercept at (0, -1)?

A
$$y = 2x - 1$$

$$y = -\frac{1}{2}x - 1$$

B
$$y = \frac{1}{2}x - 1$$

D
$$y = -2x - 1$$

Which function's graph has a vertex at (3, 5) and contains the point (5, 13)?

$$F \quad y = \frac{1}{10}(x+3)^2 - 5$$

$$\mathbf{G} \quad y = \frac{1}{10}(x-3)^2 - 5$$

$$y = 2(x-3)^2 + 5$$

J
$$y = 2(x+3)^2 + 5$$

The slopes of the sides of quadrilateral ABCD are shown in the table below.

Side	Slope
ĀB	<u>2</u> 5
BC	$-\frac{2}{5}$
CD	<u>2</u> 5
ĀD	$-\frac{5}{2}$

Which statement describes the relationships between the sides of the quadrilateral?

- **A** \overline{AD} is parallel to \overline{BC} , but \overline{AB} is not parallel to \overline{CD} .
- **B** \overline{AB} is parallel to \overline{CD} , but \overline{AD} is not parallel to \overline{BC} .
- **c** \overline{AB} is parallel to \overline{CD} , and \overline{AD} is parallel to \overline{BC} .
- \overline{D} is not parallel to \overline{BC} , and \overline{AB} is not parallel to \overline{CD} .

A table of values for the quadratic function g is shown below.

x	g(x)	
-1	-55	
2	-16	
5	5	
6	8	
9	5	
10	0	
12	-16	
14	-40	

Which of the following statements about the graph of g are true?

- I. The graph has a line of symmetry at x = 7.
- II. The graph has a y-intercept at (0, -40).
- III. The graph has an x-intercept at (4, 0).
- IV. The graph has a vertex at (6, 8).

F I and II only

H I, II, and III only

G III and IV only

J I, II, III, and IV

		A sector of a circle is shown below.	
		The area, A, of the sector is $\frac{\pi}{4}$ times the square of the radius, r. Which graph represents this relationship?	
		A SU C SU Radius	
		B Su D W Radius	
		Some values for the function $f(x) = \log x$ are given in Table 1.	
		x f(x) 10 1 100 2 1,000 3 10,000 4 Table 2 x g(x) 1 10 2 100 3 1,000 4 10,000	
		Which function can generate all the values in Table 2?	
		$\mathbf{A} g(\mathbf{x}) = \mathbf{x}^{10}$	
		$\mathbf{B} g(\mathbf{x}) = 10^{\mathbf{x}}$	
		$c g(x) = \frac{10}{x}$	
		D g(x) = 10x	
		What is the inverse of $h(x) = \frac{1}{2} \log_3(x)$?	
		A $h^{-1}(x) = 3^{(2x)}$	
		B $h^{-1}(x) = 2(3)^x$	
		$h^{-1}(x) = 2(\log_x 3)$	
		D $h^{-1}(x) = \log_3(2x)$	

Strand: Patterns, Relationships, and Making Predictions

TEK: the student understands the importance of
the skills required to manipulate symbols in
order to solve problems and uses the necessary
algebraic skills required to simplify algebraic
expressions and solve equations and inequalities
in problem situations
TEK: the student connects algebraic and
goometric representations of functions

geometric representations of functions
TEK: the student understands that quadratic functions can be represented in different ways and translates among their various representations

TEK: the student formulates equations and inequalities based on square root functions, uses a variety of methods to solve them, and analyzes the solutions in terms of the situation -the student formulates equations and inequalities based on rational functions, uses a variety of methods to solve them, and analyzes the solutions in terms of the situation -the student formulates equations and inequalities based on exponential and logarithmic functions, uses a variety of methods to solve them, and analyzes the solutions in terms of the situation

TEK: the student understands that a function represents a dependence of one quantity or another and can be described in a variety of ways

TEK: the student understands that linear functions can be represented in different ways and translates among their various representations

TEK: the student understands the meaning of the slope and intercepts of the graphs of linear functions and zero of linear functions and interprets and describes the effects of changes in parameters of linear functions in real-world and mathematical situations

and mathematical situations
TEK: the student understands there are situations modeled by functions that are neither linear nor quadratic and models the situations

TEK: the student makes connections among various representations of a numerical relationship

 the student uses graphs, tables, and algebraic representations to make predictions and solve problems TEK: the student represents a relationship in numerical, geometric, verbal and symbolic form.

Algebra II	Algebra I	8 th Grade	7 th Grade
SE	SE	SE	SE
ALGII.2A – (S) use complex numbers to describe	ALG.1C (S) – describe functional relationships	8.4 – (R) generate a different representation of	7.4A – (S) generate formulas involving unit
the solutions of quadratic equations	for given problem situations and write	data given another representation of data (such	conversions, perimeter, area, circumference,
ALGII.4C – (S) describe and analyze the	equations or inequalities to answer questions	as table, graph, equation, or verbal description)	volume, and scaling
relationship between a function and its inverse	arising from the situations	8.5B – (S) find and evaluate an algebraic	7.4B – (S) graph data to demonstrate
ALGII.6B - (R) relate representations of	ALG.1D (R) – represent relationships among	expression to determine any term in an	relationships in familiar concepts such as
quadratic functions, such as algebraic, tabular,	quantities using concrete models, tables,	arithmetic sequence (with a constant rate of	conversions, perimeter, area, circumference,
graphical, and verbal descriptions	graphs, diagrams, verbal descriptions,	change)	volume, and scaling
ALGII.9B – (S) relate representations of square	equations, and inequalities		7.4C – (S) use words and symbols to describe
root functions, such as algebraic, tabular,	ALG.5C (S) – use, translate, and make		the relationship between the terms in an
graphical, and verbal descriptions	connections among algebraic, tabular, graphical,		arithmetic sequence (with constant rate of
ALGII.9G – (S) connect inverses of square root	or verbal descriptions of linear functions		change) and their positions in the sequence
functions with quadratic functions	ALG.6A (S) – develop the concept of slope as		
ALGII.10B – (S) analyze various representations	rate of change and determine slopes from		
of rational functions with respect to problem	graphs, tables, and algebraic representations		
situations	ALG.6G (S) – relate direct variation to linear		
ALGII.10G – (S) use functions to model and	functions and solve problems involving		

make predictions in problem situations involving direct and inverse variation ALGII.11A – (R) develop the definition of logarithms by exploring and describing the relationship between exponential functions and their inverse	proportional change ALG.11A (S) – use patterns to generate the laws of exponents and apply them in problem-solving situations ALG.11B (S) – analyze data and represent situations involving inverse variation using concrete growth and decay using concrete models, tables, graphs, or algebraic methods ALG.11C (S) – analyze data and represent situations involving exponential growth and decay using concrete models, tables, graphs, or algebraic methods			
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	
		representations; students should be able to change data in one from to the other forms. Such as table to graph and graph to table; table to verbal and verbal to table; table to equation and equation to table; problem situation to equation and equation to problem situation -8 th grade students are not to go directly from graph to equation -predict first then make mathematical connections between all representations -include algebraic equations that require more than one step to save -emphasis should be on using the properties of equality to solve the equation -use expression to find the nth term; make the connection between the nth term and the position of the term -use various forms including tabular and verbal -constant rate of change is linear, where n represents the term number	-through exploration make mathematical connections between a pattern that occurs repeatedly to generate formulas and equations -included unit conversions such as 12 in/1 ft -make mathematical connection between a table, graph or/and verbal description of data -if given a table, produce a graph or verbal expression -if given multiple situations, match to corresponding table, graph, and verbal representation -connect the term number with the position in the sequence -connect a table with an expression or verbal description -constant rate of change is a linear pattern (all linear patterns are not proportional) -generate an expression to describe the sequence -determine the nth term in a pattern -understand what nth term means and derive the expression for the nth term	
Vocabulary	Vocabulary	Vocabulary	Vocabulary	
		Evaluate, algebraic expression, arithmetic sequence, rule, nth term, constant rate, position	Formulas, unit conversions, scaling, sequence, rule, constant rate, nth term, position	
STAAR 2012	STAAR 2012 SE # of Questions Percent Coded 1C 1 29% 1D 3 60% 5C 2 45%	STAAR 2012 SE # of Questions Percent Coded 4A 3 48% 15A 5B 2 60% 16A	STAAR 2012 SE # of Questions Percent Coded 4A 1 71% 14A 4B 1 46% 14A 4C 1 51% 14A	

			· ·
	6A 1 47%		
	6G 1 29%		
	11A 1 41%		
	11B 1 14%		
	11C 1 53%		
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013
SE # of Percent Dual	SE # of Percent Dual	SE # of Percent Dual	SE # of Percent Dual
Questions Coded 2A 1 62%	Questions Coded 1C 1 64%	Questions Coded	Questions Coded
4C 1 15%	1D 3 68%	5B 1 55% 16A	4B 1 42% 14A
6B 3 48%	5C 3 57%	3370 1071	4C 1 55% 14A
11A 2 65%	6G 1 48%		16 2 33/3 2
	11A 1 47%		
	11C 1 81%		
What is the solution set for the following equation?	A family will travel 350 miles from their house in order to reach Dallas, TX. Which inequality can be used to find all possible values of t, the time it will take this family to reach Dallas in hours, if they travel at an average speed of at least r—miles per hour?	The total number of washdoths, y , contained in x packages can be represented by the equation $y = 8x$. Which of the following graphs best represents this situation?	Robert drew the figure shown below.
$3\left 1-\frac{1}{4}x\right =9$	F t ≤ 350r	y	Λ
4	$G t > \frac{r}{350}$	1	
. [1 1]	H t ≤ 350	F	T sin.
A $\left\{-\frac{1}{2}, \frac{1}{2}\right\}$ C $\{-8, 16\}$			
B $\left\{-\frac{1}{2}, 1\right\}$ D $\left\{-8, -16\right\}$	3 t > 350r ²		
[2']			3 in.————————————————————————————————————
		<u> </u>	Which equation can be used to determine A, the area of the unshaded part of the figure in square inches?
		0 09	
		6 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3	$A = \frac{1}{2}(6 \times 8) + (3 \times 4)$
		j (j	8 $A = \frac{1}{2}(6 \times 8) + \frac{1}{2}(3 \times 4)$
		4	C $A = \frac{1}{2}(6 \times 8) - \frac{1}{2}(3 \times 4)$
			$\mathbf{D} A = \frac{1}{2}(6 \times 8) - (3 \times 4)$
Which function is equivalent to its inverse?	Which table shows the same relationship as $y = -x^2 + 3x$?	Ramona is walking 10,000 feet for a fund-raiser. She walks at a rate of 270 feet per minute. This situation is modeled by the equation below, where of represents the remaining number of feet Ramona has to walk and t represents the number of minutes she has already walked.	Miranda made a model airplane using a scale in which 0.25 inch represents 2 feet. Which graph shows this relationship?
		d = 10,000 - 270t	Airplane Scale Airplane Scale
$\mathbf{A} f(x) = \frac{2x-1}{2}$	F x -2 -1 0 1 2 v -2 -2 0 4 10	Which table shows only values that satisfy this equation?	5 11
2	y -2 -2 0 4 10	t d t d 1 9,730 1 10,000	A 11 George 16 C 14 G 14
$\mathbf{B} g(x) = \frac{3-x}{3}$		F 3 9,190 H 3 9,460	1 0 1 2 3 4 W
3	G x -2 -1 0 1 2	8 7,840 8 8,110 10 7,300 10 7,570	0 1 2 3 4 9 1 2 3 4 9 1 2 1 2 3 4 9 1 1 2 1 2 1 1 1 1 1 1 1 1 1 1 1 1 1 1
	y -2 -1 0 1 2	t d	Airplane Scale Airplane Scale
C h(x) = 7 - x		1 9,730 1 1 10,000 G 3 9,460 3 3 9,730	s **
	H x -2 -1 0 1 2	8 9,190 8 9,460 10 8,920 10 9,190	B display is D display is
D j(x) = x - 4	y -10 -4 0 2 2		£ 1 2 3 3×
			Model Length (inches) Model Length (inches)
	J X -2 -1 0 1 2		
	y -10 -4 0 4 10		

Which arithmetic sequence is represented by the expression 3n+1, where n represents the position of a term in the sequence? Which function's graph has a vertex at (3, 5) and contains the point (5, 13)? The graph of the quadratic function h passes through the points (-4,32), (3,4), (5,14), and Which equation best describes a relationship between x and y in the table below? (7, 32). Which of the following shows the same relationship as h? A 3, 6, 9, 12, 15, . . . B 3, 4, 5, 6, 7, . . . $\mathbf{G} \quad y = \frac{1}{10}(x-3)^2 - 5$ C 4, 5, 6, 7, 8, . . . D 4, 7, 10, 13, 16, . . . **H** $y = 2(x-3)^2 + 5$ **A** y = 3x + 5 $y = 2(x+3)^2 + 5$ h(x) **D** y = x + 5**B** $h(x) = x^2 + 3x + 4$ A 7-inch candle burns at a rate of 2 inches an hour. Which equation represents the relationship between y, the height of the candle in inches, and x, the number of hours the candle burns. A table of values for the quadratic function g is shown below. Which inequality can be represented by the graph below? g(x)A y = 2x + 7-55 **B** y = 7 - 2x-16 C y = 2 - 7x5 5 y = 7x + 26 8 (0, b)9 5 10 0 12 -16 14 -40 Which of the following statements about the graph of g are true? I. The graph has a line of symmetry at x = 7. II. The graph has a y-intercept at (0, -40). III. The graph has an x-intercept at (4, 0). IV. The graph has a vertex at (6, 8). $\mathbf{F} \quad y \geq x + b$

G $x-y \ge -b$

 $\mathbf{H} \quad x + y \le b$ $\mathbf{J} \quad -y \le x + b$

H I, II, and III only

J I, II, III, and IV

F I and II only

G III and IV only

A sector of a circle is shown below.



The area, A, of the sector is $\frac{\pi}{4}$ times the square of the radius, r. Which graph represents this relationship?

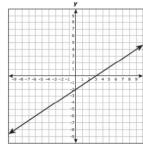








A graph is shown below.



Which of the following equations are represented by the graph?

I.
$$y = -\frac{3}{2}x - 2$$

II.
$$2x - 3y = 6$$

III.
$$y = (x - 2)(x - 3)$$

IV. $y - 2 = \frac{2}{3}(x - 6)$

- A II and IV
- B I and III
- C II and III
- D I and IV

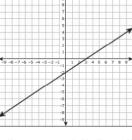
Some values for the function $f(x) = \log x$ are given in Table 1.

Table 1

x	f(x)	x	g(x)
10	1	1	10
100	2	2	100
,000	3	3	1,000
,000	4	4	10,000

Which function can generate all the values in Table 2?

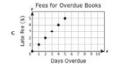
- A $g(x) = x^{10}$
- B $g(x) = 10^x$
- $C \quad g(x) = \frac{10}{x}$
- $D \quad g(x) = 10x$

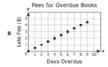


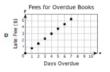
The late fee for overdue books at a library is \$0.25 per day per book, with a maximum late

fee of \$5.00 per book. Which graph models the total late fee for 3 books that were checked out on the same day and are overdue?









What is the inverse of $h(x) = \frac{1}{2} \log_3(x)$?

- A $h^{-1}(x) = 3^{(2x)}$
- **B** $h^{-1}(x) = 2(3)^x$
- $h^{-1}(x) = 2(\log_x 3)$
- **D** $h^{-1}(x) = \log_3(2x)$

Which set of ordered pairs contains only points that are on the graph of the function

- A {(-3, -27), (0, 0), (6, 54)}
- B {(-18, 10), (-6, 6), (18, -2)}
- C {(-5, 27), (-1, 15), (8, -12)}
- D {(-7, -9), (-4, 0), (2, 18)}

The value of y varies directly with x. Which function represents the relationship between x and y if $y = \frac{20}{3}$ when x = 30?

The expression below describes an arithmetic sequence of numbers.

9 - 40

If n represents the position of a term in the sequence, which of the following sequences of numbers could this expression describe?

- A 4, 3, 2, 1, 0, ...
- B 5, 10, 15, 20, 25, ...
- C S, 1, -3, -7, -11, ...
- D 13, 17, 21, 25, 29, ...

Which expression is equivalent to $\frac{12x^6y^{-4}z^2}{3x^2y^{-6}z^3}$?	
A $\frac{9x^8z^5}{y^{-10}}$	
$\mathbf{B} = \frac{4x^8z^5}{y^{-10}}$	
$c \frac{9x^4y^2}{z}$	
$D \frac{4x^4y^2}{z}$	
x f(x) 1 140,000 2 143,850 3 147,806 4 151,871 5 156,047	
Which situation could describe this function?	
A The value of a house increases by approximately $2\frac{3}{4}\%$ per year.	
B The value of a house increases by \$3,850 per year.	
C The value of a house decreases by approximately $2\frac{3}{4}\%$ per year.	
D The value of a house decreases by \$3,850 per year.	

Strand: Patterns, Relationships, and Making Predictions

TEK: the student represents a relationship in	TEK: the student uses letters as variables in	TEK: the student makes generalizations based on	TEK: the student uses patterns in
numerical, geometric, verbal and symbolic	mathematical expressions to describe how one	observed patterns and relationships	multiplication and division
form.	quantity changes when a related quantity		TEK: the student uses organizational structures
	changes		to analyze and describe patterns and
			relationships

7 th Grade	6 th Grade	5 th Grade	4 th Grade
7.4A – (S) generate formulas involving unit conversions, perimeter, area, circumference, volume, and scaling 7.4B – (S) graph data to demonstrate relationships in familiar concepts such as conversions, perimeter, area, circumference, volume, and scaling 7.4C – (S) use words and symbols to describe the relationship between the terms in an arithmetic sequence (with constant rate of change) and their positions in the sequence	SE 6.4A – (R) use tables and symbols to represent and describe proportional and other relationships such as those involving conversions, arithmetic sequences (with a constant rate of change), perimeter and area 6.4B – (S) use tables of data to generate formulas representing relationships involving perimeter, area, volume of a rectangular prism, etc.	SE 5.5A – (R) describe the relationship between sets of data in graphic organizers such as lists, tables, charts, and diagrams 5.5B – (S) identify prime and composite numbers using concrete objects, pictorial models, and patterns in factor pairs	SE 4.6A – (S) use patterns and relationships to develop strategies to remember basic multiplication and division facts such as the patterns in related multiplication and division number sentences (fact families) such as 9x9-81 and 81÷9 = 9 4.6B – (S) use patterns to multiply by 10 and 100 4.7 – (R) describe the relationship between two sets of related data such as ordered pairs in a table
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-through exploration make mathematical connections between a pattern that occurs repeatedly to generate formulas and equations -included unit conversions such as 12 in/1 ft -make mathematical connection between a table, graph or/and verbal description of data -if given a table, produce a graph or verbal expression -if given multiple situations, match to corresponding table, graph, and verbal representation -connect the term number with the position in the sequence -connect a table with an expression or verbal description -constant rate of change is a linear pattern	-set up a proportion to convert between units using equivalent ratios; do not use cross products to solve -written equation based on a pattern in a table with emphasis on the relationship between the columns -write an algebraic expression to find any term of a given arithmetic sequence -include units (labels) in proportional statement and in table -constant rate of change is a linear situation -not all linear relationships are proportional -write an equation (formula) by recognizing a pattern in a table and testing to see if the pattern holds true -connect verbal, numerical, graphic, and symbolic representations of relationships -given a problem situation with linear data use	-journal writing explaining in words the relationship -pictorial models illustrating the relationship -a variety of tables, charts, lists, picture, bar, line graphs, diagrams -students should work with both horizontal and vertical tables -students may be assessed over double bar graphs and double line graphs -include area arrays, pictorial drawing on grid paper -make connections between the different representations	-include equations/real-life applications -journal fact families – students include explanations on fact families -relate all factors to the product -find patterns using multiple representations (tables, bar graphs, t-charts) -students need to identify the relationship between paired numbers in tables -students should identify the relationship between paired numbers (ordered pairs are numbers that appear in tables or with parenthesis, paired numbers do not necessarily have to appear in a table) -tables may not begin with the number '1' or be in numerical order -assessments may be over the process for finding the solution (journal writing is a must)

-generate an e sequence -determine th -understand w	erns are not pro expression to de e nth term in a p what nth term m ression for the	scribe the pattern eans and	-use p contai -introd -linear chang		tions that ir two variab rade	nvolve equ oles	ations									
Vocabulary			Vocab	ulary				Vocab	ulary				Vocab	oulary		
	conversions, so e, constant rate,	-		s, sequences, onships, form				-	table, chart, o pairs, vertica	•		omposite,	exten	amily, multipl d, predict, fac it, rule, interv	t family, ta	
STAAR 2012			STAAF	R 2012			_	STAAR	2012				STAAI	R 2012		
SE # of Questi		Dual Coded	SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded
4A 1	71%	14A	4A	3	65%	12A		5A	3	60%	16A		6A	1	47%	16A
4B 1 4C 1	46% 51%	14A 14A	4B	1	52%	12A		5B	1	44%	16B		6B	2	62%	14A,1 6A
1	3170	147											7A	3	73%	15A,1 5B
STAAR 2013			STAAF	R 2013				STAAR	2013				STAAI	R 2013	Į.	
SE # of Questi		Dual Coded	SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded
4A 1	41%	14A	4A	3	49%	12A		5A	4	59%	16A		6A	1	73%	
4B 1	42%	14A	4B	1	78%	12A		5B	1	33%	14B		6B	1	60%	
4C 1	55%	14A		Į.		I	J						7A	4	63%	15A,16A
the relationship b		of m can be determined by mohip between the values of m can be determined by mohip between the values of the value	of m and f? c	8.5 8.55 8 9.5 9.55 9	.6 8.65 .6 9.65	Which st and the B The t C The t	1	Juice Bottles Number Number of B Bottles of B 54 90 08 62 relationship betwee ottles plus 36 equa	nber oxes 3 5 6 9 een the total number of 18 equals the number of 18 equals th	per of juice bottles boxes. per of boxes. boxes.	Laura se number groupe? F	÷ 2 = 5 + 2 = 5 = □	2 groups. Each gro	up had 5 puzzles. Which		

125

Miranda made a model airplane using a scale in which 0.25 inch represents 2 feet. Which graph shows this relationship?









position of a term in the sequence?

- A 3, 6, 9, 12, 15, . . . B 3, 4, 5, 6, 7, . . .
- C 4, 5, 6, 7, 8, . . .
- D 4, 7, 10, 13, 16, . . .

A pizza chef at a restaurant uses the same amount of tomato sauce to make each pizza. The table below shows the relationship between the number of pizzas made, n, and the number of gallons of tomato sauce used, g.

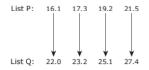
Tomato Sauce for Pizzas

Number of Pizzas,	80	112	144	176
Number of Gallons of Tomato Sauce,	5	7	9	11

Based on the information in the table, which expression can be used to find g, the number of gallons of tomato sauce needed to make n pizzas?

- G n 75
- J n + 32

Two lists of numbers are shown below.



Which statement about these lists of numbers is true?

- F Each number in List P is 6.1 less than the number below it in List Q.
- **G** Each number in List P is 5.9 more than the number below it in List Q.
- H Each number in List P is 5.9 less than the number below it in List Q.
- J Each number in List P is 6.1 more than the number below it in List O.

A season pass at a water park costs \$100. A total of 125 people paid for a season

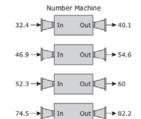
- A \$225
- B \$12,500
- C \$12,005
- D \$1,250

There is a relationship between the values of p and k in the table below.

P	1 16	1/8	1/4	1 2
k	9 16	<u>5</u> 8	3 4	1

Which expression represents the value of k in terms of p?

Rachelle used a number machine. When she put a number into the machine, a different number came out according to a rule. Some examples are shown below.



The number that came out of the machine is -

- F 8.3 less than the number she put into the machine
- G 7.7 less than the number she put into the machine
- H 8.3 more than the number she put into the machine
- 3 7.7 more than the number she put into the machine

A number sentence is shown below

125 175



Kenji's Collection of Prisms

Kenji has a collection of rectangular prisms of different heights. Each rectangular prism has a length of 5 cm and a width of 2 cm. The table below shows the relationship between each

rectangular prism's volume, V, and the rectangular prism's height, h.

Volume, V (cm³)	Height, h (cm)
20	2
90	9
160	16
230	23

Which equation can be used to find V, the volume in cubic centimeters of a rectangular prism in Kenii's collection

- A 10h = V
- B 7h = V
- C h = 7V
- D h = 10V

The table below shows the total number of nails in different numbers of boxes.



Boxes of Nails

Total Number of Nails	480	960	1,440	1,920
Number of Boxes	3	6	9	12

Which statement describes the relationship between the total number of nails and the

- F The total number of nails is the number of boxes plus 480.
- G The total number of nails is the number of boxes times 2.
- H The total number of nails is the number of boxes times 160.
- J The total number of nails is the number of boxes plus 3.

The table below shows the amount of money Hector earned and spent during

X 25 = ()

Which table shows numbers that correctly complete the number sentence?

Hector's Money

Month	Amount Earned	Amount Spent
May	\$27	\$12
June	\$39	\$24
July	\$46	\$31
August	\$43	\$28

Which of the following describes the relationship in the table?

- F Amount spent + 12 = amount earned
- G Amount spent × 2 = amount earned
- H Amount spent + 15 = amount earned
- J Amount spent 15 = amount earned

	Luke made the list of numbers below.	The table below shows the total number of computers in different numbers of classrooms in a school.
	40 41 42 43 44 45 46 47 48 49 How many of the numbers in Luke's list are prime numbers?	School Computers Total Number of Classrooms 105 15 84 12
	F 3 G 7	42 6 21 3
	H 10	Which of the following describes the relationship in the table? A Total number of computers — 19 — number of classrooms
	J 5	B Total number of computers ÷ 3 = number of classrooms C Total number of computers — 90 = number of classrooms
		D Total number of computers ÷ 7 = number of classrooms
		The table below shows two related sets of numbers.
		60 20 45 15 33 11 9 3
		Which of the following describes the relationship in the table?
		F
		G
		F
		J

Strand: Patterns, Relationships, and Making Predictions

TEK: the student uses patterns in multiplication	TEK: the student uses patterns to solve	TEK: the student uses patterns	TEK: the student recognizes	TEK: the student identifies,
and division	problems	in numbers and operations	patterns in number and	extends, and creates patterns
TEK: the student uses organizational structures	TEK: the student uses lists, tables, and charts to	TEK: the student uses patterns	operations	TEK: the student uses
to analyze and describe patterns and	express patterns and relationships	to describe relationships and	TEK: the student uses repeating	patterns to make predictions
relationships		make predictions	patterns and additive patterns	
			to make predictions	

4 th Grade	3 rd Grade	2 nd Grade	1 st Grade	Kindergarten
SE 4.6A – (S) use patterns and relationships to develop strategies to remember basic multiplication and division facts such as the patterns in related multiplication and division number sentences (fact families) such as 9x9-81 and 81÷9 = 9 4.6B – (S) use patterns to multiply by 10 and 100 4.7 – (R) describe the relationship between two sets of related data such as ordered pairs in a table	SE 3.6A – (S) identify and extend whole-number and geometric patterns to make predictions and solve problems 3.6B – (S) identify patterns in multiplication facts using concrete objects, pictorial models, or technology 3.6C – (S) identify patterns in related multiplication and division sentences (fact families) such as 2x3=6, 3x2=6, 6÷2=3, 6÷3=2 3.7A – (S) generate a table of paired numbers based on a real-life situation such as insects and legs 3.7B – (R) identify and describe patterns in a table of related number pairs based on a meaningful problem and extend the table	SE 2.5A – (S) find patterns in numbers such as in a 100s chart 2.5B – (S) use patterns in place value to compare and order whole number through 999 2.5C – (R) use patterns and relationships to develop strategies to remember basic addition and subtraction facts. Determine patterns in related addition and subtraction number sentences (including fact families) such as 8+9=17,9+8=17,17÷8=9, 17÷9=8 2.6A – (S) generate a list of paired numbers based on reallife situation such as insects and legs 2.6B – (S) identify patterns in a list of related number pairs based on a real-life situation and extend the list 2.6C – (R) identify, describe and extend repeating and additive patterns to make predictions and solve problems	SE 1.4 – (S) identify, describe, and extend concrete and pictorial patterns in order to make predictions and solve problems 1.5A – (R) use patterns to skip count by twos, fives, and tens 1.5B – (S) find patterns in numbers including odd and even 1.5C – (R) compare and order whole numbers using place value 1.5D – (S) use patterns to develop strategies to solve basic addition and basic subtraction problems 1.5E – (R) identify patterns in related addition and subtraction sentences (fact families for sums to 18) such as 2+3=5, 3+2=5,5-2=3,5-3=2	SE K.5 – (R) identify, extend and create patterns of sounds, physical movement, and concrete objects K.6A – (S) use patterns to predict what comes next, including cause-and-effect relationships K.6B – (R) count by ones to 100 K.2A – (S) use language such as before or after to describe relative position in a sequence of events or objects K.2B – (S) name the ordinal positions in a sequence such as first, second, third, etc. K.7A – (S) describe one object in relation to another using informal language such as over, under, above, and below K.7B – (S) place an object in a specified position
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
		Emphasize additive/growing and skip counting patterns Use number lines and hundred charts Determine the 'rule' – what is the pattern, number line	Emphasize additive/growing and skip counting patterns Use number lines and hundred charts Determine the 'rule' – what is the pattern, number line	Emphasize number patterns Number lines and hundred charts are tools for identifying number patterns

		counting by?	counting by?	
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-include equations/real-life applications -journal fact families – students include explanations on fact families -relate all factors to the product -find patterns using multiple representations (tables, bar graphs, t-charts) -students need to identify the relationship between paired numbers in tables -students should identify the relationship between paired numbers (ordered pairs are numbers that appear in tables or with parenthesis, paired numbers do not necessarily have to appear in a table) -tables may not begin with the number '1' or be in numerical order -assessments may be over the process for finding the solution (journal writing is a must)	-journal writing must be used to explain the process, thinking, and predictions of students -use pictorial representations -use real-life application -use problem situation word problems -use growing patterns -tables do not have to begin with the number '1' or be in numerical order -multiplication patterns presented or recorded in tables -identify relationships between paired numbers -use concrete models and bridge to the abstract (number) through pictorial representations -students need to recognize the relationship of the items in the table or pattern -students need to understand the difference between factors and multiplesjournal/include explanations of relationships in fact families -generating a table of paired numbers is introduced in 3 grade -journal writing describing patterns -predictions by extending tables -analyze the table (what's the rule)	-students discover and communicate what happens when +/- 10, describe patterns (including what stays the same and what changes) in columns and rows -students compare numbers when keeping the 100s value the same and change the ones -what is the number that comes between -use concrete models such as base ten blocks, unifix cubes to demonstrate the pattern -students work with doubles, near doubles and near tens -students use counting on and back -this is the first time students extend patters using numbers -repeating and growing patterns using pictures of bugs, animals, or other real objects, geometric shapes, numbers or bead -repeated addition of the same number produces a growing pattern	-include growing patterns that repeatgrowing patterns are additive patterns -include repeating patterns such as ABABAB, ABACABAC -repetitive addition using pictorial patterns, eyes on a bear, one bear, two bears, three bears, etcpredict only the next in the series -use visual representation such as tally marks for 5s, bundled straws for 10s -looking at number patterns — the students will recognize that the ones place determines odd or even properties of numbers -describe odd and even geometrically by using tiles to attempt to create rectangles to represent the number -use a 0-99 chart to find number patterns -compare and order whole numbers up to 99 using various tools including a 100s chart -students compare numbers when keeping the ten value the same and change the ones -keep the ones value the same and change the tens -when given numbers such as 34, 35, 36 in random order students are able to order the numbers -doubles and doubles plus -recognize patterns of plus ten -counting up or counting back	-physical movement: stomp, clap, jump, etcconcrete objects: people (boy,girl), manipulatives, such as pattern blocks -Sound: loud/soft, high/low -environmental patterns in prints (wall paper, snakes, etc.) -such as ABAB, ABBABB, patterns as well as growing patterns such as AB, ABB, ABBBstart at numbers such as 27 and count up 5 numbers (this is important to developing the add up (count up) method of addition) -recommend using 0-99 board to shown patterns -student should be able to verbally count to 100 (not write) -look for patterns as we count to 100 -find patterns in rows and columns
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary
Fact family, multiples, relationship, identify, extend, predict, fact family, table, input, output, rule, interval, labels, data	Identify, extend, predict, fact family, table, input, output, rule, interval, labels, data	Pattern, compare, order, hundreds chart, greater than, less than, number pattern, number line, interval, rule, fact family, paired numbers, extend,	Pattern, number pattern, repeating pattern, growing pattern, identify, describe, even numbers, odd numbers, predict, skip counting, fact	Sound pattern, repeating pattern, growing pattern, over, under, above, below, behind, between, in front, inside, outside, near, prediction,

STAAR 2012	STAAR 2012	predict, identify, describe, repeating pattern, additive pattern, growing pattern, increase, decrease, extending pattern STAAR 2012	families, number lines	sequence, ordinal numbers, first, second, third, fourth, fifth
SE # of Questions Percent Coded Dual Coded 6A 1 47% 16A 6B 2 62% 14A,16A 7A 3 73% 15A,15B	SE # of Questions Percent Coded 6A 1 42% 16A 6B 1 49% 14C 6C 1 67% 7A 1 61% 7B 4 63% 14A,14C	STARIL 2012	31AAN 2012	STARICEOTZ
STAAR 2013 SE # of Percent Dual Coded 6A 1 73% 6B 1 60% 7A 4 63% 15A,16A Laura separated her puzzles into 2 groups. Each group had 5 puzzles. Which number sentence CANNOT be used to find the number of puzzles in these two	STAAR 2013 SE # of Questions Percent Dual Coded 6A 1 54% 14C 6B 1 74% 15B 6C 1 83% 7A 1 65% 7B 4 66% 14C,14B,15B The numbers below form a pattern.	STAAR 2013	STAAR 2013	STAAR 2013
groups? F	3, 16, 29, 42, 55, Which of these numbers would NOT be part of this pattern? A 68 B 81 C 71 D 94 Janie collected 10 sea stars at the beach. Each sea star had 5 arms, as shown below.			
pass. What was the total cost of these season passes? A \$225 B \$12,500 C \$12,005 D \$1,250	Which expression can be used to find the total number of arms on 10 sea stars? A 10 ÷ 5 B 10 - 5 C 10 + 5 D 10 × 5			
A number sentence is shown below.	Belinda made 5 gallons of fruit punch for a party. There are 8 pints in each gallon of punch. Which expression is in the same fact family as 8 × 5 = 40? F 5 × 40 G 8 + 5 H 40 ÷ 8 J 40 - 8			

The table below shows the amount of money Hector earned and spent during

Hector's Money

Month	Amount Earned	Amount Spent
May	\$27	\$12
June	\$39	\$24
July	\$46	\$31
August	\$43	\$28

Which of the following describes the relationship in the table?

- F Amount spent + 12 = amount earned
- **G** Amount spent \times 2 = amount earned
- H Amount spent + 15 = amount earned
- J Amount spent 15 = amount earned

The table below shows the total number of computers in different numbers of classrooms in a school.

School Computers

Total Number of Computers	Number of Classrooms
105	15
84	12
42	6
21	3

Which of the following describes the relationship in the table?

- A Total number of computers -19 = number of classrooms
- B Total number of computers ÷ 3 = number of classrooms
- C Total number of computers 90 = number of classrooms
- **D** Total number of computers ÷ 7 = number of classrooms

The table below shows two related sets of numbers.

\triangle	
60	20
45	15
33	11
9	3

Which of the following describes the relationship in the table?

Each meal at a restaurant costs \$9. Which table shows the total cost for different numbers of meals?

Meals

F	Number of Meals	7	8	11	15
	Total Cost	\$63	\$72	\$99	\$135

Meals

G	Number of Meals	7	8	11	15
	Total Cost	\$16	\$17	\$20	\$24

Meals

н	Number of Meals	7	8	11	15
	Total Cost	\$63	\$72	\$81	\$90

Meals

,	Number of Meals	7	8	11	15
	Total Cost	\$9	\$18	\$27	\$36

Georgia made cupcakes for a bake sale. The table below shows the total number of cupcakes in different numbers of pans.

Cupcakes

Number of Pans	Total Number of Cupcakes
4	24
6	36
11	66
13	
20	120

There is the same number of cupcakes in each pan. What is one way to find the total number of cupcakes in 13 pans?

- F Find the sum of 66 and 36
- G Find the difference between 120 and 13
- H Find the product of 13 and 6
- J Find the difference between 120 and 66

The table below shows the total number of postcards in different numbers of packages.

Postcards

Number of Packages	Total Number of Postcards
2	24
6	72
8	
10	120
12	144

Each package has the same number of postcards. What is the total number of

Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.

The table below shows the total number of granola bars in different numbers of boxes.		
boxes.		
Granola Bars		
Number of Doxes 2 4 8 9		
Number of boxes 2 4 0 9		
Total Number of Granola Bars 32 128 144		
Granoia bars		
Each box has the same number of granola bars. What is the total number of		
granola bars in 4 boxes?		
F 124, because 128 - 4 = 124		
G 48, because 16 × 3 = 48		
H 96, because 128 – 32 = 96		
J 64. because 16 × 4 = 64		
The table below shows the total number of rulers in different numbers of boxes.		
Rulers		
Number of Boxes 1 3 5 9		
Total Number of Rulers 12 36 108		
There is an equal number of rulers in each box. Which number sentence shows		
how to find the total number of rulers in 5 boxes?		
F 5 + 36 = 41		
G $5 \times 9 = 45$		
H 5 + 24 = 29		
$3 5 \times 12 = 60$		

Strand: Equations and Functions

TEK: the student develops and applies skills
used in college and careers, including
reasoning, planning, and communication, to
make decisions and solve problems in applied
situations involving numerical reasoning,
probability, statistical analysis, finance,
mathematical selection, and modeling with
algebra, geometry, trigonometry, and discrete
mathematics
TEV, the student analyzes real world numerical

TEK: the student analyzes real-world numerical data using a variety of quantitative measures and numerical processes

TEK: the student analyzes the mathematics behind various methods of ranking and selection

TEK: the student models data, makes predictions, and judges the validity of a prediction

AQR.9B – analyze and determine an

TEK: the student uses mathematical models to represent, analyze, and solve real-world problems involving change

TEKs – the student defines functions, describes characteristics of functions, and translates among verbal, numerical, graphical, and symbolic representations of functions, including polynomial, rational, power (including radical), exponential, logarithmic, trigonometric, and piecewise-defined functions TEK: the student uses functions and their properties, tools and technology, to model and solve meaningful problems
TEK: the student uses sequences and series as

TEK: the student uses sequences and series as well as tools and technology to represent, analyze, and solve real-life problems

PC.4B – use arithmetic, geometric, and other

TEK: the student uses a variety of strategies and approaches to solve both routine and nonroutine problems
TEK: the student uses algebraic and geometric models to

and geometric models to describe situations and solve problems TEK: the student understands that coordinate systems provide convenient and efficient ways of representing geometric figures and uses them accordingly

AQR	Pre-Cal	MMA	Geometry
SE	SE	SE	SE
AQR.1B – demonstrate reasoning skills in	PC.1B – determine the domain and range of	MMA.1B – use multiple	GOEM.7C – derive and use formulas involving length, slope and
developing, explaining, and justifying sounds	functions using graphs, tables, and symbols	approaches (algebraic,	midpoint
mathematical arguments, and analyze the	PC.1D – recognize and use connections among	graphical, and geometric	
soundness of mathematical arguments of	significant values of a function (zeros,	methods) to solve problems	
others	maximum values, minimum values, etc.), points	from a variety of disciplines	
AQR.2B – solve problems involving large	on the graph of a function, and the symbolic	MMA.1C – select a method to	
quantities that are not easily measured	representation of a function	solve a problem, defend the	
AQR.7A – apply, analyze, and compare various	PC.3B – use functions such as logarithmic,	method, and justify the	
ranking algorithms to determine an	exponential, trigonometric, polynomial, etc. to	reasonableness of the results	
appropriate method to solve a real-world	model real-life data	MMA.8B – use trigonometric	
problem	PC.3C – use regression to determine the	ratios and functions available	
AQR.7B – analyze and compare various voting	appropriateness of a linear function to model	through technology to	
and selection processes to determine an	real-life data (including using technology to	calculate distances and model	
appropriate method to solve a real-world	determine the correlation coefficient)	periodic motion	
problem	PC.3D – use properties of functions to analyze		
AQR.8A – determine if there is linear	and solve problems and make predictions		
relationship in a set of bivariate data by finding	PC.3E – solve problems from physical situations		
the correlation coefficient for the data, and	using trigonometry, including the use of Law of		
interpret the coefficient as a measure of the	Sines, Law of Cosines, and area formulas and		
strength and direction of the linear relationship	incorporate radian measure where needed		

appropriate cyclical model that can be modeled with trigonometric functions AQR.9C – analyze and determine an appropriate piecewise model AQR.9D – solve problems using recursion or iteration Specifics (description of lesson, include any "tricks") Rationale (clarification of TEKS/SE)	sequences and series to solve real-life problems PC.4D – apply sequences and series to solve problems including sums and binomial expansion Specifics (description of lesson, include any "tricks") Rationale (clarification of TEKS/SE)	Specifics (description of lesson, include any "tricks") Rationale (clarification of	Specifics (description of lesson, include any "tricks") Rationale (clarification of TEKS/SE)
		TEKS/SE)	
Vocabulary	Vocabulary	Vocabulary	Vocabulary
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012 SE
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013 SE # of Percent Dual Coded 7C 3 44%
			 CD has an endpoint at (2, −1) and a midpoint at (8, 3). Which measure is closest to the length of CD? A 20.4 units B 8.9 units C 14.4 units D 11.7 units
			The slope of a line passing through $H(-2,5)$ is $-\frac{3}{4}$. Which ordered pair represents a point on this line? A (6, -1) B (2, 8) C (-5, 1) D (1, 1)
			A civil engineer is drawing a plan for the location and length of a new underground sewer pipe on a coordinate grid. The pipe on the plan will run from point N (a , -2) to point P (1 , b) on the coordinate grid. Which expression represents the shortest distance between N and P in units? F $(a+2)^2+(1-b)^2$ G $(1-a)^2+(b+2)^2$ H $\sqrt{(a+2)^2+(1-b)^2}$

Strand: Equations and Functions

TEK: the student understands that coordinate	TEK: the student formulates systems of equations and	TEK: the student understands that linear	TEK: the student uses graphs, tables, and
systems provide convenient and efficient	inequalities from problem situations, uses a variety of	functions can be represented in different	algebraic representations to make
ways of representing geometric figures and	methods to solve them, and analyzes the solutions in	ways and translates among their various	predictions and solve problems
uses them accordingly	terms of the situations	representations.	· ·
	TEK: the student understands that quadratic functions	TEK: the student formulates equations and	
	can be represented in different ways and translates	inequalities based on linear functions, uses a	
	among their various representations	variety of methods to solve them, and	
	TEK: the student formulates equations and inequalities	analyzes the solutions in terms of the	
	based on quadratic functions, uses a variety of methods	situation	
	to solve them, and analyzes the solutions in terms of the	TEK: the student formulates systems of linear	
	situation	equations from problem situations, uses a	
	TEK: the student formulates equations and inequalities	variety of methods to solve them, and	
	based on square root functions, uses a variety of	analyzes the solutions in terms of the	
	methods to solve them, and analyzes the solutions in	situation	
	terms of the situation	TEK: the student understands that the graphs	
	TEK: the student formulates equations and inequalities	of quadratic functions are affected by the	
	based on rational functions, uses a variety of methods to	parameters of the function and can interpret	
	solve them, and analyzes the solutions in terms of the	and describe the effects of changes in the	
	situation	parameters of quadratic functions	
	TEK: the student formulates equations and inequalities	TEK: the student understands there is more	
	based on exponential and logarithmic functions, uses a	than one way to solve a quadratic equation	
	variety of methods to solve them, and analyzes the	and solves them using appropriate methods	
	solutions in terms of the situation		

Geometry	Algebra II	Algebra I	8 th Grade
SE	SE	SE:	SE
GOEM.7C – derive and use formulas involving	ALGII.3A – (R) analyze situations and formulate systems	ALG.5B – (S) determine the domain and	8.5A – (R)predict, find, and justify solutions
length, slope and midpoint	of equations in two or more unknowns or inequalities in	range for linear functions in given situations	to application problems using appropriate
	two unknowns to solve problems	ALG.5C – (R) use, translate, and make	tables, graphs, and algebraic equations
	ALGII.3B – (R) use algebraic methods, graphs, tables, or	connections among algebraic, tabular,	
	matrices to solve systems of equations or inequalities	graphical, or verbal descriptions of linear	
	ALGII.3C – (R) interpret and determine the	functions	
	reasonableness of solutions to systems of equations or	ALG.7A – (S) analyze situation involving	
	inequalities for given context	linear functions and formulate linear	
	ALGII.6A – (R) determine the reasonable domain and	equations or inequalities to solve problems	
	range values of quadratic functions, as well as interpret	ALG.7B – (R) investigate methods for solving	
	and determine the reasonableness of solutions to	linear equations and inequalities using	
	quadratic equations and inequalities	(concrete) models, graphs, and the	
	ALGII.8A – (R) analyze situations involving quadratic	properties of equality, select a method, and	
	functions and formulate quadratic equations or	solve the equations and inequalities	
	inequalities to solve problems	ALG.7C – (S) interpret and determine the	
	ALGII.8D – (R) solve quadratic equations and inequalities	reasonableness of solutions to linear	
	using graphs, tables, and algebraic methods	equations and inequalities	
	ALGII.9C – (S) determine the reasonable domain and	ALG.8A – (S) analyze situations and	

	range values of square root functions, as well as interpret and determine the reasonableness of solutions to square root equations and inequalities ALGII.9D – (S) determine solutions of square root equations using graphs, tables, and algebraic methods ALGII.9E – (S) determine solutions of square root inequalities using graphs and tables ALGII.9F – (R) analyze situations modeled by square root functions, formulate equations or inequalities, select a method, and solve problems ALGII.10C – (S) determine the reasonable domain and range values of rational functions, as well as interpret and determine the reasonableness of solutions to rational equations and inequalities ALGII.10D – (S) determine the solutions of rational equations using graphs, tables, and algebraic methods ALGII.10E – (S) determine solutions of rational inequalities using graphs and tables ALGII.10F – (R) analyze a situation modeled by a rational function, formulate an equation or inequality composed of a linear or quadratic function, and solve the problem ALGII.11C - (S) determine the reasonable domain and range values of exponential and logarithmic functions, as well as interpret and determine the reasonableness of solutions to exponential and logarithmic equations and inequalities ALGII.11D – (S) determine solutions of exponential and logarithmic equations using graphs, tables, and algebraic methods ALGII.11E – (S) determine solutions of exponential and logarithmic inequalities using graphs and tables ALGII.11F – (R) analyze a situation modeled by an exponential function, formulate and equations or inequality and solve the problem	formulate systems of linear equations in two unknowns to solve problems ALG.8B – (R) solve systems of linear equations using (concrete) models, graphs, tables, and algebraic methods ALG.8C – (S) interpret and determine the reasonableness of solutions to systems of linear equations ALG.9A – (S) determine the domain and range for quadratic functions in given situations ALG.10A – (R) solve quadratic equations using concrete models, tables, graphs, and algebraic methods	
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
			-predict first then make mathematical connections between all representations (tables, graphs, and algebraic equations) -include algebraic equations that require more than one step to save -emphasis should be on using the properties of equality to solve the equation -use expression to find the nth term; make the connection between the nth term and the position of the term

Vocabulary	Vocabulary			Vocabu	ılary			verba -const where Vocak Equat const	tant rate of c e n represent oulary	hange is lings the term sions, varial	ear ex. 2n + 3, number ole, nth term,
STAAR 2012	STAAR 2012			STAAR	2012			_	R 2012		
SE # of Percent Dual Questions Coded				SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded
7C 3 74%				5C	2	45%		5A	3	49%	14A,14C,14D
				7A	1	40%					
				7B	3	43%					
				7C	1	38%					
				8A	1	51%					
				8B	3	42%					
				8C	1	25%					
				10A	2	40%					
STAAR 2013	STAAR 2013	1	1	STAAR		T			R 2013	T	
SE # of Percent Dual Coded	SE # of	Percent	Dual Coded	SE	# of	Percent	Dual Coded	SE	# of	Percent	Dual Coded
Questions Coded	Questions 3A 2	41%	Coded	5C	Questions 3	57%	Coded	5A	Questions 4	64%	14A,14C,14D
	3C 2	51%		7A	1	76%				0.70	111,110,110
	6A 2	53%		7B	3	50%					
	8A 2	58%		7C	1	45%					
	8D 2	55%		8A	1	43%					
	9D 1	62%		8B	3	53%					
	9E 1	57%		8C	1	58%					
	9F 2	77%		10A	3	39%					
	10D 1	21%					<u> </u>				
	10E 1	33%									
	10F 2	48%									
	11E 1	37%									
	11F 2	42%									

$\overline{\it CD}$ has an endpoint at (2, -1) and a midpoint at (8, 3). Which measure is closest to the	The rectangular patio shown in the diagram below is enclosed on three sides by a fence.	
length of CD?	1	
A 20.4 units		
B 8.9 units	Patio W	
C 14.4 units		
D 11.7 units		
	House	
	The area of this patio is no more than 400 square feet. The total length of the three sides of this fence is no more than 60 feet. Which system of inequalities can be used to find values of	
	I, the patio's length, and w, the patio's width, that will satisfy these conditions?	
	A $l + 2w \le 60$ C $l + 2w \ge 60$	
	$lw \le 400 \qquad lw \ge 400$	
	B $2l + 2w \le 60$ D $2l + 2w \ge 60$	
	$lw \le 400$ $lw \ge 400$	
The slope of a line passing through $H(-2, 5)$ is $-\frac{3}{4}$. Which ordered pair represents a point on	The hypotenuse of a right triangle is 17 inches long. A leg of this triangle, y, is 1 inch less	
this line?	than twice the length of the other leg, x. Which system of equations can be used to determine the lengths of the 2 legs of this right triangle in inches?	
A (6, -1)	$F x^2 + y^2 = 289$	
B (2, 8)	y = 2x - 1	
C (-5, 1)		
D (1, 1)	G	
	H x + y = 17 $y = 2x - 1$	
A civil engineer is drawing a plan for the location and length of a new underground sewer pipe	A craftsman wants to spend less than \$300 on supplies for making bracelets and necklaces.	
on a coordinate grid. The pipe on the plan will run from point N $(a, -2)$ to point P $(1, b)$ on the coordinate grid. Which expression represents the shortest distance between N and P in	Supplies for 1 bracelet cost \$4, and supplies for 1 necklace cost \$9. This relationship is shown in the graph below.	
units?	y Jewelry Supplies	
$F (a+2)^2 + (1-b)^2$	y Jeweiry Supplies	
	¥ 50	
$G (1-a)^2 + (D+2)^2$	9 40	
$H \sqrt{(a+2)^2 + (1-b)^2}$	8 17	
$\sqrt{(1-a)^2+(D+2)^2}$	2 30	
1,000	<u>\$\frac{\text{\$\exitt{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\exitt{\$\text{\$\exittit{\$\text{\$\til\exitt{\$\text{\$\exittit{\$\text{\$\}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}}</u>	
	ते 10	
	×	
	0 10 20 30 40 50 60 70 80 Supplies for Bracelets	
	The craftsman wants to make at least 10 more bracelets than necklaces. Which of the following is a reasonable solution?	
	A 25 bracelets and 20 necklaces C 40 bracelets and 20 necklaces	
	B 30 bracelets and 15 necklaces D 15 bracelets and 25 necklaces	
	Each year an architecture firm employs senior interns and junior interns. Senior interns receive \$400 per week, and junior interns receive \$300 per week. This year a minimum of	
	7 but no more than 13 interns will be hired. The amount spent per week on interns cannot	
	exceed \$4,000. Which statement about this situation is not true?	
	A The architecture firm can employ 13 junior interns.	
	B The architecture firm can employ 4 senior interns and 7 junior interns.	
	C If both types of interns are hired, the firm will spend a minimum of \$2,200 per week on interns.	
	The same of the sa	
	D If both types of interns are hired, the firm will spend a maximum of \$3,800 per week on interns.	
	The function below can be used to model the area of a rectangle in square inches, A_r , if the rectangle has a perimeter of 72 inches and a width of w inches.	
	reserved to permission of a more one or model of it indies.	
	$A = 36W - W^2$	
	In this situation, which of the following best describes the domain of the function?	
	F 0 < w < 6	
	G 0 < w < 72	
	H 0 < w < 18	
	J 0 < w < 36	

What is the range of $f(x) = x^2 + 1$?	
A All real numbers	
B All real numbers greater than or equal to 0	
C All real numbers greater than or equal to 1	
D All real numbers less than or equal to 1	
The product of 2 consecutive odd integers is 483. If x represents the smaller integer, which equation can be used to find both integers?	
A $x(x+2) = 483$	
B $x(x+1) = 483$	
c x(x+3) = 483	
D (x+1)(x+2) = 483	
A rectangular parking lot measures 150 feet by 230 feet. The owner of the parking lot will expand the lot's size by adding x feet and 2x feet to its dimensions, as shown below.	
150 ft	
If the total area of the parking lot cannot exceed 40,000 square feet, which inequality can be used to find all possible values of x?	
A $(230 + 2x)(150 + x) \le 40,000$	
B $(230 + x)(150 + 2x) \le 40,000$	
C $(230 + 2x)(150 + x) \ge 40,000$	
D $(230 + x)(150 + 2x) \ge 40,000$	
Which of the following is a solution to $10x^2 - x = 3$?	
$F -\frac{1}{5}$	
$G = \frac{3}{5}$	
$H - \frac{3}{2}$	
$\mathbf{J} = \frac{1}{2}$	

The table below shows values of a quadratic function g.

X	g(x)
-5	-11
-4	8
-3	21
-2	28
-1	29
0	24
1	13
2	-4
3	-27

Based on the table, in which interval can a solution to g(x) = 0 be found?

A -5 < x < -4

B −2 < x < −1

C -1 < x < 1

D 2 < x < 3

What value of *n* makes $\sqrt{10-3n}=7$ true?

Record your answer and fill in the bubbles on your answer document.

Which table contains only values in the solution set for $y \leq \sqrt{25-x} + 11$?

	x	y
	-24	19
F	-11	17
	9	10
	24	9

	x	y
	-24	19
н	-11	18
	9	-18
	24	-19

	x	Y
	-24	18
G	-11	16
	9	11
	24	9

	×	y
	-24	9
J	-11	10
	9	15
	24	17

The sum of a number, n, and its square root can be represented by the equation $y=n+\sqrt{n}$. If y=20, which of the following is true?

A n = 16

B n = 4

C n = 16 and n = 25

D n = 4 and n = 5

The average speed of sound in air at ℓ degrees Celsius can be found using the function below. The speed, s_{ℓ} is measured in meters per second.

$$s = 20.05\sqrt{t + 273.15}$$

If sound is traveling in air at an average speed of 356.5 meters per second, which temperature is closest to the value of t?

A 76°C

B 503°C

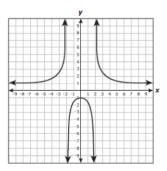
C 43°C D 309°C

What value of p makes the equation below true?

$$\frac{19}{4p-1}=5$$

Record your answer and fill in the bubbles on your answer document.

The graph of the function f is shown on the grid below.



Based on the graph, for what values of x is f(x) > 0?

- F All real numbers greater than 0
- G All real numbers greater than 1
- H All real numbers less than -2 or greater than 2
- J All real numbers greater than -2 and less than 2

The cost of printing cookbooks is \$2.09 per book plus a one-time setup fee of \$349. All taxes are included. Which of the following functions models a(x), the average cost per book of printing x cookbooks?

A
$$a(x) = 2.09x + \frac{349}{x}$$

B
$$a(x) = \frac{2.09x + 349}{x}$$

$$C \quad a(x) = \frac{2.09 + 349}{2.09x}$$

$$\mathbf{D} \quad a(x) = \frac{2.09x + 349}{2.09x}$$

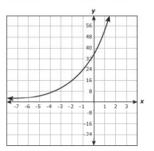
The given function models the equivalent resistance in ohms, $\it R$, when a fixed 9-ohm resistor is connected in parallel with a variable resistor of $\it x$ ohms.

$$R = \frac{9x}{9+x}$$

Which value of x is closest to the number of ohms needed in the variable resistor for there to be an equivalent resistance, R, of 6.4 ohms?

- F 15.4
- **G** 57.6
- H 3.7
- **J** 22.2

The graph of the exponential function f is shown on the grid below.



For what values of x is f(x) > 16?

- **F** x > -2
- $\mathbf{G} \quad x > 0$
- H -2 < x < 2
- **J** $\infty < x < -2$

There were 417 cell phones sold at an electronics store in January. Since then, cell phone sales at this store have increased at a rate of 3.75% per month. At this rate of growth, which function can be used to determine the monthly cell phone sales *m* months after January?

- **A** $p(m) = 417(0.0375)^m$
- **B** $p(m) = 417(1.0375)^m$
- C $p(m) = 417(0.9625)^{(m+1)}$
- **D** $p(m) = 417(0.0375)^{(m+1)}$

An antibiotic is introduced into a colony of 12,000 bacteria during a laboratory experiment. The function below can be used to model the number of bacteria in the colony after *m* minutes.

$$n(m) = 12,000(0.851)^{\frac{m}{10}}$$

Which value is closest to the amount of time needed for the population of the colony to drop to 8,000 bacteria?

- F 11 min
- G 25 min
- H 8 min
- **J** 42 min

Strand: Equations and Functions

TEK: the student uses graphs, tables, and	TEK: the student uses equations to solve	TEK: the student uses letters to represent an	TEK: the student describes relationships
algebraic representations to make predictions	problems	unknown in an equation	mathematically
and solve problems			

8 th Grade	7 th Grade	6 th Grade	5 th Grade			
SE 8.5A – (R)predict, find, and justify solutions to application problems using appropriate tables, graphs, and algebraic equations	SE 7.5A – (S)use concrete and pictorial models to solve equations and use symbols to record the actions 7.5B – (R)formulate problem situations when given a simple equation and formulate an equation when given a problem situation	SE 6.5 – (R)formulate equations form problem situations described by linear relationships	SE 5.6 – (S)select from and use diagrams and equations such as y=5+3 to represent meaningful problem situations			
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")			
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)			
-predict first then make mathematical connections between all representations (tables, graphs, and algebraic equations) -include algebraic equations that require more than one step to save -emphasis should be on using the properties of equality to solve the equation -use expression to find the nth term; make the connection between the nth term and the position of the term -use various forms including tabular and verbal -constant rate of change is linear ex. 2n + 3, where n represents the term number	-equations should be solved only by concrete and pictorial models; record the actions with numbers and variables -demonstrate with models how to solve the equation -record the steps taken to solve the equations by using models as well as recording the algebraic notation -make connections between the concrete and pictorial models and the symbols used to record steps in solving equation -equations may include 2 variables -connect verbal, written, numeric, graphic, and symbolic representations of relationships -given a simple equation ex. 2x +3 = 7, write a real life situation to represent an equation	-connect verbal, numerical, graphic, and symbolic representations of relationships -given a problem situation with linear data use various methods to formulate the equation -use problem situations that involve equations containing one and two variables -use variables and unknowns -formulated equations from problem situations is introduced in 6 grade -linear relationships require a constant rate of change	-use journal writing to describe the meaning of the equation -students create pictorial models of equations -students create word problems matching equations -make connections between the different representations (concrete/pictorial/abstract) -use the vocabulary – variable -diagram maybe in the form of a pictorial representation such as five apples plus three apples -students may match a problem situation with an equation or diagram -relationships of patterns may be written in words			
Vocabulary	Vocabulary	Vocabulary	Vocabulary			
Equations, expressions, variable, nth term, constant rate of change, coefficient, function, zero pairs	Equations, expressions, formula, variable, unknown, zero pairs	Equation, expression, situation, variable, unknown, linear, constant rate	Equation, expression, variable, unknown, situation			
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012			
SE # of Percent Dual Coded Questions 5A 3 49% 14A,14C,14D	SE # of Percent Dual Coded 5A 1 48% 14A	SE # of Percent Dual Coded 5A 3 67% 12A	SE # of Percent Dual Coded 6A 2 57% 15B			

			1
	5B 3 60%		
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013
SE # of Percent Dual Coded Questions	SE # of Percent Dual Questions Coded	SE # of Percent Dual Questions Coded	SE # of Percent Dual Questions Coded
5A 4 64% 14A,14C,14D	5A 1 32% 14A	5A 3 50% 12A	6A 1 66% 15B
The graph below shows the balance remaining on Jason's loan after he makes each payment. Jason's Loan Balance 2,100 1,500 1,500 1,500 1,2 3 4 5 6 7 8 9 101112 Number of Payments Made Based on this graph, what will be the balance remaining on Jason's loan after he makes the 12th payment? A \$750 B \$150 C \$450 D \$300 A company conducts research to predict how a new advertisement affects sales of a product. The equation below can be used to determine n, the number of people who buy the product.	The model below represents the equation $x + 4 = 4x + 2$.	On a spelling test Carlos had to spell 25 words. He earned 4 points for every word he spelled correctly. Which equation can be used to find ρ , the total number of points Carlos earned for spelling words correctly? $\rho = a(S - 4)$ $\theta = a(S - w)$ $C \rho = 4w$ $D \rho = 4 + w$	A mechanic repaired 28 cars and 46 trucks last month. He spent 2 hours repairing each of these vehicles. Which equation can be used to find h , the total number of hours the mechanic span repairing these vehicles? F $h = (28 + 46) \div 2$ G $h = (28 + 46) + 2$ H $h = (28 + 46) \times 2$ J $h = (28 + 46) - 2$
if r people read the advertisement. n = 0.08r + 7,400 If 7,496 people bought the product last week, how many people read the advertisement? F 186,200 G 600 H 1,200 J 93,700 Tickets were sold at four different gates of a high school football stadium. The graph below shows the percent of the total tickets sold at each gate during a recent game. Ticket Sales Gate D Gote A 30%	rabbit? $F = 9 \equiv 2w + 1$ $G = 9 \equiv 2w - 1$ $H = w - 9 = 1$ $J = w + 9 = 1$ $J = w + 9 = 1$ Askton needs a total of \$1.50 in quarters for a coin-operated car wash. He already has \$0.75. Which equation can be used to find q , the number of additional quarters Ashton needs in order to have enough money for the car wash? $A = 1.5 \equiv 0.75q = 0.25$ $B = 0.75 \equiv 0.25q + 0.75$ $D = 0.25q + 0.75$	water he drank the rest of the day? F $40-m=n$ G $40+m=n$ H $40+m=n$ J $40\times m=n$ At a movie theater adult tickets cost \$10, and child tickets cost \$6. Which equation can be used to find s , the total number of dollars a family of k adults and S children would pay for movie tickets? F $s=10k+6(5)$ G $s=6k+10(5)$ H $s=00+6)\cdot(k+5)$ J $s=10k-6(5)$	
If 90 tickets were sold at Gate C, what was the total number of tickets sold? A 750 B 1,080 C 360 D 1,168 A store manager discounted the prices of several items during a sale. The original price and the sale price of each item are shown in the table below. Store Sale Original Price Price Sale Price Sale S	Which situation is best represented by the equation $3x = 288$? A. Mc. Jones makes 3 equal stacks of cafeteria trays. There are 288 trays in all. What is x , the number of trays in each stack? B. Ms. Jones makes 3 stacks, each with 288 cafeteria trays. What is x , the number of trays in all? C. Ms. Jones stacks 3 cafeteria trays. There are 288 more trays to stack. What is x , the number of trays in all? D. Ms. Jones has to stack 288 cafeteria trays in all. She has 3 trays left to stack. What is x , the number of trays Ms. Jones has already stacked?		
B \$64 C \$68 D \$71			

Strand: Attributes of Functions

TEK:	TEK: the student	TEK:	TEK:	TEK: the student uses properties and attributes of functions	TEK: the student understands that a function represents a
	interprets the			and applies functions to problem situations	dependence of one quantity on another and can be described in a
	meaning of the			TEK: the student understands that quadratic functions can be	variety of ways
	symbolic			represented in different ways and translates among their	TEK: the student uses the properties and attributes of functions
	representations			various representations	TEK: the student understands the importance of the skills required to
	of functions and			TEK: the student formulates equations and inequalities based	manipulate symbols in order to solve problems and uses the
	operations on			on quadratic functions, uses a variety of methods to solve	necessary algebraic skills required to simplify algebraic expressions
	functions to solve			them, and analyzes the solutions in terms of the situation	and solve equations and inequalities in problem situations
	meaningful				TEK: the student understands the meaning of the slope and
	problems				intercepts of the graphs of linear functions and zeros of linear
					functions and interprets and describes the effects of changes in
					parameters of linear functions in real-world and mathematical
					situations
					TEK: the student understands there is more than one way to solve a
					quadratic equation and solves them using appropriate methods

AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I		
SE:	SE: PC.2C – investigate identities graphically and verify them symbolically, including logarithmic properties, trigonometric identities, and exponential properties	SE:	SE:	SE: ALGII.1A – (R) identify the mathematical domain and ranges of functions and determine reasonable domain and range values for continuous and discrete situations ALGII.6C – (S) determine a quadratic function from its roots (real and complex) or a graph ALGII.8C – (S) compare and translate between algebraic and graphical solutions of quadratic equations	SE: ALG.1A – (S) describe independent and dependent quantities in functional relationships ALG.2B – (R) identify mathematical domains and ranges and determine reasonable domain and range values for given situations, both continuous and discrete ALG.4C – (S) connect equation notation with function notation, such as y= x + 1 and f(x) = x + 1 ALG.6B – (R) interpret the meaning of slope and intercepts in situations using data, symbolic representations, or graphs ALG.6E – (S) interpret and predict the effects of changing slope and y-intercept in applied situations ALG.10B – (S) make connections among the solutions (roots) of quadratic equations, the zeros of their related functions, and the horizontal intercepts (x-intercepts) of the graph of the function		
Specifics	Specifics	Specifics	Specifics	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")		
Rationale	Rationale	Rationale	Rationale	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)		
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary		
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012 SE # of Questions Percent Coded 1A 1 50% 2B 2 66%		

			1	1				1		2021	l	1
								4C	1	38%		
								6B	3	36%		
								6E	1	25%		
								10B	1	52%		
STAAR 2013			-	STAAR	2013							
				SE # of	Percent	Dual		SE	# of	Percent	Dual	
				Question	_	Coded	<u> </u>		Questions	100/	Coded	
				1A 2	46%		<u> </u>	1A	1	42%		
				6C 1	23%			2B	2	67%		
				8C 1	71%			4C	1	34%		
								6B	2	46%		
								6E	1	53%		
								10B	1	45%		
				Record your answer ar	d fill in the bubbl	es on your answe	t is the corresponding element or document.	A The f B The f C The c	ne photocopies. The iependent quantity is otal cost of the photo- price per photocopy imount of the discou- otal number of photo-	total cost is a fun n this situation? ocopies nt ocopies made	ction of the nun	a 10% discount off the total nber of photocopies made. What bers greater than 7?
					1 7 -6 -5 -	7 6 5 2 2 1 1 4 - 3 - 2 1 2 1 1 2 1 3 4 - 3 5 6 6 7 7		A	y	0 → x x x x	C 55001	y
				A 2 B 6 C 4 D 7		7		В 50-0-1	7.6.5.4.3.2.1 1 2 3 4 3 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6	♀ • • • • • • • • • • • • • • • • • • •	D	7.0.0.4.3.2.1, 3.2.3.4.3.6.7.9.9.15 X

For what value of b will $f(x) = x^2 + bx + 400$ have -20 as its only zero?	What is the range of the function shown below?
Record your answer and fill in the bubbles on your answer document.	$ \begin{array}{c c} x & f(x) \\ \hline -7 & -9 \\ 0 & -4 \\ 5 & -1 \end{array} $
	F {-7, -2, 0, 5}
	G {-9, -4, -1}
	H {-9, -7, -4, -2, -1, 0, 5}
	J {-1}
The graph of the quadratic function f is shown on the grid below.	For the function w , $w(9) = -7$, and $w(-7) = 9$. If $y = w(x)$, what is the value of y when $x = -7$?
-10 -5 5 10 15 20 25 30 × -10 -5 -5 -10 -20 -25 -30 -25 -30	Record your answer and fill in the bubbles on your answer document. The graph below shows the relationship between the number of dollars a worker earns and the number of hours worked. Worker's Earnings Worker's Earnings 120 280 240 4 8 12 16 20 24 28 32 36 40 Time Worked (h)
What does the solution set for $f(x) = 0$ appear to be?	What does the slope of the graph represent?
F {12.5}	A The number of hours of work it takes to earn \$320
G {12.5, -25}	B The amount of money earned per hour C The amount earned for 40 hours of work
H (7.5.17.5)	D The number of hours worked per dollar earned

	A weightlifter is adding plates of equal weight to a bar. The table below shows the total weight, including the bar, that he will lift depending on the total number of plates on the bar. Number of Plates Total Weight (ib) 2
	What is the zero of the linear function graphed below? $ \begin{array}{c} y \\ \hline 0, 5) \\ \hline 0, 7, 6, 5, 4, 3, 2, 2, 1, 1, 1, 2, 3, 4, 5, 6, 7, 8, 2, 2, 3, 4, 5, 6, 7, 8, 2, 2, 3, 4, 5, 6, 7, 8, 2, 2, 3, 4, 5, 6, 7, 8, 2, 2, 3, 4, 5, 6, 7, 8, 2, 2, 3, 4, 3, 6, 7, 8, 2, 2, 3, 4, 3, 6, 7, 8, 2, 3, 3, 4, 5, 6, 7, 8, 2, 3, 3, 4, 5, 6, 7, 8, 2, 3, 3, 4, 5, 6, 7, 8, 2, 3, 3, 4, 5, 6, 7, 8, 2, 3, 3, 4, 5, 6, 7, 8, 2, 3, 3, 3, 4, 5, 6, 7, 8, 2, 3, 3, 3, 4, 5, 6, 7, 8, 2, 3, 3, 3, 4, 5, 6, 7, 8, 2, 3, 3, 3, 4, 5, 6, 7, 8, 2, 3, 3, 3, 3, 4, 5, 6, 7, 8, 2, 3, 3, 3, 3, 3, 3, 3, 3, 3, 3, 3, 3, 3,$
	F $\frac{1}{5}$ and -1 G $-\frac{1}{5}$ and 1 H 0 and -1 J $-\frac{2}{5}$ and $1\frac{2}{5}$

Strand: Geometric Structure

TEK: the student uses a	TEK:	TEK:	TEK: the student understands the structure of, and relationships within, an axiomatic	TEK:	TEK:
variety of tools and			system		
methods to represent and			TEK: the student applies logical reasoning to justify and prove mathematical		
solve problems involving			statements		
static and dynamic			TEK: the student analyzes properties and describes relationships in geometric figures		
situations			TEK: the student applies the concept of congruence to justify properties of figures and		
			solve problems		
			TEK: the student applies the concepts of similarity to justify properties of figures and		
			solve problems		

AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I
SE: AQR.12D – solve geometric problems involving inaccessible distances such as those encountered when building a bridge, constructing a skyscraper or mapping planetary distances	SE:	SE:	SE: GEOM.1A – develop an awareness of the structure of a mathematical system, connecting definitions, postulates, logical reasoning, and theorems GEOM.1B – (S) recognize the historical development of geometric systems and know mathematics is developed for a variety of purposes GEOM.1C – (S) compare and contrast the structures and implications of Euclidean and non-Euclidean geometries GEOM.3A – (S) determine the validity of a conditional statement, its converse, inverse, and contrapositive GEOM.3B – (S) construct and justify statements about geometric figures and their properties GEOM.3C – (R) use logical reasoning to prove statements are true and find counter examples to disprove statements that are false GEOM.3E – (S) use deductive reasoning to prove a statement GEOM.9A – formulate and test conjectures about the properties of parallel and perpendicular lines based on explorations and concrete models GEOM.9B – (S) formulate and test conjectures about the properties and attributes of polygons and their component parts based on explorations and concrete models GEOM.9C – (S) formulate and test conjectures about the properties of circles and the line that intersect them based on explorations and concrete models GEOM.9D – (S) analyze the characteristics of polyhedra and other three-dimensional figures and their component parts based on explorations and concrete models GEOM.10B – (R) justify and apply triangle congruence relationships GEOM.11B – (S) use ratios to solve problems involving similar figures GEOM.11C – (R) develop, apply, and justify triangle similarity relationships, such as right triangle ratios, trigonometric ratios, and Pythagorean triples using a variety of methods	SE:	SE:
Specifics	Specifics	Specifics	Specifics (description of lesson, include any "tricks")	Specifics	Specifics
Dationala	Dationals	Dationala	Dationals (slavification of TEVS/SE)	Dationals	Dationala
Rationale	Rationale	Rationale	Rationale (clarification of TEKS/SE)	Rationale	Rationale
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary

STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012							STAAR 2012	STAAR 2012
			SE # of	Percent	Dual	SE	# of	Percent	Dual		
			Questions		Coded		Questions		Coded		
			3A 1	31%		90		74%			
			3B 1	79%		90	1	44%			
			3C 3	47%		10	3	69%			
			3E 1	54%		11	3 1	87%			
			9A 1	74%		11	3	66%			
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013	•			•	•		STAAR 2013	STAAR 2013
			SE # of	Percent	Dual	SE	# of	Percent	Dual		
			Questions		Coded		Questions		Coded		
			3A 1	27%		90		33%			
			3B 1	60%		90		47%			
			3C 2	37%		10		56%			
			3E 1	40%		11	3 1	53%			
						11	3	47%			
			The following condit	ional statement	t is true.						
			76	addishard is a	then It	han favor -					
			If a qu	adrilateral is a							
			Which statement me	ıst also be true							
			A If a quadrilatera	has four condi							
			B If a quadrilatera	_							
			C If a quadrilatera								
			D If a quadrilatera								
			_								
			For triangles ABC and statement is a reason								
			F $\angle C \cong \angle D$ becaus	a thay are correct							
			G $\overline{CA} \cong \overline{FD}$ because								
			H $\angle C \cong \angle F$ because	they are corres	sponding angles	of similar t	iangles.				
			$\overline{AB} \cong \overline{DE}$ because	e they are corres	sponding parts of	similar tri	ingles.				
			A conditional stateme	nt is given below	1.						
				If two interior a	angles of a triang	le are acut	e.				
					nterior angle mu						
			Which of the following	best describes	this statement?						
						have buc:	cuto interior andles				
			A This statement is to B This statement is to be a second or a sec					2.			
			C This statement is					nale.			
			D This statement is								
			2 seaterment is	under the	di	.g.c can be				1	

18 A statement is given below.

The number of square units in the area of a square is greater than or equal to the number of units in the perimeter of the square.

Which side length of a square provides a counterexample to the given statement?

- F 6 units
- G 4 units
- H 10 units
- J 2 units

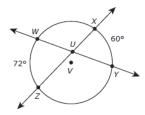
The two conditional statements below are true.

If $\angle 3$ and $\angle 4$ form a linear pair, then they are supplementary. If $\angle 3$ and $\angle 4$ are supplementary, then $m\angle 3 + m\angle 4 = 180^{\circ}$.

Based on these conditional statements, which statement must also be true?

- **F** If $\angle 3$ and $\angle 4$ form a linear pair, then $m\angle 3 + m\angle 4 = 180^{\circ}$.
- **G** If $\angle 3$ and $\angle 4$ form a linear pair, then $m\angle 3 = 90^{\circ}$, and $m\angle 4 = 90^{\circ}$.
- **H** If $m\angle 3 + m\angle 4 = 180^{\circ}$, then $\angle 3$ and $\angle 4$ form a linear pair.
- J If ∠3 and ∠4 are supplementary, then ∠3 and ∠4 form a linear pair.

 \overrightarrow{ZX} and \overrightarrow{WY} are secants of circle V, as shown below.



Based on this information, which of the following can be proved true?

$$\mathbf{A} \quad m \angle ZUY = m \angle ZVY$$

$$\widehat{C}$$
 $\widehat{mWX} = 180^{\circ} - \widehat{mWZ}$

$$\mathbf{B} \quad m \angle XUY = \frac{1}{2} (\widehat{mWZ} + \widehat{mXY})$$

$$\mathbf{D} \quad m \angle WUX = \frac{1}{2}(\widehat{mZY} - \widehat{mWX})$$

Which statement about a triangular prism is true?

- F A triangular prism has 4 faces, 6 edges, and 4 vertices.
- **G** A triangular prism has 3 faces, 6 edges, and 3 vertices.
- H A triangular prism has 5 faces, 9 edges, and 6 vertices.
- J A triangular prism has 6 faces, 11 edges, and 8 vertices.

Which pair of triangles has enough given information to prove that the triangles are D None of these In $\triangle QRS$, \overline{RT} is an altitude. Which additional condition would not be sufficient to prove that QR = SR? A T is the midpoint of \overline{QS} . B RT bisects ∠QRS. C TS = 2 cm $\mathbf{D} RT = 4 \, \mathrm{cm}$ $\triangle ABC$ and $\triangle PQR$ are shown in the diagram below. Based on the information provided in the diagram, what is $m\angle P$ in degrees? Record your answer and fill in the bubbles on your answer document. The top of a bench has a length of 5 ft and a width of 2 ft. A second bench is similar to the first bench. The top of the second bench is 3 ft wide. What is the length of the top of the second bench? **F** 6 ft G 7 ft H 4.5 ft **J** 7.5 ft

On the map below, Main Street, 10th Street, and Highway 1 intersect to form a right triangle. Highway 1 10th St. The distance between 10th Street and Main Street along Highway 1 is 5.6 ml. Which measure is closest to the length of Main Street from Highway 1 to 10th Street? C 4.7 mi A 8.7 mi **B** 3.6 mi D 7.3 mi Which expression can be used to find the length of \overline{QR} in centimeters? A 19(cos 20°) B 19(tan 20°) C 19(sin 70°) D 19(tan 70°) In $\triangle DAC$ shown below, $\overline{\it EB} \parallel \overline{\it DC}$. 18 cm If AC = 28.5 cm, what is the length of \overline{AB} ? F 22.5 cm **G** 14.4 cm H 36.1 cm **J** 23.7 cm

Strand: Geometric Structure

TEK: the student understands the structure of,	TEK: the student uses geometry to model and	TEK: the student compares and classifies two-	TEK: the student uses geometric vocabulary to
and relationships within, an axiomatic system	describe the physical world	and three-dimensional figures using geometric	describe angles, polygons, and circles
TEK: the student applies logical reasoning to		vocabulary and properties	
justify and prove mathematical statements		TEK: the student uses geometry to model and	
TEK: the student analyzes properties and		describe the physical world	
describes relationships in geometric figures			
TEK: the student applies the concept of			
congruence to justify properties of figures and			
solve problems			
TEK: the student applies the concepts of			
similarity to justify properties of figures and			
solve problems			

Geometry	8 th Grade	7 th Grade	6 th Grade
SE:	SE	SE	SE
SE: GEOM.1A – develop an awareness of the structure of a mathematical system, connecting definitions, postulates, logical reasoning, and theorems GEOM.1B – (S) recognize the historical development of geometric systems and know mathematics is developed for a variety of purposes GEOM.1C – (S) compare and contrast the structures and implications of Euclidean and non-Euclidean geometries GEOM.3A – (S) determine the validity of a conditional statement, its converse, inverse, and contrapositive GEOM.3B – (S) construct and justify statements about geometric figures and their properties GEOM.3C – (R) use logical reasoning to prove statements are true and find counter examples to disprove statements that are false GEOM.3E – (S) use deductive reasoning to prove a statement GEOM.9A – formulate and test conjectures about the properties of parallel and perpendicular lines based on explorations and concrete models GEOM.9B – (S) formulate and test conjectures about the properties and attributes of polygons and their component parts based on explorations and concrete models	8.7A – (S) draw three-dimensional figures from different perspectives 8.7B – (S) use geometric concepts and properties to solve problems in fields such as art and architecture	7.6A – (S) use angle measurements to classify pairs of angles as complementary or supplementary 7.6B – (S) use properties to classify triangles and quadrilaterals 7.6C – (S) use properties to classify three-dimensional figures, including pyramids, cones, prisms, and cylinders	6.6A – (S)use angle measurements to classify angles as acute, obtuse, or right 6.6B – (S)identify relationships involving angles in triangles and quadrilaterals 6.6C – (S) describe the relationship between radius, diameter, and circumference of a circle

GEOM.9C – (S) formulate and test conjectures about the properties of circles and the line that intersect them based on explorations and concrete models GEOM.9D – (S) analyze the characteristics of polyhedra and other three-dimensional figures and their component parts based on explorations and concrete models GEOM.10B – (R) justify and apply triangle congruence relationships GEOM.11B – (S) use ratios to solve problems involving similar figures GEOM.11C – (R) develop, apply, and justify triangle similarity relationships, such as right triangle ratios, trigonometric ratios, and Pythagorean triples using a variety of methods			
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
	-practice building and sketching 3-D figures from all views -identify a solid figure when given the front, top and side views -use activities involving real life application where they are encouraged to explore and use appropriate geometric concepts, properties and formulas to solve problems -include conversion in square units – number of square feet in square yard	-use properties and connect to models -include properties of equilateral, isosceles, scalene, right, obtuse, and acute triangles -classify by sides (equilateral, isosceles, scalene) and angles (acute, right, obtuse) -include quadrilaterals – classify by congruent sides and angles, parallel and perpendicular sides -quadrilaterals include square, rectangle, rhombus, parallelogram, trapezoid -properties of 3D figures include shape of bases, parallel bases, and shape of sides -practice building with cubes and sketching 3D figures when given the top, side and front views -students should be able to identify a solid figure when given the front, top and side views -Views and Nets are new concepts to 7 grade -only make nets – use prisms, pyramids, and cylinders -do not calculate surface area -use activities involving real life application to explore and use geometric concepts and properties to solve problems-students explain complementary and supplementary angles, verbally and with diagrams -measure angles with appropriate tools, such as protractor -complementary and supplementary angles are	-through explorations students should be able to differentiate and describe differences between radius, diameter, and circumference of circles -make mathematical connections -use approximation of 3 or solve in terms of Π -students should recognize that Π is approximately 3 and be able to use that approximation to solve problems -when given the circumference students should be able to determine the radius/diameter -measure angles with protractor, pattern blocks, corner of paper, etc. to classify angles -classifying acute, obtuse, and right angles without angle measurements is introduced in 4 grade -mark congruent sides and angles appropriately -use appropriate marking for right angle and congruent sides -know sums of angles in triangles and quadrilaterals and identify missing angle -for isosceles triangles, define base angles and their relationships -equilateral triangles, know all angles are equal

									introdu	uced in 7 th gra	de						
Vocabu	ılary				Vocabu	ılary			Vocabulary					Vocabulary			
			Perspectives, properties			Angles, acute, obtuse, right, straight, complementary, supplementary, scalene, isosceles, equilateral, parallel, perpendicular, corresponding, congruent, attributes, classify, base				Angle, acute, obtuse, right, radius, circumference, diameter, chord, ray, corresponding, pi, protractor, classify, congruent, isosceles, right triangle, base, equilateral, scalene, irregular figures							
STAAR 2012								STAAR 2012					STAAR 2012				
SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded
3A	1	31%			7A	1	49%	15A	6A	1	41%			6A	1	90%	
3B	1	79%			7B	1	52%	14B	6B	1	55%	13C		6B	1	43%	
3C	3	47%						<u> </u>	6C	1	53%	15B		6C	4	56%	12A
3E	1	54%								•	•				•	•	
9A	1	74%															
9C	1	74%															
9D	1	44%															
10B	3	69%															
11B	1	87%															
11C	3	66%															
STAAR	2013				STAAR 2013			STAAR 2013					STAAR 2013				
SE	# of	Percent	Dual		SE	# of	Percent	Dual	SE	# of	Percent	Dual		SE	# of	Percent	Dual
3A	Questions 1	27%	Coded		7A	Questions 1	72%	Coded 15A	6.0	Questions 1	39%	Coded		6A	Questions 1	81%	Coded 11B
3B	1	60%			7A 7B	1	61%	14B	6A 6C	1	36%	15A		6B	1	46%	11B
3C	2	37%			76	1	01%	140	1 60	1	30%	15A		6C	4	58%	12A,13B
3E	1	40%												60	4	36%	12A,13B
9C	1	33%															
9D	1	47%															
10B	3	56%															
11B	1	53%															
11C	3	47%															
	ing conditional statemen				A three-dim	nensional figure made of ide	ntical cubes is shown	below.		re of ∠W is 37°. What is ti	ne measure, in degre	es, of the angle that i	s	Danica di	rew an angle that has th	e characteristics lis	ted below.
	If a quadrilateral is		as four congruent	sides.				complementary to ∠W? Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.					Its measure is less than 108.5°. • It is an acute angle.				
Which stat	tement must also be tru	e?												Which of	the following could be the	he angle Danica dre	w?
A If a quadrilateral has four congruent sides, then it is a square.					Front								1				
B If a quadrilateral does not have four congruent sides, then it is not a square.				Which of the	ese could be the right-side v	view of this figure?							A	103°	C	900	
	adrilateral is not a squa adrilateral does not hav				A Right	-side view	C Right	-side view						В	76°	c	171°
					B Rigi	ht-side view	D Rigi	nt-side view							V		

For triangles ABC and DEF, $\angle A \cong \angle D$ and $\angle B \cong \angle E$. Based on this information, which statement is a reasonable conclusion

F ∠C ≅ ∠D because they are corresponding angles of congruent triangles.

G $\overline{CA} \cong \overline{FD}$ because they are corresponding parts of congruent triangles.

H $\angle C \cong \angle F$ because they are corresponding angles of similar triangles.

J $\overline{AB} \cong \overline{DE}$ because they are corresponding parts of similar triangles.

Pentagon PQRST below models one side of a building.



The sum of the interior angles of the pentagon is 540° , the measure of angle R is 100° , and $\angle Q \cong \angle S$. What is the measure of $\angle Q$?

F 92°

G 130°

H 108°

3 Not here

A conditional statement is given below.

If two interior angles of a triangle are acute, then the third interior angle must be obtuse.

Which of the following best describes this statement?

- A. This statement is true because all obtuse triangles have two acute interior angles.
- B This statement is false because the third interior angle must also be acute.
- C This statement is true because a triangle can have at most one interior obtuse angle. D This statement is false because the third interior angle can be acute, right, or obtuse.

18 A statement is given below.

The number of square units in the area of a square is greater than or equal to the number of units in the perimeter of the square.

Which side length of a square provides a counterexample to the given statement?

- F 6 units
- G 4 units
- H 10 units

J 2 units

The two conditional statements below are true.

If ∠3 and ∠4 form a linear pair, then they are supplementary. If $\angle 3$ and $\angle 4$ are supplementary, then $m\angle 3 + m\angle 4 = 180^{\circ}$.

Based on these conditional statements, which statement must also be true?

- F If $\angle 3$ and $\angle 4$ form a linear pair, then $m\angle 3 + m\angle 4 = 180^{\circ}$.
- **G** If $\angle 3$ and $\angle 4$ form a linear pair, then $m\angle 3 = 90^\circ$, and $m\angle 4 = 90^\circ$.
- **H** If $m\angle 3 + m\angle 4 = 180^{\circ}$, then $\angle 3$ and $\angle 4$ form a linear pair.
- J If ∠3 and ∠4 are supplementary, then ∠3 and ∠4 form a linear pair.

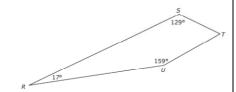
The following list shows the names of three figures that have a common characteristic.

Rectangular prism, hexagonal pyramid, cube

Which statement describes the characteristic that the figures have in common?

- A Each figure has exactly 12 edges.
- B Each figure has at least one rectangular face.
- C Each figure has an even number of vertices.
- D Each figure has 4 more edges than vertices.

Which statement about figure RSTU is true?



- **A** The difference between the measures of $\angle T$ and $\angle R$ is 4° .
- **B** The difference between the measures of $\angle S$ and $\angle T$ is 95°.
- **C** The sum of the measures of $\angle R$, $\angle S$, and $\angle T$ is 201°.
- **D** The sum of the measures of $\angle R$, $\angle T$, and $\angle U$ is 193°.

The radius of a circular clock face is 13 centimeters. Which expression can be used to find the circumference of the clock face in centimeters?

 $F=\pi\times 13$

 $G \pi \times 2$

H 2×π×13

1 2 v = ± 13

Information about three circles is listed below.

- Circle P has a diameter of 26 cm.
- Circle O has a diameter of 52 cm
- Circle R has a radius of 52 cm.

Based on this information, which statement is true?

- F The diameter of circle P is the same length as the diameter of circle R.
- ${f G}$ The radius of circle ${\it P}$ is the same length as the radius of circle ${\it Q}$.
- ${\bf H}$ The diameter of circle ${\it P}$ is the same length as the radius of circle ${\it Q}$.
- J The radius of circle P is the same length as the diameter of circle R.

In the figure below, the vertices of triangle RST are on a circle.

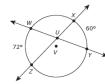
6 in.

- . Line segment TS contains the center of the circle.
- . The perimeter of triangle RST is 24 inches.

What is the circle's radius?

- **F** 8 inches, because d = 24 8 and $d \div 2 = r$
- **G** 32 inches, because d = 24 8 and $d \times 2 = r$
- **H** 20 inches, because d = 24 (8 + 6) and $d \times 2 = r$
- **J** 5 inches, because d = 24 (8 + 6) and $d \div 2 = r$

 \overrightarrow{ZX} and \overrightarrow{WY} are secants of circle V_r , as shown below.



Based on this information, which of the following can be proved true?

- $\mathbf{A} \quad m \angle ZUY = m \angle ZVY$
- $C \quad \widehat{mWX} = 180^{\circ} \widehat{mWZ}$
- $\mathbf{B} \quad m \angle XUY = \frac{1}{2}(\widehat{mWZ} + \widehat{mXY})$
- $D \quad m \angle WUX = \frac{1}{2}(\widehat{mZY} \widehat{mWX})$

Which statement about a triangular prism is true?

- F A triangular prism has 4 faces, 6 edges, and 4 vertices.
- **G** A triangular prism has 3 faces, 6 edges, and 3 vertices.
- $\boldsymbol{\mathsf{H}}\ \ \, \mathsf{A}\ \mathsf{triangular}\ \mathsf{prism}\ \mathsf{has}\ \mathsf{5}\ \mathsf{faces},\ \mathsf{9}\ \mathsf{edges},\ \mathsf{and}\ \mathsf{6}\ \mathsf{vertices}.$
- J A triangular prism has 6 faces, 11 edges, and 8 vertices.

Which pair of triangles has enough given information to prove that the triangles are congruent?







D None of these

In $\triangle QRS$, \overline{RT} is an altitude.



Which additional condition would not be sufficient to prove that QR = SR?

- A T is the midpoint of \overline{QS} .
- B RT bisects ∠QRS.
- C TS = 2 cm

D *RT* = 4 cm

 $\triangle ABC$ and $\triangle PQR$ are shown in the diagram below.





Based on the information provided in the diagram, what is $m\angle P$ in degrees?

Record your answer and fill in the bubbles on your answer document.

The circular opening of a tunnel has a circumference of 36 meters. Which equation can be used to find d_i the diameter of the tunnel opening in meters?

- $A \pi \cdot 36 = 6$
- $B = \frac{36}{2\pi} = d$
- C $2 \cdot \pi \cdot 36 = d$
- $D = \frac{36}{\pi} = d$

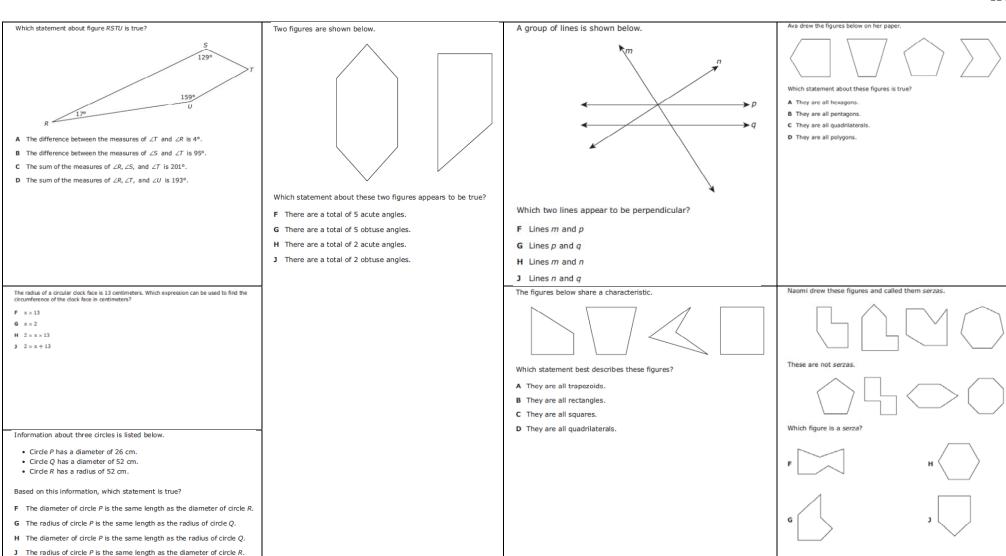
The top of a bench has a length of 5 ft and a width of 2 ft. A second bench is similar to the first bench. The top of the second bench is 3 ft wide. What is the length of the top of the		
first bench. The top of the second bench is 3 ft wide. What is the length of the top of the second bench?		
F 6ft		
G 7 ft		
H 4.5 R		
3 7.5 ft		
On the map below, Main Street, 10th Street, and Highway 1 intersect to form a right triangle.		
N.		
N		
Highway 1		
/400		
10th St.		
The distance between 10th Street and Main Street along Highway 1 is 5,6 mi. Which measure is closest to the length of Main Street from Highway 1 to 10th Street?		
A 8.7 mi C 4.7 mi		
B 3.6 ml D 7.3 ml		
Which expression can be used to find the length of $\overline{\it QR}$ in centimeters?		
Q.		
R 19 cm 5		
7 19011		
A 19(cos 20°)		
B 19(tan 20°)		
The state of the s		
C 19(sin 70°)		
D 19(tan 70°)		
In $\triangle DAC$ shown below, $\overline{EB} \parallel \overline{DC}$.	į	
ab onorm belon, ab a bot		
A		
$\ddot{\wedge}$		
18 cm /		
5/		
10 mg E/		
4.8 cm		
D C		
If $AC = 28.5$ cm, what is the length of \overline{AB} ?		
-		
F 22.5 cm		
ST 19975		
G 14.4 cm		
H 36.1 cm		
J 23.7 cm		
J 23.7 UII	1	i e e e e e e e e e e e e e e e e e e e

Strand: Geometric Structure

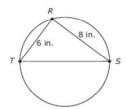
TEK: the student uses geometric vocabulary to	TEK: the student generates geometric	TEK: the student identifies and describes attributes	TEK: the student uses formal geometric
describe angles, polygons, and circles	definitions using critical attributes.	of geometric figures using formal geometric language	vocabulary

6 th Grade	5 th Grade	4 th Grade	3 rd Grade
6.6A – (S) use angle measurements to classify angles as acute, obtuse, or right 6.6B – (S) identify relationships involving angles in triangles and quadrilaterals 6.6C – (S) describe the relationship between radius, diameter, and circumference of a circle	SE 5.7 – (S) identify essential attributes including parallel, perpendicular, and congruent parts of two- and three-dimensional geometric figures	4.8A – (S)identify and describe right, acute, and obtuse angles 4.8B – (S)identify and describe parallel and intersecting (including perpendicular) lines using concrete models and pictorial models 4.8C – (R) use essential attributes to define two- and three-dimensional geometric figures	SE 3.8 – (R) identify, classify, and describe two- and three-dimensional geometric figures by their attributes. The student compares two- dimensional figures, three-dimensional figures, or both by their attributes using formal geometry vocabulary
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
		A base is a face The base names the figure Expose students to figures laying on all sidesnot always on its base Students have the misconception that a figure always sits on its base Expose students to Irregular figures	A base is a face The base names the figure Expose students to figures laying on all sidesnot always on its base Students have the misconception that a figure always sits on its base Expose students to Irregular figures
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-through explorations students should be able to differentiate and describe differences between radius, diameter, and circumference of circles -make mathematical connections -use approximation of 3 or solve in terms of Π -students should recognize that Π is approximately 3 and be able to use that approximation to solve problems -when given the circumference students should be able to determine the radius/diameter -measure angles with protractor, pattern blocks, corner of paper, etc. to classify angles -classifying acute, obtuse, and right angles without angle measurements is introduced in 4 grade -mark congruent sides and angles appropriately -use appropriate marking for right angle and congruent sides -know sums of angles in triangles and quadrilaterals and identify missing angle	-two-dimensional figures (circle, polygon, triangle, square, rectangle, quadrilateral, rhombus, trapezoid, parallelogram, pentagon, hexagon, octagon) -three-dimensional figures (sphere, cone, cylinder, cube, rectangular prism, triangular prism, square pyramid, triangular pyramid)teachers may state attributes of an object and students pick an object from a group of items	-two-dimensional figures (circle, polygon, triangle, square, rectangle, quadrilateral, rhombus, trapezoid, parallelogram, pentagon, hexagon, octagon) -three-dimensional figures (sphere, cone, cylinder, cube, rectangular prism, triangular prism, square pyramid, triangular pyramid) -teacher may state attributes of an object and students pick an object meeting the description from a group of items -angles are introduced in 4 th grade -only degree taught in 4 grade is 90° -journal writing-form definitions with attributes -include concrete examples -use pictorial representations -real world application	-two-dimensional figures (circle, polygon, triangle, square, rectangle, quadrilateral, rhombus, trapezoid, parallelogram, pentagon, hexagon, octagon) -three-dimensional figures (sphere, cone, cylinder, cube, rectangular prism, triangular prism, square pyramid, triangular pyramid) -two-dimensional vocabulary – vertices and sides -three-dimensional vocabulary – vertices, edges, faces -comparing geometric figures is introduced in the third grade, in second grade students describe attributes of geometric figures

their re	elationships		ase angles and														
Vocabu		, KIIOW all a	ingles are equal	Vocabulary			Vocabulary				Vocab	ularv					
Angle, diamet	acute, obtuse, er, chord, ray, ctor, classify, c e, base, equila	correspon	isosceles, right	Attribu 2D figu	•	•	lar, congruent, adjacent,	2D figured cotago trapez dodeca prism, rectan base, financial e 90°, paralle	ares, 3D figure on, pentagon, to oid, rhombus, agon, cube, sp triangular pyr gular pyramid face, identify, o elogram, angle arallel, perpen nt, irregular fi	riangle, squ heptagon, here, cylinc amid, recta vertex (ve describe, co s, acute, ob dicular, inte	uare, recta nonagon, ler, cone, ngular pri rtices), ed impare, cl tuse, righ	angle, decagon, triangular sm, ge, side, assify, t, measure,	gle, hexagon, octagon, pecagon, square, rectangle, to heptagon, nonagon cube, sphere, cylind prism, triangular py sify, rectangular pyramic measure, side, base, face, ide			gures, 3D figures, polygon, attributes, igon, octagon, pentagon, triangle, ire, rectangle, trapezoid, rhombus, agon, nonagon, decagon, dodecagon, e, sphere, cylinder, cone, triangular prism, triangular pyramid, rectangular prism, angular pyramid, vertex (vertices), edge, base, face, identify, describe, compare, ify, parallelogram, irregular figures	
STAAR	2012			STAAR	2012			STAAR	2012			=	STAAR	R 2012			
SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded	
6A	1	90%		7A	2	54%	14D	8A	1	74%			8A	4	63%	14C,14D,16A	
6B	1	43%				1		8B	1	37%							
6C	4	56%	12A					8C	3	72%	14D,1 6A						
STAAR	2013			STAAR	2013			STAAR	2013	•	•	-	STAAR	R 2013			
SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded	
6A	1	81%	11B	7A	2	54%	14D	8A	1	79%			8A	4	76%	14D,16A	
6B	1	46%	11B					8B	1	75%							
6C	4	58%	12A,13B					8C	3	74%	14D,1 6A						
Danica dre	ew an angle that has the	e characteristics lis	sted below.	Lakin drew	the figure below.			The fig	ure below has 6 la	beled angles.			A three	e-dimensional figu	re is shown be	low.	
• It is a	seasure is less than 108. In acute angle. the following could be th		900		7	V V	w	Which	$\int_{\mathbb{R}}^{L}$	M angles that a	N ppear to be i	P Q right angles?					
В	760	t	171° →	Which line	segments intersect each	n other but do not a	ppear to be perpendicular?	F Ang	le <i>L</i> , angle <i>M</i> , ang	le N, and angle	e P		How many vertices does this figure have?			ve?	
	V.0			A UV and				G Ang	le L, angle P, angl	e Q, and angle	R		A 10				
				C WX and				H Ang	le Q and angle R				B 16				
				D UV and	I XY			J Ang	le M and angle N				C 24				
													D 8				



In the figure below, the vertices of triangle RST are on a circle.



- . Line segment TS contains the center of the circle.
- . The perimeter of triangle RST is 24 inches.

What is the circle's radius?

- F 8 inches, because d = 24 8 and $d \div 2 = r$
- **G** 32 inches, because d = 24 8 and $d \times 2 = r$
- **H** 20 inches, because d = 24 (8 + 6) and $d \times 2 = r$
- J 5 inches, because d = 24 (8 + 6) and $d \div 2 = r$

The circular opening of a tunnel has a circumference of 36 meters. Which equation can be used to find d_t the diameter of the tunnel opening in meters?

- $B = \frac{36}{9} = d$
- C 2 · π · 36 = d
- $D = \frac{36}{\pi} = d$

A three-dimensional figure is shown below.



How many more edges than faces does this figure have?

- **A** 3
- **B** 8
- **C** 5
- **D** 4

Which figure has exactly 12 edges?









A three-dimensional figure is shown below.



What is the total number of edges and vertices in this figure?

Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.

TEK: the student uses attributes to determine

TEK: the student recognizes attributes of two-

how objects are alike and different

Math Vertical Alignment by Grade

TEK: the student uses attributes to identify two-

student compares and contrasts two- and three-

and three-dimensional geometric figures. The

TEK: the student uses attributes to identify two-

student compares and contrasts two- and three-

and three-dimensional geometric figures. The

Strand: Geometric Structure

vocabulary

TEK: the student uses formal geometric

	stadent compares and contrasts two and tinee	Stadent compares and contrasts two and three	TEX. the student recognizes attributes of two
	dimensional geometric figures, or both.	dimensional geometric figures, or both.	and three-dimensional geometric figures
3 rd Grade	2 nd Grade	1 st Grade	Kindergarten
SE 3.8 – (R) identify, classify, and describe two- and three-dimensional geometric figures by their attributes. The student compares two-dimensional figures, three-dimensional figures, or both by their attributes using formal geometry vocabulary	SE 2.7A – (R) describe attributes (the number of vertices, faces, edges, sides) of two- and three-dimensional geometric figures, such as circles, polygons, spheres, cones, cylinders, prisms, and pyramids, etc. 2.7B – (R) use attributes to describe how 2 two-dimensional or 2 three-dimensional geometric figures are alike of different 2.7C – (S) cut two-dimensional geometric figures apart and identify the new geometric figures formed	1.6A – (R) describe and identify two dimensional geometric figures including circles, triangles, rectangles, and squares (a special type of rectangle) 1.6B – (R) describe and identify three-dimensional figures including spheres, rectangular prisms (including cubes), cylinders and cones 1.6C – (S) describe and identify two- and three-dimensional geometric figures in order to sort them according to a given attribute using informal and formal language 1.6D – (S) use concrete models to combine two-dimensional geometric figures to make new geometric figures	K.8A – (S) describe and identify an object by it attributes using informal language K.8B – (R) compare two objects based on their attributes K.8C – (R) sort a variety of objects including two-and three-dimensional geometric figures according to their attributes and describe how the objects are sorted K.9A – (S) describe and compare the attributes of real-life objects such as balls, boxes, cans, and cones or models of three-dimensional geometric figures K.9B – (S) recognize shapes in real-life three-dimensional geometric figures or models of three-dimensional geometric figures K.9C – (S) describe, identify, and compare circles, triangles, rectangles, and squares (a
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	special type of rectangle) Specifics (description of lesson, include any "tricks")
A base is a face The base names the figure Expose students to figures laying on all sidesnot always on its base Students have the misconception that a figure always sits on its base Expose students to Irregular figures	Consistent vocabulary is a must for geometry Corners, points, etc. should be formally named 'vertex or vertices' Vertices are on 2D and 3D figures A base is a face The base names the figure Expose students to figures laying on all sidesnot always on its base Students have the misconception that a figure always sits on its base Expose students to Irregular figures Use formal vocabulary on Anchor Charts Use the connection "the base names the baby"	Consistent vocabulary is a must for geometry Corners, points, etc. should be formally named 'vertex or vertices' Vertices are on 2D and 3D figures A base is a face The base names the figure Expose students to figures laying on all sidesnot always on its base Students have the misconception that a figure always sits on its base Expose students to Irregular figures Use formal vocabulary on Anchor Charts Take students on a 'Shape Walk' around the school – take pictures of shapes and put them into a station for shape sorting Use paper folding for students to make 3D	Consistent vocabulary is a must for geometry Corners, points, etc. should be formally named 'vertex or vertices' Vertices are on 2D and 3D figures A base is a face The base names the figure Expose students to figures laying on all sidesnot always on its base Students have the misconception that a figure always sits on its base Expose students to Irregular figures Use informal and formal vocabulary on Anchor Charts Take students on a 'Shape Walk' around the school – take pictures of shapes and put them into a station for shape sorting

Rationale (clarification of TEKS/SE) -two-dimensional figures (circle, polygon, triangle, square, rectangle, quadrilateral, rhombus, trapezoid, parallelogram, pentagon, hexagon, octagon) -three-dimensional figures (sphere, cone, cylinder, cube, rectangular prism, triangular prism, square pyramid, triangular pyramid) -two-dimensional vocabulary – vertices and sides -three-dimensional vocabulary – vertices, edges, faces -comparing geometric figures is introduced in the third grade, in second grade students describe attributes of geometric figures	Rationale (clarification of TEKS/SE) -identify the number of vertices on two and three dimensional figures -use formal language including: vertices, faces, edges, bases and sides -two-dimensional (circle, oval, polygon, triangle, square, rectangle, rhombus, quadrilateral, pentagon, trapezoid, parallelogram, hexagon, octagon) -three-dimensional (cylinder, sphere, cone, triangular prism, cube, rectangular prism, triangular pyramid, rectangular pyramid, square pyramid) -include definition that a square is a rectangle -discuss similarities and differences using formal vocabulary -cut rectangles on the diagonal and create 2 triangles, cut polygons into triangles, cut	Rationale (clarification of TEKS/SE) -identify the three dimensional figure by name and use formal language including faces, vertices, edges to describe -formal language is introduced in 1 st grade -focus on the transition from informal vocabulary to formal vocabulary -two-dimensional (circle, oval, trapezoid, polygon, triangle, square, rectangle, rhombus, pentagon, hexagon, octagon, attributes: sides and vertices) -three-dimensional (spheres, cylinder, cone, triangular prism, cube, rectangular prism, triangular pyramid, rectangular pyramid, attributes: faces, vertices, edges, and bases) -two triangles combine to make a hexagon.	Use paper folding for students to make 3D shapes Use rope to have students create a shapeeach student is a vertex Rationale (clarification of TEKS/SE) -include words: round, sides, corners, flat circle, triangle, square, rectangle -compare based on presence/absence of attribute (red/not red) -include how the objects are the same and how are they differentinclude words: round, circular, rectangular, square, corner, sides, flat, pointed (use informal every day words) -include items: food boxed, can food, toy boxes, balls, blocks, books -include words; pointed, round, sides, corners -make sure students see the triangle and rectangle in several different positions
Manchatan	trapezoid to create rectangle and two triangles, etc.	Marchalan	Marchalan
Vocabulary	Vocabulary	Vocabulary	Vocabulary
2D figures, 3D figures, polygon, attributes, hexagon, octagon, pentagon, triangle, square, rectangle, trapezoid, rhombus, heptagon, nonagon, decagon, dodecagon, cube, sphere, cylinder, cone, triangular prism, triangular pyramid, rectangular prism, rectangular pyramid, vertex (vertices), edge, side, base, face, identify, describe, compare, classify, parallelogram, irregular figures	2D figures, 3D figures, polygon, attributes, hexagon, octagon, pentagon, triangle, square, rectangle, trapezoid, rhombus, heptagon, nonagon, decagon, dodecagon, cube, sphere, cylinder, cone, triangular prism, triangular pyramid, rectangular prism, rectangular pyramid, vertex (vertices), edge, side, base, face, describe, identify	Face, vertex (vertices), edge, base, describe, identify, cube, cylinder, sphere, triangular prism, rectangular prism, triangular pyramid, rectangular pyramid, circle, oval, trapezoid, polygon, triangle, square, rectangle, rhombus, pentagon, hexagon, octagon, side, attributes, 2D figures, 3D figures, attributes	Object, attribute, sort, size, sphere, cylinder, cube, cone, 2D shapes (figures), 3D shapes (figures), circle, oval, rectangle, triangle, square, sides, vertex (vertices)
STAAR 2012 SE	STAAR 2012	STAAR 2012	STAAR 2012
STAAR 2013 SE	STAAR 2013	STAAR 2013	STAAR 2013

A three-dimensional figure is shown below.		
How many vertices does this figure have?		
A 10		
B 16 C 24		
D 8		
Ava drew the figures below on her paper.		
Which statement about these figures is true? A They are all hexagons.		
B They are all pentagons. C They are all quadrilaterals.		
D They are all polygons. Naomi drew these figures and called them serzas.		
G AMO		
These are not serzas.		
Which figure is a serza?		
F H		
G J J Which figure has exactly 12 edges?		
A C D		
B D		

Strand: Graphing, Transformations, and Geometric Models

TEK: the student uses	ć
variety of tools and	
methods to represent	
and solve problems	
involving static and	
dynamic situations	

TEK: the student defines functions, describes characteristics of functions, and translate among verbal, numerical, graphical, and symbolic representations of functions, including polynomial, rational, power (including radical), exponential, logarithmic, trigonometric, and piecewise-defined functions TEK: the student interprets the meaning of the symbolic representations of functions and operations on functions

to solve meaningful problems
TEK: the student uses conic sections, their properties, and parametric representations, as well as tools and technology, to model physical situations
TEK: the student uses vectors to model physical

TEK: the student uses vectors to model physical situations

TEK: the student uses algebraic and geometric models to describe situations and solve problems

TEK: the student uses algebraic and geometric models to represent patterns and structures TEK: the student analyzes geometric relationships in order to make and verify conjectures

TEK: the student uses a variety of representations to describe geometric relationships and solve problems

TEK: the student analyzes the relationship between three-dimensional geometric figures and related two-dimensional representations and uses these representation to solve problems

TEK: the student understands that coordinate systems provide convenient and efficient ways of representing geometric figures and uses them accordingly TEK: the student uses tools to determine measurements of geometric figures and extends measurement concepts to find perimeter, area, and volume in problem situations

TEK: the student applies the concept of congruence to justify properties of figures and solve problems

TEK: the student applies the concepts of similarity to justify properties of figures and solve problems

Geometry

AQR
SE
AQR.12A - create and
use two- and three-
dimensional
representations of
authentic situations
using paper techniques
or dynamic geometric
environments for
computer-aided design
and other applications
AQR.12B – use vectors
to represent and solve
applied problems
AQR.12C – use matrices
to represent geometric
transformations and

solve applied problems

SE

PC.1A – describe parent functions symbolically and graphically, including f(x) = xn, f(x) = 1nx, $f(x) = \log a$, f(x) = 1/x, f(x) = IxI, f(x) = ax, $f(x) = \sin x$, $f(x) = \arcsin x$, etc. **PC.1C** – describe symmetry of graphs of even and odd functions

Pre-Cal

PC.1E – investigate the concepts of continuity, end behavior, asymptotes, and limits and connect these characteristics to functions represented graphically and numerically

PC.2A – apply basic transformations and compositions with absolute value functions, including If(x)I, and f(IXI) to parent functions

PC.5A – use conic sections to model motion, such as the graph of velocity vs. position of a pendulum and motions of planets

PC.5B – use properties of conic sections to describe physical phenomena such as the reflective properties of light and sound

PC.5C – convert between parametric and rectangular forms of functions and equations to graph them

PC.5D – use parametric functions to simulate problems involving motion

PC.6A – use the concept of vectors to model situations defined by magnitude and direction **PC.6B** – analyze and solve vector problems generated by

real-life situations

MMA

SE

MMA.8A – use geometric models available through technology to model growth and decay in areas such as population, biology, and ecology MMA.9A – use geometric transformations, symmetry, and perspective drawings to describe mathematical patterns and structure in art and architecture MMA.9B – use geometric

transformations, proportions, and periodic motion to describe mathematical patterns and structure in music

GEOM.2A – **(S)** use constructions to explore attributes of geometric figures and to make conjectures about geometric relationships

GEOM.2B – (R) make conjectures about angles, lines, polygons, circles, and three-dimensional figures and determine the validity of the conjectures, choosing from a variety of approaches such as coordinate, transformational, or axiomatic

GEOM.5C – (S) use properties of transformations and their compositions to make connections between mathematics and the real world, such as tessellations

GEOM.5D – (R) identify and apply patterns from right triangles to solve meaningful problems, including special right triangles (45-45-90 and 30-60-90) and triangles whose sides are Pythagorean triples

GEOM.6A – **(S)** describe and draw the intersection of a given plane with various three-dimensional geometric figures

GEOM.6B – (S) use nets to represent and construct three-dimensional geometric figures

GEOM.6C – (S) use orthographic and isometric views of three-dimensional geometric figures to represent and construct three-dimensional geometric figures and solve problems

GEOM.7A – **(S)** use one- and two-dimensional coordinate systems to represent points, lines, rays, line segments, and figures

GEOM.8A – (R) find areas of regular polygons, circles, and composite figures
GEOM.10A – (S) use congruence transformations to make conjectures and justify
properties of geometric figures including figures represented on a coordinate plane
GEOM.11A – (S) use and extend similarity properties and transformations to explore
and justify conjectures about geometric figures

Specifics (description of lesson, include any "tricks")										
Rationale (clarification of TEKS/SE)										
Vocabulary	Vocabulary	Vocabulary	Vocal	oulary						
STAAR 2012	STAAR 2012	STAAR 2012	STAAI	R 2012						
31AAN 2012	STAAR 2012	31AAN 2012	SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded
			2A	1	54%	coucu	6C	1	46%	coaca
			2B	3	63%		7A	1	95%	
			5C	1	90%		8A	2	67%	
			5D	3	51%		10A	1	64%	
			6A	1	79%		11A	1	72%	
			6B	1	100%					
STAAR 2013	STAAR 2013	STAAR 2013		R 2013		T	.	1		
			SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded
			2A	1	33%		6C	1	87%	
			2B	3	58%		7A	1	20%	
			5C	1	67%		8A	3	51%	
			5D	3	51%		10A	1	67%	
			6A	1	60%		11A	1	33%	
			6B	1	47%	d		t $\triangle ABC$, given line	- 1-	
			Basec A ∠. B Δ C Δ	I on this construct AWC is compleme CWB is a right tri ACB is isosceles.	A tion, which stall entary to $\angle CWE$ angle.	W weement is not tr	B → <i>k</i>	Canac, given iii	- ^.	

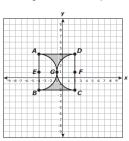
The rectangular pyramid shown below was intersected by a plane parallel to base ABCD to form quadrilateral A'B'C'D'. Based on this information, which statement cannot be proved true? A ABCD ∼ A'B'C'D' $c \quad \angle \textit{AA'D'} \cong \angle \textit{BB'A'}$ $\mathbf{D} \ \angle \mathit{BCD} \cong \angle \mathit{B'C'D'}$ In circle E below, $\angle AEB \cong \angle CED$. Based on this information, which statement must be true? $F \quad \overline{AB} \cong \overline{CD}$ G EB ⊥ EC **H** $m\angle AED = 4(m\angle DEC)$ **J** $m\angle AEB + m\angle DEC = m\angle BEC$ In the figure below, $k \parallel t$ and $k \perp q$. Based on this information, which statement can be proved true? $F \angle ACB \cong \angle ABC$ **G** $\triangle CAB$ is an acute triangle. $\mathbf{H} \quad \angle \mathit{DCB} \cong \angle \mathit{BCA}$ **J** $\triangle CAB$ is a right triangle.

The diagram below represents one layout of a hexagonal swimming pool that contains a drain at point D in the center of a rectangular yard. • D Other layouts are also being considered. Which layout is the result of a 90° counterclockwise rotation of the original layout using ${\it D}$ as the center of rotation? • D In the diagram below, the angle of depression from P to Q is 45°. 45° - 32 ft-Not drawn to scale Which of the following is closest to the distance between P and Q? F 45.3 ft **G** 22.6 ft H 55.4 ft J 18.5 ft Three gears in a machine are positioned relative to each other to form an isosceles right triangle, as shown below. What is the distance in centimeters between the centers of the gears located at B and C? Record your answer and fill in the bubbles on your answer document.

Within a square section of land, a landscaper will build a path, as represented by the shaded
section in the diagram below.
15 ft 30°
Which measure is closest to the value of y?
A 5.5 ft
B 3.1 ft
C 4.3 ft
D 7.5 ft
A plane intersects a cylinder. Which of the following cannot be formed by this intersection?
F Triangle
G Line
H Rectangle
Circle A company is designing a flotation device made of foam. The shape of the design is modeled below.
Which net can be folded to form the shape of the flotation device?
F H
e 1
The front, side, and top views of a three-dimensional figure made of identical cubes are
shown below.
Top view Front view Side view
Which diagram best represents this three-dimensional figure?
F H Front
F H Front
From From

 $\overline{\it PQ}$ is shown on the coordinate grid below. The coordinates of $\it P$ and $\it Q$ are integers. -5 -4 -3 -2 -1 Point (x, y) lies on the perpendicular bisector of \overline{PQ} . What is the value of x? Record your answer and fill in the bubbles on your answer document. Two regular hexagons with center C and apothems a and b are shown in the figure below. Each vertex of the smaller hexagon is a midpoint on a side of the larger hexagon. If $a = 12\sqrt{3}$ cm and b = 18 cm, what is the total area of the shaded regions? A 648√3 cm² B 36√3 cm² C 216√3 cm² D 1,512√3 cm² 33 A banner is composed of two congruent triangles and a rectangle, as shown below. 12 cm 10 cm 17 cm What is the total area of the banner in square centimeters? Record your answer and fill in the bubbles on your answer document.

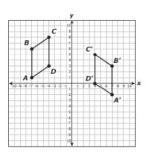
Points A, B, C, and D are the vertices of a square. Points E and F are the centers of two congruent semicircles that are tangent to each other at point G.



Which value is closest to the area of the shaded regions?

- F 7.7 units²
- G 4.3 units²
- H 17.2 units²
- **J** 64.3 units²

Parallelogram ABCD was transformed to form parallelogram A'B'C'D'.



Which rule describes the transformation that was used to form parallelogram $A^{\prime}B^{\prime}C^{\prime}D^{\prime}?$

- $\mathbf{F} \quad (x, -y)$
- G (-x, y)
- **H** (x + 6, -y)
- **J** (-x, y-3)

Isosceles trapezoid JKLM is shown below.



If the dimensions of trapezoid JKLM are multiplied by a scale factor of f to create trapezoid J'K'L'M', which statement is true?

- F Trapezoid J'K'L'M' contains two base angles measuring 30° each.
- G The longer base of trapezoid J'K'L'M' is 56f units.
- ${\bf H}$ The bases of trapezoid ${\it J'K'L'M'}$ have lengths of 22 units and 39 units.
- J Trapezoid J'K'L'M' contains two base angles measuring (120f)° each.

Strand: Graphing, Transformations, and Geometric Models

TEK: the student analyzes geometric relationships in order to make and verify conjectures

TEK: the student uses a variety of representations to describe geometric relationships and solve problems

TEK: the student analyzes the relationship between three-dimensional geometric figures and related two-dimensional representations and uses these representation to solve problems

TEK: the student understands that coordinate systems provide convenient and efficient ways of representing geometric figures and uses them accordingly

TEK: the student uses tools to determine measurements of geometric figures and extends measurement concepts to find perimeter, area, and volume in problem situations

TEK: the student applies the concept of congruence to justify properties of figures and solve problems TEK: the student applies the concepts of similarity to justify properties of figures and solve problems

60-90) and triangles whose sides are Pythagorean

GEOM.6A - (S) describe and draw the intersection

triples

TEK: the student connects algebraic and geometric representations of functions

TEK: the student knows the relationship between the geometric and algebraic descriptions of conic sections

TEK: the student understands that quadratic functions can be represented in different ways and translates among their various representations

TEK: the student interprets and describes the effects of changes in the parameters of quadratic functions in applied and mathematical situations TEK: the student formulates equations and inequalities based on square root functions, uses a variety of methods to solve them, and analyzes the

TEK: the student formulates equations and inequalities based on rational functions, uses a variety of methods to solve them, and analyzes the solutions in terms of the situation

solutions in terms of the situation

TEK: the student formulates equations and inequalities based on exponential and logarithmic functions, uses a variety of methods to solve them, and analyzes the solutions in terms of situation

ALGII.5E – (S) use the method of completing the

ALGII.7A – (R) use characteristics of the quadratic

square

TEK: the student uses the properties and attributes of functions

TEK: the student understands the meaning of the slop and intercepts of the graphs of linear functions and zeros of linear functions and interprets and describes the effects of changes in parameters of linear functions in real-world and mathematical situations

TEK: the student understands that the graphs of quadratic functions are affected by the parameters of the function and can interpret and describe the effects of changes in the parameters of quadratic functions

TEK: the student uses transformational geometry to develop spatial sense TEK: the student uses geometry to model and describe the physical world

Geometry	Algebra II	Algebra I	8 th Grade
SE	SE	SE	SE:
GEOM.2A – (S) use constructions to explore	ALGII.4A – (S) identify and sketch graphs of parent	ALG.2A – (S) identify and sketch the general	8.6A – (R)generate similar figures using
attributes of geometric figures and to make	functions, including linear, quadratic, exponential,	forms of linear (y=x) and quadratic (y=x ²)	dilations including enlargements and
conjectures about geometric relationships	and logarithmic functions, absolute value of x,	parent functions	reductions
GEOM.2B – (R) make conjectures about angles,	square root of x, and reciprocal of x	ALG.2C – (S) interpret situations in terms of	8.6B – (S)graph dilations, reflections, and
lines, polygons, circles, and three-dimensional	ALGII.4B – (R) extend parent functions with	given graphs or creates situations that fit given	translations on a coordinate plane
figures and determine the validity of the	parameters such as a in $f(x) = a/x$ and describe the	graphs	8.7A – (S)draw three-dimensional figures
conjectures, choosing from a variety of approaches	effects of the parameter changes on the graph of	ALG.6C – (R) investigate, describe, and predict	from different perspectives
such as coordinate, transformational, or axiomatic	parent functions	the effects of changes in m and b on the graph	8.7B – (S)use geometric concepts and
GEOM.5C – (S) use properties of transformations	ALGII.5A – (S) describe a conic section as the	of $y = mx + b$	properties to solve problems in fields such
and their compositions to make connections	intersection of a plane and a cone	ALG.6D – (S) graph and write equations on	as art and architecture
between mathematics and the real world, such as	ALGII.5B – (S) sketch graphs of conic sections to	lines given characteristics such as two points, a	8.7C – (S)use pictures or models to
tessellations	relate simple parameter changes in the equation to	point and a slope, or a slope and y-intercept	demonstrate the Pythagorean Theorem
GEOM.5D – (R) identify and apply patterns from	corresponding changes in the graph	ALG.6F – (R) interpret and predict the effects	8.7D – (S)locate and name points on a
right triangles to solve meaningful problems,	ALGII.5C – (S) identify symmetries from graphs of	of changing slope and y-intercept in applied	coordinate place using ordered pairs of
including special right triangles (45-45-90 and 30-	conic sections	situations	rational numbers

ALG.9B - (S) investigate, describe, and predict

the effects of changes in a on the graph of

of a given plane with various three-dimensional	parent function to sketch the related graphs and	$y=ax^2+c$	
geometric figures	connect between the $y=ax^2 + bx + c$ and the $y=a(x-b)$	ALG.9C – (S) investigate, describe, and predict	
GEOM.6B – (S) use nets to represent and construct	h) ² + k symbolic representations of quadratic	the effects of changes in c on the graph of	
three-dimensional geometric figures	functions	y=ax ² + c	
GEOM.6C – (S) use orthographic and isometric	ALGII.7B – (S) use the parent function to	ALG.9D – (R) analyze graphs of quadratic	
views of three-dimensional geometric figures to	investigate, describe, and predict the effects of	functions and draw conclusions	
represent and construct three-dimensional	changes in a, h, and k on the graphs of $y=a(x-h)^2 + k$		
geometric figures and solve problems	form of a function in applied and purely		
GEOM.7A – (S) use one- and two-dimensional	mathematical situations		
coordinate systems to represent points, lines, rays,	ALGII.9A – (S) use the parent function to		
line segments, and figures	investigate, describe, and predict the effects of		
GEOM.8A – (R) find areas of regular polygons,	parameter changes on the graphs of square root		
circles, and composite figures	functions and describe limitations on the domains		
GEOM.10A – (S) use congruence transformations to	and ranges		
make conjectures and justify properties of	ALGII.10A – (S) use quotients of polynomials to		
geometric figures including figures represented on	describe the graphs of rational functions, predict		
a coordinate plane	the effects of parameter changes, describe		
GEOM.11A – (S) use and extend similarity	limitations on the domains and ranges, and		
properties and transformations to explore and	examine asymptotic behavior		
justify conjectures about geometric figures	ALGII.11B – (S) use the parent functions to		
	investigate, describe, and predict the effects of		
	parameter changes on the graphs of exponential		
	and logarithmic functions, describe limitations on		
	the domains and ranges, and examine asymptotic		
	behavior		
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any	Specifics (description of lesson, include any	Specifics (description of lesson, include any
	"tricks")	"tricks")	"tricks")
			Dilations on the coordinate plane
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
			-understand that similar figures must have
			the same corresponding angle
			measurement and the dimensions of the
			corresponding sides must be proportional
			-use scale factors such as ½, ¼, 2, 0.5,
			-have students draw the figures
			-find the scale factor from a graph, drawing
			or a table
			-label dilations with 'prime' notation
			-mark congruent parts of similar figures
			-the term dilation is introduced in 8 th
			-translations include vertical and horizontal
			slides, reflections across both axes,
			dilations include enlargements and
			reductions
			-include composition of transformations
			-connect dilations to scale factor and
			similar figures
			-discuss the 'point of dilation' -practice building and sketching 3-D figures

Vocabulary	Vocabulary	Vocabulary	from all views -identify a solid figure when given the front, top and side views -use activities involving real life application where they are encouraged to explore and use appropriate geometric concepts, properties and formulas to solve problems -include conversion in square units — number of square feet in square yard -understand the Pythagorean theorem is used with right triangles -use various models to illustrate the sum of squares of the sides are the same as the square of/on the hypotenuse -recognize hypotenuse is always the longest side -use rational numbers in all 4 quadrants -rational numbers include positive and negative whole numbers, fractions, and decimal -negative rational numbers are introduced in 8 th grade -positive rational numbers and integers are introduced in 7 th grade Vocabulary
Vocabulary	Vocabulary	Vocabulary	Similar figures, dilations, reductions,
			enlargements, reflections, translations,
			coordinate plane, perspectives, ordered
			pairs, Pythagorean Theorem, hypotenuse
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012
SE # of Percent Dual Coded		SE # of Percent Dual Questions Coded	SE # of Percent Dual Questions Coded
Questions Coded 2A 1 54%		2A 1 35%	Questions Coded
2B 3 63%		2C 1 32%	3 31% 145,1 4B
5C 1 90%		6C 3 51%	6B 1 69% 14D
5D 3 51%		6D 1 24%	7A 1 49% 15A
6A 1 79%		6F 3 42%	7B 1 52% 14B
6B 1 100%		9B 1 47%	7C 1 35% 15A
6C 1 46%		9D 2 68%	7D 1 38% 14D
7A 1 95%			
8A 2 67%			
10A 1 64%			
11A 1 72%			
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013
SE # of Percent Dual	SE # of Percent Dual	SE # of Percent Dual	SE # of Percent Dual
Questions Coded	Questions Coded	Questions Coded	Questions Coded
2A 1 33%	4A 1 96%	2A 1 50%	6A 3 63% 14A

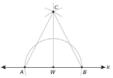
2B	3	58%	
5C	1	67%	
5D	3	51%	
6A	1	60%	
6B	1	47%	
6C	1	87%	
7A	1	20%	
8A	3	51%	
10A	1	67%	
11A	1	33%	
The diagra	m below shows the area	and comments used	to construct A ARC

4B	2	54%	
5A	1	43%	
5B	1	60%	
5E	1	68%	
7A	3	69%	
9A	1	51%	
10A	1	51%	
11B	1	50%	

6C	3	53%	
6D	1	48%	
6F	3	57%	
9B	1	59%	
9D	2	64%	

6B	1	64%	
7A	1	72%	15A
7B	1	61%	14B
7C	1	44%	15A
7D	1	41%	15A

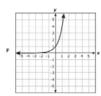
The diagram below shows the arcs and segments used to construct ΔABC , given line k.

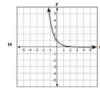


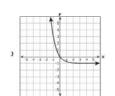
Based on this construction, which statement is not true?

- A ∠AWC is complementary to ∠CWB.
- B ΔCWB is a right triangle.
- C \(\Delta ACB\) is isosceles.
- D $m\angle CAB = m\angle CBA$

Which graph best represents the parent function of $y = 4^{(x+3)}$?







The set of ordered pairs below represents some points on the graph of function f.

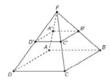
What is the parent function of f?

- $\mathbf{F} \quad \mathbf{y} = \mathbf{x}$
- $\mathbf{G} \quad \mathbf{y} = \mathbf{2}^{\mathbf{x}}$
- $\mathbf{H} \quad y = x^2$
- $y = \sqrt{x}$

A square has a side length of $5\frac{1}{2}$ inches. This square is dilated by a scale factor of $\frac{4}{5}$ to create a new square. What is the side length of the new square?

- A 44/5 in.
- **B** $4\frac{1}{4}$ in.
- c 42 in.
- D Not here

The rectangular pyramid shown below was intersected by a plane parallel to base ABCD to form quadrilateral A'B'C'D'.



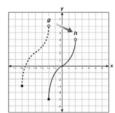
Based on this information, which statement cannot be proved true?

- A ABCD ~ A'B'C'D'
- $C \quad \angle AA'D' \cong \angle BB'A'$

 $B \frac{A'}{A'F} = \frac{B'}{B'F}$

 $\mathbf{D} \ \angle \mathit{BCD} \cong \angle \mathit{B'C'D'}$

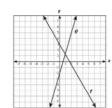
The graph of the function \hbar was obtained from the graph of the function g using a composite transformation, as shown below.



Which equation can be used to describe h(x) in terms of g(x)?

- $\mathsf{F} \quad h(x) = g(x+4) + 2$
- G h(x) = g(x+4)-2
- h(x) = g(x-4)-2
- 3 h(x) = g(x-4) + 2

The slope and y-intercept of the graph of f were changed to make the graph of g, as shown below.



Which statement describes the changes that were made to the graph of ℓ to make the graph of g ?

- ${\bf A}$. The slope was multiplied by 2, and the *y*-intercept was decreased by 5 to make the graph of ${\it g}.$
- ${\bf B}$. The slope was multiplied by $-\frac{1}{2},$ and the y-intercept was increased by 5 to make the graph of g.
- ${\bf C}$ The slope was multiplied by -2_r and the y-intercept was decreased by 5 to make the graph of g.
- **D** The slope was multiplied by $\frac{1}{2}$, and the *y*-intercept was increased by 5 to make the graph of g.

Mrs. Hussen has two similar recycling bins in her office. The dimensions of the smaller bin can be found by dilating the dimensions of the larger bin by a scale factor of 0.75.

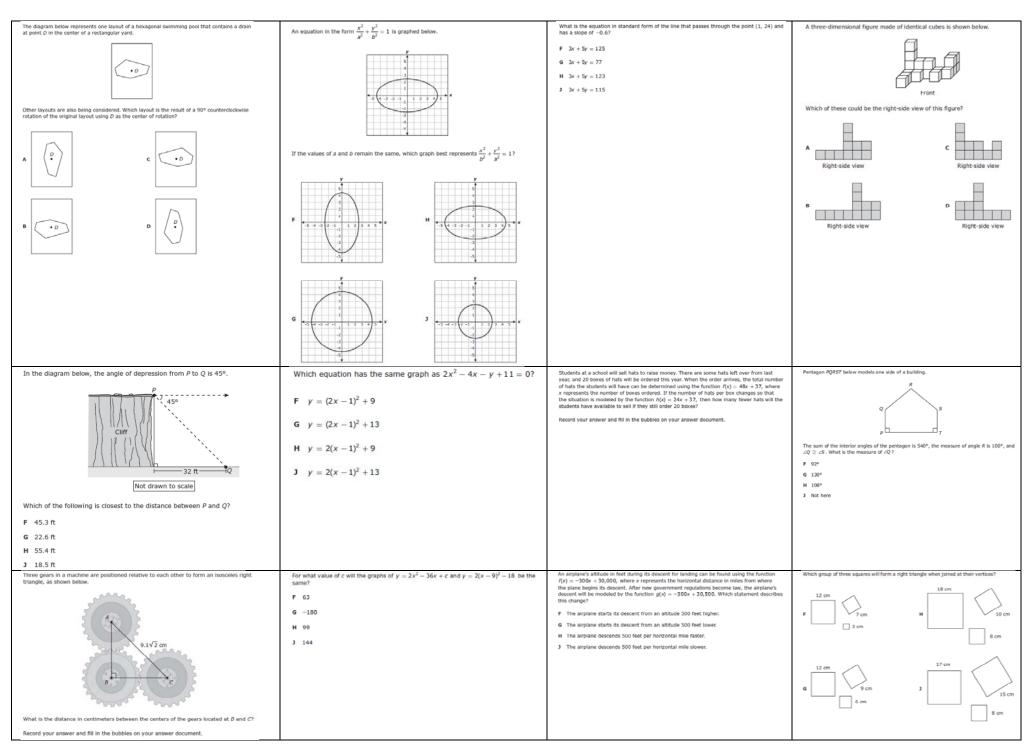


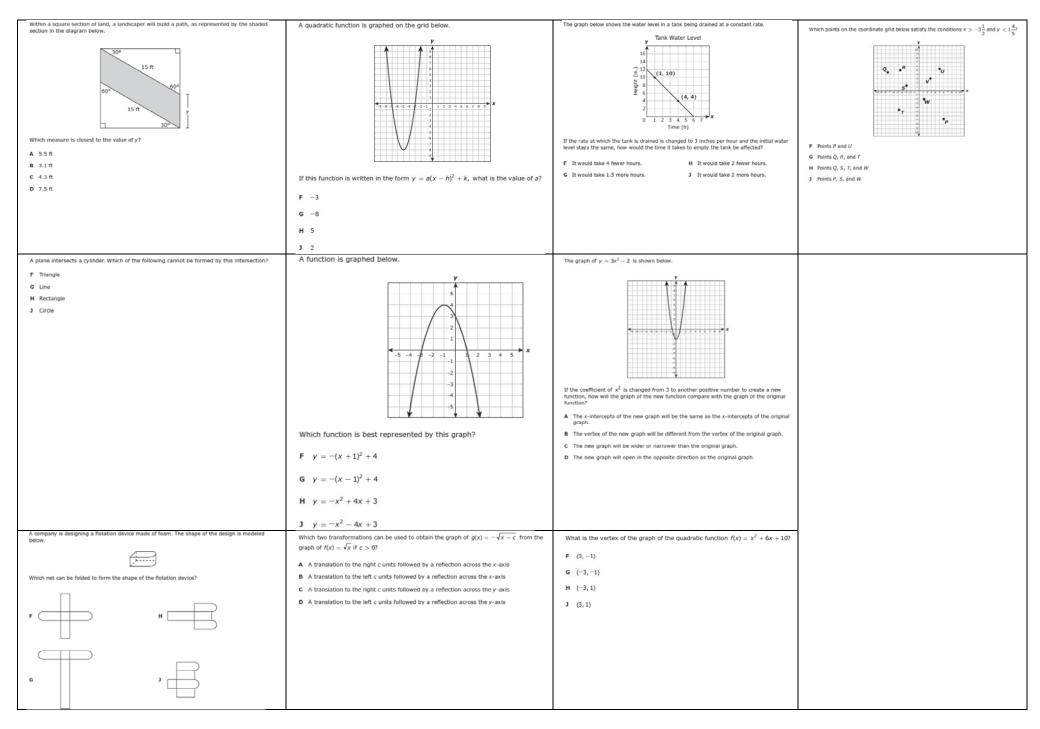


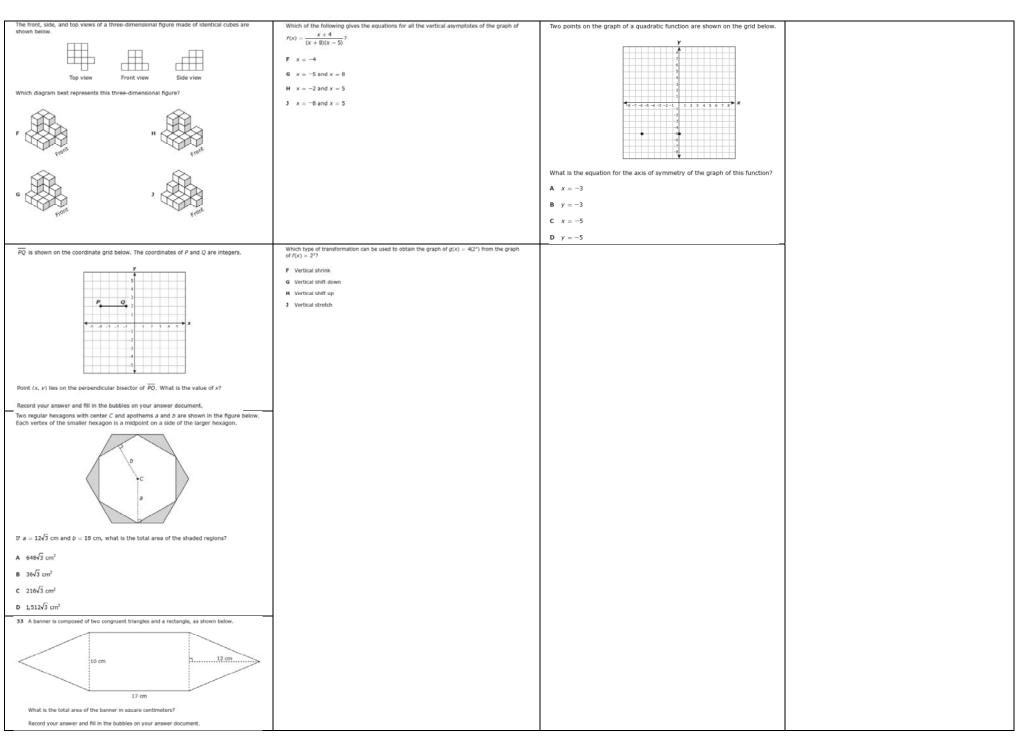
What are the measurements of x and y on the smaller recycling bin?

- $\mathbf{F} \quad x = \mathbf{13.25} \, \mathrm{in. \ and} \, y = \mathbf{9.25} \, \mathrm{in.}$
- ${f G} \ \ x=10.5 \ {f in.} \ {f and} \ y=6.5 \ {f in.}$
- $\mathbf{H} \quad x = \mathbf{11.5} \text{ in. and } y = \mathbf{7.5} \text{ in.}$
- y = 10.5 in. and y = 7.5 in.

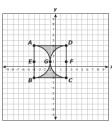
A rectangle has a length of 7.5 inches and a width of 3 inches. This rectangle is dilated by a scale factor of 2.2 to create a new rectangle. Which figure represents the new rectangle? For the functions h and g, which statement is true if h(x) = g(x + 14) - 12? In circle E below, $\angle AEB \cong \angle CED$. The graph of line p represents $y = \frac{1}{c}x - 1$. If the slope of line p is multiplied by -10 to create line r, which statement about the graphs of the two lines is true? A The graph of h is the result of the graph of g being translated right 14 units and down 16.5 in. A Line r intersects line p. A 6.6 in B The graph of h is the result of the graph of g being translated left 14 units and down 12 units. **B** Line r is parallel to line p. C Line r is 10 units above line p. ${f C}$ The graph of h is the result of the graph of g being translated right 14 units and up D Line r is 10 units below line p. B 0.8 in. 5.3 in. ${\bf D}$ The graph of h is the result of the graph of g being translated left 14 units and up Based on this information, which statement must be true? $F \overline{AB} \cong \overline{CD}$ $G \overline{EB} \perp \overline{EC}$ **H** $m\angle AED = 4(m\angle DEC)$ **J** $m\angle AEB + m\angle DEC = m\angle BEC$ If the graph of y = 9x + 4 is translated 4 units up, which equation describes the new graph? The graph of a figure is shown below. A plane intersects a double cone as shown below. In the figure below, $k \parallel t$ and $k \perp q$. F y = 9x + 8G y = 13x + 4H y = 13x + 83 y = 4x + 4Which graph represents the reflection of this figure across the x-axis? Based on this information, which statement can be proved true? $F \angle ACB \cong \angle ABC$ What conic section is created by this intersection? **G** $\triangle CAB$ is an acute triangle. F Circle $H \angle DCB \cong \angle BCA$ G Ellipse **J** $\triangle CAB$ is a right triangle. H Hyperbola J Parabola







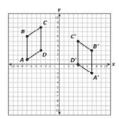
Points A, B, C, and D are the vertices of a square. Points E and F are the centers of two congruent semicircles that are tangent to each other at point G.



Which value is closest to the area of the shaded regions?

- F 7.7 units²
- G 4.3 units²
- H 17.2 units²
- J 64.3 units²

Parallelogram ABCD was transformed to form parallelogram A'B'C'D'.



Which rule describes the transformation that was used to form parallelogram A'B'C'D'?

- F (x, -y)
- G (-x, y)
- H (x + 6, -y)
- **J** ⟨-x, y 3⟩

Isosceles trapezoid JKLM is shown below.



If the dimensions of trapezoid JKLM are multiplied by a scale factor of f to create trapezoid J'K'l', which statement is true?

- F Trapezoid J'K'L'M' contains two base angles measuring 30° each.
- G The longer base of trapezoid J'K'L'M' is 56f units.
- ${\bf H}$. The bases of trapezoid ${\cal Y}\!{\cal K}'\!{\cal L}'\!{\cal M}'$ have lengths of 22 units and 39 units.
- ${\bf J}$ Trapezoid ${\it J'K'L'M'}$ contains two base angles measuring (120/)° each.

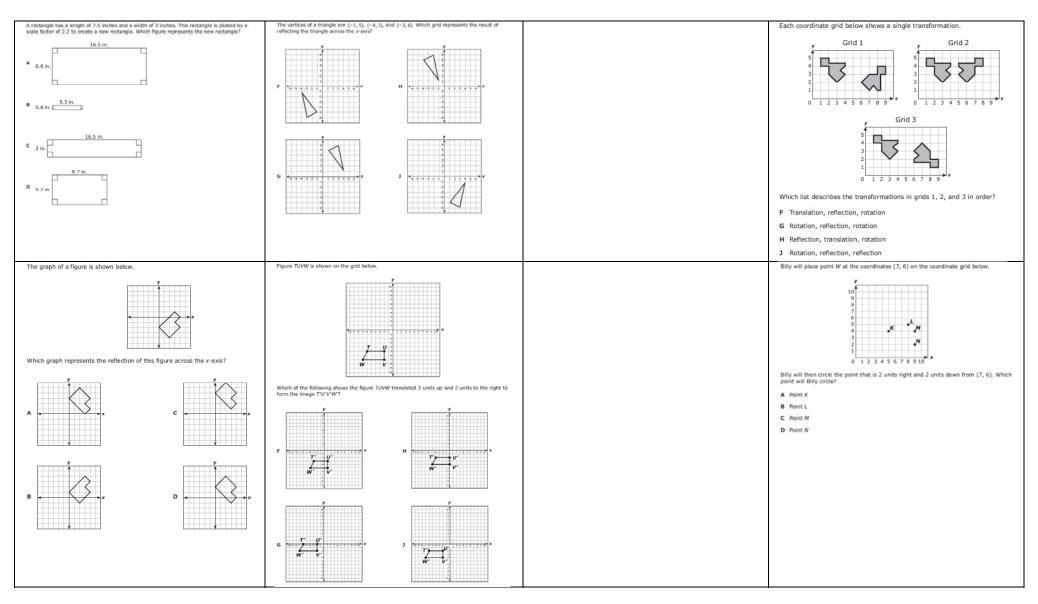
Strand: Graphing, Transformations, and Geometric Models

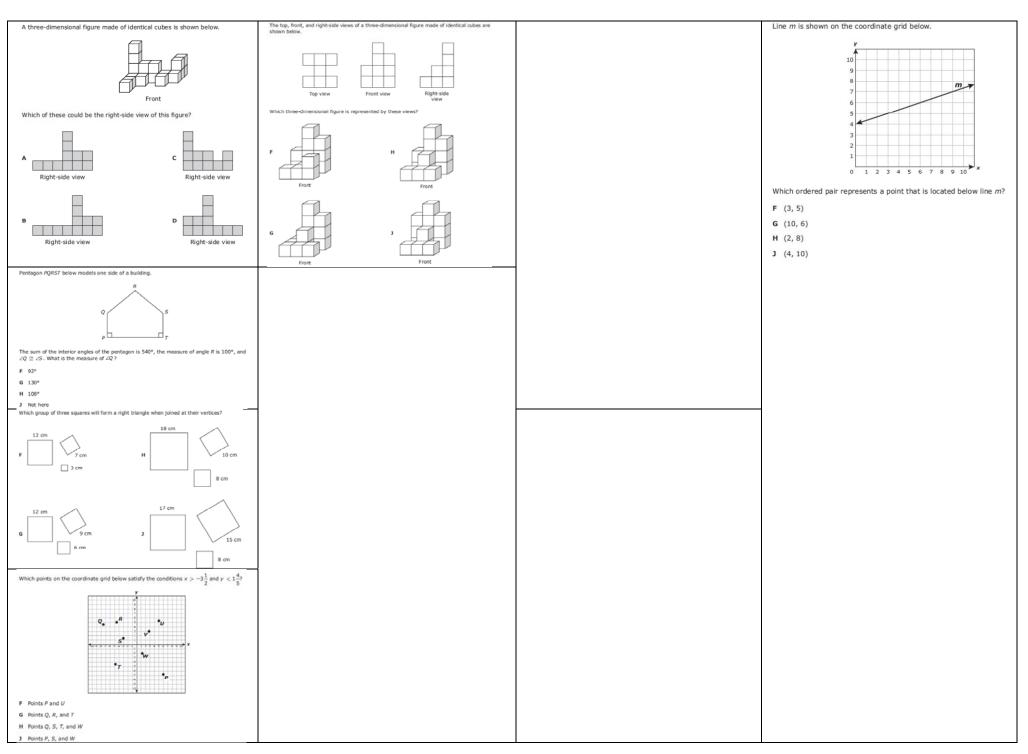
TEK: the student uses transformational	TEK: the student uses coordinate geometry to	TEK: the student uses coordinate geometry to	TEK: the student models transformations
geometry to develop spatial sense	describe location on a plane	identify location in two dimensions	TEK: the student recognizes the connection
TEK: the student uses geometry to model and	TEK: the student uses geometry to model and		between ordered pairs of numbers and locations
describe the physical world	describe the physical world		of points on a plane

8 th Grade	7 th Grade	6 th Grade	5 th Grade		
SE: 8.6A – (R)generate similar figures using dilations including enlargements and reductions 8.6B – (S)graph dilations, reflections, and translations on a coordinate plane 8.7A – (S)draw three-dimensional figures from different perspectives 8.7B – (S)use geometric concepts and properties to solve problems in fields such as art and architecture 8.7C – (S)use pictures or models to demonstrate the Pythagorean Theorem 8.7D – (S)locate and name points on a coordinate place using ordered pairs of rational numbers	7.7A – (S)locate and name points on a coordinate place using ordered pairs of integers 7.7B – (R)graph reflections across the horizontal or vertical axis and graph translations on a coordinate plane 7.8A – (S)sketch three-dimensional figures when given the top, side, and front views 7.8C – (S)use geometric concepts and properties to solve problems in fields such as art and architecture	SE 6.7 – (S)locate and name points on a coordinate plane using ordered pairs of nonnegative rational numbers	5E 5.8A – (R)sketch the results of translations, rotations, and reflections on a Quadrant I coordinate grid 5.8B – (S)identify the transformation that generates one figure from the other when given two congruent figures on a Quadrant I coordinate grid 5.9 – (S)locate and name points on a coordinate grid using ordered pairs of whole numbers		
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks") Transformations: translation=slide, rotation=turn, reflection=flip	Specifics (description of lesson, include any "tricks") Call the axis by name (vertical is the y-axis and the horizontal is the x-axis)	Specifics (description of lesson, include any "tricks") Call the axis by name (vertical is the y-axis and the horizontal is the x-axis) when constructing graphs Transformations: translation=slide, rotation=turn, reflection=flip 4 th grade students plot halves, fourths, tenths and hundredths on the number linebuild on this prior knowledge		
Rationale (clarification of TEKS/SE) -understand that similar figures must have the same corresponding angle measurement and the dimensions of the corresponding sides must be proportional -use scale factors such as ½, ½, 2, 0.5, -have students draw the figures -find the scale factor from a graph, drawing or a table	Rationale (clarification of TEKS/SE) -use integers in all four quadrants -label and identify origin, quadrants, x-axis and y-axis -integers are positive and negative numbers not including fractions and decimals -7 th grade is the first time students have graphed in all quadrants (graph using negative numbers) -use all 4 quadrants for reflections, vertical and	Rationale (clarification of TEKS/SE) -use first quadrant only -ordered pairs may include fractions and decimals	Rationale (clarification of TEKS/SE) -journal writing-students form definitions using attributes -pictorial representations on geoboard grid paper -quadrant I is positive numbers -must work with and understand the concept of congruent -pictorial representations on geoboard grid		

-label dilations with 'prime' notation	horizontal translation		paper (often tested on grids)
-mark congruent parts of similar figures	-this is the first time students have used a		-students should only work in quadrant I which
-the term dilation is introduced in 8 th	coordinate plane for transformations or reflected		uses only positive numbers
-translations include vertical and horizontal	across an axis		-focus on concept and position of points on a
slides, reflections across both axes, dilations	-graphing reflections in all 4 quadrants is		coordinate gird related to written coordinate
include enlargements and reductions	introduced in 7 th grade		-combine the concept of x-axis, y-axis and
-include composition of transformations	-practice building with cubes and sketching 3D		ordered pairs
-connect dilations to scale factor and similar	figures when given the top, side and front views		-points on a grid is a new concept introduced in
figures	-students should be able to identify a solid figure		5 th grade
-discuss the 'point of dilation'	when given the front, top and side views		- 8.2
-practice building and sketching 3-D figures	-views is a new 7thgrade concept		
from all views	-only make nets – use prisms, pyramids, and		
-identify a solid figure when given the front, top	cylinders		
and side views	-do not calculate surface area in 7 th		
-use activities involving real life application	-use activities involving real life application to		
where they are encouraged to explore and use	explore and use geometric concepts and		
appropriate geometric concepts, properties and	properties to solve problems		
formulas to solve problems	-can labels, wrapping a box, painting columns on		
-include conversion in square units – number of	a building, bicycle tire, steam roller		
square feet in square yard	a sanding, bioyele the, steam folier		
-understand the Pythagorean theorem is used			
with right triangles			
-use various models to illustrate the sum of			
squares of the sides are the same as the square			
of/on the hypotenuse			
-recognize hypotenuse is always the longest			
side			
-use rational numbers in all 4 quadrants			
-rational numbers include positive and negative			
whole numbers, fractions, and decimal			
-negative rational numbers are introduced in 8 th			
grade			
-positive rational numbers and integers are			
introduced in 7 th grade			
Vocabulary	Vocabulary	Vocabulary	Vocabulary
	,	,	·
Similar figures, dilations, reductions,	Coordinate plane, integers, positive, negative,	Coordinate plane, quadrant I, locate, ordered	Transformations, translation, rotations,
enlargements, reflections, translations,	ordered pairs, x-axis, y-axis, quadrants, origin,	pairs, y-axis, x-axis, origin, positive	reflections, coordinate plane, quadrant I,
coordinate plane, perspectives, ordered pairs,	vertical, horizontal, reflections, translations,		congruent, locate, ordered pairs, y-axis, x-axis,
Pythagorean Theorem, hypotenuse	views,		origin
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012
SE # of Percent Dual	SE # of Percent Dual	SE # of Percent Dual	SE # of Percent Dual
Questions Coded	Questions Coded	Questions Coded	Questions Coded
6A 3 51% 14D,14B	7B 3 71%	7A 2 57% 11D	8A 3 74%
6B 1 69% 14D	8A 1 69% 14A		8B 1 66%
7A 1 49% 15A	8C 1 40% 13B		9A 1 74% 14D
7B 1 52% 14B			
	1	1	

7C	1	35%	15A															
7D	1	38%	14D															
STAAR	2013				STAAR	2013				STAAR	2013			STAAR	2013			
SE	# of	Percent	Dual		SE	# of	Percent	Dual		SE	# of	Percent	Dual	SE	# of	Percent	Dual	
	Questions		Coded			Questions		Coded			Questions		Coded		Questions		Coded	
6A	3	63%	14A		7A	1	77%	11D		7A	2	50%	11D	8A	2	83%		
6B	1	64%			7B	3	74%	13D						8B	1	73%		
7A	1	72%	15A		8A	1	78%	14A						9A	2	70%	14D	
7B	1	61%	14B															
7C	1	44%	15A															
7D	1	41%	15A															
	has a side length of $5\frac{1}{2}$ inc			ctor of $\frac{4}{5}$ to	The route to	hat Verlonda takes from	her house to a store	is represented on	the grid below.	A polygon is	shown on the coordinate gr	id.		Which coo	ordinate grid shows only	a translation?		-
create a n	ew square. What is the sid	de length of the new	square?				y , 1				†			y		y .		
A $4\frac{4}{5}$ in.								erlonda's house			3 %	Q		8		8		
B $4\frac{1}{4}$ in.							· · · · · · · · · · · · · · · · · · ·				2 0	_		6		6		
C 4 ² / ₅ in.						4 4 7	******	5 6 7 8 9 X						A 4		C 4		
-							3	Store			r	s		2		2		
D Not her	re						- 4 - 7 - 4			0 1 2 3 x		0 1 2 3 4 5 6 7 8 x 0 1 2 3 4 5 6 7 8 x		7 8 ×				
					Which orde	red pair represents a po	int on Verlanda's rou	to?		The list below shows ordered pairs representing the location of five vertices of the polygon.		,						
					A (0,-3)	red pair represents a pr	iiit oii veiloida s rod	LET		$(2\frac{2}{3}, \frac{2}{3}), (\frac{2}{3}, 1\frac{2}{3}), (1\frac{1}{3}, \frac{2}{3}), (1\frac{1}{3}, 2\frac{2}{3}), (3\frac{1}{3}, 1\frac{2}{3})$			8		8		\Box	
					B (-3,6)					Which vertex F Vertex P	is NOT represented by an o	ordered pair in the list?		6	\Diamond	7	\triangle	
					C (3, 4) D (3, 8)					G Vertex Q H Vertex R				B 5		D 5	Nh	
					(0,0)					J Vertex S				3 2		3 2		
														1		1 ×		×
Mrs. Husse	n has two similar recycling nd by dilating the dimension	bins in her office. The	e dimensions of the	smaller bin	Triangle EF	G is shown on the grid	below.			Which order	ed pair appears to be le	ocated 350 units to	the right and 700 units up from		2 3 4 5 6 7 8 ordinate grid shows on		1 2 3 4 5 6	7 8
can be rour	14		a scale factor of 0.	75.			γ.			point W?	y			У		,	,	
	10 in.	1					9 8 7				1			8		8		
	Recycle	11					, E				1,400			6		6	5	
	1	/ K	ecycle				A :	- ×						F 4		H 4		
	1		0				2 2				700			3 2		3 2		
	7 in.											w		1] 1		<u> </u>
000000000000000000000000000000000000000	the measurements of x and $y = 9.25$ in.	y on the smaller recy	cling bin?				1						J,	0 1	2 3 4 5 6 7 8	0	1 2 3 4 5	6 7 8
G x = 10.	5 in. and $y = 6.5$ in.				If triangle i	FG is reflected across	the y-axis to form I	triangle <i>E'F'G'</i> , wh	hich ordered pair		0	700	1,400	y		٦ ا		
	5 in. and $y = 7.5$ in. 5 in. and $y = 7.5$ in.				F (3, -1)	the coordinates of F?				A (1,050, B (700, 1,				8 7		8 7		
					G (3, 1)					C (875, 1,	050)			6 5		6 5		
					H (-3,-1	i				D (1,225,	700)			G 4		4		
					J (1, -3)									2		2		
														0 1	2 3 4 5 6 7 8	→ x 0	1 2 3 4 5	6 7 8 x
					•													



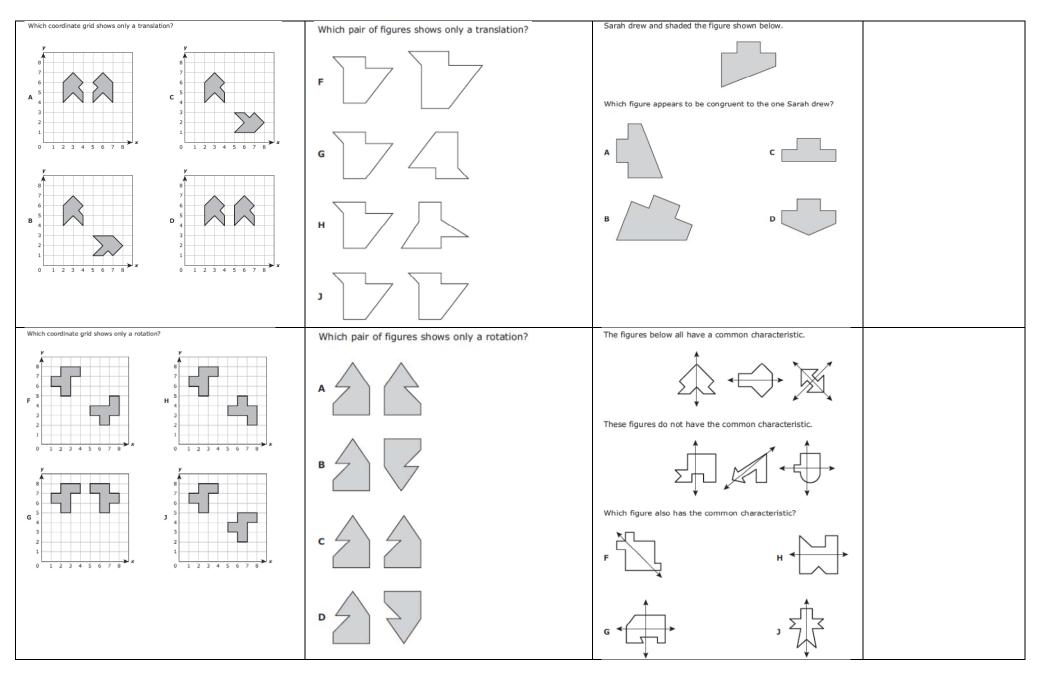


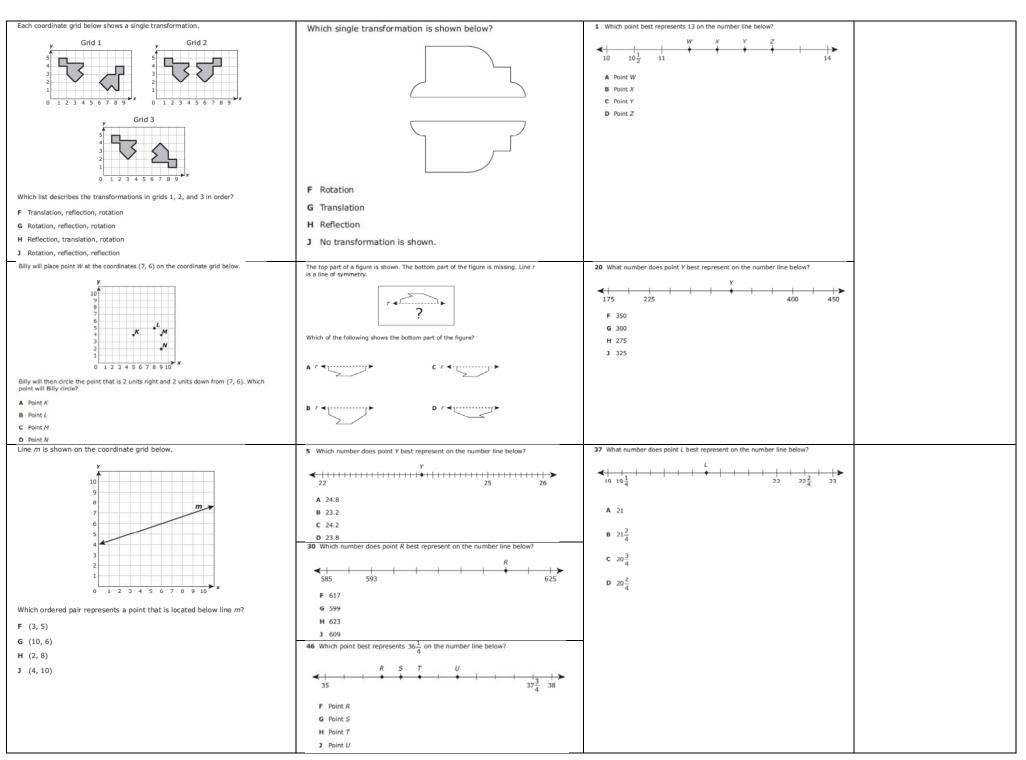
Strand: Graphing, Transformations, and Geometric Models

TEK: the student models transformations	TEK: the students connects transformations to	TEK: the student recognizes congruence and	TEK: the student recognizes
TEK: the student recognizes the connection between ordered pairs of numbers and locations of points on a	congruence and symmetry TEK: the student recognizes the connection between	symmetry TEK: the student recognizes that a line can be used	that a line can be used to represent a set of numbers
plane	numbers and their properties and points on a line	to represent numbers and fractions and their properties and relationships	and its properties

5 th Grade	4 th Grade	3 rd Grade	2 nd Grade
SE 5.8A – (R)sketch the results of translations, rotations, and reflections on a Quadrant I coordinate grid 5.8B – (S)identify the transformation that generates one figure from the other when given two congruent figures on a Quadrant I coordinate grid 5.9 – (S)locate and name points on a coordinate grid using ordered pairs of whole numbers	SE 4.9A – demonstrate translations, reflections, and rotations using concrete models 4.9B – (R)use translations, reflections, and rotations to verify that two shapes are congruent 4.9C – (S)use reflections to verify that a shape has symmetry 4.10 – (R)locate and name points on a number line using whole numbers, fractions such as halves and fourths, and decimals such as tenths	SE 3.9A – (S)identify congruent two-dimensional figures 3.9B – create two-dimensional figures with lines of symmetry using concrete models and technology 3.9C – (S)identify lines of symmetry in two-dimensional geometric figures 3.10 – (R)locate and name points on a number line using whole numbers and fractions including halves and fourths	SE 2.8 – (S)use whole numbers to locate and name points on a number line
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Call the axis by name (vertical is the y-axis and the horizontal is the x-axis) when constructing graphs Transformations: translation=slide, rotation=turn, reflection=flip 4 th grade students plot halves, fourths, tenths and hundredths on the number linebuild on this prior knowledge	Call the axis by name (vertical is the y-axis and the horizontal is the x-axis) when constructing graphs Transformations: translation=slide, rotation=turn, reflection=flip Locate and name points on a number line including whole numbers, decimals, and fractions	Call the axis by name (vertical is the y-axis and the horizontal is the x-axis) when constructing graphs Locate and name points on a number line including whole numbers and fractions	Locate and name points on a number line whole numbers Find the difference between two numbers to determine the 'rule' of the number line Kindergarten and 1 st grade supports this TEK by exposing students to number lines
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-journal writing-students form definitions using attributes -pictorial representations on geoboard grid paper -quadrant I is positive numbers -must work with and understand the concept of congruent -pictorial representations on geoboard grid paper (often tested on grids) -students should only work in quadrant I which uses only positive numbers -focus on concept and position of points on a coordinate gird related to written coordinate	-translations include up-down and left-right, diagonal -journal writing-form definitions with attributes -students use concrete models to show rotational turn, reflections, and translations -use real world application -this concept is introduced in 4 grade -identify vertical, horizontal and diagonal lines of symmetry -students use concrete models to show symmetry -include shapes with more than one line of symmetry -reflections are introduced in 4 grade -number lines do not always begin with '0'	-journal writing (create definitions of two-dimensional figures using attributes) -use concrete examples and pictorial representations -use real world application -two-dimensional figures (circle, polygon, triangle, square, rectangle, quadrilateral, rhombus, trapezoid, parallelogram, pentagon, hexagon, octagon) -the concept of congruency is introduced in 3 rd grade -given any two-dimensional geometric figures,	-use numbers from 0 to 99. The number line should be straight with arrows on both ends, equally spaced divisions with whole numbers written at some of the division marksthis is the first time a number line is introduced in the TEKs.

-combine the concept of x-axis, y-axis and ordered pairs -points on a grid is a new concept introduced in 5 th grade				-concept of points on a line -use pictorial representations Whole numbers, halves, and fourths -decimals of tenths -a number line is considered a number line: fractions such as halves and fourths, implies rulers may be tested up to 'halves and fourths' -clocks, gauges and thermometers are also number lines -decimals on a number line are introduced in 4 th grade					determine all lines of symmetry -use pictorial representations -the concept of symmetry is introduced in 3 rd grade -use whole numbers, halves and fourths on the number line -number lines do not always begin with '0' -the ruler is consideration -fractions such as halves and fourths should be taught on rulers -ruler is a new concept (tool) introduced in 3 rd grade -developing the concept of points on a number line with help children with skills such as the ruler, thermometer, and clock						
Vocab	Vocabulary					Vocabulary					Vocabulary				Vocabulary
Transformations, translation, rotations, reflections, coordinate plane, quadrant I, congruent, locate, ordered pairs, y-axis, x-axis, origin					Transformation, translation, rotation, reflection, symmetry, congruent, number line, whole number, fractions, decimals, hash mark, rule, interval, point					Congruent, lines of symmetry, locate, number line, interval, increase, decrease, rule, halves, fourths					Number line, interval, increase, decrease, rule, locate
STAAR 2012					STAAR 2012					STAAR 2012				STAAR 2012	
SE 8A	# of Questions 3	Percent 74%	Dual Coded		SE 9B	# of Questions 3	Percent 79%	Dual Coded		SE 9A	# of Questions 1	Percent 69%	Dual Coded		
8B	1	66%			9C	1	55%	16A		9C	1	74%		1	
9A	1	74%	14D		10A	3	66%	14C		10A	3	81%	14C		
STAAR 2013					STAAR 2013					STAAR 2013				STAAR 2013	
SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded		
8A	2	83%			9B	3	73%			9A	1	89%			
8B	1	73%			9C	1	72%			9C	1	88%	16A		
9A	2	70%	14D		10A	3	74%	14C		10A	3	70%	14C		





Strand: Measuring

TEK:	TEK:	TEK:	TEK: the student uses tools to determine measurements of geometric figures and extends measurement concepts to find perimeter, area, and volume in problem situations	ТЕК:	TEK:	TEK: the student uses procedures to determine measures of three-dimensional figures TEK: the student uses indirect measurement to solve problems TEK: the student describes how changes in dimensions affect, linear, area, and volume measures		
AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I	8 th Grade		
SE:	SE:	SE:	SE: GEOM.8D – (R) find surface area and volume of prisms, pyramids, spheres, cones, cylinders, and composites of these figures in problem situations	SE:	SE:	SE: 8.8A – (S)find lateral and total surface area of prisms, pyramids, and cylinders using concrete models and nets (two-dimensional models) 8.8B – (S)connect models of prisms, cylinders, pyramids, spheres and cones to formulas for volume of these objects		
Specifics	Specifics	Specifics	Specifics (description of lesson, include any "tricks")	Specifics	Specifics	Specifics (description of lesson, include any "tricks")		
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)		
						-use various methods to connect the surface area to the net — explain verbally and numerically, with and without formulas -students should be able to build solids (prisms, pyramids, and cylinders) from the nets created and identify the lateral and total surface area -through exploration students must make connections between the concrete models and the symbolic representations -use various methods to connect the volume to the model and to the formula focusing on the ('B') area of the base -explain verbally and numerically; use patterns, use hands-on, data tables, etc.		
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary		
						Lateral surface area, total surface area, nets, formulas		
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012 SE # of Percent Dual Questions Coded 8D 2 56%	STAAR 2012	STAAR 2012	STAAR 2012 SE # of Questions Percent Coded 8A 1 55% 14D		

STAAR 2013	STAAR 2013	STAAR 2013	STAAR 20)13				STAAR 2013	STAAR 2013	STAAR	2013		
37701112013	3170 111 2013	31701112013	SE	# of	Percent	Dual		3170 111 2013	317 011 2013	SE	# of	Percent	Dual
				Questions		Coded					Questions		Coded
			8D	3	42%					8A	1	43%	14D
			Five spheres are	re being painted for a	a display at a store. st to the total surface	If the diameter of	each sphere is			The net of	a square pyramid is sh	own below. Use th	e ruler provided to measure the
			F 770 cm ²	Times Talac is close	30 00 010 0000 301100	e area orac niii oe	political			dimension	s of the net to the near	est $\frac{1}{4}$ inch.	
			G 154 cm ²									\wedge	
			H 192 cm ²										
			J 440 cm ²									/	
											<u></u>	덕	
												\	
										Which of t	he following is closest t	o the lateral surface	e area of the pyramid?
										F 2.5 in.			
										G 3.3 in. H 6.6 in.			
										J 1.6 in.			
			A conical pape	er cup is shown i	in the diagram be								
				(6 cm	4.5 cm							
			Which value is	is closest to the r	maximum volume	of water this c	up can hold?						
			F 159 cm ³										
			G 32 cm ³										
			H 127 cm ³										
			J 40 cm ³										
			The main entra 71 feet tall and	ance to the Louvre a d has a slant height	art museum is shape of approximately 91	ed like a pyramid. I feet. Each side o	The pyramid is f the square base						
			measures 115 f	feet.									
			Which of the fo	ollowing is closest to	the lateral surface	area of the pyram	id?						
			A 20,930 ft ²										
			B 16,330 ft ²										
			C 10,465 ft ²										
			D 34,155 ft ²										

Strand: Measuring

TEK: the student uses tools to determine	TEK: the student uses procedures to determine	TEK: the student solves application problems	TEK: the student solves application problems
measurements of geometric figures and extends	measures of three-dimensional figures	involving estimation and measurement	involving estimation and measurement of length,
measurement concepts to find perimeter, area,	TEK: the student uses indirect measurement to		area, time, temperature, volume, weight, and
and volume in problem situations	solve problems		angles
	TEK: the student describes how changes in		
	dimensions affect, linear, area, and volume		
	measures		

Geometry	8 th Grade	7 th Grade	6 th Grade
SE: GEOM.8D – (R) find surface area and volume of prisms, pyramids, spheres, cones, cylinders, and composites of these figures in problem situations	SE: 8.8A – (S)find lateral and total surface area of prisms, pyramids, and cylinders using concrete models and nets (two-dimensional models) 8.8B – (S)connect models of prisms, cylinders, pyramids, spheres and cones to formulas for volume of these objects	SE 7.8B – (S) make a net (two-dimensional model) of the surface area of a three-dimensional figure 7.9A – (R)estimate measurements and solve application problems involving length (including perimeter and circumference) and area of polygons and other shapes 7.9B – (S)connect models for volume of prisms (triangular and rectangular) and cylinders to formulas of prisms (triangular and rectangular) and cylinders	SE 6.8A – (S)estimate measurements (including circumference) and evaluate reasonableness of results 6.8B – (R)select and use appropriate units, tools, or formulas to measure and to solve problems involving length (including perimeter), area, time, temperature, volume, and weight
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-use various methods to connect the surface area to the net – explain verbally and numerically, with and without formulas -students should be able to build solids (prisms, pyramids, and cylinders) from the nets created and identify the lateral and total surface area -through exploration students must make connections between the concrete models and the symbolic representations -use various methods to connect the volume to the model and to the formula focusing on the ('B') area of the base -explain verbally and numerically; use patterns, use hands-on, data tables, etc.	-use various methods to connect the surface area to the net – explain verbally and numerically, with and without formulas -students should be able to build solids (prisms, pyramids, and cylinders) from the nets created and identify the lateral and total surface area -through exploration students must make connections between the concrete models and the symbolic representations -use various methods to connect the volume to the model and to the formula focusing on the ('B') area of the base -explain verbally and numerically; use patterns, use hands-on, data tables, etc.	-nets are a new concept to 7 th grade -only make nets: use prisms, pyramids, and cylinders -do not calculate surface area -students should estimate before computing -estimate from a table, verbal description, and/or concrete -use reasonableness to connect estimation to problem situation -through exploration, make connections between the concrete models and the symbolic representations -use various methods to connect the volume to the model and to the formula – explain verbally and numerically -use patterns, hands-on, data tables, cubes, etc.	-estimate measurements (including circumference) and evaluate reasonableness of results -students should estimate before measuring -estimate from a table, verbal description, and/or concrete model -use reasonableness to compare estimation to actual measurement -measurements are customary and SI (metric) -units of measure should be include in the problem solving process -emphasize the need to use a common unit which may require students to convert measurements -choose appropriate tool and unit, Ex. Choose to measure in inches, feet or yards -include problems that require students to use

formulas, STAAR measurement chart, B, P, pi STAAR 2012 SE # of Percent Dual Questions Coded 8D 2 56% STAAR 2013 STAAR measurement chart, B, P, pi appropriate units, formula, STAAR meas chart, customary, metric, conversion, lin square units, cubic units, pi STAAR 2012 STAAR 2012 STAAR 2012 SE # of Percent Dual Questions Coded 9A 3 48% 13B,13D 8A 1 64% 11B BB 4 48% 11A,11D, STAAR 2013 STAAR 2013 STAAR 2013	dimension of a figure to help solve the problem -given the perimeter of a square find the area																			
STAAR 2012 STAAR 2012 STAAR 2012 SE	Vocabulary			Vocabulary							ılary	Vocabu				У	Vocabu			
SE	asurement	appropriate units, formula, STAAR measurement chart, customary, metric, conversion, linear units,																		
Questions Coded BD 2 56% BA 1 55% 14D BA 1 55% 14D BA 1 55% 14D BA 1 64% 11B BB 4 48% 11A,11D, STAAR 2013 SE			•	R 2012	STAAI				R 2012	STAAI				2012	STAAR				12	STAAR 2
STAAR 2013 STAAR 2013 STAAR 2013 STAAR 2013 STAAR 2013 SE # of Percent Dual Questions Coded RD 3 42% STAAR 2013 SE # of Percent Dual Questions Coded RA 1 43% 14D STAAR 2013 SE # of Percent Dual Questions Coded RA 1 43% 14D STAAR 2013 SE # of Percent Dual Questions SE # of Questions Coded RA 1 42% 11B RA 1 42% 12B	oded	Dual Code	Percent		SE			Percent		SE			Percent		SE			Percen		SE
STAAR 2013 STAAR 2013 STAAR 2013 STAAR 2013 STAAR 2013 SE # of Percent Dual Questions	В	11B	64%	1	8A		13B,13D	48%	3	9A		14D	55%	1	8A			56%	2	8D
SE# of QuestionsPercent Dual Coded8D342% SE# of QuestionsPercent Dual Coded8A143%14D SE# of QuestionsPercent Dual QuestionsSE# of QuestionsPercent Dual QuestionsSE# of QuestionsPercent Dual Questions8B125% SE# of Percent Dual QuestionsQuestions8A142%11B	D,12A	11A,11D,12	48%	4	8B		14A	50%	2	9B										
Questions Coded 8D 3 42% BA 1 43% 14D Questions Coded Questions Coded 8B 1 25% 8A 1 42% 11B		1	1	R 2013					R 2013		7		1		STAAR				13	
8D 3 42% 8A 1 43% 14D 8B 1 25% 8A 1 42% 11B	oded	Dual Code	Percent		SE			Percent		SE			Percent		SE			Percen		SE
		11D	420/	†	ο Λ		Coded	250/		OD			120/		ΘΛ	Coded		120/		0 D
							120 120					140	45%	1	LOA			4270	3	9D
98 2 45% 14A	6,110	11A,110,11	40/0	3	ОВ		-													
Five spheres are being painted for a display at a store. If the diameter of each sphere is The net of a square pyramid is shown below. Use the ruler provided to measure the Which net can be folded to form a hexagonal prism? At 7:26 A.H., Dante started delivering packages.			ering packages.	A.M., Dante started delive	At 7:26 A						sure the	r provided to mea	n below. Use the rul	a square pyramid is show	The net of	ne diameter of each sphere is	re. If the	lisplay at a store	being painted for a	Five spheres
F 770 cm ² G 154 cm ² H 192 cm ² J 440 cm ² Which of the following is closest to the lateral surface area of the pyramid? Which of the following is closest to the lateral surface area of the pyramid?	Dante spent delivering	ber of minutes Dante sp	ackages, nount of time deliveri e estimate of the num	delivered a total of 1.8 pa spent about the same and the following is the best kage? and in min in	• He of • He s Which of each pac F 10 mi G 180 m H 60 mi J 20 mi	one of its	wind turbine to the tip of	D I from the center of a v	G 154 cm ² J 440 cm ²											
A conical paper cup is shown in the diagram below. F 2.5 in. 2 G 3.3 in. 2 H 6.6 in. 2 J 1.6 in. 2 Which value is closest to the maximum volume of water this cup can hold? F 159 cm ³ G 32 cm ³ H 127 cm ³ Which of these is closest to the maximum volume as a water through the face of the state	4 hours 30 minutes. Tamara finished the race in 1 hour 15 minutes after Stephanie did. At what time did Tamara finish the race? F 2:00 PM. G 12:45 PM. H 1:00 PM.			skes	Which of these is dosest to the total area covered by the blade when the turbine makes 1 revolution? F 3,215 m ² G 100 m ² H 1,024 m ²							G 3.3 in. ² H 6.6 in. ²	Which value is closest to the maximum volume of water this cup can hold? F 159 cm³ G 32 cm³							
J 40 cm ³																				J 40 cm ³

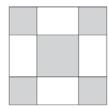
The main entrance to the Louvre art museum is shaped like a pyramid. The pyramid is 71 feet tall and has a stant height of approximately 91 feet. Each side of the square base measures 115 feet.



Which of the following is closest to the lateral surface area of the pyramid?

- A 20,930 ft²
- B 16,330 ft²
- C 10,465 ft²
- D 34,155 ft²

Use the ruler provided to measure the dimensions of the figure below to the nearest



Which of the following is closest to the area of the shaded rectangles of the figure?

- F 25 cm²
- **G** 49 cm²
- H 16 cm²
- **J** 24 cm²

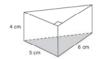
Use the ruler provided to measure the diameter of the coin shown below to the nearest tenth of a certimeter.



Which of these is closest to the circumference of the coin?

- F 7.5 cm
- **G** 4.5 cm
- H 9.4 cm
- 3.1 cm

Evelyn cut a wedge of cheese into the shape of a triangular prism like the one shown below. The shaded part represents one of the bases of the prism.



A formula for the volume of a triangular prism is V=Bh. Which equation can be used to find B, the area of the shaded base in square centimeters?

- F B = 5(6)
- **G** $B = \frac{5(6)}{2}$
- H B = 4(5)
- $B = \frac{4(5)}{2}$

The cylindrical toothbrush holder modeled below has a diameter of 6.5 centimeters and a height of 9 centimeters. The shaded part represents the base of the cylinder.



A formula for finding the volume of a cylinder is V=8h. Which equation can be used to find \mathcal{B} , the area of this cylinder's base in square centimeters?

- $\mathbf{A} \quad B = \pi \left(\frac{6.5}{2}\right)^2$
- $B \quad B = \pi \left(\frac{6.5}{2}\right)$
- $C B = \pi (6.5)^2$
- D $B = \pi(6.5)$

The diagram below shows 2 circles with the same center at point F. Points E, F, and G are on line segment DH. The diameter of the larger circle is 14 mm.

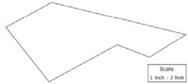


What is the radius of the smaller circle?

- F 4 mm
- G 7 mm
- H 11 mm
- 3 8 mm

The figure below is a scale drawing of a design on a gym wall. Use the ruler provided to measure the dimensions of the figure to the nearest $\frac{1}{2}$ inch.

neasure the dimensions of the rigure to the hearest — inch 4



Each inch on the scale drawing represents 2 feet of the actual design on the gym wall. Which of the following is closest to the perimeter of the actual design on the gym wall?

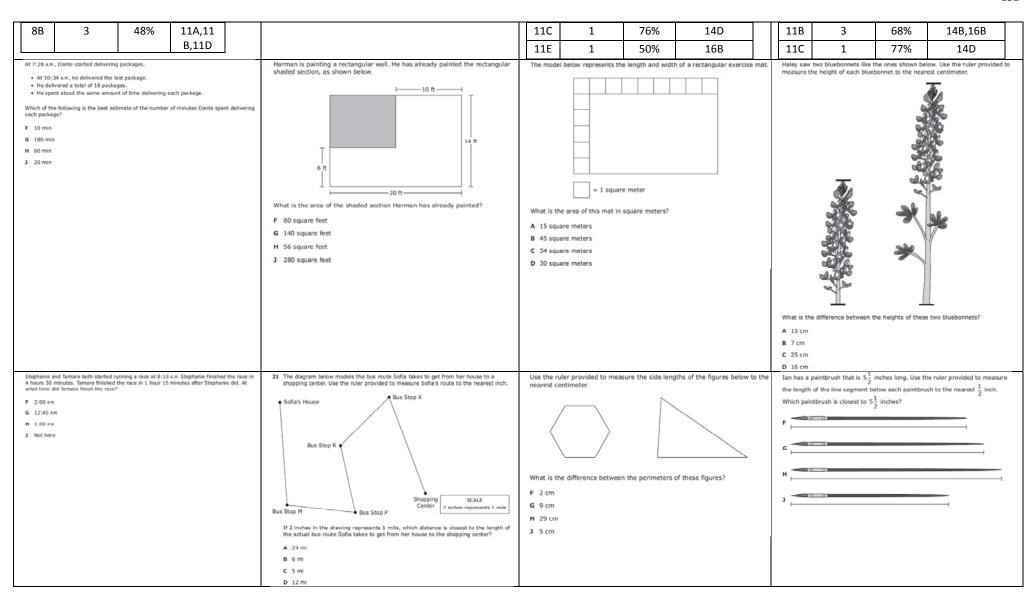
- A 11 ft
- B 24 ft
- C 12 ft
- D 22 ft

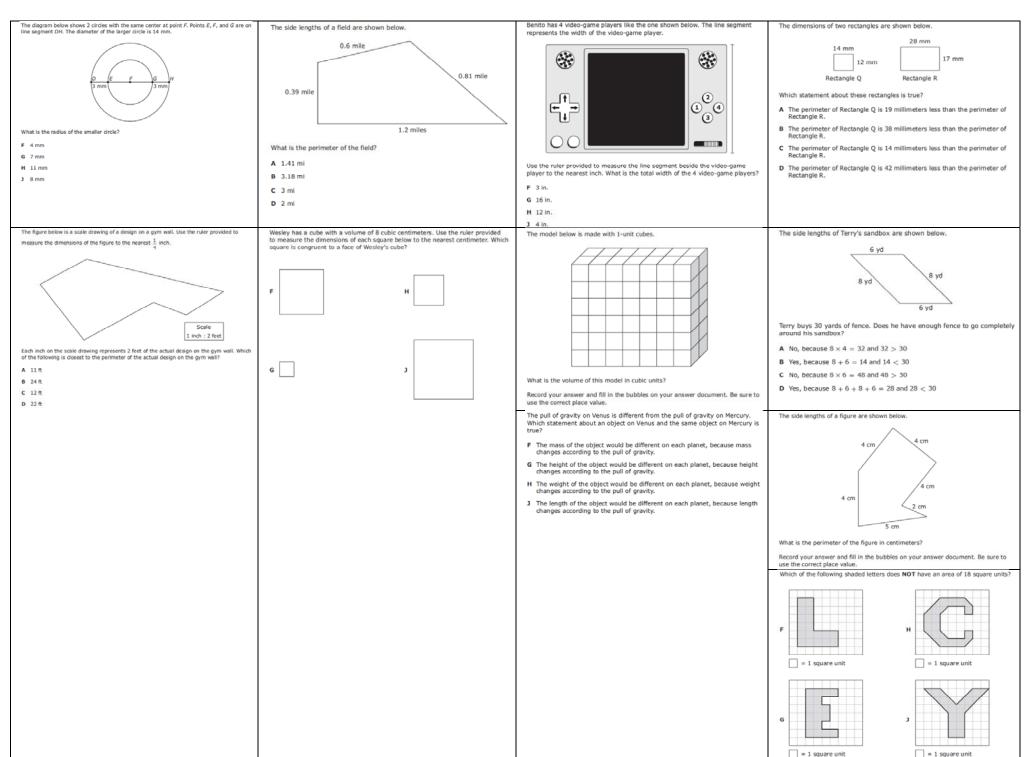
Strand: Measuring

TEK: the student solves application problems	TEK: the student applies measurement concepts	TEK: the student applies measurement	TEK: the student directly compares the
involving estimation and measurement of	involving length (including perimeter), area,	concepts. The student expected to estimate	attributes of length, area, weight/mass, and
length, area, time, temperature, volume,	capacity/volume, and weight/mass to solve	and measure to solve problems involving length	capacity, and uses comparative language, to
weight, and angles	problems	(including perimeter) and area. The student	solve problems and answer questions. The
	TEK: the student applies measurement concepts.	uses measurement tolls to measure	student selects and uses standard units to
	The student measures time and temperature (in	capacity/volume and weight/mass.	describe length, area, capacity/volume, and
	degrees Fahrenheit and Celsius)	TEK: the student applies measurement	weight/mass
		concepts. The student measures time and	TEK: the student reads and writes time and
		temperature (in degrees Fahrenheit and Celsius)	measures temperature in degrees Fahrenheit to
			solve problems

6 th Grade	5 th Grade	4 th Grade	3 rd Grade
SE 6.8A – (S)estimate measurements (including circumference) and evaluate reasonableness of results 6.8B – (R)select and use appropriate units, tools, or formulas to measure and to solve problems involving length (including perimeter), area, time, temperature, volume, and weight	SE 5.10B – (S)connect models for perimeter, area, and volume with their respective formulas 5.10C – (R)select and use appropriate units and formulas to measure length, perimeter, area and volume	SE 4.11A – (R)estimate and use measurement tools to determine length (including perimeter), area, capacity and weight/mass using standard units SI (metric) and customary 4.11C – (S)use concrete models of standard cubic units to measure volume 4.11D – (S)estimate volume in cubic units 4.11E – (S)explain the difference between weight and mass	SE 3.11A – (S)use linear measurement tools to estimate and measure lengths using standard units 3.11B – (R)use standard units to find perimeter of a shape 3.11C – (S)use concrete and pictorial models of square units to determine the area of two-dimensional surface 3.11D – identify concrete models that approximate standard units of weight/mass and use them to measure weight/mass 3.11E – identify concrete models that approximate standard units for capacity and use them to measure capacity 3.11F – use concrete models that approximate cubic units to determine the volume of given container or other three-dimensional geometric figure
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Students should be exposed to measurement everyday Ask PE and Art teachers to include measurement into their lessons Provide learning experience that can be done at home that connects to measurement	Students should be exposed to measurement everyday Ask PE and Art teachers to include measurement into their lessons Provide learning experience that can be done at home that connects to measurement	Use estimation for finding volume	
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-estimate measurements (including circumference) and evaluate reasonableness of	-always estimate first -measurement should be hands-on application	-measurement should be hands-on application -include and make connections between the	-ruler: measure up to the nearest ¼ inch -always estimate first

results -length (customary units such as: inch, foot, yard, representations: concrete, pictorial, abstract -standard means both metric/customary -students should estimate before measuring mile) (metric units such as: centimeter, -metric and customary units of measurement -use linear dimensions -students should use -estimate from a table, verbal description, decimeter, meter, millimeter, kilometer) -estimate first STAAR chart and/or concrete model -comparison of measurements -capacity: the amount of something you can -using standard units and tools is introduced in 3rd grade -use reasonableness to compare estimation to -capacity, mass, weight pour into a container; always use a scale and -metric conversion is a new concept introduced in measure weight (gravitational pull on an object) actual measurement -always include units with numbers -measurements are customary and SI (metric) -use conversion of customary measurements -emphasis perimeter is linear -5 grade converts in both metric and customary -units of measure should be include in the -concrete models should include cubes and -variety of geometric shapes problem solving process blocks -area arrays and include the linear dimensions units -emphasize the need to use a common unit -standard cubic units are both metric and -teach both customary and metric -student should use STAAR chart which may require students to convert customary -emphasis area is square units -students should construct models and discover measurements -student must use concrete models to build -1/2 of the square unit is taught in 3 grade formulas -choose appropriate tool and unit, Ex. Choose layers reflecting the area model -use tiles to form area arrays and use linear -apply formula in problem situations to measure in inches, feet or yards -estimate before actually finding the volume -formulas for area, perimeter, and volume are units to denote linear dimensions -include problems that require students to use through exploration new concepts introduces in 5th grade -hand-on application by building area arrays and -use linking cubes, foam cubes, wooden cubes, dimension of a figure to help solve the problem measuring to determine the area of the model -student should use the STAAR chart -given the perimeter of a square find the area -scales measure weight/balances measure mass -the distance around an object is perimeter -volume is taught with concrete objects -use items to approximate units of -the cover the floor of a space is area weight/mass/capacity -the amount of space a three dimensional figure -volume is only assessed in cubic units takes up is volume -explore building 3-dimensional shapes noting the layers & counting of cubes -explore filling rectangular prism with cubes & counting total number of cubes -this is the first time students have counted objects that approximated cubic units to determine volume. Vocabulary Vocabulary Vocabulary Vocabulary Estimate, reasonableness, circumference, Perimeter, area, volume, formula, length, width, Length, ruler, metric, customary, inch, yard, Length, perimeter, standard units, appropriate units, formula, STAAR height, base, linear units, square units, cubic foot, milliliter, meter, mile, kilometer, meter measurement, inch, yard, foot, mile, centimeter, measurement chart, customary, metric, units, customary, metric, conversion, STAAR stick, yard stick, measuring tape, STAAR meter, kilometer, area, weight, mass, capacity, conversion, linear units, square units, cubic measurement chart, capacity, liter, milliliter, measurement chart, distance volume, square units, arrays, linear units, units, pi kiloliter, gallon, pint, quart, cup, ounce, liquid, balance, scales, STAAR measurement chart, holds, weight, gravity, pound, tons, mass, customary, metric, estimate, ruler, measuring matter, gram, kilogram, milligram, perimeter, tape, cubic units, grams, ounces, kilogram, around, distance, linear units, side, rim, edges, pounds, liter, milliliter, kiloliter, milligram, cups, area, width, square units, covers, array, volume, gallon, pints, quarts, distance height, cubic units, 3D figures **STAAR 2012 STAAR 2012 STAAR 2012 STAAR 2012** SE # of SE # of Percent **Dual Coded** SE # of **Dual Coded** SE # of Percent Dual Percent **Dual Coded** Percent Questions Questions Questions Coded Questions 11A 62% 14A,14C,14D 11A 62% 14A.14D 8A 1 64% 11B 10C 4 50% 14A,14D,15B 11C 43% 14D 11B 3 66% 14B 1 8B 4 48% 11A,11D, 11C 1 35% 14D 12A **STAAR 2013 STAAR 2013 STAAR 2013 STAAR 2013** SE # of Percent Dual SE # of Percent **Dual Coded** SE # of Percent **Dual Coded** SE # of Percent **Dual Coded** Coded Questions Questions Questions Questions 8A 1 42% 11B 10C 4 60% 14D 11A 3 71% 14C.14D 11A 2 77% 14D





Strand: Measuring

TEK: the student directly compares the attributes of length, area, weight/mass, and capacity, and uses comparative language, to solve problems and answer questions. The student selects and uses standard units to describe length, area, capacity/volume, and weight/mass

TEK: the student reads and writes time and measures temperature in degrees Fahrenheit to solve problems

TEK: the student directly compares the attributes of length, area, weight/mass, and capacity, and uses comparative language, to solve problems and answer questions. The student selects and uses nonstandard units to describe length, area, capacity, and weight/mass. The student recognizes and uses models that approximate standard units (from both SI, also known as metric and customary systems) of length, weight/mass, capacity and time

TEK: the student uses standard tools to estimate and measure time and temperature (in degrees Fahrenheit)

TEK: the student directly compares attributes of length, area, weight/mass, capacity, and temperature. The students uses comparative language to solve problems and answer questions. The student selects and uses nonstandard units to describe length.

TEK: the student understands that time can be

TEK: the student understands that time can be measured. The student uses time to describe and compare situations

TEK: the student directly compares the attributes of length, area, weight/mass, capacity, and/or relative temperature. The student uses comparative language, to solve problems and answer questions TEK: the students uses time to describe, compare and order events and situations

3 rd Grade	2 nd Grade	1 st Grade	Kindergarten
SE 3.11A – (S)use linear measurement tools to estimate and measure lengths using standard units 3.11B – (R)use standard units to find perimeter of a shape 3.11C – (S)use concrete and pictorial models of	SE 2.9A – (R)identify concrete models that approximate standard units of length and use them to measure length 2.9B – (S)select a non-standard unit of measure, such as square tiles to determine the area of two-dimensional surface	SE 1.7A – (R)estimate and measure length using nonstandard units, such as paperclips or sides of color tiles 1.7B – (S)compare and order two or more concrete objects according to length (from	SE K.10A – (R)compare and order two or three concrete objects according to length (longer/shorter than, or the same) K.10B – (S)compare the area of two
square units to determine the area of two- dimensional surface 3.11D – identify concrete models that approximate standard units of weight/mass and use them to measure weight/mass 3.11E – identify concrete models that approximate standard units for capacity and use them to measure capacity 3.11F – use concrete models that approximate cubic units to determine the volume of given container or other three-dimensional geometric figure	 2.9C – (S)select a non-standard unit of measure, such as a bathroom cup or a jar, to determine the capacity of a given container 2.9D – (S)select a non-standard unit of measure, such as beans or marbles, to determine the weight/mass of a given object 	longest to shortest) 1.7D – (S)compare and order the area of two or more two-dimensional surfaces (from covers the most to covers the least) 1.7E – (S)compare and order two or more containers according to capacity (from holds the most to holds the least) 1.7F – (S)compare and order two or more objects according to weight/mass (from heaviest to lightest)	flat surfaces of two-dimensional figures (covers more, covers less, or covers the same) K.10C – (S)compare two containers according to capacity (holds more, holds less, or holds the same) K.10D – (S)compare two objects according to weight/mass (heavier than, lighter than, or equal to)
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
	Capacity, weight, and mass will be covered in the science curriculum as well 2 nd grade will start introducing students to standard units of measurement 2 nd grade will start introducing students to ½ square units for area models	The longer/bigger the object the longer/bigger the non-standard unit you would use to measure it Use only non-standard units of measurement (cubes, paperclips, crayons, yarn, etc.)	The longer/bigger the object the longer/bigger the non-standard unit you would use to measure it Use only non-standard units of measurement (cubes, paperclips, crayons, yarn, etc.)
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-ruler: measure up to the nearest ¼ inch -always estimate first -standard means both metric/customary	-non standard units should be close to the size of standard units -examples – use 1 inch color tiles, centimeter cubes, link	-use a variety of materials ex: straws, toothpicks, etc. -emphasize the 'length' of the object being	-emphasis is on 'covers' when discussing area -compare 2 dimensional shapes

					Т .	
	ar dimensio	ns -studen	ts should use ST		used to measure	such as a regular sheet of paper and
chart				-this is the first time students 'count' for area/capacity	-emphasis: student understand that the	a post-it note
-using sta	andard units	s and tools	is introduced in		smaller the unit, the more units it will take to	-include different shapes when
grade				mass is a 4 ¹¹¹ grade TEKs	measure an object (this is a pre-requisite for	comparing area
-always i	nclude units	s with num	bers	-do not use the term weight when using a balance	learning to convert measurements)	-compare containers such as a small
-emphas	is perimete	r is linear			-example: given a sheet of paper, post-it note,	frozen orange juice can and a coffee
-variety o	of geometric	c shapes			and note card – student order from 'covers the	can; regular size cereal box to the
-area arr	ays and incl	ude the lin	ear dimensions		most to covers the least'	small frozen orange juice can
-teach bo	oth customa	ary and me	tric		-use different manipulatives to cover specific	-weight corresponds to gravity and
-emphas	is area is sq	uare units			surface and compare	is found with a spring scales or
-1/2 of th	he square ui	nit is taugh	nt in 3 rd grade		-manipulatives do not have to be similar	typical bathroom scales. Mass is the
			nd use linear un	s to	shapes	correct term when using pan
	inear dimen	•			-pour contents of containers from one to	balance. Students do not need to
			ng area arrays ar		another to determine which holds more.	know the difference between
			ea of the model		(students are not to count, just compare)	weight and mass at this point
	-		es measure mas		-containers do not have to be the same shape	
	ns to approx	-			-the weight of object A is heavier than the	
	nass/capaci				weight of object B. the mass of object A is	
	is only asses	•	oic units		greater than the mass of object B	
	•		al shapes noting	ne	-do not use the term 'weight' when using a	
	counting of		, ,		balance	
			m with cubes &			
	total numb					
			nave counted ob	cts		
			to determine vo			
Vocabula				Vocabulary	Vocabulary	Vocabulary
Length, r	perimeter, s	tandard ur	nits, measureme	t, Length, non-standard, measurement, area, capacity,	Length, longest, shortest, area, covers the	Longer than, shorter than, equal to,
			er, meter, kilom		most, covers the least, capacity, holds the	length, covers more, covers less,
			olume, square u		most, holds the least, weight, mass, heaviest,	covers the same, area, flat surface,
	_		ales, STAAR		lightest, measurement, non-standard	capacity, holds more, holds less,
-			y, metric, estima			holds the same, weight, mass,
			nits, grams, ounc			heavier than, lighter than, larger
			er, kiloliter, millig			than, smaller than
_	lon, pints, q			,		
STAAR 20		,	·	STAAR 2012	STAAR 2012	STAAR 2012
SE	# of	Percent	Dual Coded			
	Questions					
11A	2	62%	14A,14D			
11B	3	66%	14B			
11C		35%	14D			
110	1	33%	140	27.12.0010		071170010
1	013			STAAR 2013	STAAR 2013	STAAR 2013
STAAR 20		D	Dual Coded			
SE	# of	Percent				1
SE	Questions					
SE		77%	14D			
SE	Questions		14D 14B,16B			
SE (Questions 2	77%				

Haley saw two bluebonnets like the ones shown below. Use the ruler provided to measure the height of each bluebonnet to the nearest centimeter.		
What is the difference between the heights of these two bluebonnets?		
A 13 cm		
B 7 cm		
C 25 cm		
D 16 cm		
Ian has a paintbrush that is $5\frac{1}{2}$ inches long. Use the ruler provided to measure the length of the line segment below each paintbrush to the nearest $\frac{1}{2}$ inch.		
Which paintbrush is closest to $5\frac{1}{2}$ inches?		
G		
((121))		
H		
)		
The dimensions of two rectangles are shown below.		
14 mm		
12 mm		
Rectangle Q Rectangle R		
Which statement about these rectangles is true?		
A The perimeter of Rectangle Q is 19 millimeters less than the perimeter of Rectangle R.		
B The perimeter of Rectangle Q is 38 millimeters less than the perimeter of Rectangle R.		
C The perimeter of Rectangle Q is 14 millimeters less than the perimeter of Rectangle R.		
D The perimeter of Rectangle Q is 42 millimeters less than the perimeter of Rectangle R.		

The side lengths of Terry's sandbox are shown below.		
6 yd 8 yd		
6 yd		
Terry buys 30 yards of fence. Does he have enough fence to go completely around his sandbox?		
A No, because $8 \times 4 = 32$ and $32 > 30$		
B Yes, because $8 + 6 = 14$ and $14 < 30$		
C No, because $8 \times 6 = 48$ and $48 > 30$		
D Yes, because 8 + 6 + 8 + 6 = 28 and 28 < 30		
The side lengths of a figure are shown below.		
4 cm 4 cm		
4 cm 2 cm		
What is the perimeter of the figure in centimeters?		
Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.		
Which of the following shaded letters does NOT have an area of 18 square units?		
F H = 1 square unit = 1 square unit		
G = 1 square unit = 1 square unit		

Strand: Proportional Reasoning in Measurement

TEK:	TEK:	TEK:	TEK: the student uses tools to determine measurements of geometric figures and extends measurement concepts to find perimeter, area, and volume in problem situations TEK: the student applies the concepts of similarity to justify properties of figures and solve problems	TEK:	TEK:	TEK: the student uses indirect measurement to solve problems TEK: the student describes how changes in dimensions affect, linear, area, and volume measures
AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I	8 th Grade
SE:	SE:	SE:	SE: GEOM.8B – (S) find areas of sectors and arc lengths of circles using proportional reasoning GEOM.11D – (R) describe the effect on perimeter, area, and volume when one or more dimensions of a figure are changed and apply this idea in solving problems	SE:	SE:	SE: 8.9B – (R)use proportional relationships in similar two-dimensional figures or similar three-dimensional figures to find missing measurements 8.10A – (S)describe the resulting effects on perimeter and area when dimensions of a shape are changed proportionally 8.10B – (S)describe the resulting effect on volume when dimensions of a solid are changed proportionally
Specifics	Specifics	Specifics	Specifics (description of lesson, include any "tricks")	Specifics	Specifics	Specifics (description of lesson, include any "tricks")
Rationale	Rationale	Rationale	Rationale (clarification of TEKS/SE)	Rationale	Rationale	Rationale (clarification of TEKS/SE)
						-use various methods to connect the surface area to the net – explain verbally and numerically, with and without formulas -students should be able to build solids (prisms, pyramids, and cylinders) from the nets created and identify the lateral and total surface area -through exploration students must make connections between the concrete models and the symbolic representations -use various methods to connect the volume to the model and to the formula focusing on the ('B') area of the base -explain verbally and numerically; use patterns, use hands-on, data tables, etcestimate volume or surface area before computing -include rectangular prisms, triangular prisms, cylinders and composite figures (a combination of two or more shapes) -compare estimation to actual volumes or surface areas -make nets of rectangular prisms and cylinders to find lateral and total surface area -determining surface area of three dimensional figures is introduced in 8 th grade -relate reasonableness of solution to problem situation -given any 2 dimensions, find missing value -recognize c, the hypotenuse, is always the longest side

-do not use cross products

Vocabulary STAAR 2012	Vocabulary STAAR 2012	Vocabulary STAAR 2012	Vocabulary STAAR 2012 SE # of Questions Percent Percent Poual Coded 8B 1 67% 11D 3 53%	Vocabulary STAAR 2012	Vocabulary STAAR 2012	-use proportional relationships such as unit rate and scale factor -find missing measurement in similar figures is introduced in 8 th grade -use concrete models, relate to dilations through scale factors -use patterns, tables, and verbal descriptions to support results Vocabulary Similar figures, dimensions STAAR 2012 SE # of Percent Dual Coded Questions 9B 3 42% 14B 10A 1 73% 10B 1 32% 15A
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013 SE # of Questions Percent Coded 8B 1 47% 11D 3 36%	STAAR 2013	STAAR 2013	STAAR 2013 SE # of Questions Percent Dual Coded 9B 3 71% 10A 1 42% 16A 10B 1 54% 15A
			The hand on the circular clock in the figure below measures 10 cm. Which of the following is closest to the distance that the tip of the hand travels as it moves from the 12 to the 3? A 79 cm B 21 cm C 63 cm D 16 cm The side length of a smaller square is one-third the side length of a larger square. Which of the following statements describes the area of the smaller square? F The area of the smaller square is $\frac{1}{27}$ the area of the larger square. G The area of the smaller square is $\frac{1}{9}$ the area of the larger square. H The area of the smaller square is $\frac{1}{9}$ the area of the larger square.			Triangle PQR is similar to triangle XYZ. 4 in. 9 in. 7 y in. 8 in. 9 in. 10 cm 16.8 cm What is the value of x, the height of the larger prism? A 6.8 cm B 4 cm C 6 cm D 7.2 cm

The volume of a rectangular prism is 960 cubic inches. If the dimensions of the base are doubled and the height remains the same to create a new prism, what will be the volume of the new rectangular prism in cubic inches?	Parallelogram PQRS is similar to parallelogram WXYZ.
the new rectangular prism in cubic inches? Record your answer and fill in the bubbles on your answer document.	S 3 units R 5 units 7 units
	$\frac{1}{W}$ What is the length of \overline{YZ} ?
	F 3 units
	G $11\frac{2}{3}$ units
	H 5 units
	$3 4\frac{1}{5}$ units
A triangle is enlarged by multiplying each of its dimensions by 4. Based on this information, which of the following statements is true? F The perimeter of the new triangle is 12 times the perimeter of the original triangle.	A regular pentagon is dilated by a scale factor of $\frac{3}{2}$ to create a new pentagon. Which of the following statements is true?
G The perimeter of the new triangle is 16 times the perimeter of the original triangle. H The perimeter of the new triangle is 18 times the perimeter of the original triangle.	F The perimeter of the new pentagon is $\frac{9}{4}$ the perimeter of the original pentagon.
J The perimeter of the new triangle is 4 times the perimeter of the original triangle.	G The perimeter of the new pentagon is $\frac{9}{2}$ the perimeter of the original pentagon.
	H The perimeter of the new pentagon is $\frac{15}{2}$ the perimeter of the original pentagon.
	J The perimeter of the new pentagon is $\frac{3}{2}$ the perimeter of the original pentagon. A sphere is dilated by a scale factor of 1.04 to create a new sphere. How does the volume of
	the new sphere compare with the volume of the original sphere?
	 A The volume of the new sphere is 1.04 times the volume of the original sphere. B The volume of the new sphere is (1.04)³ times the volume of the original sphere.
	${f C}$ The volume of the new sphere is $(1.04)^2$ times the volume of the original sphere.
	D The volume of the new sphere is (2.08) ² times the volume of the original sphere.

ТЕК:	TEK:	TEK:	TEK: the student uses tools to determine measurements of geometric figures and extends measurement concepts to find perimeter, area, and volume in problem situations	TEK:	TEK:	TEK: the student uses procedures to determine measures of three-dimensional figures TEK: the student uses indirect measurement to solve problems
AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I	8 th Grade
SE:	SE:	SE:	SE: GEOM.8C – (R) derive, extend, and use the Pythagorean Theorem	SE:	SE:	SE: 8.8C – (R)estimate measurements and use formulas to solve application problems involving lateral and total surface area and volume 8.9A – (R)use the Pythagorean Theorem to solve real-life problems
Specifics	Specifics	Specifics	Specifics (description of lesson, include any "tricks")	Specifics	Specifics	Specifics (description of lesson, include any "tricks")
<u> </u>						
Rationale	Rationale	Rationale	Rationale (clarification of TEKS/SE)	Rationale	Rationale	Rationale (clarification of TEKS/SE) -estimate volume or surface area before computing -include rectangular prisms, triangular prisms, cylinders and composite figures (a combination of two or more shapes) -compare estimation to actual volumes or surface areas -make nets of rectangular prisms and cylinders to find lateral and total surface area -determining surface area of three dimensional figures is introduced in 8 th grade -relate reasonableness of solution to problem situation -given any 2 dimensions, find missing value -recognize c, the hypotenuse, is always the longest side -do not use cross products -use proportional relationships such as unit rate and scale factor -find missing measurement in similar figures is introduced in 8 th grade -use concrete models, relate to dilations through scale factors -use patterns, tables, and verbal descriptions to support results
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary
						Formulas, lateral surface area, total surface area, Pythagorean Theorem, B, P, pi, hypotenuse
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012 SE # of Percent Dual Coded 8C 2 60%	STAAR 2012	STAAR 2012	STAAR 2012 SE # of Questions Percent Coded 8C 4 55% 14B,14C 9A 3 60% 14B
STAAR 2013	STAAR 2013	STAAR 2013	STAAR 2013 SE # of Percent Dual Coded 8C 2 63%	STAAR 2013	STAAR 2013	STAAR 2013 SE # of Questions Percent Coded 8C 3 47% 14B

 ,			-		
	9.4	4	68%	14B	
Rectangle STUW is shown below.	is 3	2 feet long, 2.1 fe	et wide, and 2.7		rectangular prism with paper. The box ch of the following is closest to the total
S	surf	ce area of this bo	x?		
20 in. 8 in./	Α :	4 ft ²			
	В 4	2 ft ²			
w v u	C	0 ft ²			
—5 in.—	D	8 ft 2			
What is ST?					
A 33 in.					
B 24 in.					
c √464 in.					
D √361 in.					
Two motorcycles start at the same point. One motorcycle travels 15 km due north and stops. The second motorcycle travels 32 km due west and stops. Which value is closest to the distance between the motorcycles when they stop?	A wa 22 ir	er heater has a dia thes and a height o	meter of 18 inches f 2 inches, as mode	It sits in a drain eled in the diagra	n pan that has a diameter of am below.
F 28.3 km		⊢—— 18 i	n. ———	Top Vie	w of Water Heater side Drain Pan
G 47.0 km			\supset	1113	Side Drain Pan
H 35.3 km J 21.9 km		ater ater		(1	Water heater
J 21.7 KIII					"))
			Drai pan		A
	2	n.→T			Drain pan
	-	-22 i	n. —		
	Wate	that leaks out of t	he water heater sit:	s in the drain pa	n. Which of the following is closest
	to th	maximum amount on shown?	of water that the	drain pan can co	ntain with the water heater in the
	A 1	3 in. ³			
	B 1	005 in. ³			
		51 in. ³			
	D 5		***		1 1 1 1 645 1 1 101 1 6
	the f	a made a wooder ollowing is the be	cone with a rad est estimate of th	lius of 1.9 inch e volume of th	nes and a height of 15 inches. Which of nis cone?
	Α 6	0 in. ³			
	В 3	0 in. ³			
	C 1	80 in. ³			
	_ D 9	0 in. ³			
	The	diagram below	represents the	side view of	a bike ramp.
				x	
					6 in.
				26 in.	
	Whi	ch of the follow	ing is closest to	the value of	f x?
	А	27 in.			
	В	32 in.			
	C	25 in.			
	D	20 in.			

A 10-foot ladder is leaning against a wall. The bottom of the ladder is 4 feet from the base of
the wall, as shown below.
Which of the following is closest to the distance from the top of the ladder to the base of the wall?
A 9ft
B 11 ft
C 6ft
D 14 ft
In the drawing below, the dashed line segment represents the distance across a pond.
Pond 6 in. Scale 1 inch: 2 yards
What is the actual distance, in yards, across the pond?
Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.
Leland swam from the dock east 26 meters. He turned and swam another 10 meters, as shown in the diagram below.
Dock 26 m
What is the value of x, the distance Leland swam to return to the dock?
F 36 m
G 24 m
H 4 m
J 16 m

TEK: the student uses tools to determine	TEK: the student uses procedures to determine	TEK: the student solves application problems	TEK: the student solves application problems
measurements of geometric figures and extends	measures of three-dimensional figures	involving estimation and measurement	involving estimation and measurement of
measurement concepts to find perimeter, area,	TEK: the student uses indirect measurement to		length, area, time, temperature, volume,
and volume in problem situations	solve problems		weight, and angles

Geometry	8 th Grade	7 th Grade	6 th Grade
SE: GEOM.8C – (R) derive, extend, and use the Pythagorean Theorem Specifics (description of lesson, include any	SE: 8.8C – (R)estimate measurements and use formulas to solve application problems involving lateral and total surface area and volume 8.9A – (R)use the Pythagorean Theorem to solve real-life problems Specifics (description of lesson, include any	SE 7.9C – (S)estimate measurements and solve application problems involving volume of prisms (rectangular and triangular) and cylinders Specifics (description of lesson, include any	SE 6.8C – (S)measure angles 6.8D – (S)convert measures within the same measurement system (customary and metric) based on relationships between units Specifics (description of lesson, include any
"tricks")	"tricks")	"tricks")	"tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE) -estimate volume or surface area before computing -include rectangular prisms, triangular prisms, cylinders and composite figures (a combination of two or more shapes) -compare estimation to actual volumes or surface areas -make nets of rectangular prisms and cylinders to find lateral and total surface area -determining surface area of three dimensional figures is introduced in 8 th grade -relate reasonableness of solution to problem situation -given any 2 dimensions, find missing value -recognize c, the hypotenuse, is always the longest side -do not use cross products -use proportional relationships such as unit rate and scale factor -find missing measurement in similar figures is introduced in 8 th grade -use concrete models, relate to dilations through scale factors -use patterns, tables, and verbal descriptions to support results	Rationale (clarification of TEKS/SE) -use reasonableness to connect estimation to problem situation -estimate before solving problems	Rationale (clarification of TEKS/SE) -measurements are customary and SI (metric) -units of measure should be include in the problem solving process -emphasize the need to use a common unit which may require students to convert measurements -choose appropriate tool and unit, Ex. Choose to measure in inches, feet or yards -include problems that require students to use dimension of a figure to help solve the problem -given the perimeter of a square find the area -use various methods including a protractor, pattern blocks, corner of page, etcmeasurements of angles on a protractor does not necessarily begin at zero -measure angles of polygons such as trapezoids and hexagons -this is the first time students use a tool, such as a protractor, to measure angles -use proportional relationships and compare to models to address reasonableness -focus on equivalent relationships, not cross products -include relationships such as: 1 ft. = 1/3 yard, 1 in = 1/12 ft introduced in 4 grade
Vocabulary	Vocabulary	Vocabulary	Vocabulary
	Formulas, lateral surface area, total surface area, Pythagorean Theorem, B, P, pi, hypotenuse	Volume, formulas, B, cubic units	Conversion, customary, metric, angles, protractor, obtuse, acute, right, straight, degrees

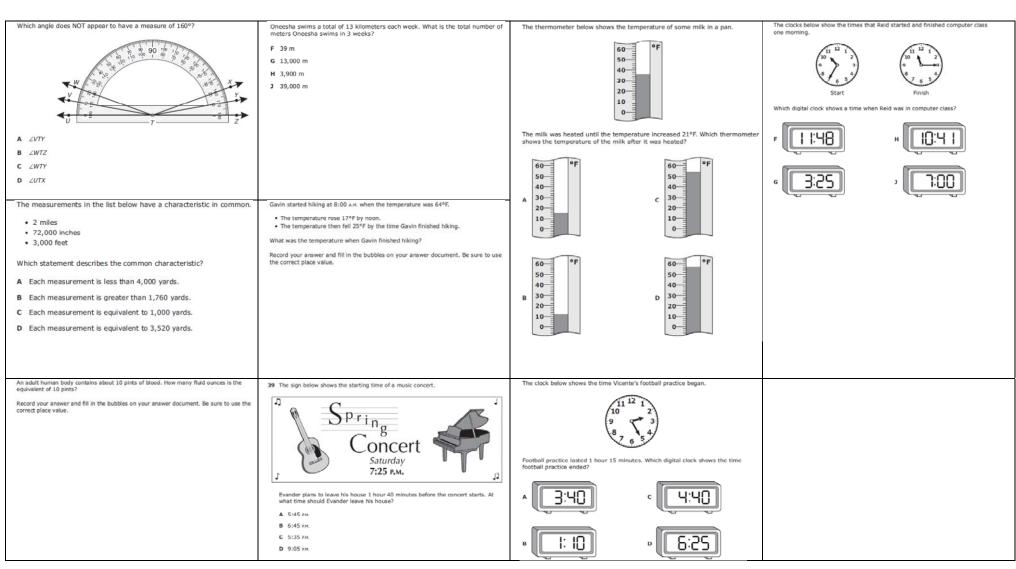
STAAR 2012 STAAR 2012 STAAR 2012							STAAR 2012														
		Daws	Du-1				Dana- I	Decid	1			Danser	D I								
SE	# of	Percent	Dual		SE	# of	Percent	Dual		SE	# of	Percent	Dual		SE	# of	Percent	Dual			
	Questions	600/	Coded		-	Questions	FF0/	Coded			Questions	240/	Coded			Questions	600/	Coded			
8C	2	60%			8C	4	55%	14B,14C		9C	3	31%	13A,13B		8C	1	60%				
					9A	3	60%	14B							8D	2	41%	11A			
STAAR 2	2013				STAAR	2013				STAA	R 2013				STAAR	2013					
SE	# of	Percent	Dual		SE	# of	Percent	Dual		SE	# of	Percent	Dual		SE	# of	Percent	Dual			
	Questions		Coded			Questions		Coded			Questions		Coded			Questions		Coded			
8C	2	63%			8C	3	47%	14B		9C	3	46%	13A,13B,		8C	2	57%	11D			
					9A	4	68%	14B					13C		8D	2	46%	13A,11A			
Rectangle S	STUW is shown belo	ow.			Juanita cov	ered the outside of a gift long, 2.1 feet wide, and 2	box shaped like a rec	tangular prism with p	paper. The box est to the total	length of	trunk is shaped like a rec the trunk is 6 feet, and th	tangular prism. The t	runk's volume is 18 cubic s 2 feet. What is the heig	feet. The	Angle NJP	and angle KJL are shown	below.				
	S			→ ^T	surface are	e of this box?				trunk?						N _k					
					A 34 ft ² B 42 ft ²					F 12 fee							1 0 90 Vo 7				
		20 in	. 8 ir	n./	C 30 ft 2					G $3\frac{1}{3}$ for	et					IT. Car	to id in is in	6.30			
	W.				D 18 ft 2					H 6 feet						F-9X	\	100			
	"		Г —	-5 in.—⊢						3 Not h	ere					F. 8.		88			
What is ST?	?															κ ∢・ • 9	,	-0 g			
A 33 in.															What is the difference between the measures of angle NJP and angle KJL to the nearest degree?						
B 24 in.															F 107°						
C √464 in	n.														G 67°						
D √361 in.															H 102°						
Two motorcycle	ies start at the same po otorcycle travels 32 km	oint. One motorcycle n due west and stops.	travels 15 km due nort Which value is closest	th and stops.	A water hea 22 inches a	eter has a diameter of 18 nd a height of 2 inches, a	inches. It sits in a dra is modeled in the diag	in pan that has a diar ram below.	meter of	The triangular prism shown below represents a display case.					Which angle does NOT appear to have a measure of 160°?						
distance between	een the motorcycles wi	hen they stop?				18 in1	Top Vi	ew of Water Heater				113	in.		86 30 10						
F 28.3 km G 47.0 km							Ir	side Drain Pan			/		\		10 100 30 00 30 M						
H 35.3 km					Water heater			7/"	ater heater		2 in.	23 ³ / ₄ in.			- W 200 X -						
J 21.9 km						1	Drain))		and the second		4	44-4-4-		V						
						Y	pan (rain pan	Which of the following is the best estimate of the volume of the display case in cubic inches? A 144 in. ²					o o						
					2 in.→					B 576 in						U Lag		98	Z		
					Water that I	eaks out of the water he	ater sits in the drain n	n. Which of the follo	wing is closest	C 288 in D 72 in.					A ∠VT	,					
					to the maxi position sho	mum amount of water th	at the drain pan can c	ontain with the water	heater in the	D /2 in.					B ∠WT	Z					
					A 13 in. ³										C ∠WT	Υ					
					B 1,005 in										D ZUT	· ·					
					C 251 in. ³ D 50 in. ³																
					Yadira made	e a wooden cone with a g is the best estimate o	radius of 1.9 inches a f the volume of this c	and a height of 15 in one?	ches. Which of	Simon is filling a cylindrical water dispenser that has a radius of 7 inches and a height of 20 inches. Which of these is the best estimate of the volume of this water dispenser?					The mea	asurements in the lis	st below have a	characteristic in co	ommon.		
1					A 60 in. ³				F 140 i					• 2 n							
1					B 30 in. ³					G 2,940						000 inches 00 feet					
1					C 180 in. ³					H 840 in. ³					10.00						
1					D 90 in. ³					J 11,76	0 in. ³				Which s	tatement describes	the common cha	racteristic?			
1															0000	measurement is les					
1															B Each measurement is greater than 1,760 yards.						
1															C Each measurement is equivalent to 1,000 yards.						
															D Each	measurement is eq	juivalent to 3,52	0 yards.			

The diagram below represents the side view of a bike ramp.	An adult human body contains about 10 pints of blood. How many fluid ounces is the equivalent of 10 pints?
26 in.	Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.
Which of the following is closest to the value of x?	
A 27 in.	
B 32 in.	
C 25 in.	
D 20 in.	
A 10-foot ladder is leaning against a wall. The bottom of the ladder is 4 feet from the base of the wall, as shown below.	
Which of the following is closest to the distance from the top of the ladder to the base of the wall?	
A 9ft B 11ft C 6ft D 14ft	
In the drawing below, the dashed line segment represents the distance across a pond. Pond 6 in. Scale 1 inch : 2 yards	
What is the actual distance, in yards, across the pond?	
Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.	
Leland swam from the dock east 26 meters. He turned and swam another 10 meters, as shown in the diagram below.	
Dock 26 m	
What is the value of x_r the distance Leland swam to return to the dock?	
F 36 m G 24 m	
H 4m	
J 16 m	

TEK: the student solves application problems	TEK: the student applies measurement concepts	TEK: the student applies measurement	TEK: the student directly compares the
involving estimation and measurement of	involving length (including perimeter), area,	concepts. The student expected to estimate and	attributes of length, area, weight/mass, and
length, area, time, temperature, volume,	capacity/volume, and weight/mass to solve	measure to solve problems involving length	capacity, and uses comparative language, to
weight, and angles	problems	(including perimeter) and area. The student	solve problems and answer questions. The
	TEK: the student applies measurement	uses measurement tolls to measure	student selects and uses standard units to
	concepts. The student measures time and	capacity/volume and weight/mass.	describe length, area, capacity/volume, and
	temperature (in degrees Fahrenheit and Celsius)	TEK: the student applies measurement	weight/mass
		concepts. The student measures time and	TEK: the student reads and writes time and
		temperature (in degrees Fahrenheit and Celsius)	measures temperature in degrees Fahrenheit to
			solve problems

6 th Grade	5 th Grade	4 th Grade	3 rd Grade
SE 6.8C – (S)measure angles 6.8D – (S)convert measures within the same measurement system (customary and metric) based on relationships between units	SE 5.10A – (S)perform simple conversions within the same measurement system SI (metric) or customary 5.11A – (S)solve problems involving changes in temperature 5.11B – (S)solve problems involving elapsed time	SE 4.11B – (S)perform simple conversions between different units of length, between different units of capacity, and between different units of weight within the customary measurement system 4.12A – (S)use a thermometer to measure temperature and changes in temperature 4.12B – (S)use tools, such as a clock with gears or a stopwatch, to solve problems involving elapsed time	SE 3.12A – (S)use thermometer to measure temperature 3.12B – (S)tell and write time shown on analog and digital clocks
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Use an Anchor Chart to compare fractional parts of time and money to show that the whole is different (not out of 100 for time) Label your clock3 – ¼, 6 – ½, 9 – ¾ Students have a difficult time understanding that a fraction of an hour is not out of 100 Rationale (clarification of TEKS/SE)	Use an Anchor Chart to compare fractional parts of time and money to show that the whole is different (not out of 100 for time) Label your clock3 – $\frac{7}{4}$, 6 – $\frac{7}{2}$, 9 – $\frac{7}{4}$ Students have a difficult time understanding that a fraction of an hour is not out of 100 Rationale (clarification of TEKS/SE)	Use an Anchor Chart to compare fractional parts of time and money to show that the whole is different (not out of 100 for time) Connect that the clock and thermometer are both number lines Rationale (clarification of TEKS/SE)
-measurements are customary and SI (metric) -units of measure should be include in the problem solving process -emphasize the need to use a common unit which may require students to convert measurements -choose appropriate tool and unit, Ex. Choose to measure in inches, feet or yards -include problems that require students to use dimension of a figure to help solve the problem	-students use thermometers to measure Fahrenheit and Celsius -include both analog and digital clocks -work with a range of time and elapsed time -range of time has been tested since third grade -fourth grade uses tools to solve problems with elapsed time	-celsius is introduced in 4 grade -students measure with actual thermometers -students solve problems using clocks with gears -include both analog and digital -elapsed time, range of time -use T-charts to record	-conduct hands-on measuring tools with increments of 2 degrees -Fahrenheit only -measuring temperature is introduced in 3 grade -using both a digital or analog clock, students tell and write time -tell time to the minute/hour -includes range of time

	I			1								
-given the perimeter of a square find the area												
-use various methods including a protractor,												
pattern blocks, corner of page, etc.												
-measurements of angles on a protractor does												
not necessarily begin at zero												
-measure angles of polygons such as trapezoids												
and hexagons												
-this is the first time students use a tool, such as												
a protractor, to measure angles												
-use proportional relationships and compare to												
models to address reasonableness												
-focus on equivalent relationships, not cross												
products												
-include relationships such as: 1 ft. = 1/3 yard, 1												
in = 1/12 ft introduced in 4 th grade												
Vocabulary	Vocabulary			Vocabu	ılary				Vocabu	ılary		
Conversion, customary, metric, angles,	Conversions, custom	• • • • • • • • • • • • • • • • • • • •	,		rature, therm				Thermo	ometer, inter	val, tempe	rature, increase,
protractor, obtuse, acute, right, straight,	decrease, rise, fall, te	emperature, ther	mometer,	rise, dr	op, warmer,	cooler, Cel	sius, Fahre	enheit,	rise, de	crease, fall, t	ime, analo	g, digital, minute,
degrees	Fahrenheit, Celsius, r	range of time, ela	psed time	interva	I, elapsed tim	ne, past, ho	our, minut	e,	hour, ir	ncrement, se	cond, long	er, shorter
				conver	sions, tables							
STAAR 2012	STAAR 2012			STAAR 2012				STAAR 2012				
SE # of Percent Dual	SE # of	Percent Dua		SE	# of	Percent	Dual		SE	# of	Percent	Dual
Questions Coded	Questions	Code	d		Questions		Coded			Questions		Coded
8C 1 60%	10A 2	42% 14A		11B	2	67%	14A		12A	1	56%	16A
8D 2 41% 11A	11A 1	73% 14A		12A	1	69%	14A		12B	1	42%	14D
	11B 1	45% 14B										
STAAR 2013	STAAR 2013	I		STAAR	2013				STAAR	2013		
SE # of Percent Dual	SE # of	Percent Du	al	SE	# of	Percent	Dual		SE	# of	Percent	Dual
Questions Coded	Questions	Cod			Questions	rerecite	Coded		JL	Questions	refeelit	Coded
8C 2 57% 11D	10A 2	51% 14A,		11B	1	74%	16B		12A	1	65%	14A
8D 2 46% 13A,11A	11A 1	73% 14		12A	1	67%	14A		12B	1	65%	14D
- 10.7 - 10.7 - 10.7	11B 1	44% 14		12B	1	81%	14D				00,0	
Angle NJP and angle KJL are shown below.	A coffeemaker at a restaurant				r wants to pour 8 qua			glass holds one	The outside	temperature on a sun	nmer morning was	between 75°F and 80°F.
N	coffeemaker brew?	can brew 12 caps. How in	iny pines con cins	pint. Does	Mrs. Taylor have end	ough juice to fill 1	6 glasses?			mometer shows a temp		
	F 84 pints				cause there are 4 qua					THITTO	4	THE PARTY OF THE P
90 %	G 21 pints			1000	ause there are 4 qua				The same	0 66		40 60
The state of the s	H 336 pints			co con a comition of	cause there are 2 pin cause there are 2 pin				A 20	80	C 2	0 80
10 No. 10	J 420 pints			D Tes, De	cause there are 2 pm	is in 1 quart and	0 7 2 = 4		The same	100 S		0 100.
- 28. P									-			
K 4 - 8										William		
What is the difference between the measures of angle NJP and angle KJL to the nearest									E CONTRACTOR OF THE PARTY OF TH	0 60		40 60
degree?									В 20	80	D 2	0 80
F 107° G 67°									The same	∘F 100		0 100 or
H 102°											_	
J 35°												



TEK: the student directly compares the attributes of	TEK: the student directly compares the	TEK: the student directly compares attributes	TEK: the student directly compares the
length, area, weight/mass, and capacity, and uses	attributes of length, area, weight/mass, and	of length, area, weight/mass, capacity, and	attributes of length, area, weight/mass,
comparative language, to solve problems and answer	capacity, and uses comparative language, to	temperature. The student uses comparative	capacity, and/or relative temperature. The
questions. The student selects and uses standard units	solve problems and answer questions. The	language to solve problems and answer	student uses comparative language, to solve
to describe length, area, capacity/volume, and	student selects and uses nonstandard units	questions. The student selects and uses	problems and answer questions
weight/mass	to describe length, area, capacity, and	nonstandard units to describe length.	TEK: the students uses time to describe,
TEK: the student reads and writes time and measures	weight/mass. The student recognizes and	TEK: the student understands that time can	compare and order events and situations
temperature in degrees Fahrenheit to solve problems	uses models that approximate standard	be measured. The student uses time to	
	units (from both SI, also known as metric	describe and compare situations	
	and customary systems) of length,		
	weight/mass, capacity and time		
	TEK: the student uses standard tools to		
	estimate and measure time and		
	temperature (in degrees Fahrenheit)		

3 rd Grade	2 nd Grade	1 st Grade	Kindergarten
SE 3.12A – (S)use thermometer to measure temperature 3.12B – (S)tell and write time shown on analog and digital clocks	SE 2.10A – (S)read a thermometer to gather data 2.10B - (R)read and write times shown on an analog and digital clock using five-minute increments 2.10C – (S)describe activities that take approximately one second, one minute, and one hour	SE 1.7C – (S)describe the relationship between the size of the unit and the number of units needed to measure length of an object 1.7G – (S)compare and order two or more objects according to relative temperature (from hottest to coldest) 1.8A – (R)order three or more events according to duration 1.8B – (R)read time to the hour and half-hour	Kindergarten SE K.10E – (S)compare situations or objects according to relative temperature (hotter/colder than, or the same as) K.11A – (S)compare events according to duration such as more time than or less time than K.11B – (S)sequence events (up to three) K.11C – (S)read calendar using days, weeks, and months
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	using analog and digital clocks Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Use an Anchor Chart to compare fractional parts of time and money to show that the whole is different (not out of 100 for time) Connect that the clock and thermometer are both number lines	Connect that the clock and thermometer are both number lines Time to the one minute increments Danger Zone – section of the clock between 45 minutes and 60 minutes Hour hand looks back, circle the hour hand	Time to the hour and half-hour, difference between analog and digital Students are not held accountable for writing time, but students are exposed to writing the time	
Rationale (clarification of TEKS/SE) -conduct hands-on measuring tools with increments of 2 degrees -Fahrenheit only -measuring temperature is introduced in 3 grade -using both a digital or analog clock, students tell and write time -tell time to the minute/hour	Rationale (clarification of TEKS/SE) -this is the first time the thermometer is introduced, including reading to nearest 2 degrees or when each division on the thermometer equals two degrees -this is the first time students held accountable for 'writing' times shown on a clock	Rationale (clarification of TEKS/SE) -compare temperature in real life situations -thermometer is introduced in 2 -given a digital clock student can match to an analog clock with the same time -should not write time when given a clock -writing time is introduced in 2	Rationale (clarification of TEKS/SE) -thermometer is introduced in 2 -kindergarten will compare a bowl of ice cream to a bowl of soup (hotter, colder) -does it take more time for a bath or to wash your hands -given a calendar, show that a week is 7 days -given a calendar, student can find the month

-includ	les range of ti	me		-analog clocks have 'faces'		-given a date, find the day of the week on the calendar
						-know the days of the week in order
						-know the months of the year in order
						-kindergarten is the only time calendar is
						mentioned in the math TEKs
Vocab	ulary			Vocabulary	Vocabulary	Vocabulary
			rature, increase, rise	The state of the s	Temperature, hottest, coldest, time, analog,	Temperature, hotter than, colder than, time,
			gital, minute, hour,	rise, decrease, fall, time, analog, digital,	digital, clock, hour, half-hour, minute	more time, less time, longer than, shorter
increm	ent, second,	longer, sho	orter	minute, hour, increment, second, longer,		than, less than, greater than, calendar, day,
				shorter		week, year
STAAR				STAAR 2012	STAAR 2012	STAAR 2012
SE	# of	Percent	Dual			
120	Questions	F.60/	Coded			
12A	1	56%	16A			
12B	1	42%	14D			
STAAR	2013			STAAR 2013	STAAR 2013	STAAR 2013
SE	# of	Percent	Dual			
	Questions		Coded			
12A	1	65%	14A			
12B	1	65%	14D			
			ng was between 75°F and 80°F. ween 75°F and 80°F?			
which th	ermometer snows a	temperature bet	ween 75-F and ou-Fr			
A A	0 100 °F	c	100 so			
B (1)	40 60 0 80 0 100	D	0 100 °F			
The clock		imes that Reid s	started and finished computer	class		
	11 12 1 9 8 6 5 Start	2 ² 3-4	11 12 1 10 2 9 3 8 7 6 5			
Which di	gital clock shows a	time when Reid	was in computer class?			
F	1:48		# [ID:4]			
G	3:25		, T:00			

Strand: Displaying and Interpreting Data

TEK: the student develops and applies skills used in college and	TEK: the student	TEK: the student uses graphical and	TEK:	TEK: the student uses properties and attributes of
careers, including reasoning, planning and communication, to make	uses functions	numerical techniques to study patterns		functions and applies functions to problem
decisions and solve problems in applied situations involving	and their	and analyze data		situations
numerical reasoning, probability, statistical analysis, finance,	properties, tools	TEK: the student develops and		
mathematical selection, and modeling with algebra, geometry,	and technology,	implements a plan for collecting and		
trigonometry, and discrete mathematics	to model and	analyzing data (qualitative and		
TEK: the student analyzes and evaluates risk and return in the context	solve	quantitative) in order to make decisions		
of real-world problems	meaningful	TEK: the student uses functional		
TEK: the student makes decisions based on understanding, analysis,	problems	relationships to solve problems related		
and critique of reported statistical information and statistical		to personal income		
summaries				
TEK: the student applies statistical methods to design and conduct a				
study that addresses one or more particular question(s)				
TEK: the student communicates the results of reported and student-				
generated statistical studies				
-the student models data, makes predictions, and judges the validity				
of a prediction				

AQR	Pre-Cal	MMA	Geometry	Algebra II
SE	SE	SE	SE	SE
AQR.1A – gather data, conduct investigations, and apply	PC.3C – use	MMA.2A – interpret information from		ALGII.1B – (R) collect and organize data, make and
mathematical concepts and models to solve problems in	regression to	various graphs, including line graphs, bar		interpret scatterplots, fit the graph of a function to
mathematics and other disciplines	determine the	graphs, circle graphs, histograms,		the data, interpret the results, and proceed to
AQR.3A – determine and interpret conditional probabilities and	appropriateness	scatterplots, line plots, stem and leaf		model, predict, and make decisons and critical
probabilities of compound events by constructing and analyzing	of a linear	plots, and box and whisker plots to draw		judgments
representations, including tree diagrams, Venn diagrams, and area	function to	conclusions from data		
models, to make decisions in problem situations	model real-life	MMA.2B – analyze numerical data using		
AQR.4A – identify limitations or lack of information in studies	data (including	measures of central tendency, variability,		
reporting statistical information, including when studies are reported	using	and correlation in order to make		
in condensed form	technology to	inferences		
AQR.4B – interpret and compare the results of polls, given a margin	determine the	MMA.2C – analyze graphs from journals,		
of error	correlation	newspapers, and other sources to		
AQR.4C – identify uses and misuses of statistical analyses in studies	coefficient)	determine the validity of stated		
reporting statistics or using statistics to justify particular conclusions		arguments		
AQR.4D – describe strengths and weaknesses of sampling techniques,		MMA.2D – use regression methods		
data and graphical displays, and interpretations of summary statistics		available through technology to describe		
or other results appearing in a study		various methods for data such as linear,		
AQR.5A – determine the purpose of a statistical investigation and		quadratic, exponential, etc. select the		
what type of statistical analysis can be used to answer a specific		most appropriate model, and use the		
question or set of questions		model to interpret information		
AQR.5B – identify the population of interest, select an appropriate		MMA.3A – formulate a meaningful		
sampling technique, and collect data		question, determine the data needed to		
AQR.5C – identify the variables to be used in a study		answer the question, gather the		
AQR.5D – determine possible sources of statistical bias in a study and		appropriate data, analyze the data, and		
how such bias may affect the ability to generalize the results		draw reasonable conclusions		

AQR.5E – create data displays for given data sets to investigate,		MMA.3B – communicate methods used,		
compare, and estimate center, shape, spread, and unusual features		analyses conducted, and conclusions		
AQR.5F – determine possible sources of variability of data, including		drawn for a data-analysis project by		
those that can be controlled and those that cannot be controlled		written report, visual display, oral report,		
AQR.6A – report results of statistical studies, including selecting an		or multi-media presentation		
appropriate presentation format, creating graphical data displays,		MMA.3C – determine the		
and interpreting results in terms of the question studied		appropriateness of a model for making		
AQR.6B – justify the design and the conclusion(s) of statistical		predictions from a given set of data		
studies, including the methods used for each		MMA.5C – analyze data to make		
AQR.6C – communicate statistical results in both oral and written		decisions about banking		
formats using appropriate statistical language				
AQR.8C – justify the selection of a function to model data, and use				
the model to make predictions				
Specifics (description of lesson, include any "tricks")	Specifics	Specifics (description of lesson, include any "tricks")	Specifics	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale	Rationale (clarification of TEKS/SE)	Rationale	Rationale (clarification of TEKS/SE)
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary
STAAR 2012	STAAR 2012	STAAR 2012	STAAR	STAAR 2012
	.=	27.17.2012	2012	
STAAR 2013	STAAR 2013	STAAR 2013	STAAR	STAAR 2013
			2013	SE # of Percent
				Questions
				1B 2 50%
				An object is launched into the air. The table below shows the object's height above the ground at various times.
				Height vs. Time
				Elapsed Time (seconds) (seconds)
				(meters)
				2 109
				3 131
				4 143 5 145
				6 137
				Based on the data in the table, which of the following is closest to the object's height above the ground 9 seconds after being launched?
				A 110 m C 10 m
				B 55 m D 95 m

ν Defective Parts
260
0 1 2 3 4 5 6 7 8 9 10 X Week
A factory began producing new parts. Data were collected on the number of defective parts per 10,000 parts produced. The graph shown displays some of the data for the first 10 weeks of production. Based on the graph, during which week were approximately 130 defective parts per 10,000 produced?
F Week 3
G Week 5
H Week 6
3 Week 8

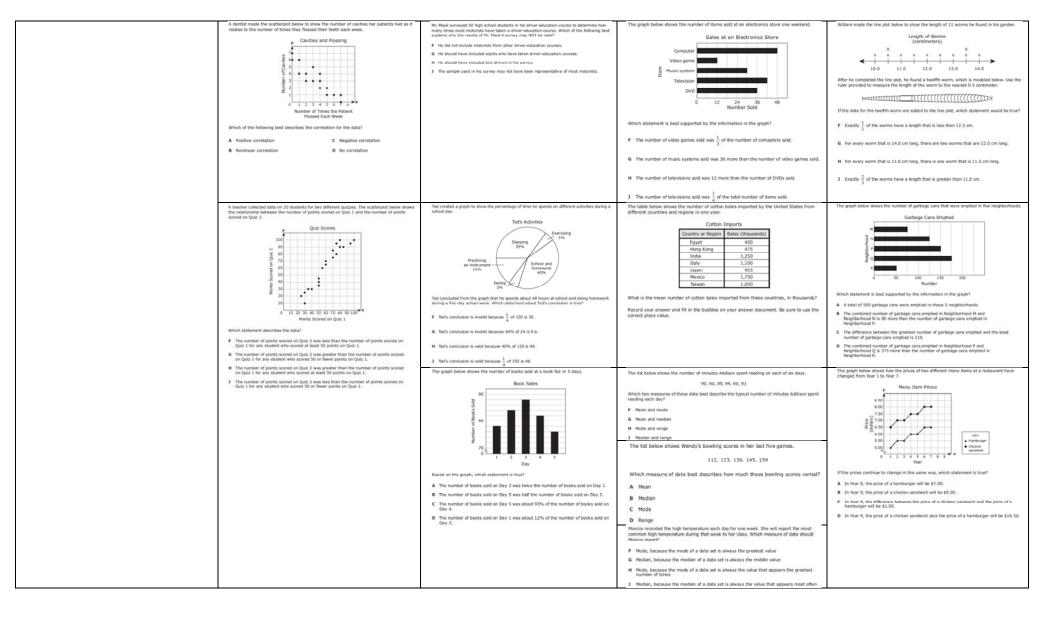
Strand: Displaying and Interpreting Data

TEK: the student uses properties and	TEK: the student understands that a	TEK: the student uses statistical	TEK: the student understands that	TEK: the student uses statistics
attributes of functions and applies	function represents a dependence of	procedures to describe data	the way a set of data is displayed	representations to analyze data
functions to problem situations	one quantity on another and can be	TEK: the student evaluates	influences its interpretation	
	described in a variety of ways	predictions and conclusions based on	TEK: the student uses measures of	
	TEK: the student uses the properties	statistical data	central tendency and range to	
	and attributes of functions		describe a set of data	
			TEK: the student understands that	
			the way a set of data is displayed	
			influences its interpretation	

Algebra II	Algebra I	8 th Grade	7 th Grade	6 th Grade
ALGII.1B – (R) collect and organize data, make and interpret scatterplots, fit the graph of a function to the data, interpret the results, and proceed to model, predict, and make decisons and critical judgments	SE: ALG.1B – gather independent and dependent quantities in functional relationships ALG.1E – (R) interpret and make decisions, predictions, and critical judgments from functional relationships ALG.2D – (R) collect and organize data, make and interpret scatterplots (including recognizing positive, negative, or no correlation for data approximating linear situations), and model, predict, and make decisions and critical judgments in problem situations	8.12A – (S)select the appropriate measure of central tendency or range to describe a set of data and justify the choice for a particular situation 8.12B – (S)draw conclusions and make predictions by analyzing trends in scatter plots 8.12C – (S)select and use an appropriate representation for presenting and displaying relationships among collected data, including line plots, line graphs, stem and leaf plots, circle graphs, bar graphs, box and whisker plots, histograms, and Venn diagrams, with and without the use of technology 8.13A – (S)evaluate methods of sampling to determine validity of an inference made from a set of data 8.13B – (R)recognize misuses of graphical or numerical information and evaluate predictions and conclusions based on data analysis	7.11A – (S)select and use an appropriate representation for presenting and displaying relationships amount collected data, including line plot, line graph, bar graph, stem and leaf plot, circle graph, and Venn diagrams, and justify the selection 7.11B – (R)make inferences and convincing arguments based on an analysis of given or collected data 7.12A – (S)describe a set of data using mean, median, mode and range 7.12B – (R)choose among mean, median, mode, or range to describe set of data and justify the choice for a particular situation	SE 6.10A – (S)select and use an appropriate representation for presenting and displaying different graphical representations of the same data including line plot, line graph, bar graph, and stem and leaf plot 6.10B – (S)identify mean (using concrete objects and pictorial models), median, mode and range of a set of data 6.10C – (S)sketch circle graphs to display data 6.10D – (R)solve problems by collecting, organizing, displaying, and interpreting data
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks") Guide students to the 'best' use of the data	Specifics (description of lesson, include any "tricks") Guide students to the 'best' use of the data	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Label Graphs: title, x-axis, y-axis Rationale (clarification of TEKS/SE)	Label Graphs: title, x-axis, y-axis Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)

		-choose 'best' representation — explain choice based on particular situation -when adding another data point explain which measure is affected most — mean, median, mode, or range -discuss the affect of outliers -include correlation — positive, negative, or no trend -use labels — titles and axis -validate predictions and conclusions -correlations are introduced in 8 grade -box and whisker plots and histograms are introduced in 8 grade -students should know when it's appropriate to display data unit the different forms -students should understand the term 'inference' (to arrive at a conclusion by reasoning from evidences) -this concept is introduced in 8 grade			between provided -choose depended -sketch 6th grade -studer finferer reasoni -use da and/or -studer mean, labout the each -explair central situation -choose choice -when a given so measur	e situation, a en data and is a justification be best repression on situation of the control of	representation on sentation for tion aphs is intro aphs is intro correctly introduced anderstand t e at a concludence) odel, table, cribe what de and rang ot just how anship for ea ased on a p	or data oduced in s the first hs (use d in 7 th he term lusion by graph, the ge tell to find ach articular - explain ation int to a each	-line plots are used to record frequency of data items (line plots are introduced in 5 th grade) -bar graphs are used to compare quantities -stem and leaf plots are used to display groups of data arranged by place value (introduced in 6 th grade) -Venn diagrams are not in 6 th grade, introduced in 7 th grade -mean is introduced 6 th grade and should be introduced using concrete models (example: stack blocks and 'level off', share equally, etcmedian, mode, and range were introduced in 5 th grade -make sketch: a drawing that approximates the actual circle graph (introduced in 6 th grade) -do not use protractors to construct angles for circle graphs -circle graphs relate part to whole -include line, bar, circle graphs, stem-and-leaf plots, and line graphs			
Vocabulary	Vocabulary	Vocabulary					111031		Vocabulary			
,		Measures of central predict, scatter plot graphs, stem and lea graphs, bar graphs,	easures of central tendency, edict, scatter plots, line plots, line aphs, stem and leaf plots, circle aphs, bar graphs, box and whisker ots, histograms, Venn diagrams, Data, line plot, line graph, bar graph, circle graph, stem and leaf plot, Venn diagrams, inference, analysis, measures of central tendencies, mean, median, mode, range, justify				t, Venn measures	Data, r bar gra mediar central collecti interpr	epresent, lin uph, stem and n, mode, rang tendencies, ing, organizin eting, quant uous, over tin	d leaf plot, ge, measure circle grapl ng, displayin ities, freque	mean, es of h, ng,	
STAAR 2012	STAAR 2012	STAAR 2012			STAAR	2012			STAAR	2012		
	SE # of Percent	SE # of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded	SE	# of Questions	Percent	Dual Coded
	Questions 90%	12B 1	74%	15A	11A	1	90%	Coded	10A	1	72%	Coueu
	1E 2 47%	12C 1	56%	15A	11B	3	51%	15B	10B	1	47%	13B
	2D 2 67%	13A 1	61%	16B	12A	1	51%	13A	10C	1	52%	11B
		13B 3	64%	15A,16B	12B	3	39%	14A	10D	3	56%	12A, 13A
		STAAR 2013 STAAR 2013				STAAR 2013						
STAAR 2013	STAAR 2013	STAAR 2013			STAAR	2013			STAAR	2013	ı	ı
STAAR 2013 SE # of Percent Questions	STAAR 2013 SE # of Percent Questions	STAAR 2013 SE # of Questions	Percent	Dual Coded	STAAR	2013 # of Questions	Percent	Dual Coded	STAAR SE	2013 # of Questions	Percent	Dual Codeo

	r		,	1		ı	_		1 1		T	, ,			1		_
1B 2 50%	1B	1	70%		12B	1	66%	14D	11B	3	51%	15B	10C	1	59%	13B	
	1E	2	54%		12C	1	69%	15A	12A	1	36%		10D	4	52%	12A,	
	2D	2	63%		13A	1	43%	16B	12B	3	46%	13A				11B, 13A	
				-	13B	2	51%	14B,15A				14A 15B					T
An object is launched into the air. The table below shows the object's height above the ground at various times.	Which graph do	oes not represent y as a	function of x?		A librarian reo shown below.	orded the number of books to	at were checked out on eac	h of the last 9 days, as	Isaac surveyed are listed below	his classmates to find out w	that types of pets they had	d. The pet survey results	The list belo	w shows the numbe	er of rides at nine diff	erent rodeos.	1
Height vs. Time Elapsed Time (seconds) 1		~~ ₹"	H	 !	Which measure days? A Mean B Motan C Proof D Range	142, 136, 125, 14 of dista does NOT describe	1, 150, 152, 115, 131, 136 t typical number of books of	ecked out on these	A total of A total of There were Which Wann di	5 13 13 14 Hish	cats and fish, ogs and fish, ogs and fish, set survey results? Pet Su Cats 2 13	rvey Results 9 Dogs 4 7 6 Histi	What is the A 8 B 22 C 7 D 12		, 7, 13, 7, 8, 12, 2:		
Defective Parts 260 270 270 270 270 270 270 270	to estimate p, the statement is true: F The population G The population H The population	I a town is currently 9,000, population of the town it y or of the town is increasing in of the town will receive the town will receive the town will receive the town will increase of the town will increase of the town will increase.	ears from now. Based on at a constant rate. 000 between 11 and 12 y by 256 people two years f	this function, which	average week! Based on the t	Movi (120	a Attendance Attendance B		Which statemer The total in she ran in 1 The total in minutes sh	Melissa's Tue. Sun. Mon. Tue. leek 1 10 10 10 leek 2 15 18 8 leek 3 22 22 20 ort is best supported by the orthography of migrature. Melicons	Training Plan Widd. Thu. Fri. 12 12 0 18 20 0 24 24 0 data in the table? In Week 3 is theice the to each day decreased from on Week 3 is more than theired.	See. 15 20 26 tal number of minutes to Week 1 to Week 2. he total number of	Available to make of the circle graph incidents? F. 25%, because G. 8%, because H. 24%, because	$e^{\frac{8}{32}} = \frac{1}{4}$ and $\frac{1}{4} = \frac{25}{100}$ $\frac{8}{100} = 8\%$		What parrentage ser mouth that are	
F Week 5 Week 5 Week 8	used. The table bel of times the dishwa the dishwa Based on the data when the dishwash	a restaured is loaded with the wholes the follow shows the follow shows the follow of the following of the following of Number of Trees bond 4 6 6 8 6 in the table, what is the bot her is used 9 these? For any of the following on the following of the following on the following on the following of the following on the following of the following	of dishes washed as a fun iishtwäsher Total Number of Dishes Washed 52 104 156 208	every time it is Cosn of the number		and whisker plot be	14, 14, 15, 15, 15, st represents these	16, 16, 21, 23 data? 23 23	Which stateman A In Game 1 Scored by 1 B The total number of C In Game 4 Scored by 1	Sco 28 28 20 20 21 21 22 22 23 24 25 26 26 27 28 28 28 28 28 28 28 28 28	ring Results 3 4 Game Again the graph? by Lillan was more than 1 stan and Naomi in Game 4 by Naomi was two times 1 by Naomi was two times 1	half the number of points was more than the the number of points	Which statement A There are a t B The ratio of ti 1 to 10. C The difference gas samples i	Matter Be Liquid A A Solid A A Gas B Each A persent is best supported by the infotal of 10 samples being tes he number of gas samples b e between the number of sol a 3.	ts 5 samples.	liquid samples is the number of	



Strand: Displaying and Interpreting Data

TEK: the student uses statistics representations	TEK: the student solves problems by collecting,	TEK: the student solve problems by collecting,	TEK: the student solves problems by collecting,
to analyze data	organizing, displaying and interpreting sets of	organizing, displaying, and interpreting sets of	organizing, displaying, and interpreting sets of
	data	data	data

6 th Grade	5 th Grade	4 th Grade	3 rd Grade
SE 6.10A – (S)select and use an appropriate representation for presenting and displaying different graphical representations of the same data including line plot, line graph, bar graph, and stem and leaf plot 6.10B – (S)identify mean (using concrete objects and pictorial models), median, mode and range of a set of data 6.10C – (S)sketch circle graphs to display data 6.10D – (R)solve problems by collecting, organizing, displaying, and interpreting data	SE 5.13A – (S)use tables of related number pairs to make line graph 5.13B – (R)describe characteristics of data presented in tables and graphs including median, mode, and range 5.13C – (S)graph a given set of data using an appropriate graphical representation such as a picture or line graph	SE 4.13B – (R)interpret bar graphs	SE 3.13A – (R)collect, organize, record, and display data in pictographs and bar graphs were each picture or cell might represent more than one piece of data 3.13B – (S)draw conclusions and answer questions based on picture graphs and bar-type graphs
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
	Start a line graph by demonstrating a bar graph (with change over time). Connect each bar with a line at the top of the bar, then remove the bars to make a line graph This is a good connection to students prior understanding of bar graphs		
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-line graphs must use data that is continuous (change over time) -line plots are used to record frequency of data items (line plots are introduced in 5 th grade) -bar graphs are used to compare quantities -stem and leaf plots are used to display groups of data arranged by place value (introduced in 6 th grade) -Venn diagrams are not in 6 th grade, introduced in 7 th grade -mean is introduced 6 th grade and should be introduced using concrete models (example: stack blocks and 'level off', share equally, etcmedian, mode, and range were introduced in 5 th grade -make sketch: a drawing that approximates the	-coordinate grids -write and read ordered pairs (2,5) -label points on grid -a line graph is a new concept in 5 grade -students may be assessed on double line graphs -journals: to verbally 'describe' the data -tables of data may be a source of information for students to connect with graphs -derive the median, mode, and range from graphs -median: the middle number when numbers are arranged in order -mode: the number of numbers that occur most often in a set of numbers -range: can refer to the difference between the highest and the lowest number (it can also refer	-pictographs and bar graphs -graphs read vertically and horizontally -children need to complete portions of graph -interpret graph by combining information on graph -may be tested over double-bar graphs -must construct graphs by: collecting data organizing data recording data displaying data	-use both pictographs and bar graphs -use graphs read vertically and horizontally -children need to complete portions of graph -to construct graphs, students must collect data, organize data, record data, and display data -'pictographs' are picture graphs which contain a key such as a picture of an apple may represent 5 apples -the key using one object to represent more than one unit is introduced in 3 rd grade -complete portions of graph -interpret graph by combining information on graph -pictographs keys show one object representing 2 items, 3 items, 5 items, etc.

actual circle graph (introduced in 6 th grade) -do not use protractors to construct angles for circle graphs -circle graphs relate part to whole -include line, bar, circle graphs, stem-and-leaf plots, and line graphs				-include -graphs -childre graph -interpr graph -Studen data, or	number cont e pictographe read vertica n may need et graph by ts much con ganize data, aphs are intr	s, bar grap illy and hou to comple combining istruct grap record da	hs, line gra rizontally te a portio information ohs by: co	aphs on of on on on											
Vocabi	ulary				Vocabulary				Vocabulary				Vocabulary						
Data, represent, line plot, line graph, bar graph, stem and leaf plot, mean, median, mode, range, measures of central tendencies, circle graph, collecting, organizing, displaying, interpreting, quantities, frequency, continuous, over time				Tables, related pairs, ordered pairs, line graph, bar graph, pictograph, median, range, mode, data, represent, horizontal, vertical			Collect, organize, , record, data, display, bar graphs, title, interval, labels, vertical, horizontal, input, output, interpret				Collect, organize, , record, data, pictographs, bar graphs, title, interval, labels, vertical, horizontal, input, output, key								
STAAR 2012			STAAR 2012			STAAR 2012				STAAR 2012									
SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded	
10A	1	72%			13A	1	65%	15A		13B	3	62%	14B		13A	3	54%	14A	
10B	1	47%	13B	1	13B	4	70%	14D							13B	1	62%	14B	
10C	1	52%	11B		13C	1	67%	15A											
10D	3	56%	12A,13A]					_										
STAAR 2013			STAAR 2013				STAAR 2013				STAAR 2013								
SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded		SE	# of Questions	Percent	Dual Coded	
10B	1	58%	11A		13A	1	86%			13B	3	59%	14B,16B		13A	3	76%	14A,14B	
10C	1	59%	13B		13B	4	74%	14D]					_	13B	1	76%	14B	
10D	4	52%	12A,11B, 13A		13C	1	92%	15A											•

The list below shows the number of rides at nine different rodeos.

28, 7, 13, 7, 8, 12, 22, 14, 6

What is the median number of rides at these rodeos?

A 8

B 22

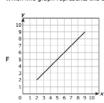
C 7

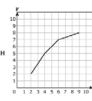
D 12

Isaiah recorded the coordinates of four points in the table below.

X	У
2	2
4	5
6	7
٥	Ω

Which line graph represents the data in the table?

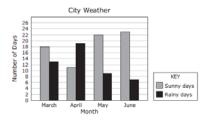








The graph below shows the number of sunny days and rainy days in a city during



Based on the graph, how many more sunny days than rainy days did this city have during the months of April, May, and June?

A 21

C 26

D 20



The graph below shows the number of packages Blanca delivered on five days. Packages Delivered

Packages Delivered Tuesday Wednesday Thursday Friday 36 72 48 60

Packages Delivered							
ay	Monday	Tuesday	Wednesday	Thursday	Friday		
umber of	48	30	66	42	54		

Packages Delivered Tuesday Wednesday Thursday Friday Monday 30 42 66 54

The table below shows the number of teeth of each type in Ava's mouth.

Ava's Teeth

Type	Number
Incisor	8
Canine	4
Premolar	8
Malaa	- 12

Ava wants to make a circle graph to represent the information in the table. What percentage of the circle graph should she use to represent the percentage of teeth in her mouth that are incisors?

F 25%, because
$$\frac{8}{100} = \frac{1}{100}$$
 and $\frac{1}{100} = \frac{25}{1000}$

G 8%, because
$$\frac{8}{100} = 8\%$$

H 24%, because 32 - 8 = 24

J 76%, because
$$\frac{12+8+4}{100} = \frac{24}{100}$$
 and $\frac{100}{100} - \frac{24}{100} = \frac{76}{100}$

The graph below shows the number of pages Joaquín read each day for six days last week.



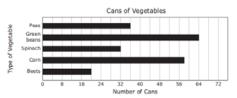
What is the median number of pages in this set of data?

F 35

G 40

H 20

The graph below shows the number of cans of different types of vegetables on a grocery store shelf.



Based on the graph, how many more cans of corn than cans of peas are on the

F 20, because 60 - 40 = 20

G 16, because 50 - 40 = 16

H 28, because 64 - 36 = 28

3 22, because 58 - 36 = 22

The table below shows the number of games won by four people during a

Games Won

Name	Number of Games Won
Yolanda	48
William	32
Barbara	36
Javier	60

The pictograph below represents the same information.

Games Won

Yolanda	77777
William	9999
Barbara	99991
Javier	00000001

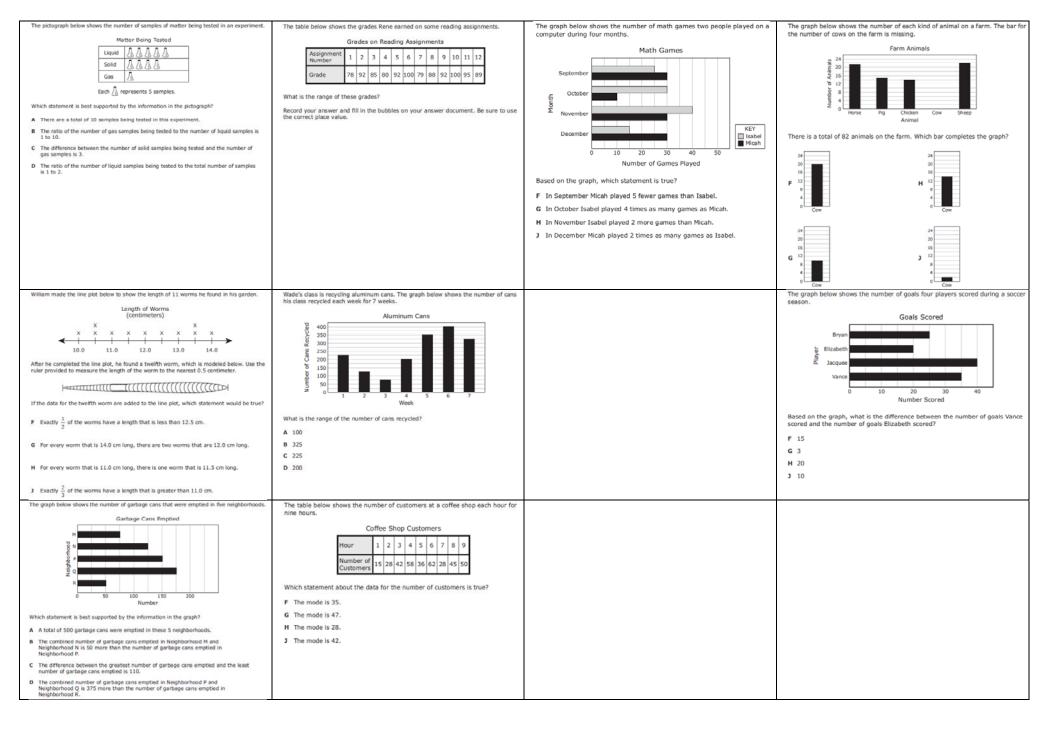
Which key completes the pictograph?

A Each T means 8 games won.

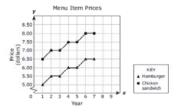
C Each P means 6 games won.

B Each T means 2 games won.

D Each T means 4 games won.



The graph below shows how the prices of two different menu items at a restaurant have changed from Year 1 to Year 7.



If the prices continue to change in this same way, which statement is true?

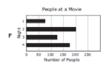
- A In Year 8, the price of a hamburger will be \$7.00.
- B In Year 9, the price of a chicken sandwich will be \$9.00.
- C In Year 8, the difference between the price of a chicken sandwich and the price of a hamburger will be \$1.00.
- D In Year 9, the price of a chicken sandwich plus the price of a hamburger will be \$16.50.

The table below shows the number of people who went to a movie each night on four nights.

People at a Movie

Night	1	2	3	4	
Number of People	75	200	125	17	

Which graph represents the data in the table?



	Night 1	웃웃웃
	Night 2	* * * *
н	Night 3	* * * * *
	Night 4	****

	1	-	People	at a	Movie		1
G	16 2 10 3			+	-		
	0	50	100 Numb	150 ser of		250	J

Night 1	£ ;	
Night 2	* * * *	
Night 3	웃웃웃	
Night 4	** ;	

Strand: Displaying and Interpreting Data

TEK: the student solves problems by collecting,	TEK: the student organizes data to make it	TEK: the student displays data in an	TEK: the student constructs and uses graphs
organizing, displaying, and interpreting sets of data	useful for interpreting information	organized form	of real objects or pictures to answer
		TEK: the student uses information from	questions
		organized data	

3 rd Grade	2 nd Grade	1 st Grade	Kindergarten
SE 3.13A – (R)collect, organize, record, and display data in pictographs and bar graphs were each picture or cell might represent more than one piece of data 3.13B – (S)draw conclusions and answer questions based on picture graphs and bar-type graphs	SE 2.11A – (S)construct picture graphs and bartype graphs 2.11B – (R)draw conclusions and answer questions based on picture graphs and bartype graphs	SE 1.9A – (S)collect and sort data 1.9B – (R)use organized data to construct real object graphs, picture graphs, and bar-type graphs 1.10A – (R)draw conclusions and answer questions using information organized in real-object graphs, picture graphs, and bar graphs	SE K.12A – (S)construct graphs using real objects or pictures in order to answer questions K.12B – (R)use information from a graph of real objects or pictures in order to answer questions
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
	Students need lots of exposure to constructing graphsfocus on parts of the graph) Students have a good understanding of interpreting graphs when they enter 2 nd grade	Gather data from classmates Sort/organize the data Construct the graph themselvesfocus on the parts of the graph Draw conclusions from graphs Good lessons in Region 4 books 'Starburst' graph	Construct real object and picture graphs Use graph to answer questions about data Kindergarten students will begin collecting their own data to construct graphs and answer questions
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
-use both pictographs and bar graphs -use graphs read vertically and horizontally -children need to complete portions of graph -to construct graphs, students must collect data, organize data, record data, and display data -'pictographs' are picture graphs which contain a key such as a picture of an apple may represent 5 apples -the key using one object to represent more than one unit is introduced in 3 grade -complete portions of graph -interpret graph by combining information on graph -pictographs keys show one object representing 2 items, 3 items, 5 items, etc.	-on a picture graph each picture represents one piece of datathird grade introduces pictographs where one object/picture may represent more than one piece of dataa pictograph includes a key to explain the value of each symbolwhen bar graphs are introduced, begin by representing each piece of data with an individual cell/box -on a picture graph each picture represent one piece of data	-use resources such as: attendance charts, transportation charts; including graphs, and bar-type graphs -construct both horizontal and vertical graphs -use post-it notes, unifix cubes, etcon a picture graph each picture represents one unit of data -third grade introduces pictographs: where one object may represent more than one unit of data -when bar type graphs are introduced, begin by representing each piece of data with an individual cell/box -example: answer questions such as: how many more frogs than ducks?	-using pictures or real objects students can construct graphs (include horizontal and vertical) -bar-type graphs are introduced in the first grade -teachers ask questions such as 'how many like green apples? How many liked red apples?'
Vocabulary	Vocabulary	Vocabulary	Vocabulary
Collect, organize, , record, data, pictographs, bar graphs,	Construct, create, pictographs, bar graphs,	Graph, picture graph, bar graph, real object	Graph, picture graph, real object graph

title, interval, labels, vertical, horizontal, input, output, key			iorizontal, ii	nput, output,	title, interval, labels, vertical, horizontal, input, output	graph, horizontal, vertical	
TAAR	2012				STAAR 2012	STAAR 2012	STAAR 2012
SE	# of	Percent	Dual		3170112012	31AAN 2012	3774112012
	Questions		Coded				
13A	3	54%	14A				
13B	1	62%	14B				
TAAR	2013				STAAR 2013	STAAR 2013	STAAR 2013
SE	# of	Percent	Dual				
	Questions		Coded				
13A	3	76%	14A,14B				
13B	1	76%	14B				
The grap	h below shows the	number of pac	kages Blanca del	ivered on five days.			
		Packages Delive	n in the graph?	Friday			
Packa			5 54	42			
		Packages Delive					
G Day		Tuesday Wedne	esday Thursday	Friday 60			
Numb Packa	iges 48	36 7	48	60			
		Packages Delive	ered				
Day		Tuesday Wedne	esday Thursday	Friday			
Numb Packa	per of iges 48	30 6	5 42	54			
		Packages Delive	ered				
Day	Monday	Tuesday Wedne	esday Thursday	Friday			
Numb	per of 48	30 4:	2 66	54			

The table below shows the number of games won by four people during a		
sporting event.		
Games Won		
Name Number of Games Won		
Yolanda 48		
William 32		
Darbara 36 Javier 60		
30761 00		
The pictograph below represents the same information.		
Games Won		
Yolanda		
Barbara V V V V		
Javier		
Which key completes the pictograph?		
A Each ♥ means 8 games won. C Each ♥ means 6 games won.		
B Each v means 2 games won. D Each v means 4 games won. The graph below shows the number of each kind of animal on a farm. The bar for		
the number of cows on the farm is missing.		
Farm Animals		
v 24		
Ę 20 Ę 16		
6 12		
8 8		
Horse Pig Chicken Cow Sheep		
Horse Pig Chicken Cow Sheep Animal		
There is a total of 82 animals on the farm. Which bar completes the graph?		
There is a cocal of the annual of the farm. There is a complete the graph.		
24 24		
20 20 16		
F 12 H 12		
8 8 4		
O Cow		
24 24		
20 20 16		
G 12 J 12		
8 8		
O Cow		
The graph below shows the number of goals four players scored during a soccer		
season.		
Goals Scored		
Bryan		
Àe .		
Vance		
0 10 20 30 40		
Number Scored		
Based on the graph, what is the difference between the number of goals Vance		
scored and the number of goals Elizabeth scored?		
F 15		
G 3		
H 20		

TEK: the student analyzes and	TEK:	TEK: the student	TEK: the student uses tools to determine	TEK:	TEK:	TEK: the student applies concepts of theoretical
evaluates risk and return in		uses probability	measurements of geometric figures and			and experimental probability to make
the context of real-world		models to describe	extends measurement concepts to find			predictions
problems		everyday	perimeter, area, and volume in problem			
		situations	situations			
		involving chance				

AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I	8 th Grade
SE AQR.3A – determine and interpret conditional probabilities and probabilities of compound events by constructing and analyzing representations, including tree diagrams, Venn diagrams, and area models, to make decisions in problem situation AQR.3B – use probabilities to make and justify decisions about risks in everyday life AQR.3C – calculate expected value to analyze mathematical fairness, payoff, and risk	SE	SE MMA.4A — compare theoretical and empirical probability MMA.4B — use experiments to determine the reasonableness of a theoretical model such as binomial, geometric, etc.	SE GEOM.8E – (S) use area models to connect geometry to probability and statistics	SE:	SE:	SE: 8.11A – (R)find the probabilities of dependent and independent events 8.11B – (S)use theoretical probabilities and experimental results to make predictions and decisions 8.11C – select and use different models to simulate an event
Specifics (description of lesson, include any "tricks")	Specifics	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics	Specifics	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale	Rationale (clarification of TEKS/SE)	Rationale	Rationale	Rationale	Rationale (clarification of TEKS/SE)
						-use the sample space and a model to illustrate and determine the numerical value of the probability -two events A and B are independent when the outcome of the second event is not influenced by the outcome of the first event -dependent event is one where the outcome of the second event is influenced by the outcome of the first event -differentiate between theoretical and

Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	experimental -experimental: data collected through experimentation -theoretical the ratio of the number of possible outcomes to total outcomes -such as a picture, diagram, spinners, dice, cards, counters in paper bags, calculators, etc. Vocabulary Probability, dependent event, independent event, predictions, experimental results, simulate, theoretical results, outcome, sample space
STAAR 2012	STAAR 2012	STAAR 2012	STAAR 2012 SE # of Percent Dual Coded RE 1 56%	STAAR 2012	STAAR 2012	STAAR 2012 SE
STAAR 2013	STAAR 2013	STAAR 2013	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	STAAR 2013	STAAR 2013	STAAR 2013 SE # of Percent Dual Coded 11A 3 58% 14A 11B 1 35% 15A Boris has a coin and a number cube. The number cube is labeled 1 through 6, He Flips the coin once and rolls the number cube once. What is the probability that the coin lands tails-up and the cube lands on an even number? F 2/3 G 1/4 H 1/12 J 1/6 Toblas has 12 coins in his pocket. Of these coins, 8 were made in the year 2000, and 4 were made in the year 2005. Tablas randomly selects one coin from his pocket and, without replacing it, selects another coin from his pocket. What is the probability that both coins he fellogis were made in the year 2000? G 4/9 H 7/33 J 9/9 Leslie has two cups containing different-colored paper clips. The first cup contains 7 pink paper clip, and 6 orange paper give, what is the probability that claim with random year clips, and 5 blue paper clips. The second cup contains 3 blick paper clips, in red paper clip, and for orange paper give. What is the probability that claim with random yellock at bits paper clip, and 6 orange paper give. What is the probability that claim with random yellock at bits paper clip, and 5 blue paper clips. The second cup contains 3 blick paper clips, it red paper clip, and for orange paper give. What is the probability that clien with random yellock at bits paper clip, and for orange paper give. What is the probability that client with random yellock at bits paper clip, and then randomly select an orange paper clip from the second cup. F 7/8 G 9/10 H 9/14

		A cafeteria manager surveyed a random sample of students at a school to determine which of
		2 meal choices they prefer. The results of the survey are shown below.
		Chicken is preferred by 30 students.
		 Pasta is preferred by 18 students.
		Based on the results of the survey, how many of the 240 students at the school can be
		expected to prefer chicken?
		Record your answer and fill in the bubbles on your answer document. Be sure to use the correct place value.

TEK: the student uses tools to determine	TEK: the student applies concepts of	TEK: the student recognizes that a physical or	TEK: the student uses experimental and
measurements of geometric figures and extends	theoretical and experimental probability to	mathematical model can be used to describe the	theoretical probability to make predictions
measurement concepts to find perimeter, area,	make predictions	experimental and theoretical probability of real-	
and volume in problem situations		life events	

Geometry	8 th Grade	7 th Grade	6 th Grade		
SE GEOM.8E – (S) use area models to connect geometry to probability and statistics	SE: 8.11A – (R)find the probabilities of dependent and independent events 8.11B – (S)use theoretical probabilities and experimental results to make predictions and decisions 8.11C – select and use different models to simulate an event	SE 7.10A – (S)construct sample spaces for simple or composite experiments 7.10B – (S)find the probability of independent events	SE 6.9A – (S)construct sample spaces using lists and tree diagrams 6.9B – (S)find the probabilities of a simple event and its complement and describe the relationship between the two		
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")		
Rationale	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)		
	-use the sample space and a model to illustrate and determine the numerical value of the probability -two events A and B are independent when the outcome of the second event is not influenced by the outcome of the first event -dependent event is one where the outcome of the second event is influenced by the outcome of the first event -differentiate between theoretical and experimental -experimental: data collected through experimentation -theoretical the ratio of the number of possible outcomes to total outcomes -such as a picture, diagram, spinners, dice, cards, counters in paper bags, calculators, etc.	-list all the possible outcomes -students should know and understand the difference between a simple experiment and a composite experiment -use the sample space and/or models to create visual representations to illustrate and determine the numerical value of the probability -independent events: two events A and B are independent if the occurrence of one does not affect the probability of the other occurring -students should know and understand the definition of independent events	-students need to construct sample space, not use the counting method to determine the possible number of outcomes -the sample space is the set of all possible outcomes for an event or experiment -simple event: chance of getting one red marble from a bag of marbles -complement: the chance of not getting a red marble from the same bag -probability can be written in simplest form		
Vocabulary	Vocabulary	Vocabulary	Vocabulary		
	Probability, dependent event, independent event, predictions, experimental results, simulate, theoretical results, outcome, sample	Sample space, simple experiment, composite experiment, probability, independent events, outcome	Sample spaces, tree diagrams, probability, simple event, experiment, complement, simplest form		

	space										
STAAR 2012	STAAR 2012		STAAR	2012				STAAR	2012		
SE # of Percent Dual	SE # of Percent Du	al	SE	# of	Percent	Dual		SE	# of	Percent	Dual
Questions Coded	Questions Cod	ed		Questions		Coded			Questions		Coded
8E 1 56%	11A 3 41% 14	A	10A	1	70%	13C		9A	1	72%	11C
	11B 1 71%		10B	1	37%	13A		9B	1	61%	11A
STAAR 2013	STAAR 2013		STAAR	2013		,		STAAR	2013	•	
SE # of Percent Dual	SE # of Percent Du		SE	# of	Percent	Dual		SE	# of	Percent	Dual
Questions Coded	Questions Cod 11A 3 58% 14		10A	Questions 1	80%	Coded 13C		9A	Questions 1	82%	Coded 11C
OL 1 4776	11A 3 38% 14 11B 1 35% 15		10A	1	49%	13A		9B	1	15%	11C
In the spinner modeled below, Sector 1 has twice the area of Sector 3.	Boris has a coin and a number cube. The number cube is labeled 1 throu			select 2 different side di			eurant.		ring a new car.	15%	IIA
	coin once and rolls the number cube once. What is the probability that the and the cube lands on an even number?	e coin lands tails-up	• Frenc						n choose a car with 2 door n choose seat covers mad		vinul
1	$\mathbf{F} = \frac{2}{3}$		Salad Onior						n choose a car color of silv		
2	G 1/4		• Beans					The list bek cover, and		sible outcomes of I n	umber of doors, 1 type of seat
(4 7)	H 1 20		Which list	shows all the possible of	outcomes of 2 differ	rent side dishes fro	om this list?	2 door		ors, leather, black ors, fabric, black	2 doors, leather, white 2 doors, fabric, white
\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\	12			fries and salad rings and beans	н	French fries and French fries and	onion rings	4 door	rs, leather, silver 4 do	ors, leather, black ors, fabric, black	4 doors, leather, white 4 doors, fabric, white
If the arrow is spun once, what is the probability that the arrow will land in Sector 1?	3 1/6		1,			French fries and Salad and onion Salad and beans	rings	Which list s	hows all the other possible	outcomes of 1 numb	per of doors, 1 type of seat cover,
. 1		Onion rings and beans G French fries and salad J French fries and salad				and 1 color			2 down almid white		
A $\frac{1}{3}$ C $\frac{1}{6}$		French fries and solion rings French fries and onion rings Salad and beans Salad and onion rings Salad and onion rings Salad and onion rings				A 200	ors, vinyi, silver 2	doors, vinyl, black	2 doors, vinyl, white		
B $\frac{1}{4}$ D $\frac{2}{3}$			Onion	rings and beans		Salau and Deans	κ.	B 4 do	ors, vinyl, silver 4	doors, vinyl, black	4 doors, vinyl, white
								2.4	are start allows	dance visual block	2 deeps visual vahility
										doors, vinyl, black doors, vinyl, black	2 doors, vinyl, white 4 doors, vinyl, white
										doors, vinyl, black	2 doors, vinyl, white
	Tobias has 12 coins in his pocket. Of these coins, 8 were made in the ye	ar 2000, and	Graysen hi	s a green number cube a	and a white number of	ube. The faces of th	ne cubes are	Mitsu will I	be randomly assigned to	a seat on an airpla	2 doors, vinyl, white ne. There are a total of 50 seats on
	4 were made in the year 2005. Tobias randomly selects one coin from h		green cube	1 through 6. Graysen will will land with an even no in 2 faceup?	roll each cube one t umber faceup and the	me. What is the pro	d with a number	represents	the probability that Mits	u will be assigned t	rest are window seats. What decimi o a window seat?
	replacing it, selects another coin from his pocket. What is the probability 14 Seleggs were made in the year 2000?	that both coins he	F 1					Record you correct pla	ur answer and fill in the i ace value.	oubbles on your ans	wer document. Be sure to use the
	G 4/a		1								
	,		G 1/36								
	H 7/33		H 1/3								
	J $\frac{2}{9}$ Leslie has two cups containing different-colored paper dips. The first c	and the second	3 1/6								
	Lesien ask two cups containing aimerent-converp apper claps. The risk of paper clips and 3 blue paper clips. The second cup contains 3 black pa clip, and 6 orange paper clips. What is the probability that Leslie will in paper clip from the first cup and then randomly select an orange pape cup?	per clips, 1 red paper indomly select a blue									
	F 7/8										
	e 10										
	H 9/14										
	J 9/50										
	A cafeteria manager surveyed a random sample of students at a school 2 meal choices they prefer. The results of the survey are shown below.	to determine which of									
	Chicken is preferred by 30 students. Pasta is preferred by 18 students.										
	Based on the results of the survey, how many of the 240 students at th	e school can be									
	expected to prefer chicken? Record your answer and fill in the bubbles on your answer document. B	sure to use the									
	correct place value.		1					<u> </u>			

theoretical probability to make predictions results of a probability experiment organizing, displaying, and interpreting sets of data organizing, displaying, and interpreting sets of data	TEK: the student uses experimental and	TEK: the student describes and predicts the	TEK: the student solves problems by collecting,	TEK: the student solves problems by collecting,
data data	theoretical probability to make predictions	results of a probability experiment	organizing, displaying, and interpreting sets of	organizing, displaying, and interpreting sets of
			data	data

6 th Grade	5 th Grade	4 th Grade	3 rd Grade	
SE 6.9A – (S)construct sample spaces using lists and tree diagrams 6.9B – (S)find the probabilities of a simple event and its complement and describe the relationship between the two	SE 5.12A – (S)use fractions to describe the results of an experiment 5.12B – (R)use experimental results to make predictions 5.12C – (S)list all possible outcomes of a probability experiment such as tossing a coin	SE 4.13A – (S)use concrete objects or pictures to make generalizations about determining all possible combinations of a given set of data or of objects in a problem situation	SE 3.13C – (S)use data to describe events as more likely than, less likely than, or equally likely as	
Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	
Connect probability vocabulary to graphsmost likely, least likely, favorite, impossible, certain, equally, etc.	Connect probability vocabulary to graphsmost likely, least likely, favorite, impossible, certain, equally, etc.	Connect probability vocabulary to graphsmost likely, least likely, favorite, impossible, certain, equally, etc.	Connect probability vocabulary to graphsmost likely, least likely, favorite, impossible, certain, equally, etc.	
Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	
-students need to construct sample space, not use the counting method to determine the possible number of outcomes -the sample space is the set of all possible outcomes for an event or experiment -simple event: chance of getting one red marble from a bag of marbles -complement: the chance of not getting a red marble from the same bag -probability can be written in simplest form	-experiments to derive data -record results in lists, tables, diagrams, and graphs -gather data through experimental activities -students must state and understand the concepts of 'one out of four' and ¼ -assessment answers may be in fraction form, word form or number form	-this concept is introduced in 4 grade -random number generators/number cubes, spinners, calculators or computers are helpful manipulatives	-conduct experiments to model each outcome -explain and make generalizations about at least three different outcomes -use lists, tables, and graphs -events that are equally likely are introduced in rd 3 grade -second grade teaches more and/or less likely	
Vocabulary	Vocabulary	Vocabulary	Vocabulary	
Sample spaces, tree diagrams, probability, simple event, experiment, complement, simplest form	Results, experimental, predictions, possible outcomes, probability, data	Probability, combinations, all possible, likely	Data, more likely than, less likely than, equally likely as	
STAAR 2012 SE # of Questions Percent Coded 9A 1 72% 11C 9B 1 61% 11A	STAAR 2012 SE # of Questions Percent Coded 12A 1 79% 14A 12B 3 56% 14A 12C 1 54% 14C	STAAR 2012 SE # of Percent Dual Coded 13A 2 75% 14A	STAAR 2012 SE # of Percent Dual Coded 13C 2 32% 14A	

STAAR 2013 STAAR 2013 STAAR 2013 STAAR 2013 SE # of Percent Dual SE # of Percent Dual # of Dual SE # of Percent Dual Percent Questions Coded Questions Coded Questions Coded Questions Coded 9A 82% 55% 14B 13A 2 60% 13C 2 71% 11C 12A 14C 1 1 14A 9B 1 15% 11A 12B 3 59% 14A.16B 12C 84% 14C 1 Mona is buying a new car. Each player in a game will roll a number cube and spin the arrow on a spinner A store has different flavors of jelly in jars. The table below shows the number of Nancy has a bag that contains the following shapes. one time. The numbers on each face of the number cube and the shapes on the spinner are shown below. . She can choose a car with 2 doors or 4 doors. 12 hexagons Jars of Jelly • 7 pentagons . She can choose a car color of silver, black, or white. · 20 octagons Flavor The list below shows some of the possible outcomes of 1 number of doors, 1 type of seat • 16 parallelograms Grape cover, and 1 color. 5 trapezolds 2 She will randomly select one shape from this bag. What is the probability that the 3 Strawberry 14 2 doors, leather, black shape Nancy selects will have 5 or more sides? 2 doors, fabric, silver 2 doors, fabric, black 2 doors, fabric, white Peach 11 4 4 doors, leather, silver 4 doors, leather, black 4 doors, leather, white Orange 4 doors, fabric, black 4 doors, fabric, white 5 If 1 jar is chosen at random, which two flavors of jelly have an equal chance of Which list shows all the other possible outcomes of 1 number of doors, 1 type of seat cover, 6 2 doors, vinyl, silver 2 doors, vinyl, black 2 doors, vinyl, white How many different combinations of 1 odd number and 1 shape are possible? G Apple and blackberry $c \frac{32}{60}$ H Orange and blackberry B 12 J Grape and strawberry 4 doors, vinyl, silver 4 doors, vinyl, black 4 doors, vinyl, white D C 0 D 36 Sakina spun the arrow on a spinner 80 times. The table below shows the number of 2 doors, vinyl, black times the arrow landed on each of the six colored sections 4 doors, vinyl, silver 4 doors, vinyl, black 4 doors, vinyl, white Spinner Colors 2 doors, vinyl, silver 4 doors, vinyl, black 2 doors, vinyl, white Color 4 doors, vinyl, silver 4 doors, vinyl, black 2 doors, vinyl, white Red 12 Blue 18 Green 30 Yellow 10 Pink Orange Based on the information in the table, which statement about the next spin F The arrow is less likely to land on a pink section than on a red section. G The arrow is 3 times as likely to land on a green section as on a yellow section. H The arrow is more likely to land on an orange section than on a blue section. J The arrow is 2 times as likely to land on a red section as on an orange section. Zia is buying a T-shirt for her brother. Her choices of teams, colors, and sizes are Mitsu will be randomly assigned to a seat on an airplane. There are a total of 50 seats on Pam has 18 gold medals, 12 silver medals, and 9 bronze medals in a box. She A machine gives out a random sticker each time a person puts in money. The table the plane. Of these seats, 16 are aisle seats, and the rest are window seats. What decimal represents the probability that Mitsu will be assigned to a window seat? will choose 1 of these medals at random. Which statement about Pam's choice is below shows the number of stickers of each type that were given out in 36 times. Colors Sizes Record your answer and fill in the bubbles on your answer document. Be sure to use the Stickers A It is certain that Pam will choose a gold medal. Lions Green Small B Pam is less likely to choose a bronze medal than a silver medal. Type Given Out Panthers Black Medium C Pam is more likely to choose a silver medal than a gold medal. Robot D It is impossible for Pam to choose a bronze medal. Owls Purple Large Superhero Car 6 Eagles Yellow Airplane How many different combinations of 1 team, 1 color, and 1 size are possible? F 64 Based on the information in the table, which statement about the next sticker to G 11 come out of the machine is true? H 48 A It is 3 times as likely to be a robot sticker as an airplane sticker. J 16 B It is certain to be a sports sticker.

C It is 2 times as likely to be a car sticker as an airplane sticker.

D It is certain to be a robot sticker

The table below	shows the num	ber of votes for	different school	mascots.	
Votes for Mascots					
Mascot	Tiger	Eagle	Bobcat	Duck	
	ye.				
Number of Votes	18	24	3	30	
Based on the information in the table, what is the most reasonable prediction of the number of votes for eagle out of the next 25 votes?					
F 72					
G 8					
H 1					
J 21				- d b - l	
The places Teresa go to 1 place each	can choose to h day.	go on Friday or :	Saturday are list	ed below. She ca	
• Concert • Movie • Park • Gym					
Which list shows	all the possible	outcomes of 1 p	lace and 1 day?		
A Concert, Friday Movie, Friday Park, Saturday Gym, Saturday	,	С	Concert, Friday Gym, Saturday		
B Concert, Friday Concert, Satur Concert, Movie Movie, Saturday Park, Friday Park, Saturday Gym, Park Gym, Saturday	rday e ay		Concert, Friday Concert, Saturd Movie, Friday Movie, Saturday Park, Friday Park, Saturday Gym, Friday Gym, Saturday	ay	

TEK: the student solves problems by collecting,	TEK: the student organizes data to make it	TEK: the student uses information from	TEK:
organizing, displaying, and interpreting sets of data	useful for interpreting information	organized data	

		3 rd Gra	ade		2 nd Grade	1 st Grade	Kindergarten
SE 3.13C – (S)use data to describe events as more likely than, less likely than, or equally likely as					SE 2.11C – (S) use data to describe events as more likely or less likely such as drawing a certain color crayon from a bag of seven red crayons and three green crayons	SE 1.10B – (S)identify events as certain or impossible such as drawing a red crayon from a bag of green crayons	SE:
Specifics (description of lesson, include any "tricks")					Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")	Specifics (description of lesson, include any "tricks")
Connect probability vocabulary to graphsmost likely, least likely, favorite, impossible, certain, equally, etc.					Connect probability vocabulary to graphsmost likely, least likely, favorite, impossible, certain, etc.	Connect probability vocabulary to graphsmost likely, least likely, favorite, impossible, certain, etc.	Connect probability vocabulary to graphsmost likely, least likely, favorite, impossible, certain, etc.
Rationale (clarification of TEKS/SE) -conduct experiments to model each outcome -explain and make generalizations about at least three different outcomes -use lists, tables, and graphs -events that are equally likely are introduced in 3 grade -second grade teaches more and/or less likely			el each out ons about are introdu	at least three uced in 3 rd grade	Rationale (clarification of TEKS/SE) -use concrete manipulatives and hands on experiences with probability -use manipulatives such as: spinners, items in a bag, and flipping coins -include situations that would be impossible: 4 red squares and 2 blue squares in a bag — impossible to draw a circle. If only red squares, it is certain that you will draw a red square.	Rationale (clarification of TEKS/SE) -use concrete manipulatives and hands on experiences with probability	Rationale (clarification of TEKS/SE)
Vocabu	ulary				Vocabulary	Vocabulary	Vocabulary
Data, n	nore likely tha	an, less like	ely than, ed	qually likely as	Predict, chance, least likely, most likely, more likely, favorite, probability, certain, impossible, data	Least likely, most likely, favorite, impossible, certain, predict, possible	
STAAR SE 13C	# of Questions	Percent 32%	Dual Coded 14A		STAAR 2012	STAAR 2012	STAAR 2012
STAAR SE 13C	2013 # of Questions 2	Percent 71%	Dual Coded 14A		STAAR 2013	STAAR 2013	STAAR 2013

A store has different flavors of jelly in jars. The table below shows the number of jars of each flavor of jelly.		
jais of each havor of jelly.		
Jars of Jelly		
Flavor Number of Jars		
Grape 17		
Apple 8		
Strawberry 14		
Peach 11		
Orange 6		
Blackberry 8		
If 1 jar is chosen at random, which two flavors of jelly have an equal chance of being chosen?		
F Strawberry and peach		
G Apple and blackberry		
H Orange and blackberry		
J Grape and strawberry		
Pam has 18 gold medals, 12 silver medals, and 9 bronze medals in a box. She will choose 1 of these medals at random. Which statement about Pam's choice is true?		
A It is certain that Pam will choose a gold medal.		
B Pam is less likely to choose a bronze medal than a silver medal.		

C Pam Is more likely to choose a silver medal than a gold medal.D It is impossible for Pam to choose a bronze medal.

Strand: Prop. & Attributes of Functions / Linear Functions

TEK: the student analyzes and evaluates risk and return in the context of real-world problems	TEK:	TEK: the student uses probability models to describe everyday situations involving chance	ТЕК:	TEK:	TEK: the student understands how algebra can be used to express generalizations and recognizes and uses the power of symbols to represent situations
AQR	Pre-Cal	MMA	Geometry	Algebra II	Algebra I
SE: AQR.1C – communicate with mathematics orally and in writing as part of independent and collaborative work, including making accurate and clear presentations AQR.2C – use arrays to efficiently manage large collections of data and add, subtract, and multiply matrices to solve applied problems AQR.2D – apply algorithms and identify errors in recording and transmitting identification numbers AQR.8B – collect numerical bivariate data; use the date to create a scatterplot; and select a function such as linear, exponential, logistic, or trigonomertic to model the data AQR.10C – determine, represent, and analyze mathematical models for various types of loans and investments AQR.11A – solve problems involving scheduling or routing situations that can be represented by methods such as a vertex-edge graph using critical paths, Euler paths, or minimal spanning trees AQR.11B – construct, analyze, and interpret flow charts in order to develop and describe problem-solving procedures	SE:	SE: MMA.1A – compare and analyze various methods for solving a real-life problem MMA.6A – analyze methods of payment available in retail purchasing and compare relative advantages and disadvantages of each option MMA.6B – use amortization models to investigate home financing and compare buying and renting a home MMA.6C – use amortization models to investigate automobile financing and compare buying and leasing a vehicle MMA.7A – analyze types of savings involving simple and compound interest and compare relative advantages of these options MMA.7B – analyze and compare coverage options and rates in insurance MMA.7C – analyze and compare coverage options including stocks, bonds, annuities, and retirement plans	SE:	SE:	SE: ALG.3A – use symbols to represent unknowns and variables ALG.5A – determine whether or not given situations can be represented by linear functions
Specifics (description of lesson, include any "tricks")	Specifics	Specifics (description of lesson, include any "tricks")	Specifics	Specifics	Specifics (description of lesson, include any "tricks")
Rationale (clarification of TEKS/SE)	Rationale	Rationale (clarification of TEKS/SE)	Rationale	Rationale	Rationale (clarification of TEKS/SE)
Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary	Vocabulary
STAAR 2012 STAAR 2013	STAAR 2012 STAAR 2013	STAAR 2012 STAAR 2013	STAAR 2012 STAAR 2013	STAAR 2012 STAAR 2013	STAAR 2012 STAAR 2013 SE # of Percent Dual Coded

		A store manager begins each shift with the same total amount of money. She keeps \$200
		in a safe and distributes the rest equally to the 5 cashiers in the store. This situation can
		be represented by the function $y = \frac{(x-200)}{5}$. What does the variable x represent in this
		situation?
		A The total amount of money the manager has at the beginning of a shift
		B The total amount of money the manager has at the end of a shift
		C The amount of money each cashier has at the beginning of a shift
		D The amount of money each cashier has at the end of a shift

Strand: Process Standard – Math Tools to Know

TEK: the student applies Grade 8 mathematics	TEK: the student applies Grade 7 mathematics	TEK: the student applies Grade 6 mathematics	TEK: the student applies Grade 5 mathematics
to solve problems connected to everyday	to solve problems connected to everyday	to solve problems connected to everyday	to solve problems connected to everyday
experiences, investigations in other disciplines	experiences, investigations in other disciplines	experiences, investigations in other disciplines	experiences and activities in and outside of
and activities in and outside of school.	and activities in and outside of school.	and activities in and outside of school.	school.

8 th Grade	7 th Grade	6 th Grade	5 th Grade
SE: 8.14A – identify and apply mathematics to everyday experiences, to activities in and outside of school, with other disciplines, and with other mathematical topics 8.14B – use a problem-solving model that incorporates understanding the problem, making a plan, carrying out the plan, and evaluating the solution for reasonableness 8.14C – select or develop an appropriate problem-solving strategy from a variety of different types, including drawing a picture, looking for a pattern, systematic guessing and checking, acting it out, making a table, working a simpler problem, or working backwards to solve a problem 8.14D – select tools such as real objects, manipulatives, paper/pencil, and technology or techniques such as mental math, estimation, and number sense to solve problems Specifics (description of lesson, include any "tricks")	SE: 7.13A – identify and apply mathematics to everyday experiences, to activities in and outside of school, with other disciplines, and with other mathematical topics 7.13B – use a problem-solving model that incorporates understanding the problem, making a plan, carrying out the plan, and evaluating the solution for reasonableness 7.13C – select or develop an appropriate problem-solving strategy from a variety of different types, including drawing a picture, looking for a pattern, systematic guessing and checking, acting it out, making a table, working a simpler problem, or working backwards to solve a problem 7.13D – select tools such as real objects, manipulatives, paper/pencil, and technology or techniques such as mental math, estimation, and number sense to solve problems Specifics (description of lesson, include any "tricks")	SE: 6.11A – identify and apply mathematics to everyday experiences, to activities in and outside of school, with other disciplines, and with other mathematical topics 6.11B – use a problem-solving model that incorporates understanding the problem, making a plan, carrying out the plan, and evaluating the solution for reasonableness 6.11C – select or develop an appropriate problem-solving strategy from a variety of different types, including drawing a picture, looking for a pattern, systematic guessing and checking, acting it out, making a table, working a simpler problem, or working backwards to solve a problem 6.11D – select tools such as real objects, manipulatives, paper/pencil, and technology or techniques such as mental math, estimation, and number sense to solve problems Specifics (description of lesson, include any "tricks")	SE: 5.14A – identify the mathematics in everyday situations 5.14B – solve problems that incorporate understanding the problem, making a plan, carrying out the plan, and evaluating the solution for reasonableness 5.14C – select or develop an appropriate problem-solving plan or strategy, including drawing a picture, looking for a pattern, systematic guessing and checking, acting it out, making a table, working a simpler problem, or working backwards to solve a problem 5.14D – use tools such as real objects, manipulatives, and technology to solve problems
Validate conclusions using problem solving strategies Use units with ALL numbers Encourage parents to involve their children in real world math Use comparison language (greater than, less than, at least, between) Rationale (clarification of TEKS/SE)	Validate conclusions using problem solving strategies Use units with ALL numbers Encourage parents to involve their children in real world math Use comparison language (greater than, less than, at least, between) Rationale (clarification of TEKS/SE)	Connecting reasonableness to solving problems Develop Homework activities based on real-life world situations that can be solved using items found at home Use real-life mathematical situations, applying skills to real-life; such as mileage, budgets, cell phones, shopping, etc. Use comparison language (greater than, less than, at least, between) Rationale (clarification of TEKS/SE)	Make an Anchor Chart for Problem-Solving Model each Strategy Develop Homework activities based on real-life world situations that can be solved using items found at home Use real-life mathematical situations, applying skills to real-life; such as mileage, budgets, cell phones, shopping, etc. Use comparison language (greater than, less than, at least, between) Rationale (clarification of TEKS/SE)
Vocabulani	Vocabulary	Be prepared for possible testing of vocabulary	Vessbulen
Vocabulary	Vocabulary	Vocabulary	Vocabulary

							ture – making a pr able – does it mal		Genera sense?	alizations, Reasona	ble – does it	make
STAAR	2012		STAAR	2012		STAAR	2012		STAAR	2012		
SE	# of Questions	Percent	SE	# of Questions	Percent	SE	# of Questions	Percent	SE	# of Questions	Percent	1
14A	8	45%	13A	13	51%	11A	11	56%	14A	14	59%	ĺ
14B	11	54%	13B	6	40%	11B	6	50%	14B	6	55%	
14C	5	53%	13C	2	62%	11C	1	72%	14C	3	46%	ĺ
14D	6	59%	13D	1	64%	11D	5	50%	14D	9	65%	ĺ
STAAR	2013		STAAR	2013		STAAR 2013			STAAR 2013			
SE	# of Questions	Percent	SE	# of Questions	Percent	SE	# of Questions	Percent	SE	# of Questions	Percent	
14A	9	55%	13A	10	54%	11A	8	49%	14A	8	60%	
14B	10	60%	13B	6	49%	11B	6	52%	14B	12	54%	
14C	3	70%	13C	2	60%	11C	3	70%	14C	2	66%	
14D	3	66%	13D	6	66%	11D	5	54%	14D	8	64%	

TEK: the student applies Kindergarten

Strand: Process Standard – Math Tools to Know

TEK: the student applies Grade 3

TEK: the student applies Grade 4

TEX. the student applies Grade 4	TEX. the student applies Grade 3	TEX. the student applies Grade 2	TEK. the student applies Grade 1	TEK: the student applies kindergarten
mathematics to solve problems	mathematics to solve problems	mathematics to solve problems	mathematics to solve problems	mathematics to solve problems
connected to everyday experiences	connected to everyday experiences	connected to everyday experiences	connected to everyday experiences	connected to everyday experiences
and activities in and outside of school.	and activities in and outside of school.	and activities in and outside of school.	and activities in and outside of school.	and activities in and outside of school.
4 th Grade	3 rd Grade	2 nd Grade	1 st Grade	Kindergarten
SE:	SE:	SE:	SE:	SE:
4.14A – identify the mathematics in	3.14A – identify the mathematics in	2.12A – identify the mathematics in	1.11A – identify the mathematics in	K.13A – identify the mathematics in
everyday situations	everyday situations	everyday situations	everyday situations	everyday situations
4.14B – solve problems that	3.14B – solve problems that	2.12B – solve problems with	1.11B – solve problems with	K.13B – solve problems with
incorporate understanding the	incorporate understanding the	guidance, that incorporates the	guidance, that incorporates the	guidance, that incorporates the
problem, making a plan, carrying out	problem, making a plan, carrying out	process of understanding the	process of understanding the	process of understanding the
the plan, and evaluating the solution	the plan, and evaluating the solution	problem, making a plan, carrying out	problem, making a plan, carrying out	problem, making a plan, carrying out
for reasonableness	for reasonableness	a plan, and evaluating the solution for	a plan, and evaluating the solution for	a plan, and evaluating the solution for
4.14C – select or develop an	3.14C – select or develop an	reasonableness	reasonableness	reasonableness
appropriate problem-solving plan or	appropriate problem-solving plan or	2.12C – select or develop an	1.11C – select or develop an	K.13C – select or develop an
strategy, including drawing a picture,	strategy, including drawing a picture,	appropriate problem-solving plan or	appropriate problem-solving plan or	appropriate problem-solving strategy
looking for a pattern, systematic	looking for a pattern, systematic	strategy including drawing a picture,	strategy including drawing a picture,	including drawing a picture, looking
guessing and checking, acting it out,	guessing and checking, acting it out,	looking for a pattern, systematic	looking for a pattern, systematic	for a pattern, systematic guessing and
making a table, working a simpler problem, or working backwards to	making a table, working a simpler problem, or working backwards to	guessing and checking, or acting it out in order to solve a problem	guessing and checking, or acting it out in order to solve a problem	checking, or acting it out in order to solve a problem
solve a problem	solve a problem	2.12D –use tools such as real objects,	1.11D –use tools such as real objects,	K.13D –use tools such as real objects,
4.14D – use tools such as real objects,	3.14D – use tools such as real objects,	manipulatives, and technology to	manipulatives, and technology to	manipulatives, and technology to
manipulatives, and technology to solve	manipulatives, and technology to	solve problems	solve problems	solve problems
problems	solve problems	Solve problems	Solve problems	Solve problems
prosients	Solve problems			
Specifics (description of lesson, include	Specifics (description of lesson,	Specifics (description of lesson,	Specifics (description of lesson,	Specifics (description of lesson,
any "tricks")	include any "tricks")	include any "tricks")	include any "tricks")	include any "tricks")
Develop Homework activities based on	Develop Homework activities based	Develop Homework activities based	Develop Homework activities based	Develop Homework activities based
real-life world situations that can be	on real-life world situations that can	on real-life world situations that can	on real-life world situations that can	on real-life world situations that can
solved using items found at home	be solved using items found at home	be solved using items found at home	be solved using items found at home	be solved using items found at home
Use real-life mathematical situations,	Use real-life mathematical situations,	Use real-life mathematical situations,	Use real-life mathematical situations,	Use real-life mathematical situations,
applying skills to real-life; such as	applying skills to real-life; such as	applying skills to real-life; such as	applying skills to real-life; such as	applying skills to real-life; such as
mileage, budgets, cell phones,	mileage, budgets, cell phones,	mileage, budgets, cell phones,	mileage, budgets, cell phones,	mileage, budgets, cell phones,
shopping, etc. No 'naked' numbersmust have units;	shopping, etc. No 'naked' numbersmust have	shopping, etc. Validate/Justify answers – does it	shopping, etc. No 'naked' numbersmust have	shopping, etc. No 'naked' numbersmust have
such as 13 apples	units; such as 13 apples	make sense?	units; such as 13 apples	units; such as 13 apples
Use comparison language (greater	Use comparison language (greater	No 'naked' numbersmust have	Add the 'what it is NOT' to ANCHOR	Allow students to work more
than, less than, at least, between)	than, less than, at least, between)	units; such as 13 apples	CHARTS	independently
and the second second	and the state of t	Identify and apply math to everyday	Allow students to work more	Expose students to simple division
		in and out of school	independently	concepts; such as – Each butterfly has
		Expose students to simple division	Expose students to simple division	2 wings. I see 8 wings. How many
		concepts; such as – Each butterfly has	concepts; such as – Each butterfly has	butterflies are there?
		2 wings. I see 16 wings. How many	2 wings. I see 12 wings. How many	Make connections with ELA to

TEK: the student applies Grade 2

TEK: the student applies Grade 1

						butterflies are there?	butterflies are there?	determine what's the 'main idea' of the problem
Rationa	ale (clarification of	TEKS/SE)	Rationale (clarification of TEKS/SE)			Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
Vocabu	ılary		Vocabu	lary		Vocabulary	Vocabulary	Vocabulary
Reason	nable – does it mal	ke sense?	Reason	able – does it ma	ke sense?	Reasonable – does it make sense?	Reasonable – does it make sense?	Reasonable – does it make sense?
STAAR	2012		STAAR	2012		STAAR 2012	STAAR 2012	STAAR 2012
SE	# of Questions	Percent	SE	# of Questions	Percent			
14A	10	67%	14A	13	49%			
14B	7	57%	14B	8	61%			
14C	9	66%	14C	9	66%			
14D	6	63%	14D	5	58%			
STAAR	2013		STAAR	2013	-	STAAR 2013	STAAR 2013	STAAR 2013
SE	# of Questions	Percent	SE	# of Questions	Percent			
14A	9	71%	14A	9	71%			
14B	8	62%	14B	8	62%			
14C	7	67%	14C	7	67%			
14D	10	71%	14D	10	75%			

Strand: Process Standard – Math Ways to Show

TEK: The student communicates about Grade 8	TEK: the student communicates about Grade 7	TEK: The student communicates about Grade 6	TEK: the student communicates about Grade 5
mathematics through informal and	mathematics through informal and	mathematics through informal and	mathematics using informal language
mathematical language, representations, and	mathematical language, representations, and	mathematical language, representations, and	TEK: The student uses logical reasoning
models	models	models	
TEK: The student uses logical reasoning to make	TEK: The student uses logical reasoning to make	TEK: The student uses logical reasoning to make	
conjectures and verify conclusions	conjectures and verify conclusions	conjectures and verify conclusions	

8 th Grade	7 th Grade	6 th Grade	5 th Grade		
SE 8.15A – communicate mathematical ideas using language, efficient tools, appropriate units, and graphical, numerical, physical, or algebraic mathematical models 8.15B – evaluate the effectiveness of different representations to communicate ideas 8.16A – make conjectures from patterns or sets of examples and nonexamples 8.16B – validate his/her conclusions using mathematical properties and relationships Specifics (description of lesson, include any "tricks")	SE 7.14A – communicate mathematical ideas using language, efficient tools, appropriate units, and graphical, numerical, physical, or algebraic mathematical models 7.14B – evaluate the effectiveness of different representations to communicate ideas 7.15A – make conjectures from patterns or sets of examples and nonexamples 7.15B – validate his/her conclusions using mathematical properties and relationships Specifics (description of lesson, include any "tricks")	SE 6.12A – communicate mathematical ideas using language, efficient tools, appropriate units, and graphical, numerical, physical, or algebraic mathematical models 6.12B – evaluate the effectiveness of different representations to communicate ideas 6.13A – make conjectures from patterns or sets of examples and nonexamples 6.13B – validate his/her conclusions using mathematical properties and relationships Specifics (description of lesson, include any "tricks")	SE 5.15A – explain and record observations using objects, words, pictures, numbers and technology 5.15B – relate informal language to mathematical language and symbols 5.16A – make generalizations from patterns or sets of examples and nonexamples 5.16B – justify why an answer is reasonable and explain the solution process Specifics (description of lesson, include any "tricks")		
Provide permission for students to use their own strategies to solve problems Rationale (clarification of TEKS/SE)	Provide permission for students to use their own strategies to solve problems Rationale (clarification of TEKS/SE)	Connecting reasonableness to solving problems Develop Homework activities based on real-life world situations that can be solved using items found at home Use sets of Examples and Non-examples – "What is NOT this?" Rationale (clarification of TEKS/SE)	Make an Anchor Chart for Problem-Solving Model each Strategy Develop Homework activities based on real-life world situations that can be solved using items found at home Use sets of Examples and Non-examples – "What is NOT this?" Rationale (clarification of TEKS/SE)		
Vocabulary	Vocabulary	Be prepared for possible testing of vocabulary Vocabulary Conjecture – making a prediction	Vocabulary		
STAAR 2012 SE # of Questions Percent 15A 12 55% 16A 1 68% 16B 3 52%	STAAR 2012 SE # of Questions Percent 14A 12 50% 15A 1 31% 15B 6 54%	STAAR 2012 SE # of Questions Percent 12A 12 56% 13A 3 46% 13B 2 42%	STAAR 2012 SE # of Questions Percent 15A		

												16B	1	44%	
STAAR 2013				STAAR 2013			STAAR 2013			STAAR 2013					
SE	# of Questions	Percent		SE	# of Questions	Percent		SE	# of Questions	Percent		SE	# of Questions	Percent	
15A	14	53%		14A	10	45%		12A	14	58%		15A	1	92%	
16A	1	55%		15A	1	36%		13A	2	48%		15B	2	64%	
16B	2	52%		15B	7	56%		13B	8	55%		16A	5	55%	
			_				-	•			_	16B	2	72%	

Strand: Process Standard – Math Ways to Show

TEK: the student communicates about	TEK: the student communicates	TEK: the student communicates about	TEK: the student communicates about	TEK: the student communicates about
Grade 4 mathematics using informal	about Grade3 mathematics using	Grade 2 mathematics using informal	Grade 1 mathematics using informal	Kindergarten mathematics using
language	informal language	language	language	informal language
TEK: The student uses logical	TEK: The student uses logical	TEK: The student uses logical	TEK: The student uses logical	TEK: The student uses logical
reasoning	reasoning	reasoning. The student is expected to	reasoning. The student is expected to	reasoning. The student is expected to
		justify his or her thinking using	justify his or her thinking using	justify his or her thinking using
		objects, words, pictures, numbers and	objects, words, pictures, numbers and	objects, words, pictures, numbers and
		technology.	technology.	technology.

	4 th Grade			3 rd Grade		2 nd Grade	1 st Grade	Kindergarten
SE			SE			SE	SE	SE
4.15A – explain and record		3.15A – explain and record			2.13A – explain and record	1.12A – explain and record	K.14A – communicate mathematical	
	ations using objects			tions using objec		observations using objects, words,	observations using objects, words,	ideas using objects, words, pictures,
	s, numbers and tec			, numbers and te		pictures, numbers and technology	pictures, numbers and technology	numbers, and technology
	- relate informal lar	0 0		relate informal la	0 0	2.13B – relate everyday language to	1.12B – relate everyday language to	K.14B – relate everyday language to
	matical language ar	•		natical language a	•	mathematical language and symbols	mathematical language and symbols	mathematical language and symbols
	- make generalizati			make generaliza		2.14 – justify his or her thinking using	1.13 – justify his or her thinking using	K.15 – justify his or her thinking using
nonexa	ns or sets of exampl	ies and	nonexa	s or sets of exam	oles and	objects, words, pictures, numbers, and technology	objects, words, pictures, numbers, and technology	objects, words, pictures, numbers, and technology
	imples - justify why an ans	weris		justify why an ar	swer is	and technology	and technology	and technology
	able and explain th			ble and explain t				
process	•		process	•				
'	cs (description of le	sson, include	Specifics (description of lesson,			Specifics (description of lesson,	Specifics (description of lesson,	Specifics (description of lesson,
any "tri	icks")		include any "tricks")			include any "tricks")	include any "tricks")	include any "tricks")
'	p Homework activit		Develop Homework activities based			Develop Homework activities based	Develop Homework activities based	Develop Homework activities based
	e world situations the		on real-life world situations that can			on real-life world situations that can	on real-life world situations that can	on real-life world situations that can
	using items found a		be solved using items found at home			be solved using items found at home	be solved using items found at home	be solved using items found at home
	ts of Examples and les – "What is NOT		Use sets of Examples and Non- examples – "What is NOT this?"			Use sets of Examples and Non- examples – "What is NOT this?"	Use sets of Examples and Non- examples – "What is NOT this?"	Use sets of Examples and Non- examples – "What is NOT this?"
ехапірі	ies – Wilat is NOT	uns:	example	es – What is NO	1 (1115)	examples – what is NOT this:	examples – what is NOT this:	examples – What is NOT this:
Rationa	ale (clarification of	TEKS/SE)	Rationa	le (clarification of	TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)	Rationale (clarification of TEKS/SE)
Vocabu	ılary		Vocabul	ary		Vocabulary	Vocabulary	Vocabulary
STAAR			STAAR 2			STAAR 2012	STAAR 2012	STAAR 2012
SE	# of Questions	Percent	SE	# of Questions	Percent			
15A	2	65%	15A	1	50%			
15B	1	87%	15B	1	80%			
16A	4	67%	16A	3	51%			

STAAR 2013									
SE	# of Questions	Percent							
15A	2	55%							
15B	1	77%							
16A	2	77%							
16B	5	67%							

STAAR 2013							
SE	# of Questions	Percent					
15B	2	69%					
16A	2	73%					
16B	2	69%					
	•						

_	STAAR 2013	STAAR 2013	STAAR 2013
4			
_			